

Age	wt	wt	salary
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20	85	150	2000
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30	74	160	3000
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40	68	170	4000
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35	54	180	5000
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1) Standardization. \rightarrow Z-score standardization.

ht

BMI wt.

~~117~~
158

20
25
30
40

$$Z_{\text{score}} = \frac{x_i - \bar{x}}{\sigma}$$

$$= \frac{40 - 30}{5}$$

$$= 2$$

$$\bar{x} = 30$$

$$\sigma = 5$$

$$25 - 30$$

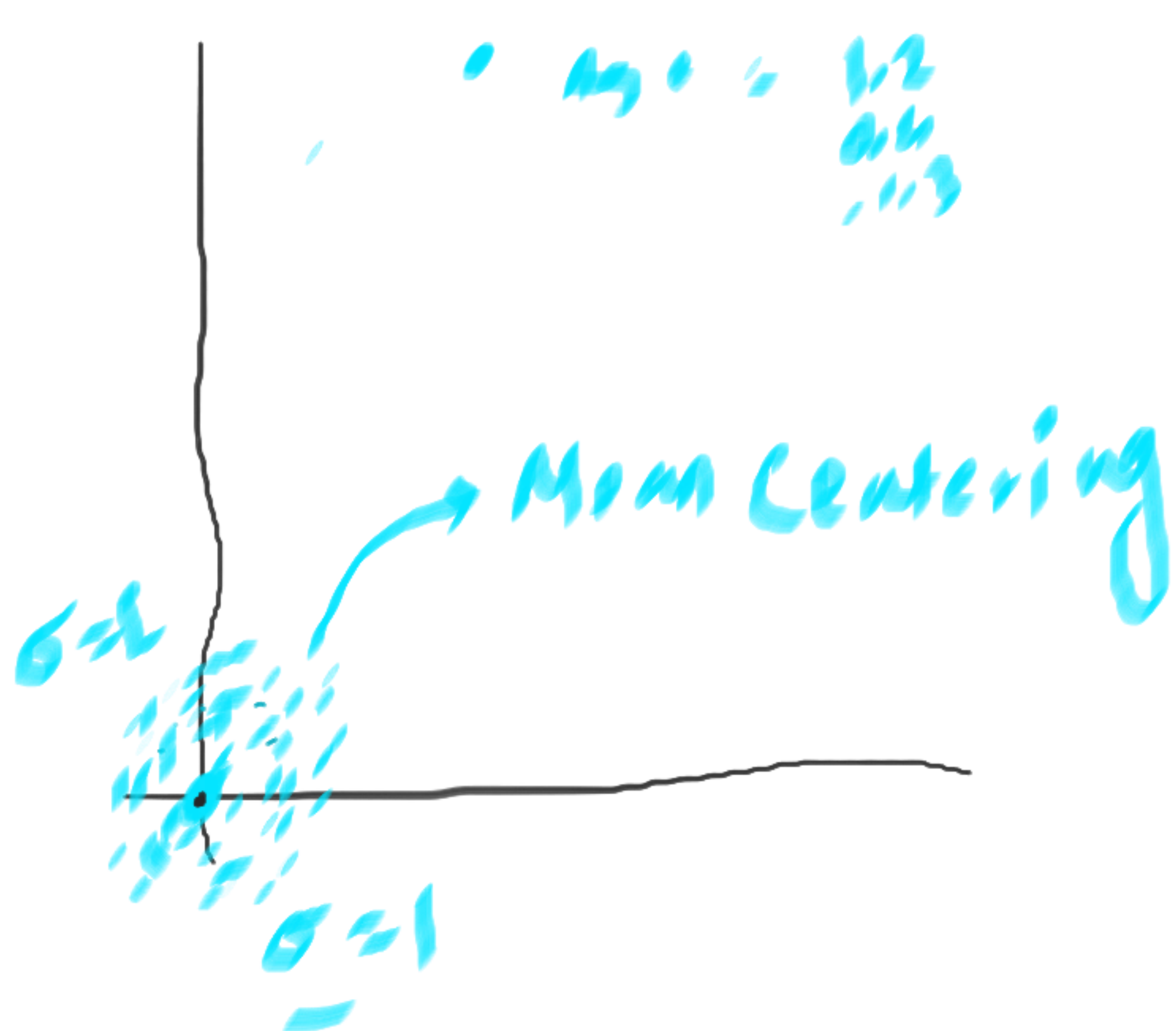
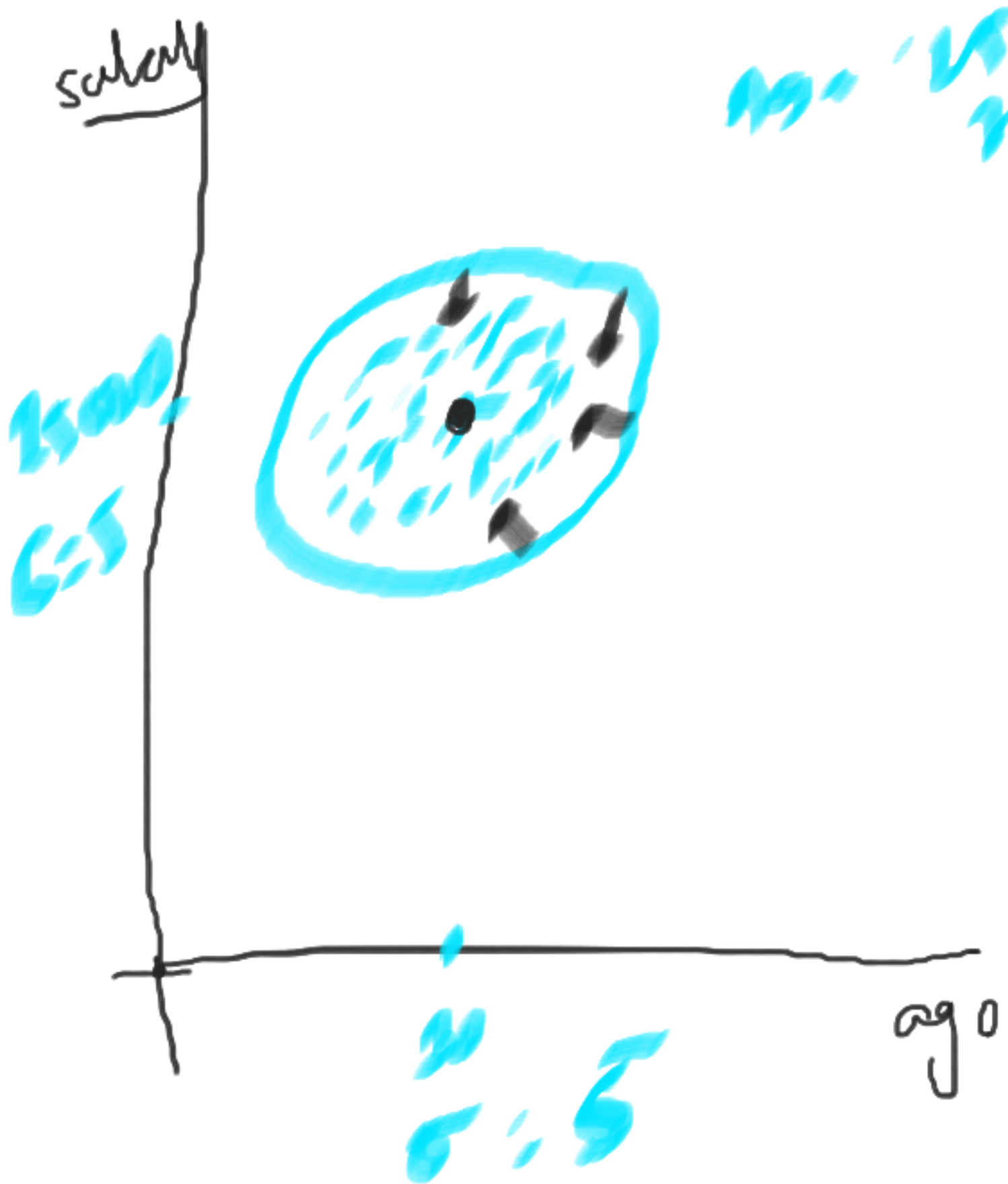
$$5$$

