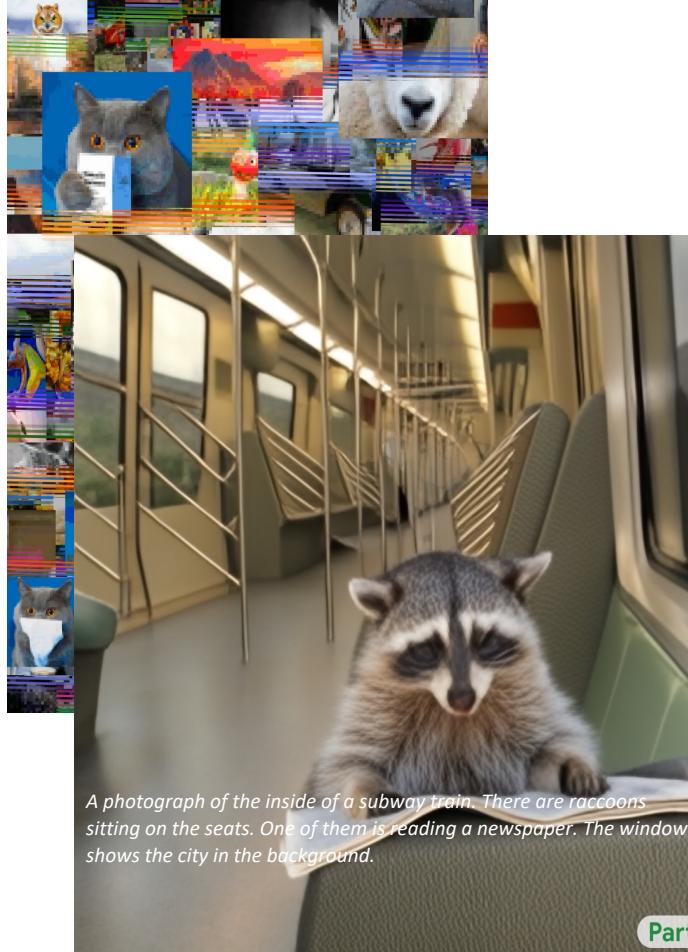


Image Editing with Optimization (part I)

