

COMP3271 Computer Graphics

Viewing

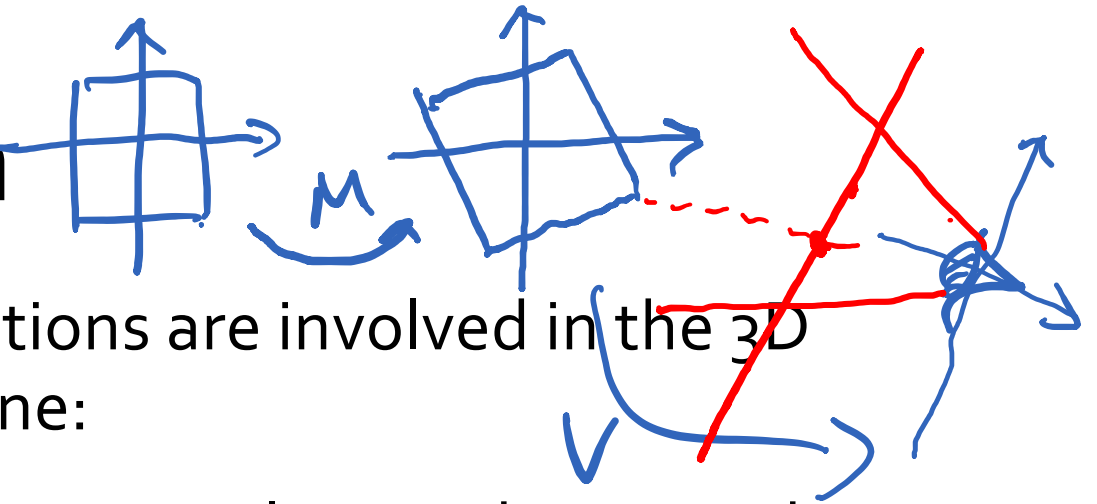
2019-20

Objectives

Understand the viewing process

Derive the projection matrices used for standard OpenGL projections

Transformation



Three kinds of transformations are involved in the 3D graphics processing pipeline:

- **model transformation** M : It applies to objects in the 3D world coordinate system (the object space);
- **view transformation** V : It maps objects from the 3D world coordinate system to the 3D eye coordinate system, with the origin at the eye-point (viewpoint);
- **view projection** P : It maps objects from the 3D eye-coordinate system to the 2D view plane.

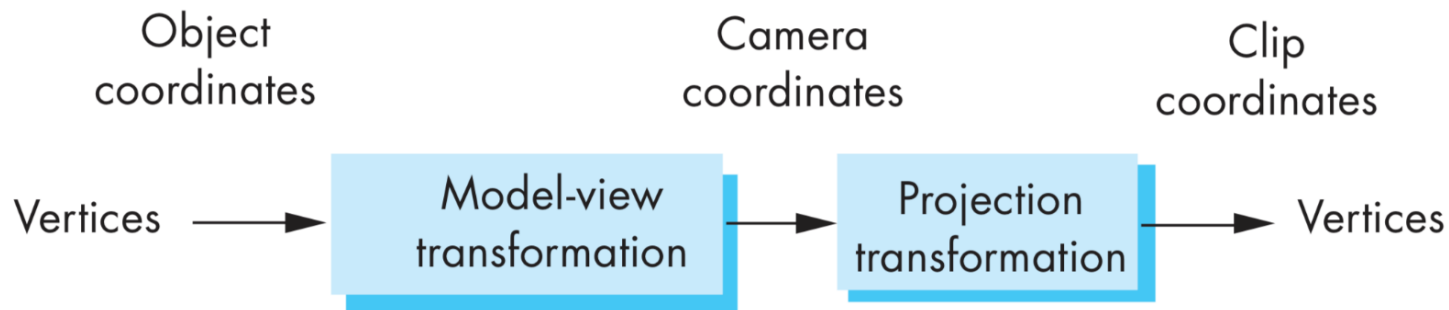
A vertex will be transformed by the concatenation of these transformations before appearing on screen

$$X_3' = P_{3 \times 4} V_{4 \times 4} M_{4 \times 4} X_4.$$

Viewing

There are two main steps in the viewing process:

