

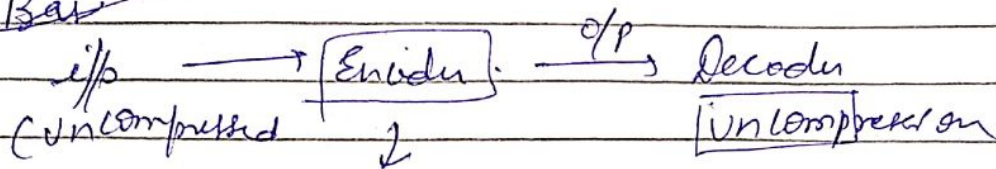
Data Compression

process of reducing the amount of data required to represent a given quantity of info.

- 2 GB — 750 mb — Compressed.
- time not → 2 hrs — into 1 hr.
- Amount of disk space required.

Huffman ~~Loss~~ Data Compression -

Bar



Data Compression

Lossless

↓
Text Encryption

↓
exact replica

$$\text{Compression ratio} = \frac{\text{Compressed file}}{\text{Original file}}$$

$$= \frac{750}{2000}$$

$$\text{Compression factor} = \frac{1}{\text{Compression ratio}}$$

(integer)

Compression time Time to compress (ms)

Decompression time Time to decompress (ms)

Lossy

↓
Some info is lost

↓
less imp. info from the media is removed.

↓
Image, Video, Audio

↓
not exact replica

Code word
length
entropy

Fixed length Encoding
 a - 97 → 7 bits (1100001)
 b
 c
 ⋮
 j
 7x7 = 49 bits

Compression
 3 bits
 3x 7 = 21 bits
 DATE: / /

Lossless Compression Technique - (no loss of info)

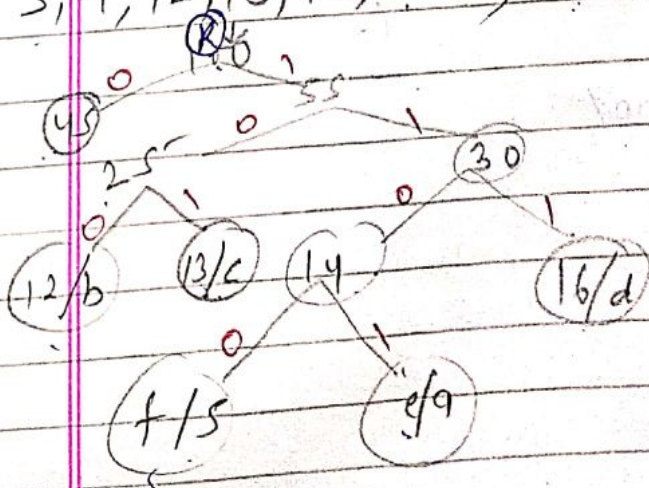
Based on binary tree freq-sorting method that allow to encode any msg sequence into shorter encoded msg.
Huffman code is a particular type of optimal prefix code. It can be viewed as variable-length code.

1. Create Sorted nodes on frequency/probability
2. Start
3. Find & remove two smallest probability node
4. Create new node, $weight[node] = W(A) + W(B)$
5. Insert new node, back to sorted list.
6. Repeat the loop until the list consist of the only last node

| Char | frequency | fixed length code | Vrs. length code | Code length |
|--------------|-----------|-------------------|------------------|-------------|
| a | 45 | 0000 | 0 | 1 |
| b | 13 | 001 | 101 | 3 |
| c | 12 | 010 | 100 | 3 |
| d | 16 | 011 | 111 | 4 |
| e | 9 | 100 | 1101 | 4 |
| f | 5 | 101 | 1100 | 4 |
| 7 | | | (49) | |

highest Compression
 E Var length

5, 9, 12, 13, 16, 45, 12, 13, 14, 16, 45, [14, 16, 25, 45]
 25, 30, 45



lossless

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Run length Encoding - Simplest

In this runs of data are stored as a single data value and count rather than original run.
↓
Sequence of same symbol / data value

AAAAAAAAA → A (8) Count
data value

eg. BBBBBBBBB AAAAA IV 44 mmm → B09A05
9 5 1 2 3 No 1602M030
↓ (20) ↓ (15)

but for 0 & 1
0000000000000000 | 0000 | 0000000000000000
14 4 0 12
↓ ↓ ↓ ↓
1110 0100 0000 1100