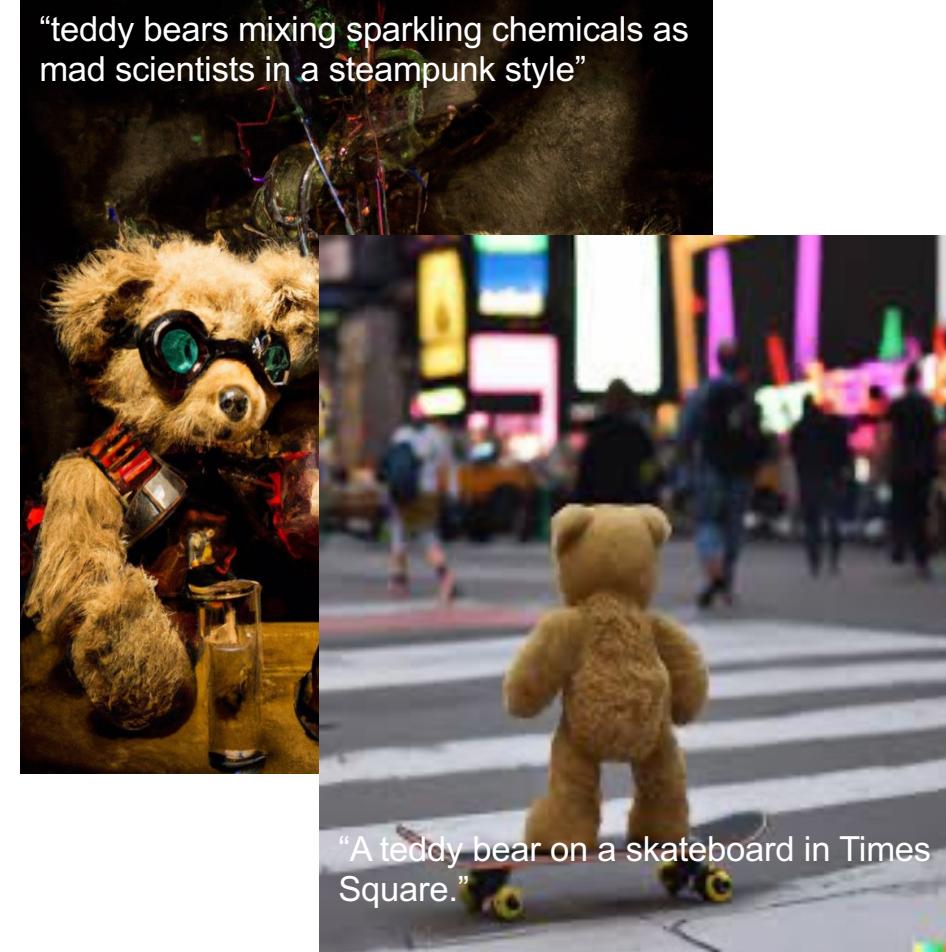
Jun-Yan Zhu

16-726, Spring 2023

Text-to-Image Everywhere



Autoregressive models
(Image GPT, Parti)



Diffusion models
(DALL-E 2, Imagen)

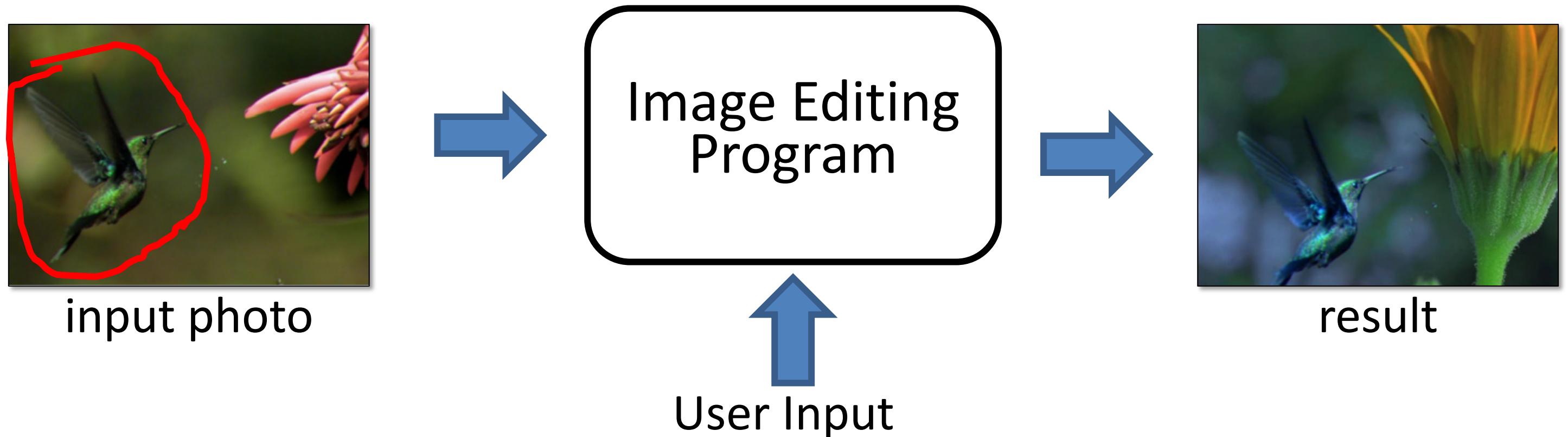


GANs, Masked GIT
(GigaGAN, MUSE)

How could we improve it?

- Better generative modeling techniques: VAEs, GANs, diffusion, AR, Hybrid
- Better text encoders: RNN/LSTM -> Transformers (CLIP, T5)
- Better generator architectures: RNN/LSTM -> CNN -> CNN + Transformer
- Better ways to connect text and image: concatenation -> AdaIN -> cross-attention
- More data + GPU/TPU computing: a few hundred A100.
- Bigger model sizes: 1B-20B.

