

# Better Chess Matchmaking with Artificial Intelligence

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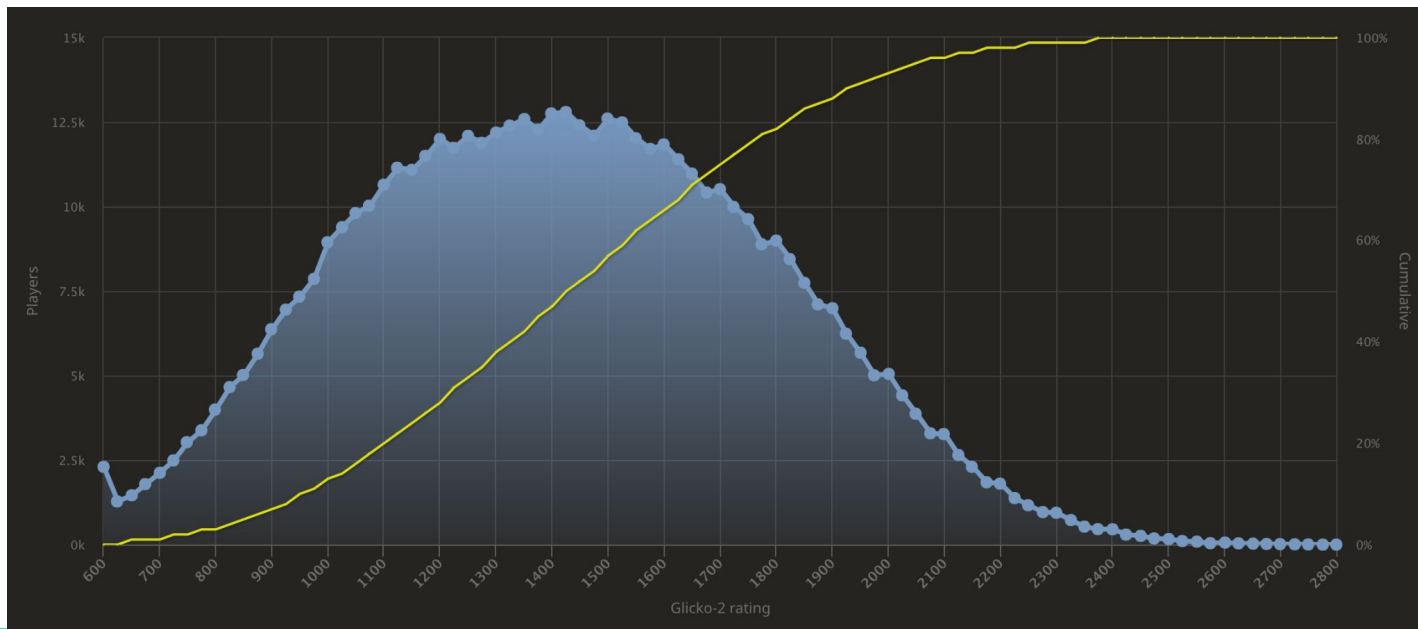
Simon Lazarus

# Background

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- Lichess.org: Large chess platform with over 100M games played in Jan 2023
  - Maintains open database of over 4B games played
- Matchups are made based on players' *ratings*
  - Ratings based on who beats whom
  - Similar-rated players are generally matched up



Weekly "Rapid"  
ratings distribution,  
Feb 28 2023

# Data Science Problem: Better Matchmaking for New Players

- Ratings are fairly **unreliable measures of skill** when players are *new to Lichess*
- Problem: Come up with a better way to find good matches for *new players*.
- Equivalently: Find a model that makes “better” predictions of new players’ early game outcomes than Lichess.org’s model does.
- Specifically: **Try to better predict the outcome of a new player’s 2nd-ever game on Lichess**

# “Better Predictions”: Metrics for Evaluation

- Good matchmaking requires good ***probabilistic predictions***.
  - Search for matches where the *probability* that P1 beats P2 is  $\approx 50\%$
- Probabilistic predictions evaluated using ***Binary Cross Entropy (BCE)***
  - Penalizes farther-off predictions at increasing rates
  - Equivalent to main metric used in [Deloitte/FIDE Chess Rating Challenge](#) Kaggle competition
- Also will measure:
  - **Accuracy** (among non-draw games)
  - **Mean Absolute Error (MAE)** of prob. predictions from the truth (win=1, lose=0, draw=.5)
    - MAE does not penalize farther-off predictions at increasing rates

