

# Hierarchical Planning

Main problem in STRIPS-like planning (as well as in other planning frameworks): **complexity**

One reason for complexity: **no structure**

- no distinction between important and unimportant properties
- no distinction between important and unimportant operators

This observation gives rise to two different ways of **abstraction** in planning:

- **abstraction of situations** and
- **abstraction of operators**

# Abstraction of Situations

## ABSTRIPS (**Abstraction-Based** STRIPS)

Main idea: introduce **weights** for each literal and consider only the most important ones in first loop, then refine by considering also literals with second highest weight.

In blocksworld, for instance, properties with weights:

Property	Weight
On	4
Clear	3
Holds	2
Ontable	2
Handempty	1

Higher weights indicate more important properties. Means here concretely: first consider only the property On, in the second loop the properties On and Clear and so on. Use the abstract plan for a refinement of the more detailed plans. In the last loop all properties have to be considered.

# Operators of the Blocksworld

## PICKUP(x)

**preconditions** Clear<sup>3</sup>(x)  
 Ontable<sup>2</sup>(x)  
 Handempty<sup>1</sup>

**delete list** Clear(x)  
 Ontable(x)  
 Handempty

**add list** Holds(x)

## PUTDOWN(x)

**preconditions** Holds<sup>2</sup>(x)

**delete list** Holds(x)

**add list** Clear(x)  
 Ontable(x)  
 Handempty

## STACK(x, y)

**preconditions** Holds<sup>2</sup>(x)  
 Clear<sup>3</sup>(y)

**delete list** Holds(x)  
 Clear(y)

**add list** Clear(x)  
 On(x, y)  
 Handempty

## UNSTACK(x, y)

**preconditions** Clear<sup>3</sup>(x)  
 On<sup>4</sup>(x, y)  
 Handempty<sup>1</sup>

**delete list** Clear(x)  
 On(x, y)  
 Handempty

**add list** Holds(x)  
 Clear(y)

## Non-Linear Planning with Abstraction of Situations

Assume non-linear planning algorithm NLP with input: partial non-linear plan & output: total well-formed conflict-free non-linear plan. NLPAS (Non-Linear Planning with Abstraction of Situations) calls NLP initially considering only the most important properties. This plan is refined by taking into account less important properties. Input: non-linear plan and index (initially the highest weight)

**begin**

0. **if** Index=0 **then return**(P)

1. **else**

1.1 disregard all preconditions of operators,  
whose weights are smaller than Index

1.2. select  $P' := \text{NLP}(P)$  ;;; arbitrary choice  $\rightarrow$  backtrack point

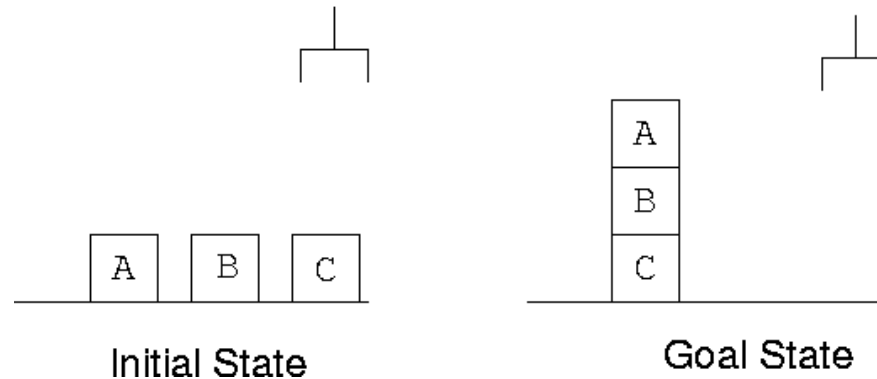
**endif**

1.3. **return**(NLPAS( $P'$ , Index-1))