Image Editing with Optimization



$$\arg \min_{\hat{y}} \mathcal{L}_{\text{background_boundary}}(\hat{y}, y) + \lambda \mathcal{L}_{\text{source_gradient}}(\hat{y}, x)$$

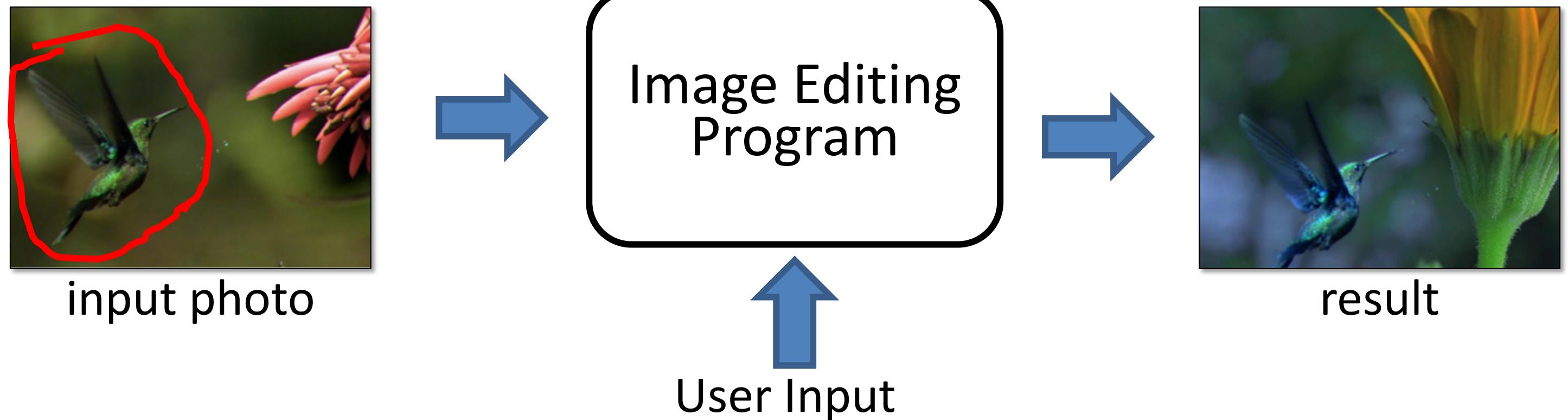
↑
User Input

↑
result background

↑
result object

[Tao et al. 2014]

Image Editing with Optimization



Desired output:

- stay close to the input.
- satisfy user's constraint.

Image Editing with Optimization

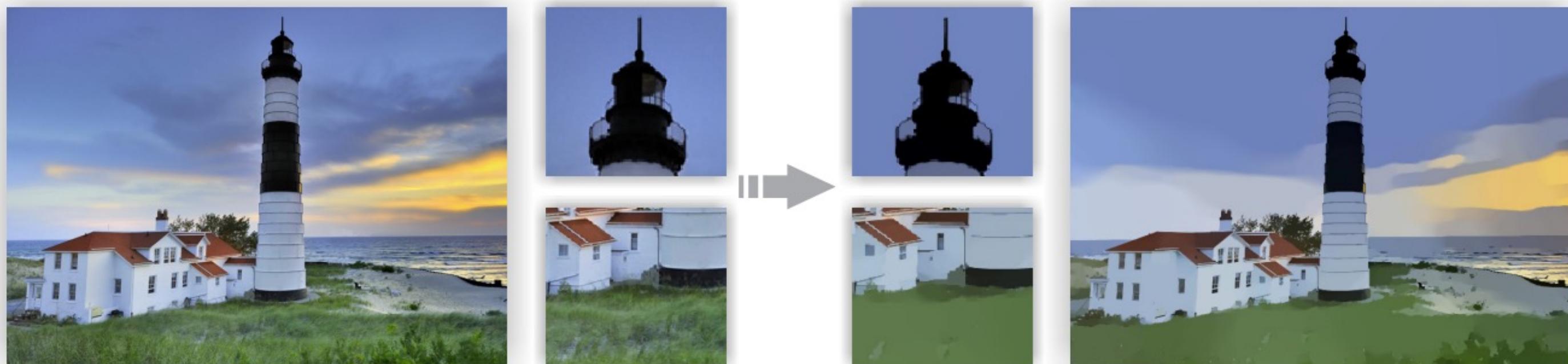


Image Smoothing via L0 Gradient Minimization [Xu et al., SIGGRAPH Asia 2011]