$$= -1$$

(-1 to 1)

$$\begin{array}{r} 21 - 30 \\ \hline -9 \\ \hline \end{array}$$

$$= -1.8$$



27-30

27-30

27-30

35-30

35-30



When std is more than 1 \gg $squeez = 5 = 5$

$$\underline{\underline{std = 1}}$$

When std is less than 1 \gg $expand \geq 6 = 0.5$

$$std = 1$$

Age	Salary	Age - Salary
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27

10000

0.7

15

18000

- 0.8

- 0.8

12

7000

13

6000

18

4000

29

2000

32

26000

27

30000

1.2

m = 0

s = 1

m = 20

s = 10

$$x_{std} = \frac{x_i - \bar{x}}{s}$$

$$= \frac{27 - 20}{10}$$

$$= 0.7$$

$$x_{std} = \frac{12 - 20}{10}$$

$$= -0.8$$

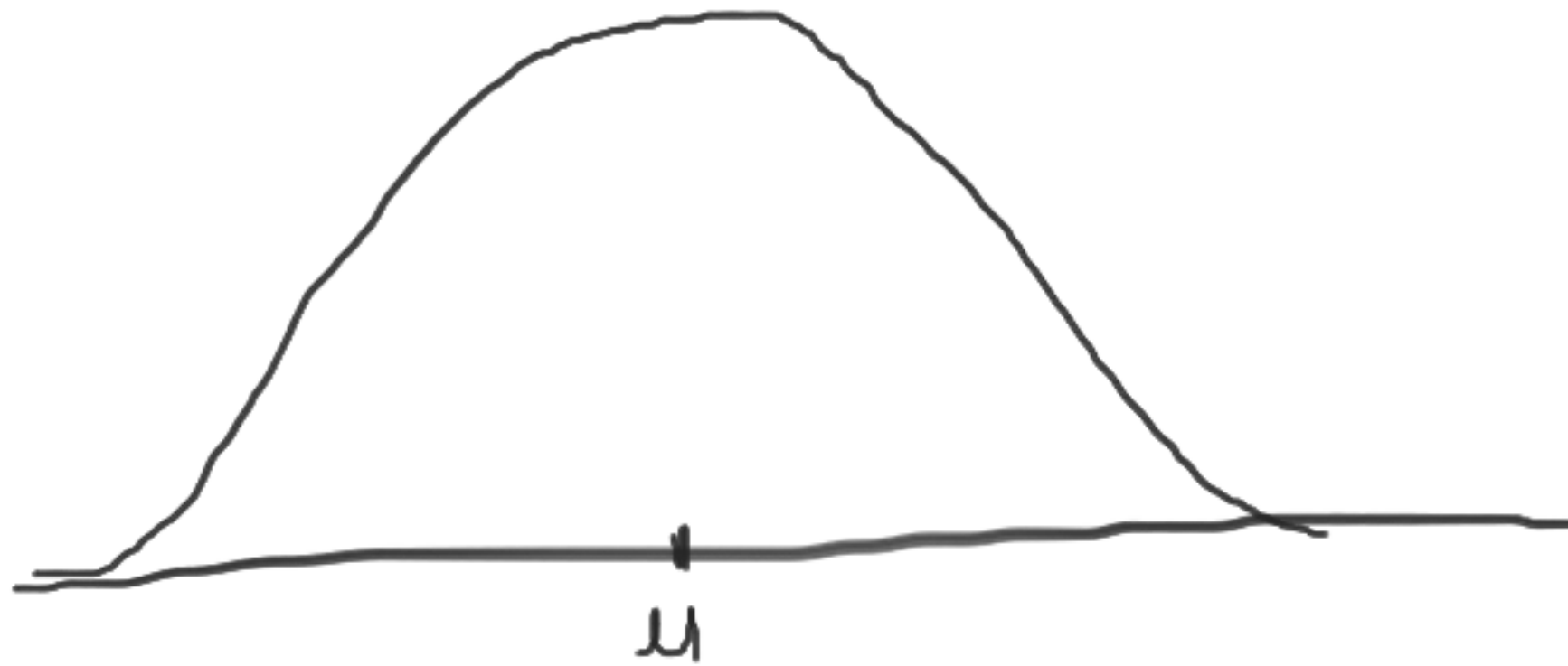
$$\frac{32 - 20}{10} = 1.2$$

Linea ~ 0.67 \Rightarrow 0.75

ANN ~ 0.55 \rightarrow 0.75

Tree ~ 0.78 \Rightarrow 0.78

normal = Gaussian



outline



Normalization

$$x_{norm} = \frac{x_i - x_{min}}{x_{max} - x_{min}}$$

$$x_i = \frac{14 - 14}{27 - 14} = \frac{0}{1} = \underline{\underline{0}}$$

$$\frac{3}{3} = 1$$

$$27 = \frac{27 - 14}{27 - 14} = \underline{\underline{1}}$$

Age	Salary
27	200
15	50
14	40k
18	30k
22	20k
26	21k
21	15k
20	18k
17	24

$$x_{min} = 14 \quad x_{max} = 27$$

$$\frac{22-14}{27-14} = \frac{8}{13} = \underline{\underline{0.61}}$$

$$\underline{12-14} = \underline{\underline{0}}$$

Distance based algo.