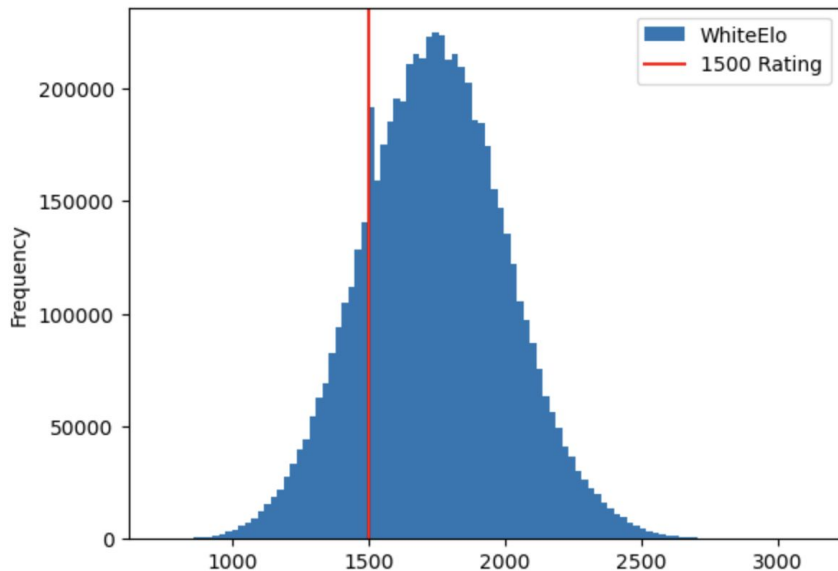
# Data

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# Data

- Start with all **6.25M games** played on Lichess in July 2016
- Find “new” players: **1500 rating** during their **1st game of the month**
  - (Starting rating for a new player)
- For each new player, get 3 games:
  - New player’s **1st-ever game**
  - New player’s **2nd-ever game**
  - New player’s **2nd-game opponent’s most recent previous game** (if it exists)

Distribution of ratings of White player, in games from July 2016



## Data (continued)

- We look only at new players who played  $\geq 2$  games in July 2016.
- We drop games with  $< 10$  moves in total.
- Train / Test / Validate Split:

<b>Data Set</b>	<b>Number of New Players</b> (3 games of data per player)
Train	20,420
Test	1500
Val	1500



# The Data We'll Use

- Problem: **Predict outcome of new player's 2nd-ever game**
- Use ***move data*** from new player's 1st game
- Use “**metadata**” about upcoming 2nd game:
  - Players' ratings
  - Time limits on the game
  - Are both players new?
- Use above metadata & other metadata from both players' previous game:
  - Game outcome
  - Game length
  - Color played
  - Rating points gained/lost by each player
  - Did game end due to running out of time?
  - Did the loser concede before the end?

# Existing Models

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# Existing Models: Elo and Glicko

- The International Chess Federation (FIDE) uses “Elo”
- Many online chess platforms (including Lichess) use “Glicko”
- Both models give players a **rating score** and predict the outcome of a game using a **logistic function of the ratings difference** (P1’s rating) - (P2’s rating)
  - For Elo,  $P[P1 \text{ beats } P2]$  is modeled as

$$\frac{1}{1 + 10^{-(r_1 - r_2)/400}}.$$

# Glicko System

- Has several variants
- Each player has a **rating**  $r$  and a “**rating deviation**”  $RD$  measuring our uncertainty about her true skill level

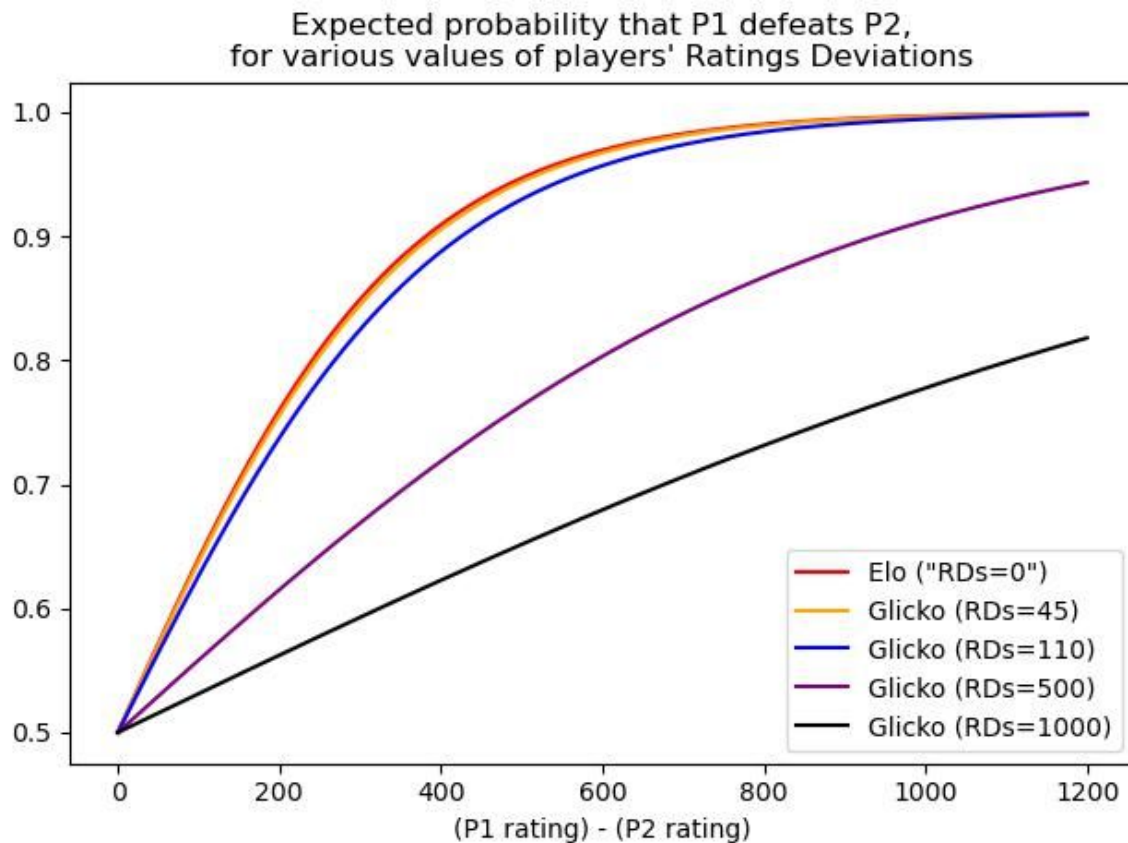
- Ratings reported as a 95% CI:  $r \pm RD$
- New-player rating on Lichess:  $1500 \pm 1000$

