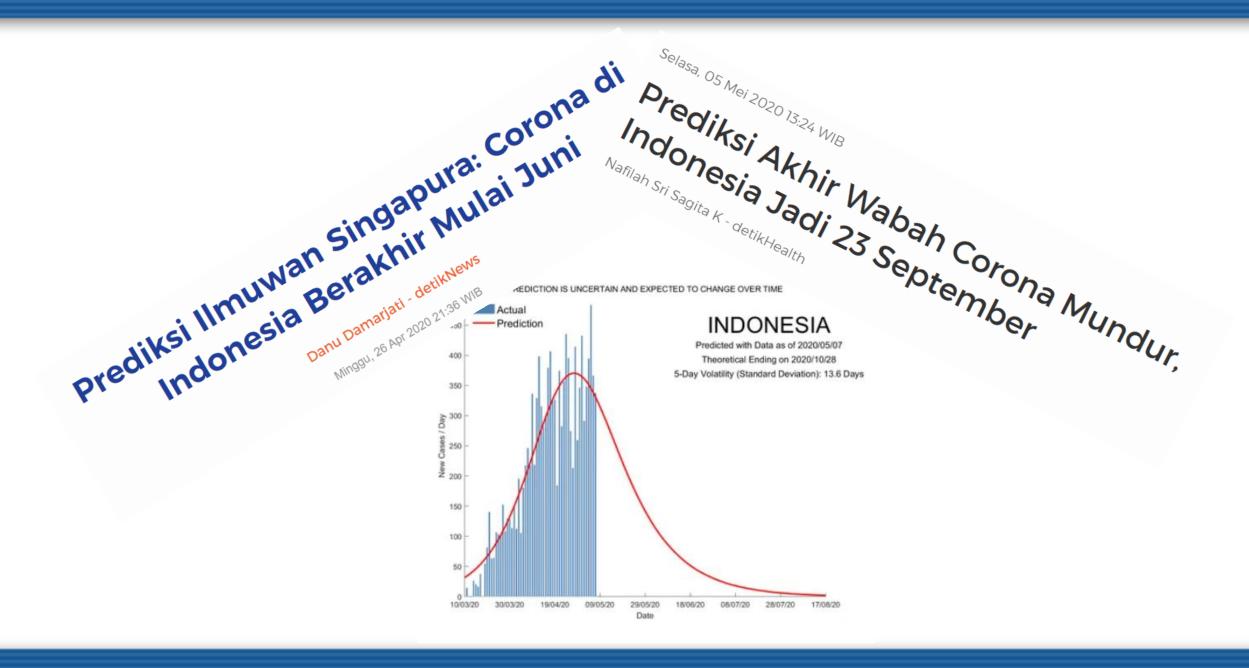
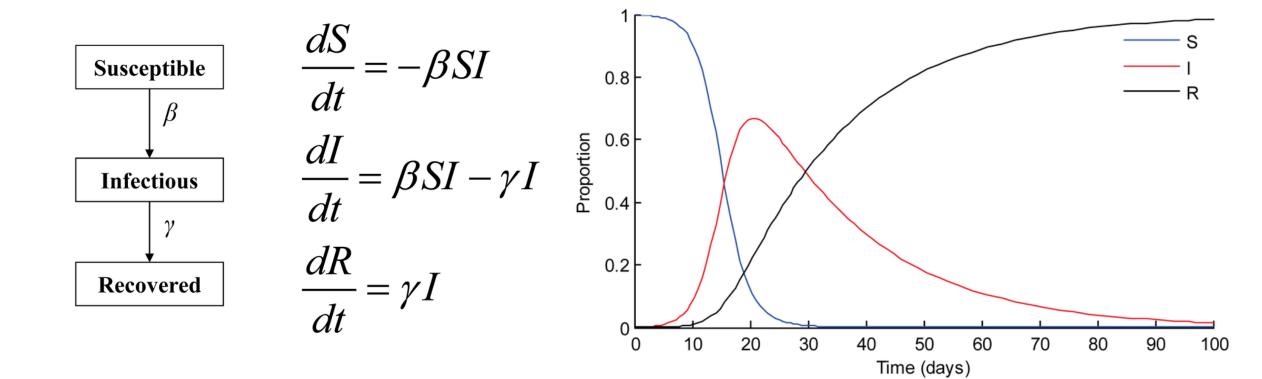
How many can you infect?