euclidean $d_i = \sqrt{a^2 + b^2} =$

Age	cat.
25	6000
30	7000
32	8000
35	9000
40	10000

$$\min = \frac{25 - 25}{40 - 25} = 0$$

$$\max = \frac{40 - 25}{40 - 25} = 1$$

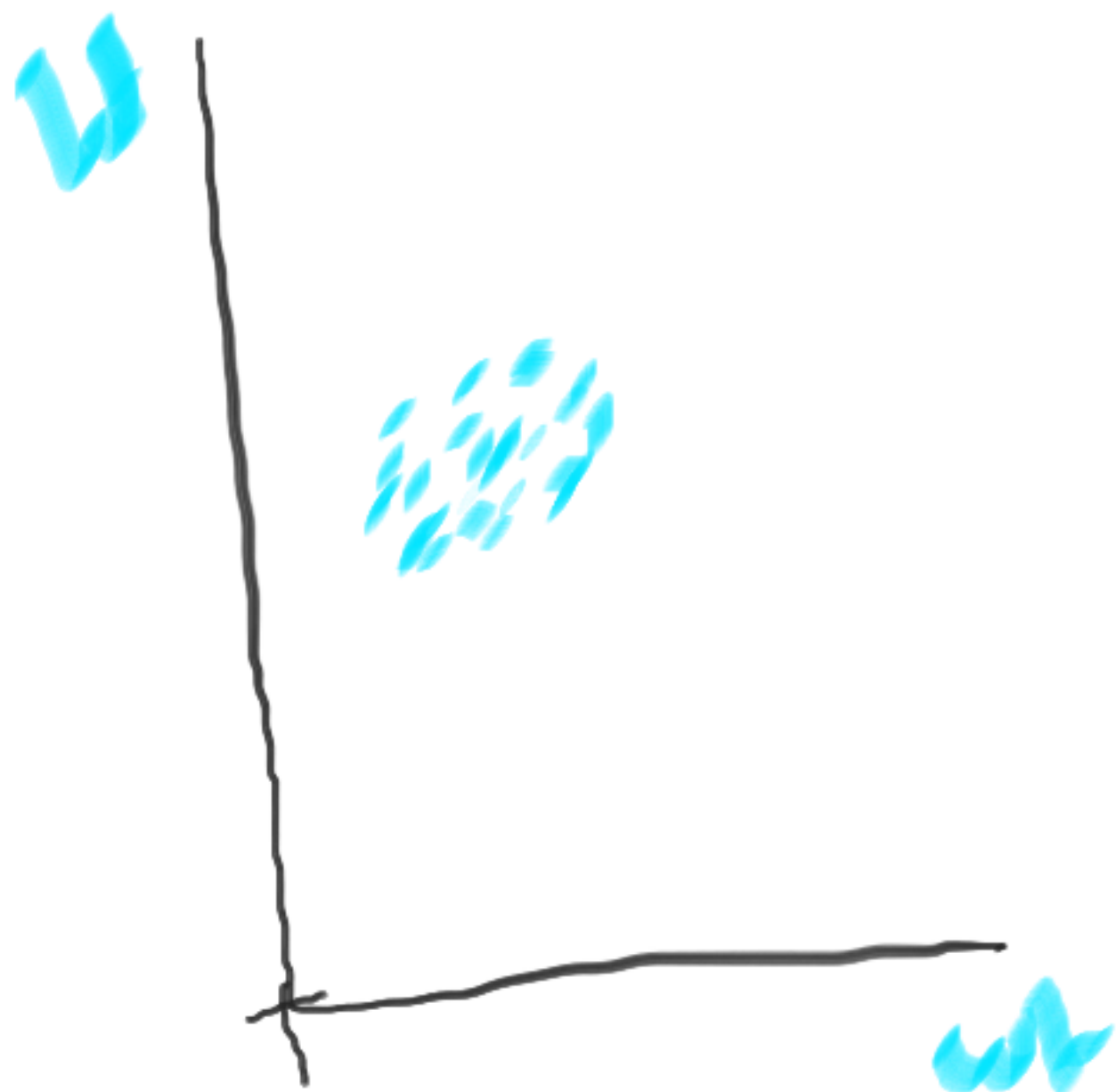
$$\frac{30 - 25}{40 - 25} = \frac{5}{15} = \underline{\underline{0.33}}$$

$$\frac{32 - 25}{40 - 25} = \frac{7}{15} = \underline{\underline{0.46}}$$

$$\sqrt{5^2 + 2^2} = 5.4$$

$$\sqrt{0.33^2 + 0.67^2} = \underline{\underline{0.75}}$$

0.13



Man lobs

$$x_i' = \frac{x_i}{|\lambda_{\max}|} = \text{Man } x_i \text{ Scales}$$

When we have data with more zeros

Mean normalisation.

$$x_i^o = \frac{x_i^o - x_{\text{mean}}}{x_{\text{max}} - x_{\text{min}}}$$

$$[-1 \text{ to } 1]$$

> > mean centering

↓
standardisation

Robust + Scaler.

$$x_i' = \frac{x_i - x_{\text{median}}}{\text{IQR} \quad (Q_3 - Q_1)} \quad \gg \text{Robust Scaler.}$$

\gg Outliers \gg effective.

<u>Age</u>	Per	per
20	22	2
30	23	1
40	39	1
50	57	1
60	64	4

2000000	210000	100000
Schooler	pr	
2000	22000	2000
3000		1000
4000		1000
5000		
6000		4000

16

160000

1,60,00000

$$\frac{0}{-} = 0$$

$$we = \frac{2}{1}$$

$$\frac{1}{0} \left(\frac{2}{2} \right) = \frac{2}{1}$$

$$\frac{2}{1} = 2$$

$$\frac{2}{0}$$