- $RD$  goes down as you play more games

- Minimum possible  $RD$  on Lichess: **45**
- $RD$  needed to have a “certain” rating on Lichess: **110**

- Predicts  $P[P1 \text{ beats } P2] = \frac{1}{1 + 10^{-g(\sqrt{RD_1^2 + RD_2^2}) \cdot (r_1 - r_2)/400}}$

# Glicko and Elo's Probabilistic Predictions



# Our Baseline Models

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# Our Version of “Glicko”

- We **can’t** replicate Glicko’s **probabilistic predictions** for each match without data on *individual players’ RDs before each game* (not provided by Lichess)
  - Would need other data too, to replicate Lichess’s “Glicko-2 Boost” prob. predictions
- Instead, we assume all players have the **same RD** and hyperparameter search for what this RD value should be (to minimize BCE of predictions)
  - Best RD to use is **408**
- We **can** replicate Glicko’s **binary predictions**!
  - These are the same as Elo: “**The higher-rated player wins**”

# Our Baseline Models

- **Null Model:** Always predicts “New player loses with 100% probability”
  - Among non-draw games, the new player loses her 2nd game **53.7%** of the times
- **Uninformed Model:** Always predicts “New player wins with 50% probability”
- **Elo Model**
- **“Glicko” Model** (assuming everyone’s RD=408)



# Baseline Results

	bce_train	bce_test	bce_val	mae_train	mae_test	mae_val	acc_train	acc_test	acc_val
<b>Null Model</b>	Infinite	Infinite	Infinite	0.46403	0.464	0.456667	0.537332	0.537396	0.545014
<b>Uninformed Model</b>	0.693147	0.693147	0.693147	0.481758	0.481333	0.481333	0.5	0.5	0.5
<b>Elo Model</b>	0.687638	0.673591	0.686807	0.419215	0.411154	0.421461	0.621499	0.635734	0.628116
<b>"Glicko" Model</b>	0.65095	0.643291	0.652622	0.445177	0.440259	0.446432	0.621499	0.635734	0.628116

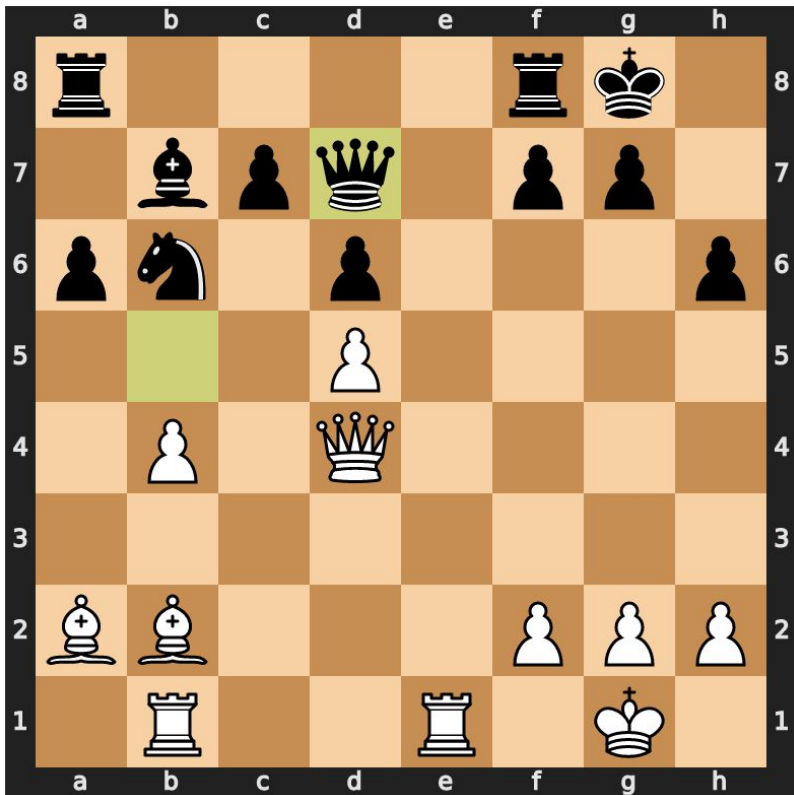
# Our Modeling Techniques

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# Our Main Innovation: Processing Move Data with Stockfish

- Use the ***move data from new player's 1st game***
  - Elo, Glicko only look at “metadata” of games
- Use chess engine **Stockfish to evaluate positions and potential moves**
  - Powerful and open-source
  - Uses intelligent tree search based on “Efficiently Updateable Neural Network” model
  - We use **search depth = 15**; this equates to **Rating ≈ 2563** (not exactly human, though)
- Get **evaluation of every board position** in new player's 1st game
- Get **“top 10 moves”** on each of the ***new player's turns***