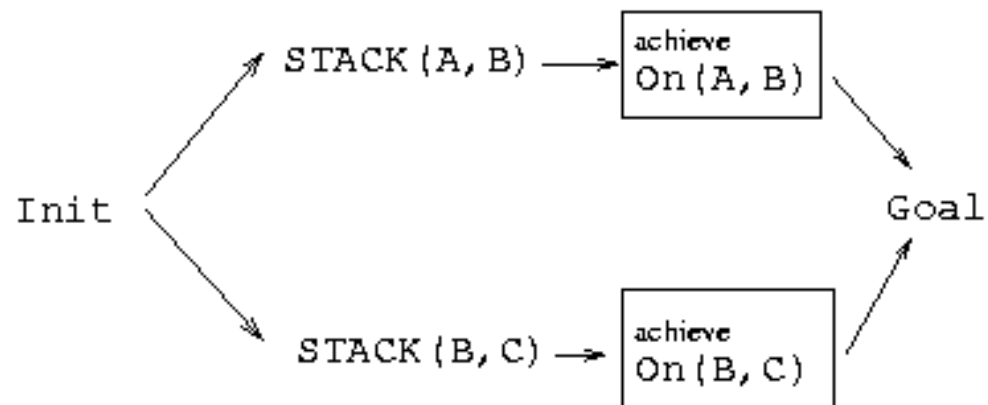
**end**

## Example

Consider the following easy planning problem:

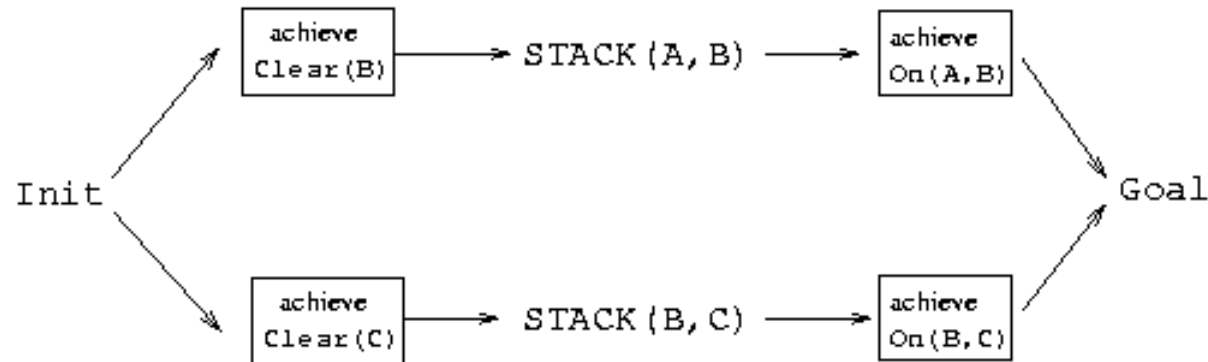


Result of NLPAS with weight 4 (consider only **On**):

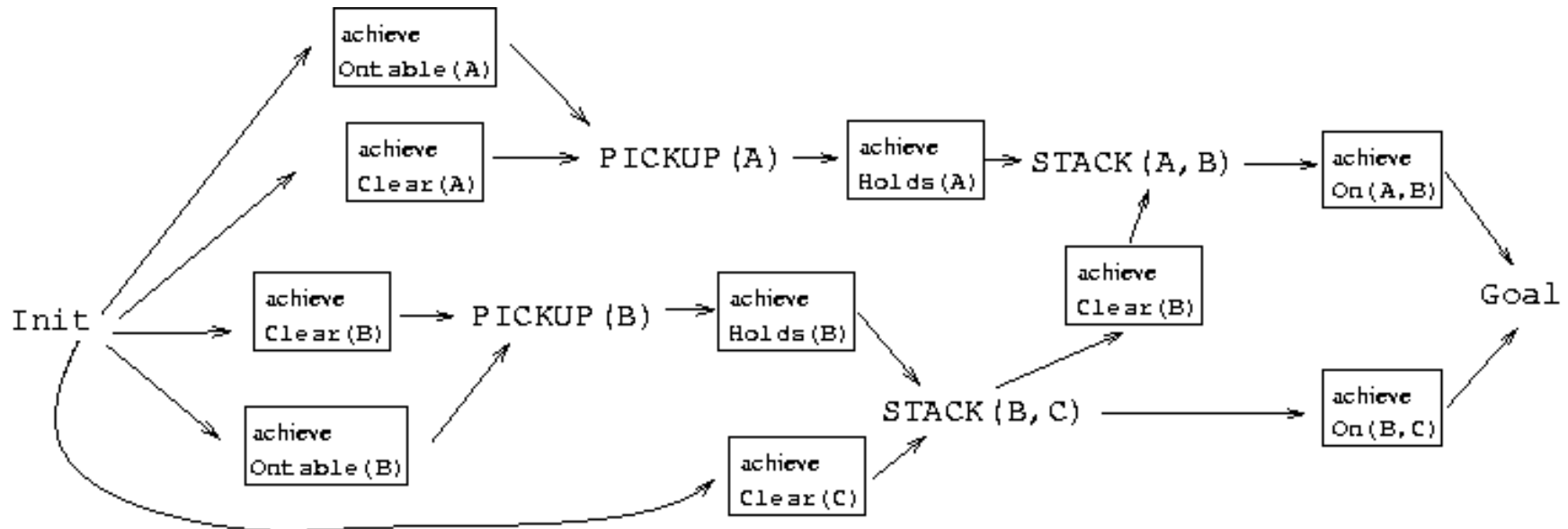


## Example (Cont'd)

Result with weight 3 (consider **Clear** in addition):

