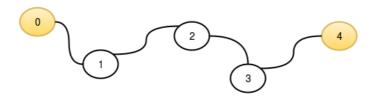
Flatland Space Stations



Flatland is a country with n cities, m of which have space stations. Its cities (c) are numbered from 0 to n-1, where i^{th} city is referred to as c_i .

Between each c_i and c_{i+1} (where $0 \le i < n$), there exists a bidirectional road $1 \ km$ long.

For example, if n=5 and cities c_0 and c_4 have space stations, Flatland would look like this:



For each city, determine its distance to the *nearest* space station and *print the maximum* of these distances.

Input Format

The first line consists of two space-separated integers, \emph{n} and \emph{m} .

The second line contains m space-separated integers $c_0, c_1, \ldots c_{m-1}$ denoting the index of each city having a space station. These values are *unordered* and unique.

Constraints

- $1 \le n \le 10^5$
- $1 \leq m \leq n$
- It is guaranteed that there will be at least 1 city with a space station, and no city has more than one.

Output Format

Print an integer denoting the maximum distance that an astronaut in a Flatland city would need to travel to reach the nearest space station.

Sample Input 0

5 2 0 4

Sample Output 0

2

Explanation 0

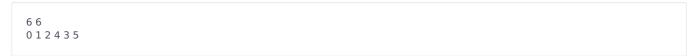
This sample corresponds to the example given in the problem statement above. The distance to the nearest space station for each city is listed below:

- c_0 has distance $0 \ km$, as it contains a space station.
- c_1 has distance $1 \ km$ to the space station in c_0 .
- c_2 has distance $2 \ km$ to the space stations in c_0 and c_4 .
- c_3 has distance $1 \ km$ to the space station in c_4 .

ullet c_4 has distance 0~km, as it contains a space station.

We then take $\mathit{max}(0,1,2,1,0) = 2$, and print 2 as our answer.

Sample Input 1



Sample Output 1

0

Explanation 1

In this sample, $\emph{n}=\emph{m}$ so every city has space station and we print 0 as our answer.