# Example Stockfish Evaluation



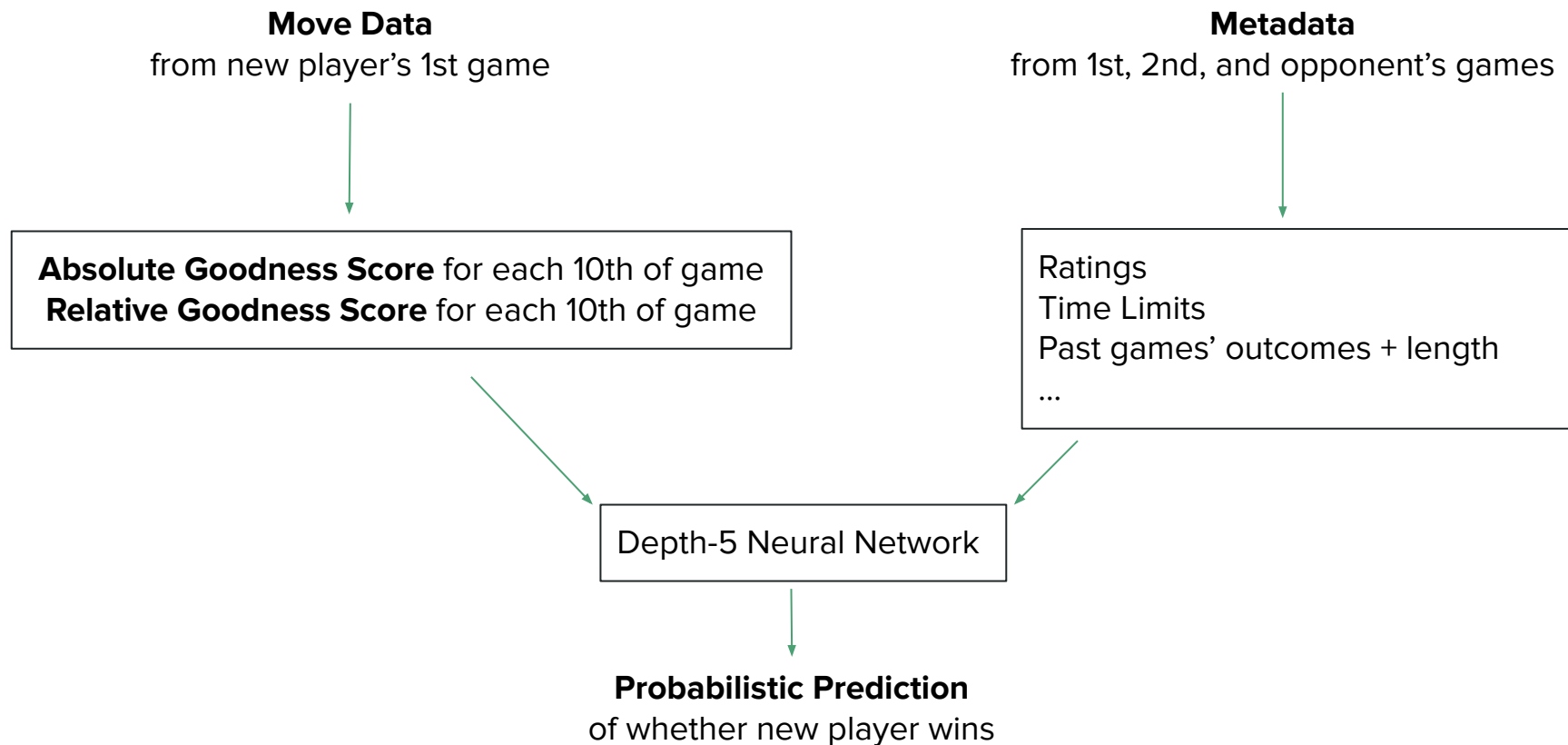
Evaluation:

```
{'type': 'mate', 'value': 1}
```

Top 10 Moves:


```
[{'Move': 'd4g7', 'Centipawn': None, 'Mate': 1},  
{ 'Move': 'e1e7', 'Centipawn': 488, 'Mate': None},  
{ 'Move': 'b1c1', 'Centipawn': 97, 'Mate': None},  
{ 'Move': 'h2h3', 'Centipawn': 83, 'Mate': None},  
{ 'Move': 'b1d1', 'Centipawn': 65, 'Mate': None},  
{ 'Move': 'e1e3', 'Centipawn': 48, 'Mate': None},  
{ 'Move': 'h2h4', 'Centipawn': 35, 'Mate': None},  
{ 'Move': 'b2a1', 'Centipawn': 24, 'Mate': None},  
{ 'Move': 'b1a1', 'Centipawn': 19, 'Mate': None},  
{ 'Move': 'f2f3', 'Centipawn': 13, 'Mate': None}]
```