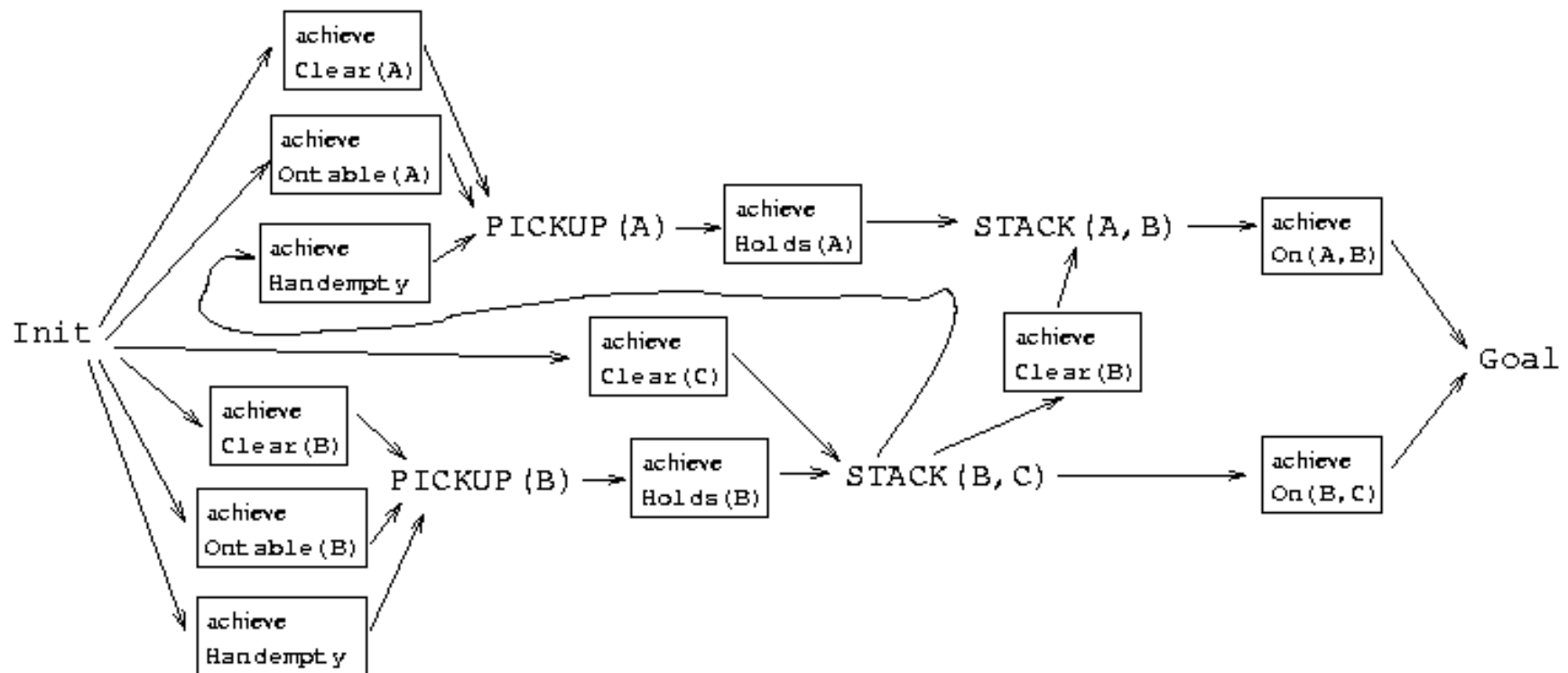


Result with weight 2 (consider **Holds** and **Ontable** in addition):






## Example (Cont'd)

Final result, i.e. weight 1 (consider **Handempty** in addition):



## Problems with Abstraction




-  Abstraction certainly plays an **important role in human problem solving**. Questionable whether the proposed approach is adequate.
-  **Selection of a useful order**. For instance, is the order given above useful or not?
-  For achieving the requirements of achieve goals it is necessary to **add new nodes. Which ones?** Can sometimes be seen only on more concrete level. E.g. achieve **Holds(A)** can be achieved by **UNSTACK(A,x)** and **PICKUP(A)**, which one is better depends on situation of **A**. If **A** on the table then **PICKUP(A)**, but on abstract level **Ontable** is invisible.

