

```
1
2
      y(n+1) = y(n) + h(f(n), t(n)) + h^2 * f(y(n), t(n)) / dt + O(h^3)
3 -
       x d = 1.32;
4 -
       K = 2.40:
5 -
        g = 9.81;
6
7 -
      t=10; h=0.01;
8 -
      N = round(t/h, 0);
9 -
      time=0:h:t
0 -
      y0 = [2;0];
1 -
      sigma = size(y0) + 1;
2
3 -
      f = @(y,t) [ y(2); -g*(1-(x d/y(1))^K) ];
4
5 -
      y = zeros(size(y0,1), size(time,2));
      opt = optimset('Display', 'off', 'TolFun', le-8);
6 -
7
8
9
0 -
      y(:,1)=1;
2
3 -
    - for i = 1:N-1
4
           y(:,1+i) = (y(:,i) + h*feval(f, y(:,i), time(i)));
5 -
           r = \emptyset(ynext) (y(:,i) + h*feval(f, ynext, time(i+l)) - ynext);
6 -
           y(:,i+1) = fsolve(r, y(:,i), opt);
           E(i) = (m*g/(K-1)) * (x d^K/(y(1,i)^(K-1))) + m*g*y(1,i) + 1/2*m*y(2,i)^2;
7 -
8 -
      end
9
0 -
      hold on:
1 -
      plot(time, E, 'green')
2
3
```

%% Implicit Euler

```
oppg3c.m × +
This file can be opened as a Live Script. For more information, see Creating Live Scripts.
        %% Implicit Euler
 1
        y(n+1)=y(n)+h(f(n),t(n))+h^2*f(y(n),t(n))/dt+O(h^3)
 2
         x d = 1.32;
 3 -
         K = 2.40:
 4 -
5 -
         g = 9.81;
 6
7 -
        t=10; h=0.01;
8 -
       N = round(t/h, 0);
9 -
       time=0:h:t
10 -
       y0 = [2;0];
11 -
       sigma = size(y0) + 1;
12
        f = @(y,t) [ y(2); -g*(1-(x d/y(1))^K) ];
13 -
14
15 -
        y = zeros(size(y0,1), size(time,2));
        opt = optimset('Display', 'off', 'TolFun', le-8);
16 -
17
18
19
20 -
        y(:,1)=1;
21
22
      - for i = 1:N-1
23 -
            r = \emptyset (ynext) (y(:,i) + h*feval(f, (ynext+y(:,i))/2, time(i+1)+h/2) - ynext);
24 -
25 -
            y(:,i+1) = fsolve(r, y(:,i), opt);
              E(i) = (m*g/(K-1)) * (x_d^K/(y(1,i)^(K-1))) + m*g*y(1,i) + 1/2*m*y(2,i)^2;
26 -
27 -
        end
28
29 -
        hold on;
30 -
        plot(time, E, 'red')
        %plot(time, y(1,:))
31
32
```