# Our Production Model: Diagram



# Learn an “Embedding” of Mate Scores into Centipawns

“= 1500 Centipawns” (say)



```
[{'Move': 'd4g7', 'Centipawn': None, 'Mate': 1},  
 {'Move': 'e1e7', 'Centipawn': 488, 'Mate': None},  
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```

# Absolute Goodness vs. Relative Goodness Scores

- **AG scores capture how strong the new players' positions are** over the course of the game
  - For each board position, AG score is just the Stockfish evaluation of that position
  - AG is **sensitive to strength of opponent** (RG is less so)
- **RG scores capture how well the new player selected moves out of those available to her** on each of her turns
  - If Stockfish centipawn scores of “top 10 moves” are  $S_1, \dots, S_{10}$  and the score of the actual move the new player made is  $S_{\text{actual}}$  then the RG score for this move is

$$\frac{S_{\text{actual}}}{w_{i,1}S_1 + w_{i,2}S_2 + \dots + w_{i,10}S_{10}} - 1$$

where  $w_{i,1}, \dots, w_{i,10}$  are how the model learns to “weight” each of the top 10 moves during the  $i$ -th tenth of the game

## Move Data

from new player's 1st game

**Embedding into Centipawns**

**AG scores** for each position

**RG scores** for each move of new player  
(learn RG weights for "top 10" as you go)

**AG/RG Scores for each 10th of game**

## Metadata

from 1st, 2nd, and opponent's games

Ratings

Time Limits

Past games' outcomes + length

...

Depth-5 Neural Network

**Probabilistic Prediction**  
of whether new player wins



# Additional Baseline: NN without Move Data

**Move Data**  
from new player's 1st game

**Metadata**  
from 1st, 2nd, and opponent's games

Ratings  
Time Limits  
Past games' outcomes + length  
...

Depth-4 Neural Network

**Probabilistic Prediction**  
of whether new player wins



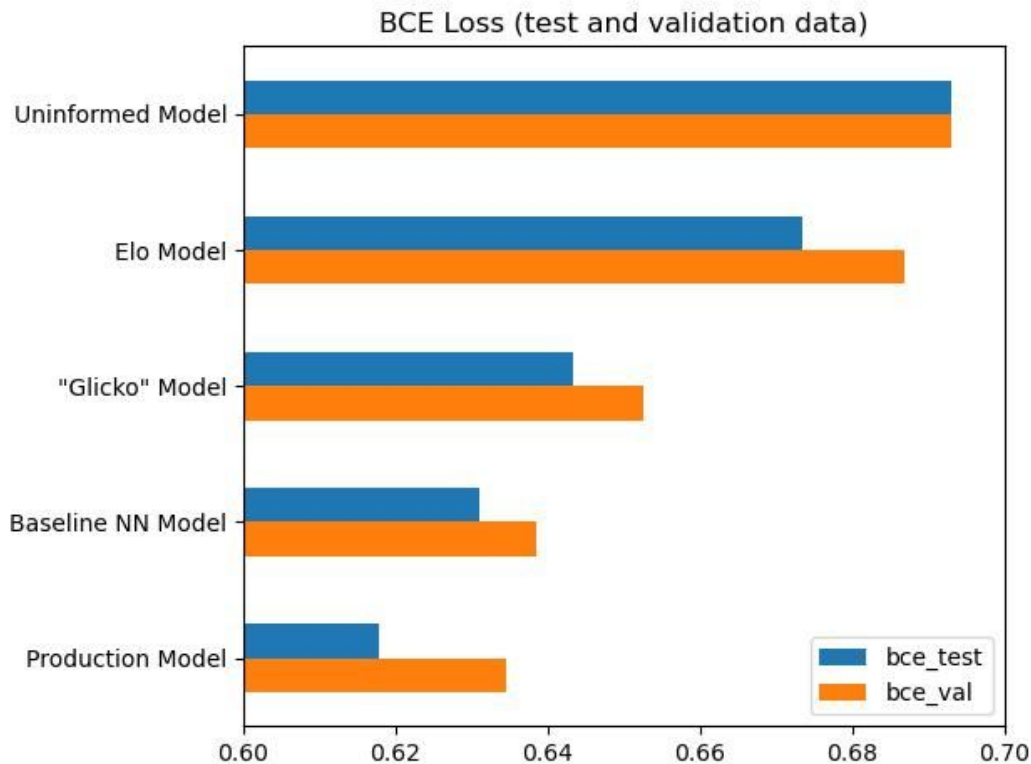
# Results

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# Table of Results

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<b>Baseline NN Model</b>	0.638268	0.631029	0.638584	0.433393	0.429935	0.433968	0.646404	0.643352	0.649584
<b>Production Model</b>	0.624087	0.617946	0.634561	0.419645	0.418611	0.425845	0.665769	0.659972	0.653740

# BCE Loss



## Production Model Improvement over "Glicko" Model

(measured as a percentage of "Glicko's" improvement over Uninformed, on val data)

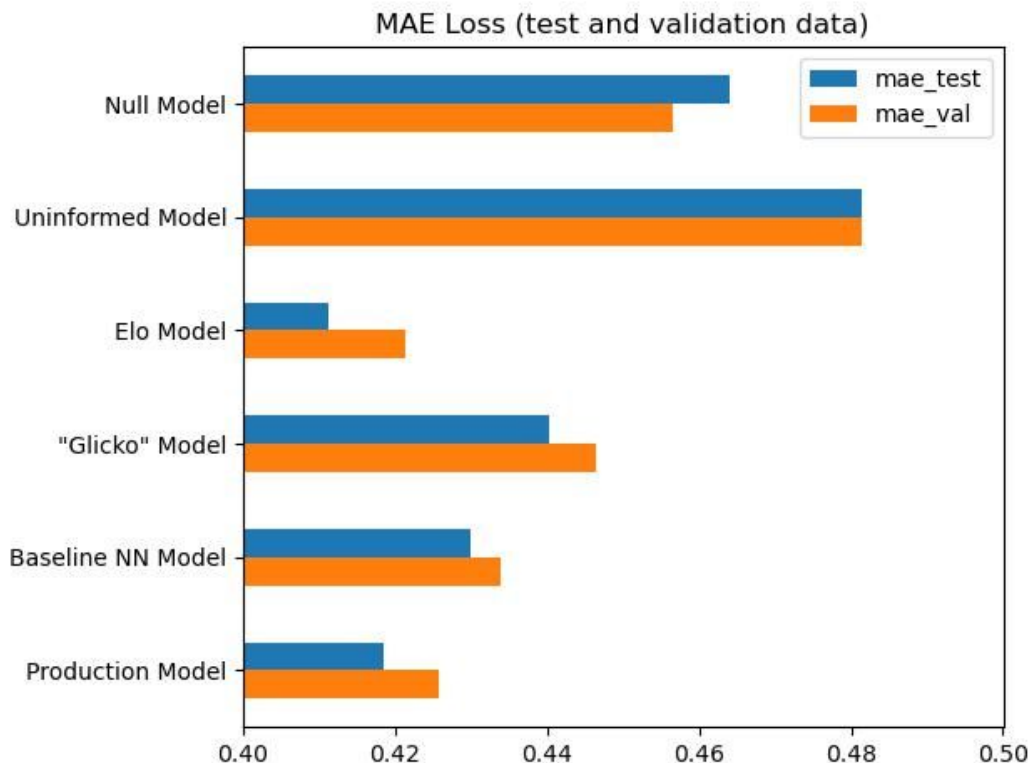
44.6%

