# A GP Approach to QoS-Aware Web Service Composition including Conditional Constraints

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### Introduction

Motivation •00000

> Service-Oriented Architecture (SOA): Organise processes and data in reusable modules for integration into new applications.

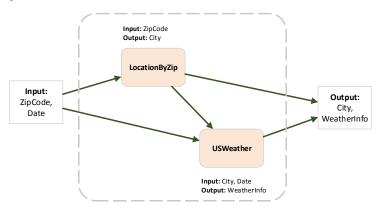


#### Web service

A functionality module that provides operations accessible over the network via a standard communication protocol.

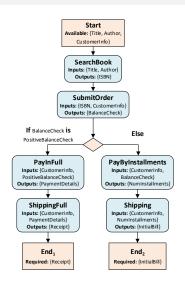
## Web Service Composition

The combination of Web services to achieve a more complex task. Fully automated scenario:



New weather by zip code service

# A Composition Example with Branching



Certain compositions require alternative paths according to runtime values.

**Example:** Depending on balance, pay in full or pay in installments.

### Composition Dimensions

- **Solution feasibility:** Service inputs and outputs must be properly linked (e.g.  $City \rightarrow Location$ , but not PhoneNumber  $\rightarrow$  Location).
- **2 Conditional constraints:** Condition leading to multiple possible execution paths (e.g. if *City* is a *NewZealandCity*, produce WindForecast instead of GeneralForecast).
- 3 Quality of Service (QoS): The overall quality of the composition (e.g. lowest execution time, lowest cost).

#### **AI Planning**

Build a solution service by service.

Dimensions: Solution feasibility, conditional constraints.

### **Evolutionary Computation (EC)**

Improve population of solutions over multiple generations.

Dimensions: Solution feasibility, QoS.

### **Hybrid Approaches**

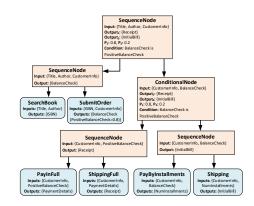
Combine Al planning and EC ideas.

Dimensions: Solution feasibility, QoS.

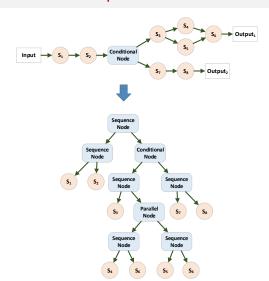
#### Goal

To propose a Genetic Programming (GP) composition approach that simultaneously considers all dimensions.

- 1 Trees preserve solution feasibility.
- 2 Conditions encoded in trees.
- 3 Optimisation performed on QoS.



## Candidate Representation



- Tree equivalent to graph composition.
- Parallel, sequential, and conditional represented as non-terminal nodes.
- Candidate services as terminal nodes.

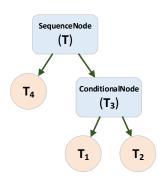
## Population Initialisation

An algorithm is used to create a candidate in graph format, and then translate it into a tree representation.

```
Input : 1. O1. O2. C. P
    Output: candidate tree T

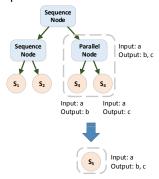
    if O<sub>2</sub> ≠ ∅ then

         G_1 \leftarrow \text{createGraph}(I \cup C.if. O_1):
         G_2 \leftarrow \text{createGraph}(I \cup C.else, O_2):
         T_1 \leftarrow \text{toTree}(G_1.input):
         T_2 \leftarrow \text{toTree}(G_2.input);
          T_3 \leftarrow \text{new ConditionalNode}(C);
          T_3.leftChild \leftarrow T_1:
          T_3.rightChild \leftarrow T_2:
 9:
          if C \square / then
10:
              T_3.prob \leftarrow P;
              return T3:
11:
12-
         else
              G<sub>4</sub> ← createGraph(I, C,else):
13:
              T_4 \leftarrow \text{toTree}(G_4.input);
14:
               T_3.prob \leftarrow T_4.final.P;
15:
16:
               T \leftarrow \text{new SequenceNode()};
               T.leftChild \leftarrow T_4:
17:
              T.rightChild \leftarrow T_3:
18:
              return T:
20:
         end
21: else
         G \leftarrow \text{createGraph}(I, O_1);
22:
          T \leftarrow toTree(G.input):
24
         return T;
25: end
```

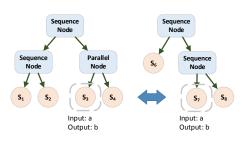


### Mutation and Crossover

**Mutation:** Selects random node and replaces it with equivalent subtree.



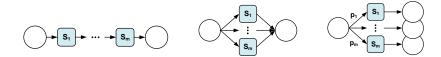
**Crossover:** Swaps any two equivalent terminal nodes.