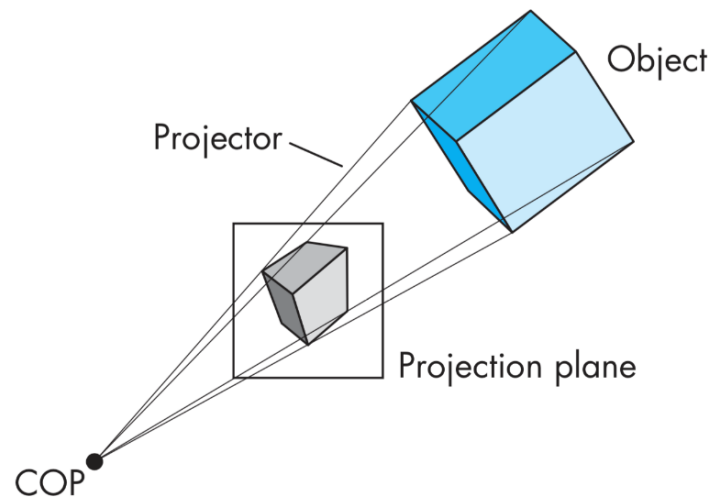
- Position and orient the camera
 - Setting the **model-view matrix**
 - Vertices in object coordinates will be transformed to eye or camera coordinates
- Selecting a lens
 - Setting the **projection matrix**
 - Normalize to a canonical view volume



Viewing

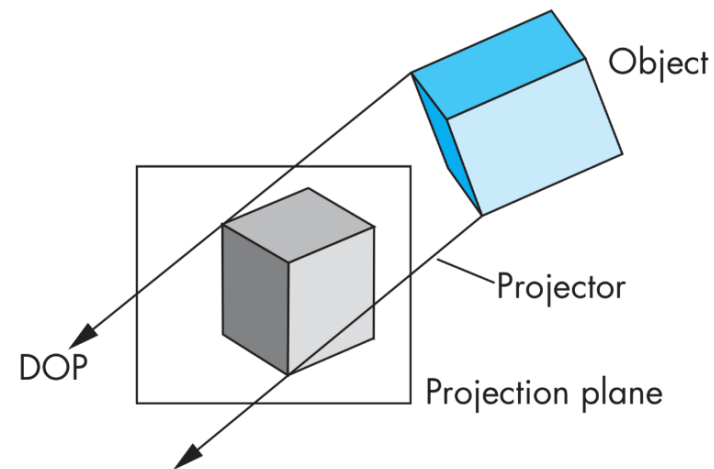
Projection determines how objects appear on screen