Drawback — xy2 → 2101 y01 201
3 6

When repeating value not

Arithmetic coding

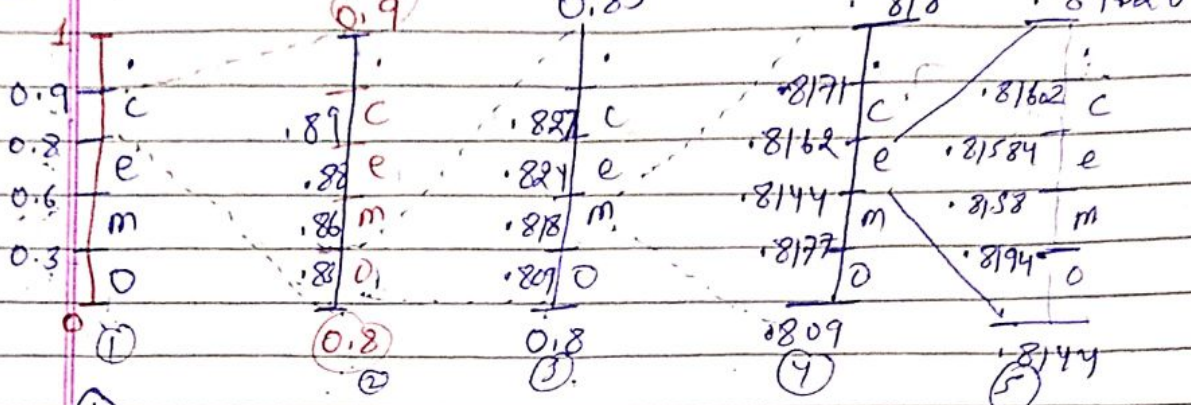
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form of entropy encoding used in lossless data c.

- ✓ Efficient code - not depend on size of data
 - ✓ Non block code - block of data on the probability of data
- Stream based Encoding
- ✓ Work very well for sequence of low entropy.

$$\therefore \frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$$


$$\begin{aligned} 0 &= 0.8 + 0.3 = \underline{.83} = 0 \\ m &= .83 + 0.1(0.3) = .86 \\ e &= .86 + 0.1(0.2) = .88 \\ c &= .88 + 0.1(0.1) = .89 \end{aligned}$$

③

$$O = .8 + .03(0.3) - \cancel{.8} + .009 = .809$$
$$M = .809 + .03(0.3) = .818$$
$$E = .818 + .03(0.2) = .824$$
$$C = \dots = .827$$

• $81602 \leq \text{Codeword range} \leq 81690$

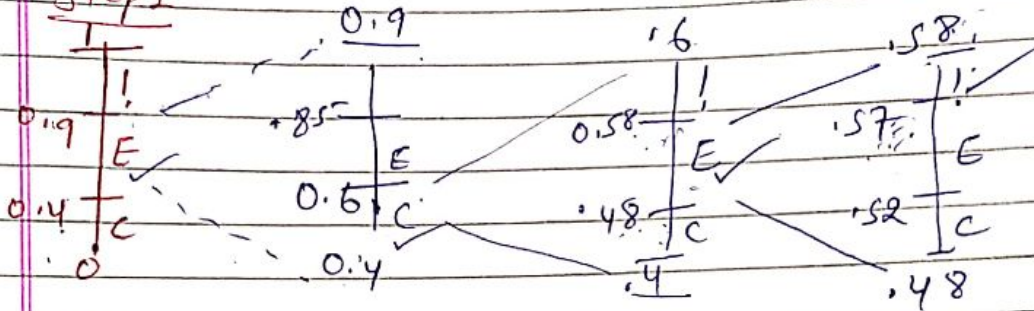
$$\text{Generation } t_g = \frac{L \cdot L + V \cdot L}{2} = \frac{1.81602 + 1.81620}{2} = \underline{1.81611}$$

Secondary

Code Word = 0.572

| Symbol | | C | E |
|--------|---|----|----|
| prob | $\begin{pmatrix} 1 \\ 11 \end{pmatrix}$ | .4 | .5 |

Step 1



based on
probability

diff. $d = \text{upper bound} - \text{lower bound} = 0.9 - 0.4 = 0.5$
 Range of symbol = ~~lower limit~~; lower limit + $d \cdot (\text{prob. of symbol})$

$$\text{Range of C} = 0.4 + 0.5(0.4) = 0.6$$

$$E = 0.85$$

0.572 is between 0.57 & 0.58

Range of termination

ECE!

finite precision Arithmetic