### Fitness Function

Measures the overall quality of a composition candidate (minimising).

$$\mathit{fitness}_i = w_1(1-A_i) + w_2(1-R_i) + w_3 T_i + w_4 C_i$$
 where  $\sum_{i=1}^4 w_i = 1$ 



## **Experiments**

- Lack of datasets supporting composition with branching.
- Lack of comparable approaches that produce solutions with multiple output possibilities.

Experiments

**Decision:** Create datasets, execute for conditional compositions and also for each branch separately.

#### Parameters:

Independent runs	50	Elitism candidates	1
Population size	20	Tournament size	7
Crossover probability	0.9	Fitness weights	0.25 (all)
Mutation probability	0.1		

### Creation of Datasets

#### Modified from WSC2008.

- Can be extended to contain QoS.
- Provides ontology of input and output values.



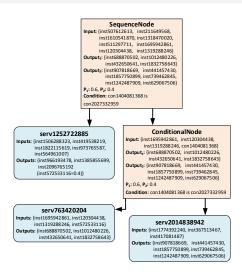
Tasks requiring branching were created.

	Conditional			
Set (size)	Avg. fitness	Avg. time (s)		
1 (158)	$0.60 \pm 0.01$	$1.29 \pm 0.10$		
2 (558)	$0.71 \pm 0.01$	$2.83 \pm 0.25$		
3 (604)	$0.63 \pm 0.01$	$13.29 \pm 1.23$		
4 (1041)	$0.72 \pm 0.05$	$6.15 \pm 0.57$		
5 (1090)	$0.70 \pm 0.01$	$11.76 \pm 0.95$		
6 (2198)	$0.66 \pm 0.02$	92.39 ± 11.35		
7 (4113)	$0.58 \pm 0.01$	97.34 ± 13.71		
8 (8119)	$0.66 \pm 0.01$	$326.39 \pm 37.66$		

Experiments 0000

	Non-conditional					
	If branch		Else branch			
Set (size)	Avg. fitness	Avg. time (s)	Avg. fitness	Avg. time (s)		
1 (158)	$0.51 \pm 0.00$	$0.56 \pm 0.14$	$0.59 \pm 0.04$	$0.72 \pm 0.08$		
2 (558)	$0.59 \pm 0.08$	$1.49 \pm 0.53$	$0.69 \pm 0.02$	$1.53 \pm 0.19$		
3 (604)	$0.37 \pm 0.00$	4.39 ± 0.77	$0.79 \pm 0.00$	$7.10 \pm 0.91$		
4 (1041)	$0.69 \pm 0.06$	$4.51 \pm 1.18$	$0.74 \pm 0.43$	3.57 ± 0.43		
5 (1090)	$0.45 \pm 0.00$	5.73 ± 0.76	$0.69 \pm 0.01$	$6.49 \pm 0.74$		
6 (2198)	$0.41 \pm 0.06$	58.30 ± 12.77	$0.65 \pm 0.02$	$52.31 \pm 5.79$		
7 (4113)	$0.36 \pm 0.00$	44.84 ± 5.93	$0.69 \pm 0.03$	51.73 ± 4.26		
8 (8119)	$0.47 \pm 0.00$	$106.12 \pm 7.15$	$0.77 \pm 0.00$	$186.90 \pm 20.01$		

### Solution Example



### Conclusions

Novel approach addresses three composition dimensions simultaneously (fully feasible, contain branches, quality-optimised).

 Solutions found with similar performance as non-branching technique.

**Future work:** More than two branches, more complex branching conditions, analysis of convergence behaviour.

Thank you!

Questions?

Conclusions