Perspective projection



COP: Center of Projection
Original of the camera frame

Orthogonal projection

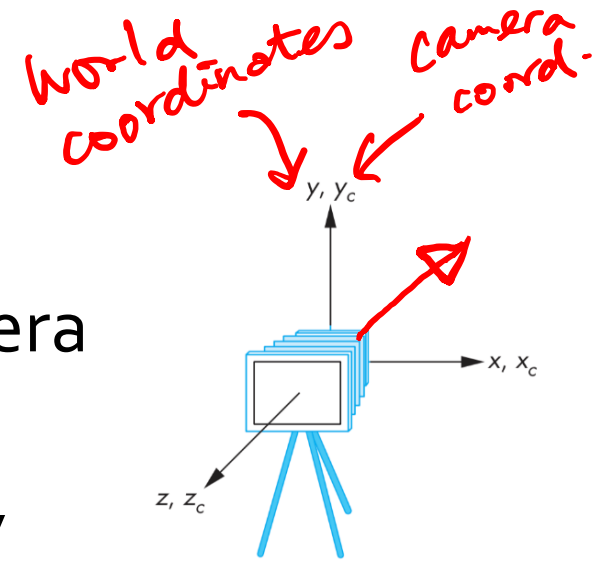


DOP: Direction of Projection
same as COP at infinity

The OpenGL Camera

In OpenGL, initially the object and camera frames are the same

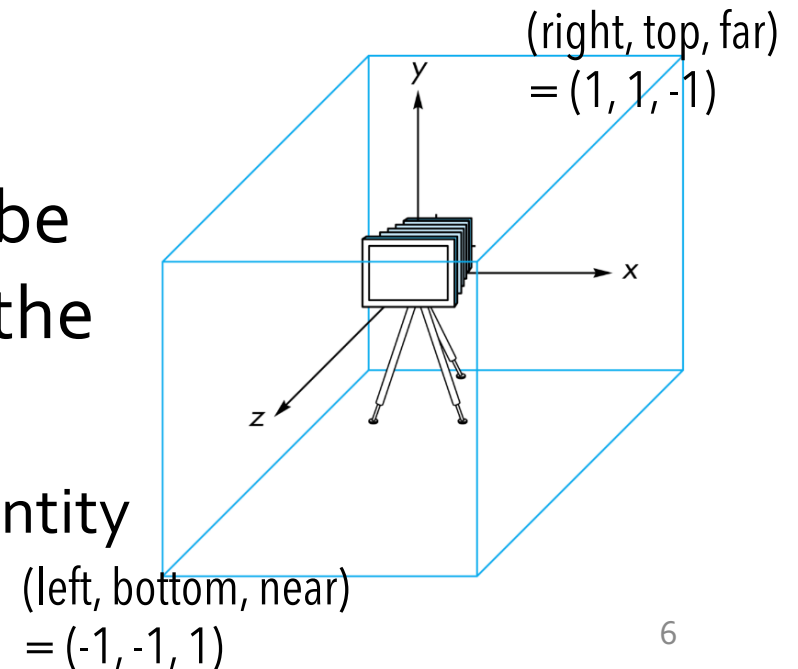
- Default model-view matrix is an identity



The camera is located at origin and points in the negative z direction

OpenGL also specifies a default **canonical view volume** that is a cube with sides of length 2 centered at the origin

- Default projection matrix is an identity (i.e., orthogonal projection)



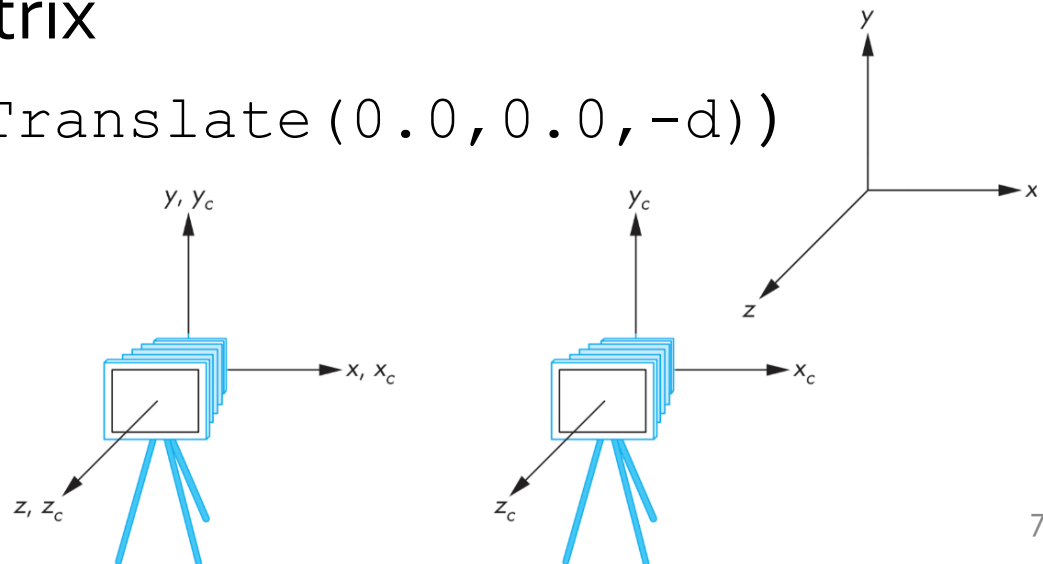
Moving the Camera Frame

Consider

- Moving the camera in the positive z direction
 - Translate the camera frame
- Moving the objects in the negative z direction
 - Translate the world frame

Both of these views are equivalent and are determined by the model-view matrix

- Want a translation ($\text{Translate}(0.0, 0.0, -d)$)
- $d > 0$



Moving the Camera Frame

We can move the camera to any desired position by a sequence of rotations and translations