What to do?

-  accept **inefficient plans**.
-  **adapt the non-linear planning algorithm** such that conflicts are only resolved on more concrete levels.



## Discussion

-  **Good decisions on the higher levels are even more important** than in non-hierarchical planning. In particular deviations should be avoided (since they might have to be expanded).
-  There are classes of examples which become **tractable** by using hierarchical planning instead of non-hierarchical planning.
-  There are classes of examples which become **intractable** by using hierarchical planning instead of non-hierarchical planning.

# Abstraction of Operators

Look at motion planning for a robot

**Question:** On which level should the operators be given?

Example blocks-world: four operators

PICKUP, PUTDOWN, STACK, and UNSTACK

More detailed operators to split PICKUP into three parts:

- POSITION for positioning the robot's hand
- CATCH for grasping it
- LIFT to lift it.

Give specification for these! Operator PICKUP can be viewed as an **operator abstraction** of the operators POSITION, CATCH, and LIFT

## An Abstract Operator

Define operator **FREE** as common abstraction of **UNSTACK** and **PUTDOWN**

**FREE**(x, y)

**preconditions** Handempty

On(x, y)

**delete list** On(x, y)

**add list** Clear(y)

**plot** (UNSTACK(x, y), PUTDOWN(x))

It differs from the other operators in the blocksworld that **not all preconditions are deleted**.

**preconditions** of **FREE** that robot's hand empty, but is empty after the execution too

New entry **plot**, which tells that planning has to go on after abstract planning.

**Operator has to be adjusted to a particular planning data structure**, here list of STRIPS

## The same for non-linear planning

FREE(x, y)

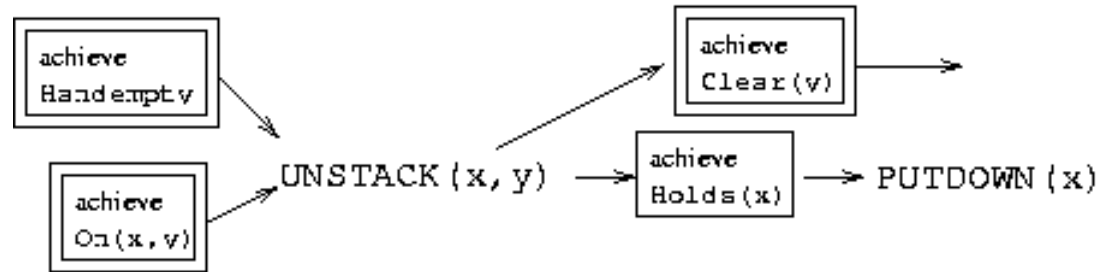
**preconditions** Handempty

On(x, y)

**delete list** On(x, y)

**add list** Clear(y)

**plot**



The dependencies which go into the plan and leave it are marked by **preconditions** and **add list**.

Important property of abstract planning: **preconditions**, **add list**, and **delete list** need not to be precisely characterised

E.g. it is not specified that after the application of FREE(x, y) always **On(x, y)**

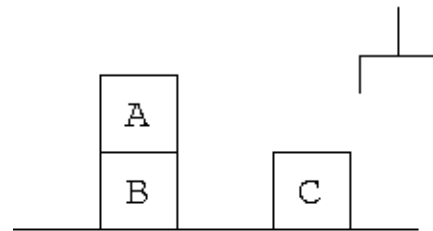
# Non-optimality of Abstraction

Main Question: Which degree of abstraction?