## Baseline NN Model Improvement over "Glicko" Model

(measured as a percentage of "Glicko's" improvement over Uninformed, on val data)

34.6%

# MAE Loss



## Production Model Improvement over "Glicko" Model

(measured as a percentage of "Glicko's" improvement over Uninformed, on val data)

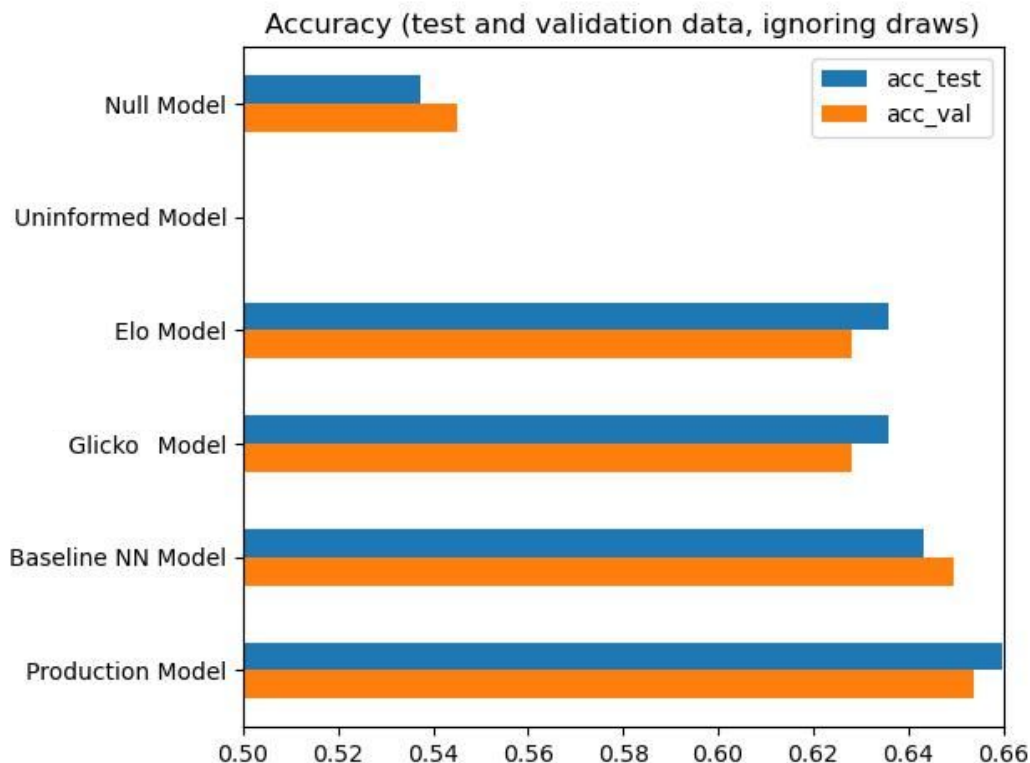
59.0%

## Baseline NN Model Improvement over "Glicko" Model

(measured as a percentage of "Glicko's" improvement over Uninformed, on val data)

35.7%

# Accuracy (this time compared to *actual* Glicko!)



## Production Model Improvement over Glicko Model

(measured as a percentage of Glicko's improvement over Uninformed, on val data)

20.0%

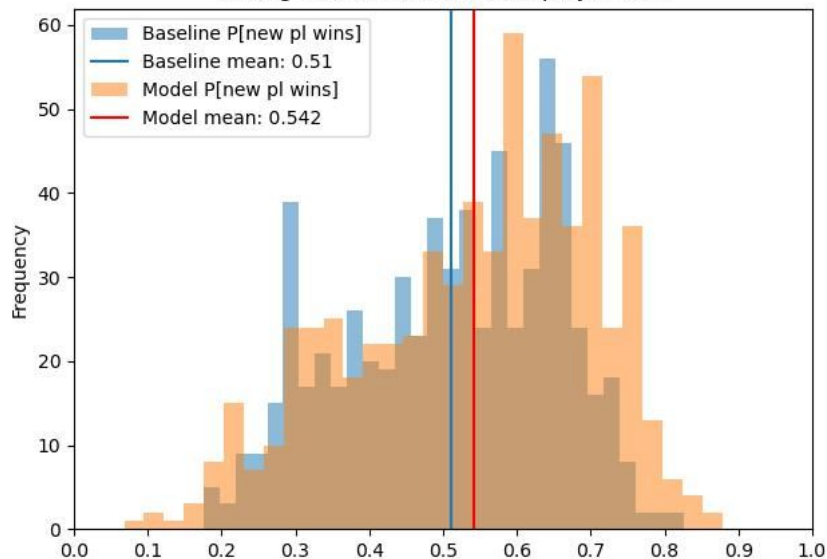
## Baseline NN Model Improvement over Glicko Model

(measured as a percentage of Glicko's improvement over Uninformed, on val data)

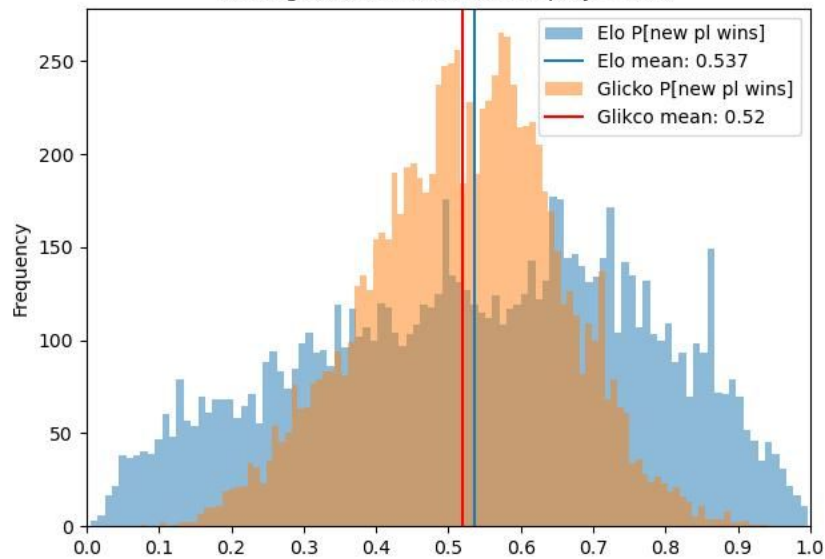
16.8%

# Predictions Among Games where New Player Wins

Model vs. Baseline NN 2nd-game predictions (validation data),  
among cases where the new player wins

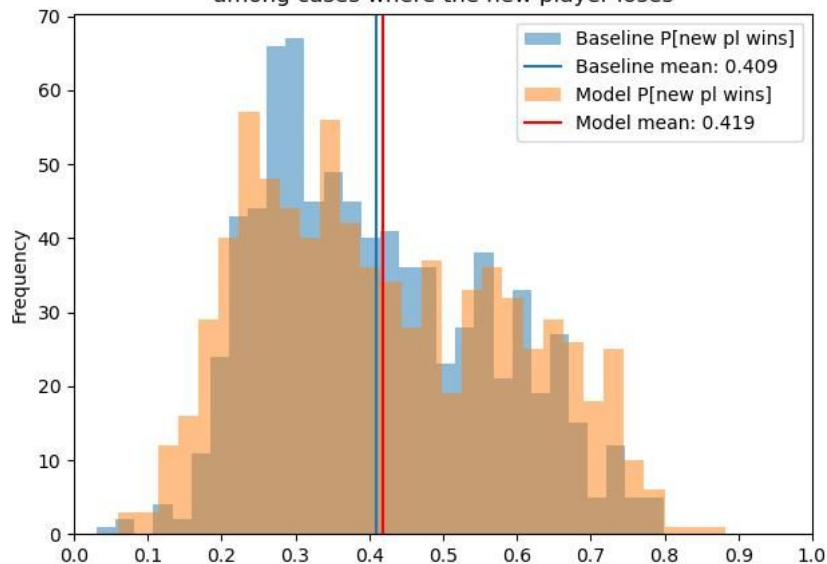


Elo vs. Glicko 2nd-game predictions (training data),  
among cases where the new player wins

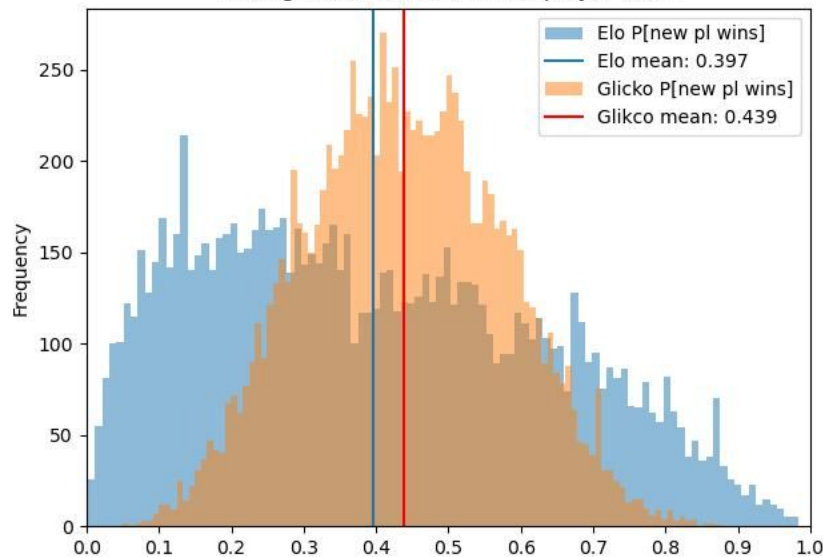