Hadi Susanto

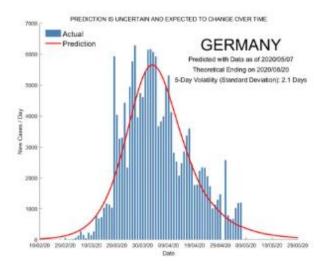
Thanks to members of SimcovID http://simcovid.github.io



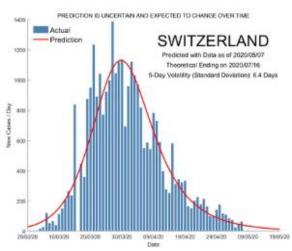
Be careful with 'data-driven analysis'!



This only works for herds, not people



Germany



PREDICTION IS UNCERTAIN AND EXPECTED TO CHANGE OVER TIME

Actual

Prediction

SPAIN

Predicted with Data as of 2020/05/07

Theoretical Ending on 2020/08/15

5-Day Volatility (Standard Deviation): 1.8 Days

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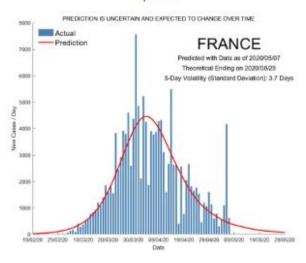
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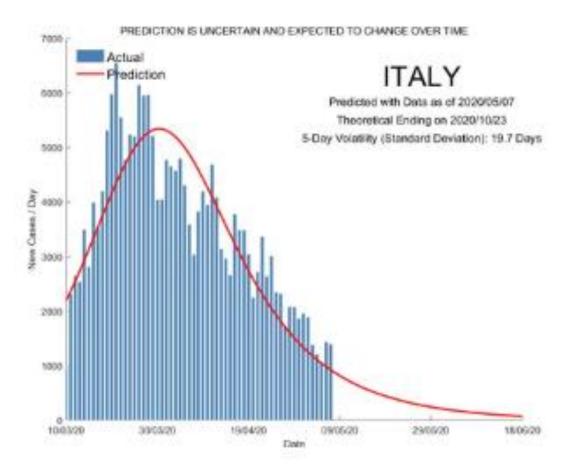
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Spain



Switzerland

France







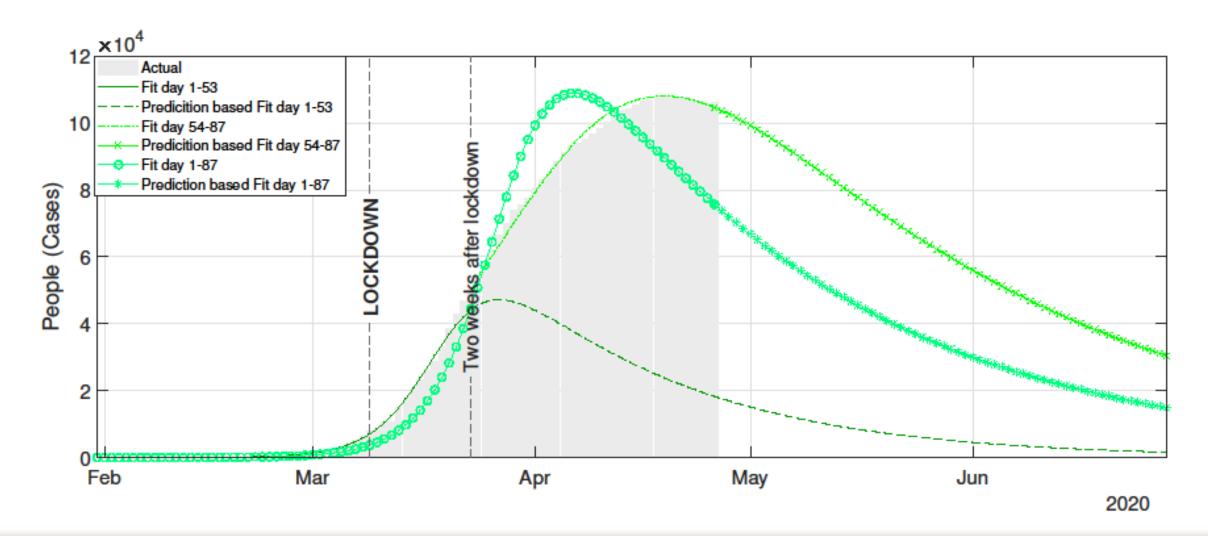
Reproduction number/Reproductive factor

$$\begin{aligned}
\frac{dS}{dt} &= -\beta \frac{SI}{N}, \\
\frac{dI}{dt} &= \beta \frac{SI}{N} - \gamma I = \gamma (R_t - 1)I, \\
\frac{dR}{dt} &= \gamma I.
\end{aligned}$$

$$R_t = \frac{S}{N} R_0, \quad R_0 = \beta/\gamma.$$

Is this the actual reproduction number?

