Week 4: beaks, death, and analyses

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12 September, 2016

► Review of Grants' study (10 minutes)

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- ► Think, hypothesize, discuss (20 minutes)

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- ► Lab (60 minutes)

Review of Grants' study

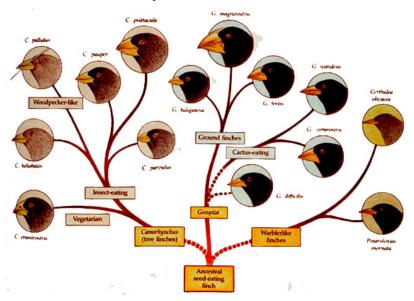


Figure 1: Darwin's Finches

Think, hypothesize, discuss

- 1. Propose a hypothesis about the effects of drought on the finches. Be sure to mention:
 - -The phenotype of interest
 - -Differential survival
- 2. Draw a graph of the predicted results of your hypothesis.
 - ☐ Axes are labeled
 - \square The predicted results stem directly from the hypothesis
 - ☐ The graph makes sense
 - $\hfill\Box$ It is ease to extract relevant information from the graph
- 3. Share with class

Think, hypothesize, discuss

4.	Briefly describe how you would collect the data necessary to
	evaluate the hypothesis and test your prediction. Make your
	description a step-by-step set of procedures.
	The step by step procedures make sonse

- The step-by-step procedures make sense
- \Box The data that would come from the described procedures
- aligns with the predictions (in the graph above).

Think, hypothesize, discuss

Your boss (who just happens to be a world famous biologist) gives you some data and she asks you to assemble the data in a manner that can be used to assess whether selection happened during the drought on the island.

5. Construct a step-by-step algorithm of what you would do to assemble evidence that would allow you to make a claim about selection. The data are the sizes of finch beaks of individuals that survived and died. When you construct your algorithm, precede each statement with a hashtag(#). We'll get you started by providing two initial annotations and an annotation that will form the most relevant visualization.



Functions

Functions take input and return a new output Examples:

1.

$$f(x) = x$$

>

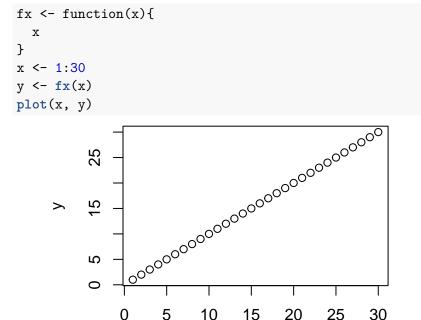
$$f(2) = 2$$

2.

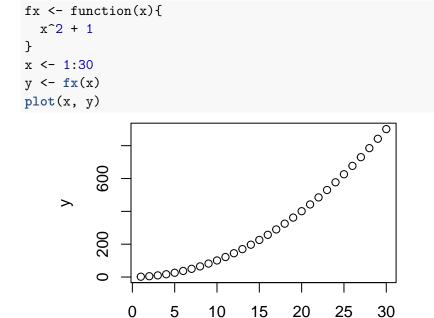
$$f(x) = x^2 + 1$$

$$f(2) = 2^2 + 1 = 5$$

Function example 1



Function example 2



Uses a function that makes a straight line.

$$f(x, a, b) = a + bx$$

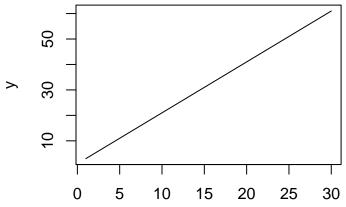
- Uses a function that makes a straight line.
- ▶ Adjust the parameters that control the height (intercept) and steepness (slope) of the straight line to find the best fit to a given dataset.

$$f(x,a,b)=a+bx$$

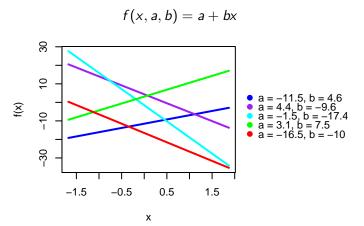
- Uses a function that makes a straight line.
- ▶ Adjust the parameters that control the height (intercept) and steepness (slope) of the straight line to find the best fit to a given dataset.
- Fancy math, beyond the scope of this course

$$f(x, a, b) = a + bx$$

```
fx <- function(x, a, b){
   a + b*x
  }
y <- fx(x, a = 1, b = 2)
plot(x, y, type = "l")</pre>
```

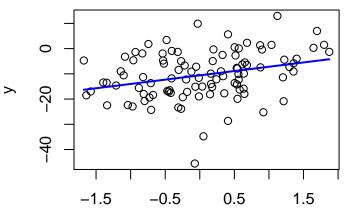


Examples of regression lines



With data

```
model <- lm(y ~ x)
predicted <- coef(model)[1] + coef(model)[2] * x
plot(x, y)
lines(x, predicted, lwd=2, col = "blue")</pre>
```



Reasons for doing regression

► To make predictions.

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- To make predictions.
- ► To make quantitative and qualitative statements about relationships among variables.

Assumptions

Among others, simple linear regression assumes the data is normally distributed.

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- ▶ thus, y values should fall in range of $-\infty$ to ∞
- What if our y values are constrained? For example, what if our data is binary?



Logistic Regression

▶ Regression, but assuming our outcome variable (y) is binary (0 or 1, yes or no, black or white, dead or alive).

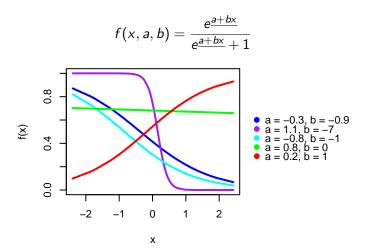
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Logistic Regression

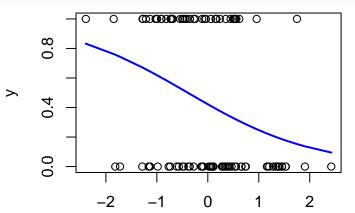
- Regression, but assuming our outcome variable (y) is binary (0 or 1, yes or no, black or white, dead or alive).
- ► Same as linear regression, but with a small twist that keeps predictions between 0 and 1.
- Predictions are interpreted as probability of outcomes of a binary event occurring (probability of yes).

Examples of logistic regression curves



With data

```
model <- glm(y ~ x, family = "binomial")
predicted <- plogis(coef(model)[1] + coef(model)[2] * x)
plot(x, y)
lines(x, predicted, lwd=2, col="blue")</pre>
```



Note

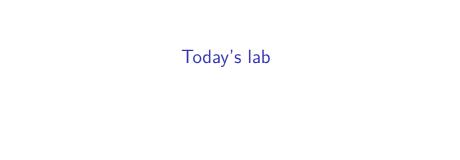
► Logistic regression uses same principle's as linear regression, but is designed for binary data.

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- Logistic regression uses same principle's as linear regression, but is designed for binary data.
- Same mathematical machinery is used to find the best parameter values (a and b).
- ▶ Think it logistic regression as a transform of linear regression. Instead of intercept and slope of the line, we interpret parameters as position and steepness of transition between 0 and 1.



Today's lab

▶ .Rmd file on D2L

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- ▶ Remember to put the .Rmd and .csv in the same place.

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- ▶ Remember to put the .Rmd and .csv in the same place.
- Read data and use str() to understand data properties.