**Find compromise** between

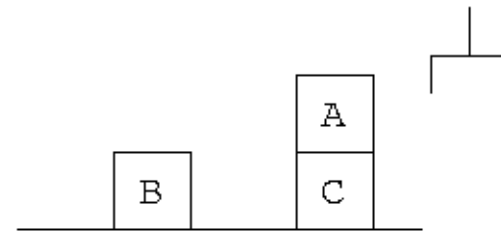
- **disregarding unimportant details** (e.g. side-effect of `FREE(A,B)` that always `Ontable(A)`)
- **considering details in order to find an optimal plan** (e.g. if for getting `Clear(B)` in an abstract plan `FREE(A,B)` is applied and we want in addition `Ontable(A)`, then we have to plan for `Ontable(A)` too)

## Example



Init

Ontable(B)  
 On(A,B)  
 Clear(A)  
 Clear(C)  
 Handempty



Goal

On(A,C)  
 Ontable(C)  
 Clear(A)  
 Clear(B)  
 Handempty

Solve with operators **STACK**, **UNSTACK**, **PICKUP**, **PUTDOWN**, and **FREE**

In order to achieve **Clear(B)**, select **FREE(A,B)**, hence **A** has to be put on **C** in the next step. Linearised plan: **(FREE(A,B), PICKUP(A), STACK(A,C))** after expansion of **FREE(A,B)**:

**(UNSTACK(A,B), PUTDOWN(A), PICKUP(A), STACK(A,C))**

this plan contains deviation **(PUTDOWN(A), PICKUP(A))**

# Pseudo code for abstract non-linear planning

input: initial non-linear plan

output: non-linear plan

**begin**

1. **while** nodes unsolved or unexpanded in P **do**

1.1. select unsolved or unexpanded node N from P  
    ;;; arbitrary choice → backtrack point

1.2 **if** N unsolved  
    **then**

1.2.1 select action A, which has N  
    in **add list** ;;; arbitrary choice → backtrack point

1.2.2 insert A as operator node immediately  
    before N in P add achieve-nodes for the preconditions of A  
    in parallel immediately before A

**else**

1.2.3 replace N by its **plot** and supplement preconditions

**end\_if**

1.3. resolve interactions

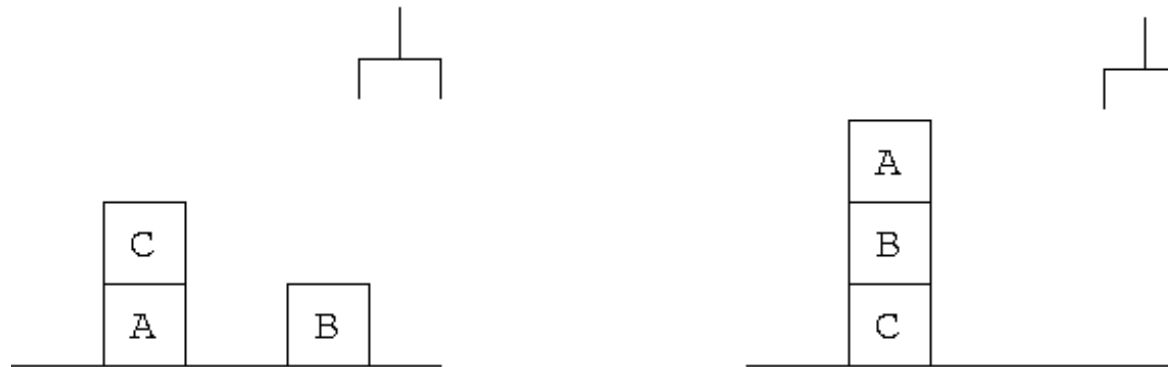
1.4. criticise plan

**end\_do**

2. **return**(P)

**end**

## Example: Sussman Anomaly



Initial State

Goal State

Operators **PICKUP**, **PUTDOWN**, **STACK**, **UNSTACK**, **FREE**, and **STACKTHREE** (for stacking three blocks)

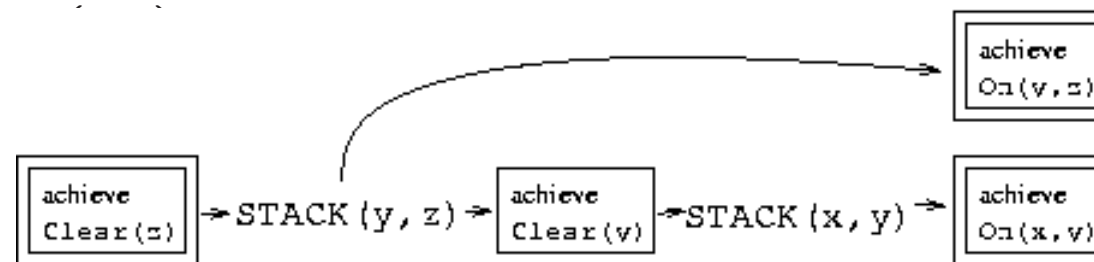
**STACKTHREE**(x, y, z)

