SightStack Unified Lagrangian (SUL)

An integrative scalar Lagrangian for the known universe – built from classical, quantum, and relativistic field theory with a corrected time foundation.

Core Principle

Construct a fully covariant, scalar Lagrangian that unifies:

- General Relativity (spacetime curvature)
- Quantum Field Theory (particles and interactions)
- Electromagnetism (via gauge fields)
- Temporal Compression (via τ)

All terms must be frame-invariant, scalar-valued, and compatible with both differential geometry and operator-based field evolution.

Structure

$$L = L_gravity + L_\phi + L_\psi + L_EM + L_\tau$$

Each term is defined as follows:

1. Gravity Term

$$L_gravity = (1 / 2\kappa) R$$

Where:

- R = Ricci scalar curvature
- $\kappa = 8\pi G / c^4$

2. Scalar Field (φ) Term

$$L_{\phi} = (\frac{1}{2}) \partial \mu \phi \partial^{\mu} \phi - V(\phi)$$

3. Fermion Field (ψ) Term

$$L_{\psi} = \bar{\psi}(i \gamma^{\mu} D_{\mu} - m)\psi$$

4. Electromagnetic Field Term

$$L_EM = -(\frac{1}{4}) F_{\mu\nu} F^{\mu\nu}$$

Where:

$$F_{\mu\nu} = \partial_{\mu} A_{\nu} - \partial_{\nu} A_{\mu}$$

5. Temporal Compression Field (τ) Term

$$L_{\tau} = \alpha (\partial_{\mu\tau})(\partial_{\mu\tau}) - \beta \tau R$$

Where:

- τ: scalar time distortion field
- Anchored such that $\tau = 0$ in flat spacetime
- α, β: tunable constants

Interpretation of Time

Time is not hardcoded as a global variable. Instead: $dt_effective = (1 + \tau(x)) dt$ This allows time to emerge locally from field curvature, unifying relativistic and quantum evolution frameworks.

Summary

The SightStack Unified Lagrangian provides a structurally consistent, contradiction-free action framework that describes:

- Gravitational curvature
- Quantum matter fields
- Electromagnetic interaction
- Curvature-induced time flow

This version models only known physics and defines time as an emergent compression factor τ , enabling scalar field consistency across domains.

Version: 1.0

Maintainer: SightStack Research

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