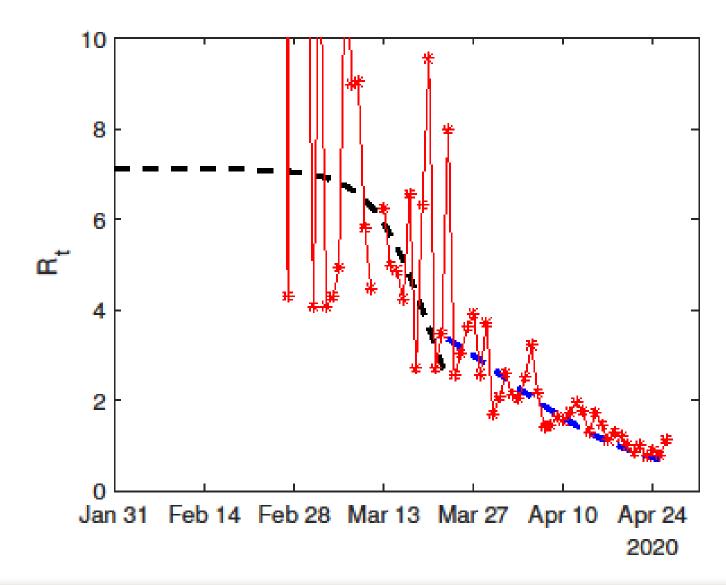
Metode 1: Parameter fit



Metode 2: Data Infected dan Removed

$$\beta_n = \frac{\Delta(I_n + R_n)}{\tau S_n I_n} N, \quad \gamma_n = \frac{\Delta R_n}{\tau I_n}.$$

$$R_t = \frac{S_n}{N} R_0 = 1 + \frac{\Delta I_n}{\Delta R_n}.$$

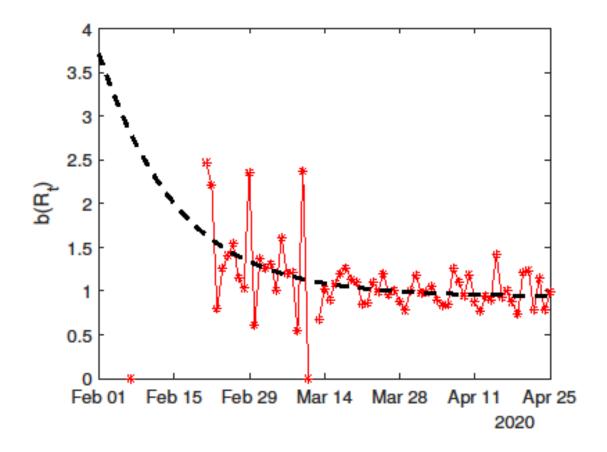


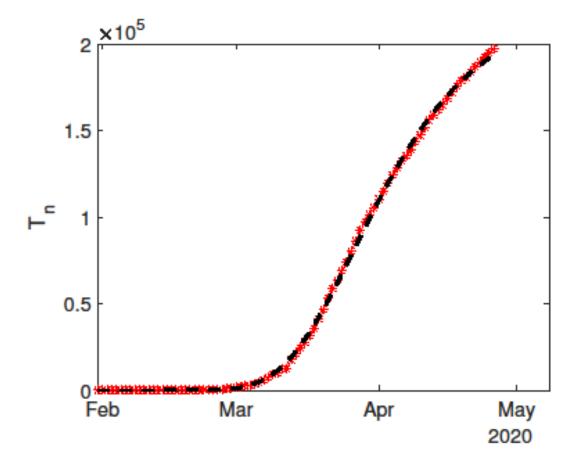
Metode 3: Data Kasus Baru

$$\frac{dI}{dt} = \beta \frac{SI}{N} - \gamma I = \gamma \left(R_t - 1 \right) I$$
, Integrasikan untuk mendapatkan

$$I_{n+1} = I_n e^{\gamma \int_t^{t+\tau} (R_t - 1)dt} \simeq I_n b(R_t), \ b(R_t) = e^{\gamma \tau (R_t - 1)}.$$

$$\frac{dT}{dt} = \beta \frac{SI}{N}. \quad \Delta T_n = \tau \beta S_{n+1} I_{n+1}/N = \tau \beta S_{n+1} I_n b(R_t)/N \simeq \tau \beta S_n I_n b(R_t)/N.$$
$$= \Delta T_{n-1} b(R_t)$$





Kesimpulan

Mengikutkan randomness?!



текімаказінсат оуп рап thank you j Salamat danke salamat salamat ovn ban nuchas gracias MATURNUWUN obrigado MATURNUWUN obrigado MATURNUWUN origrazzjak dank u gratias спасибо コント 합니다 grazie り カンとう grazie り カンとう dankie