**preconditions** Clear(z)

**delete list** Clear(z)

**add list** On(x, y)

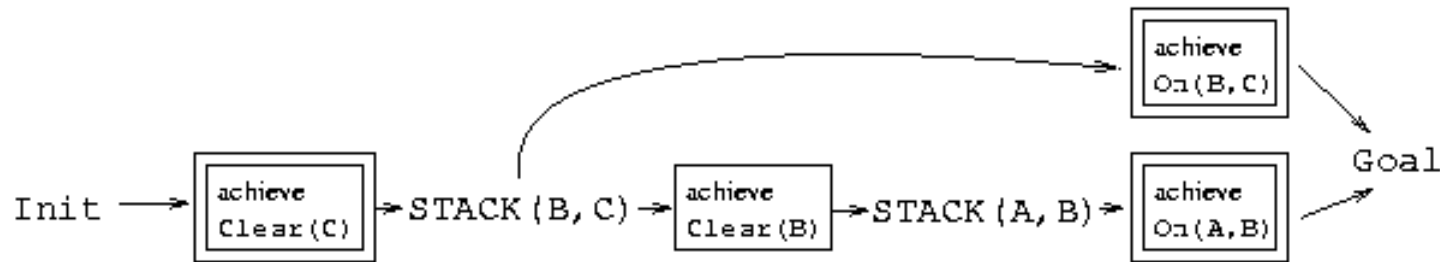
**plot**



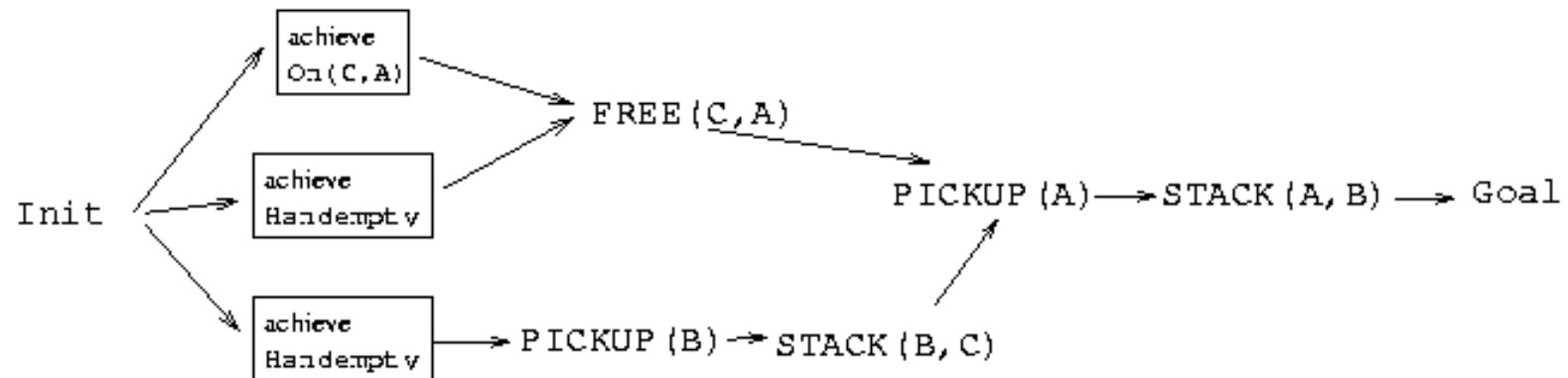


## Example (Cont'd)

In order to solve the problem, simply use operator **STACKTHREE(A,B,C)**. Solves goal since **On(A,B)** and **On(B,C)** in **add list**. Applicable because of **Clear(C)**. Next loop: expansion of the abstract operator, i.e.



Then look at preconditions of expanded operators:



## Example (Cont'd)

Conflict between the operators

FREE(C,A) and PICKUP(B)

with respect to the property Handempty.

How to solve: **Linearisation**: order FREE(C,A) before or after the parallel planning part

In this case useful to bring the FREE(C,A)-operator in front, **but not possible to decide since the precondition Clear(C)** is not seen.

**Alternative**: Resolve conflicts after expansion

## Discussion

- 👉 **New:** expansion of nodes.
- 👉 Replacement of abstract nodes makes explanation and backtracking harder.
- 👉 No distinction between abstract planning phase and expansion phase
- 👉 abstract operators can be **extraordinary useful**, in particular necessary to model high-level intelligent behaviour.
- 👉 Abstraction in planning adds **many additional problems** and can in no way considered as solved.

## Literature

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