# Predictions Among Games where New Player Loses

Model vs. Baseline NN 2nd-game predictions (validation data), among cases where the new player loses



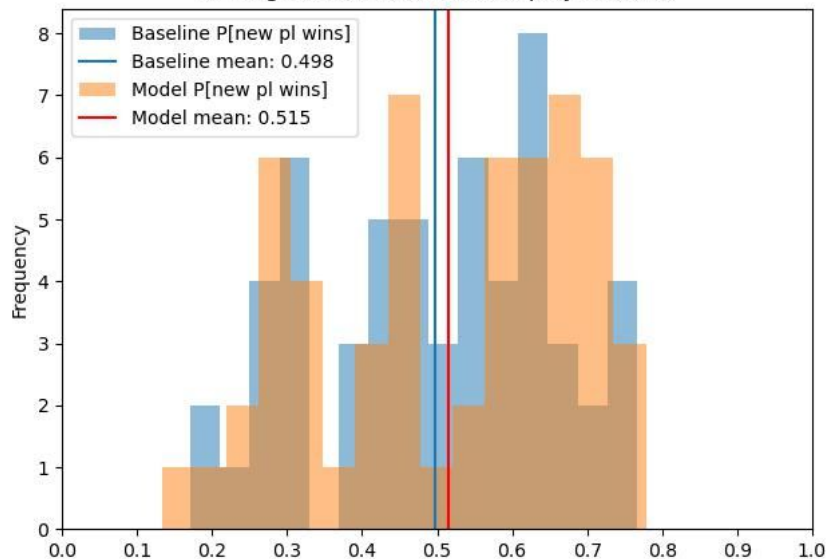
Elo vs. Glicko 2nd-game predictions (training data), among cases where the new player loses



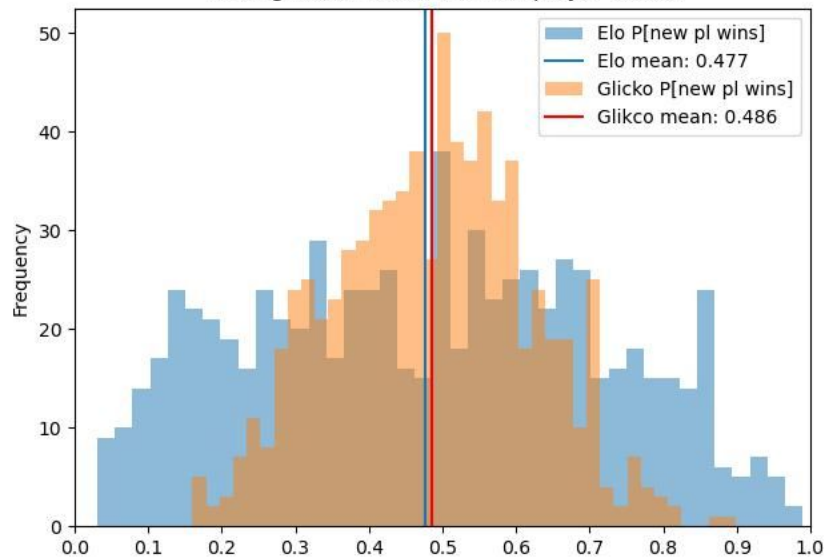


# Predictions Among Games where New Player Draws

Model vs. Baseline NN 2nd-game predictions (validation data), among cases where the new player draws



Elo vs. Glicko 2nd-game predictions (training data), among cases where the new player draws



# Conclusions

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- **AI techniques** can significantly improve our ability to predict the outcomes of chess games among new players, leading to **better matchmaking**
- **Most of the improvement** of our model over existing models comes from using a **neural network**, not from looking at move data
  - This may change if we use **more games' move data**
- Using move data primarily improves model's ability to detect **high skill** of new player
  - Predictions were about as good as baseline NN among games where new player didn't win
- Plenty of room for tinkering and improvement!