Example: side view

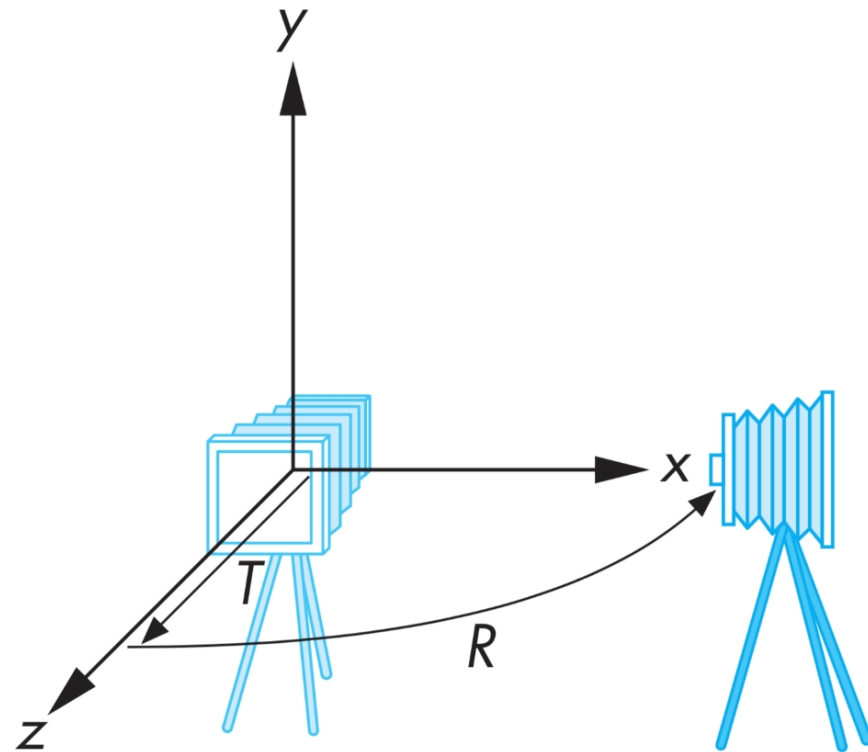
- Rotate the camera
- Move it away from origin
- Model-view matrix $C = TR$

Move Camera :

$$R_y(\theta) \cdot T_z(d)$$

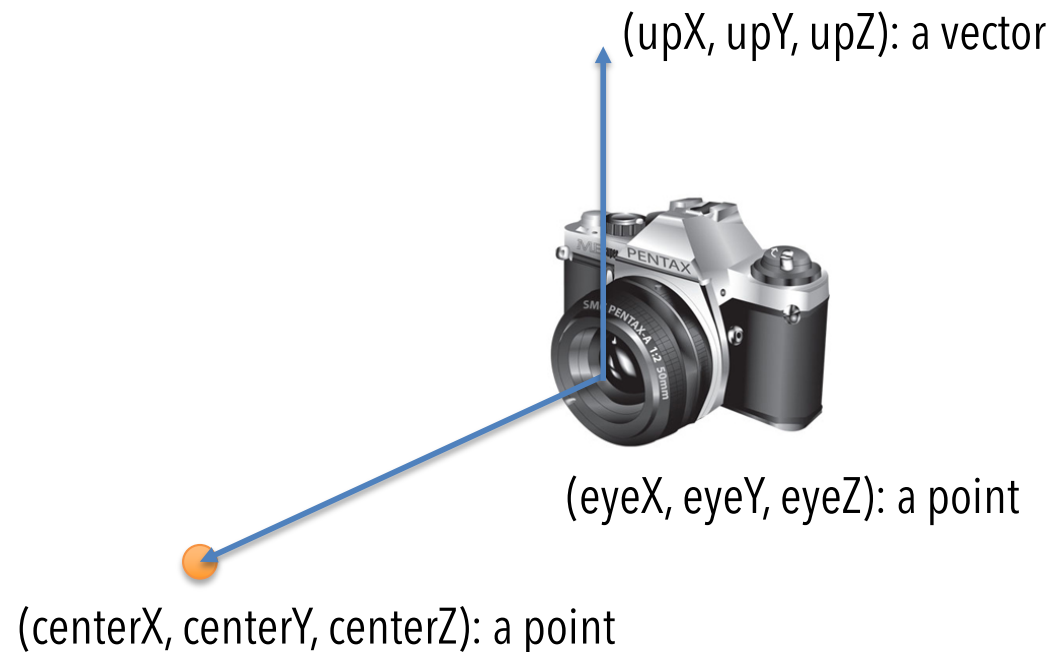
Move World :

$$T_z(-d) \cdot R_y(-\theta)$$



OpenGL API

```
LookAt (eyeX, eyeY, eyeZ,  
        centerX, centerY, centerZ, upX, upY, upZ) ;
```



Note that this is a transformation that applies to the ModelView matrix