$$\arg \min_{\hat{y}} \{ ||\hat{y} - x|| + \lambda C(\hat{y}) \}$$

↑
output input L0 norm on image gradients
(the total number of nonzero elements)

Image Editing with Optimization



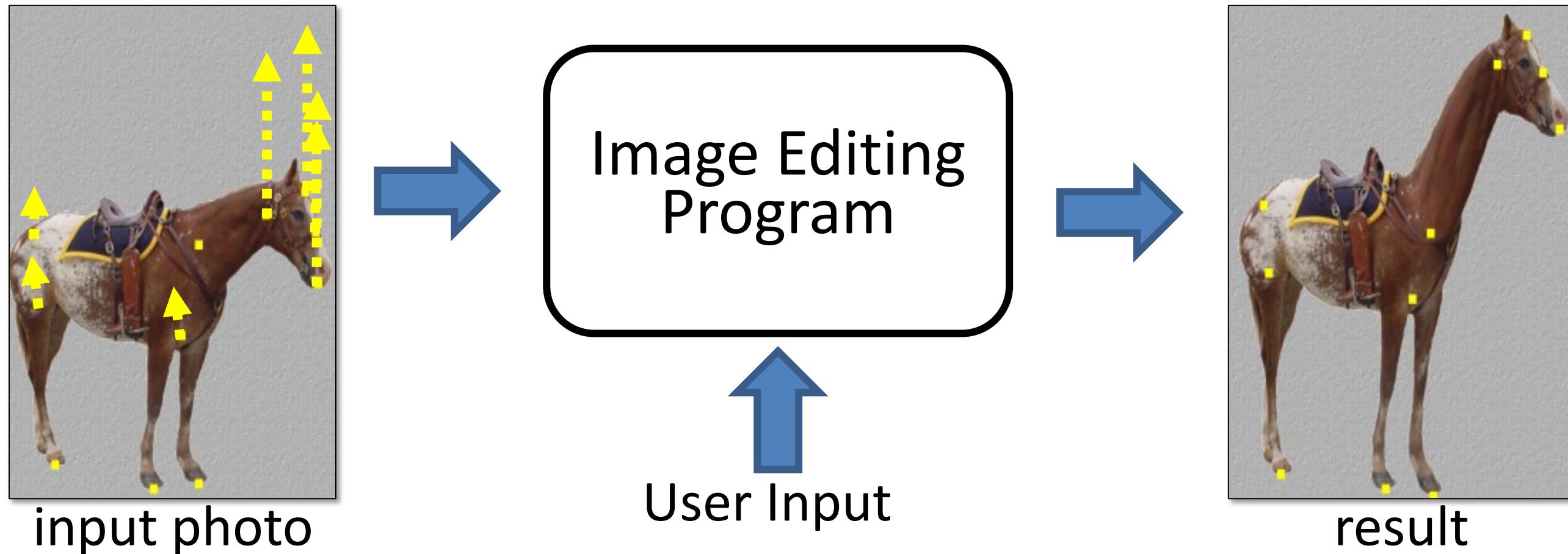
Colorization using Optimization [Levin et al., SIGGRAPH 2004]

YUV color space (Y is fixed)
constant: scribbles
variables: rest of the pixels

.. visual similarity between r and s
Intensity, location, edge, motion, etc.

the color of pixel s (s is r 's neighbor)

Image Editing with Optimization



Moving least squares + transformation parameters.

Desired output:

- stay close to the input.
- satisfy user's constraint.

So far so good

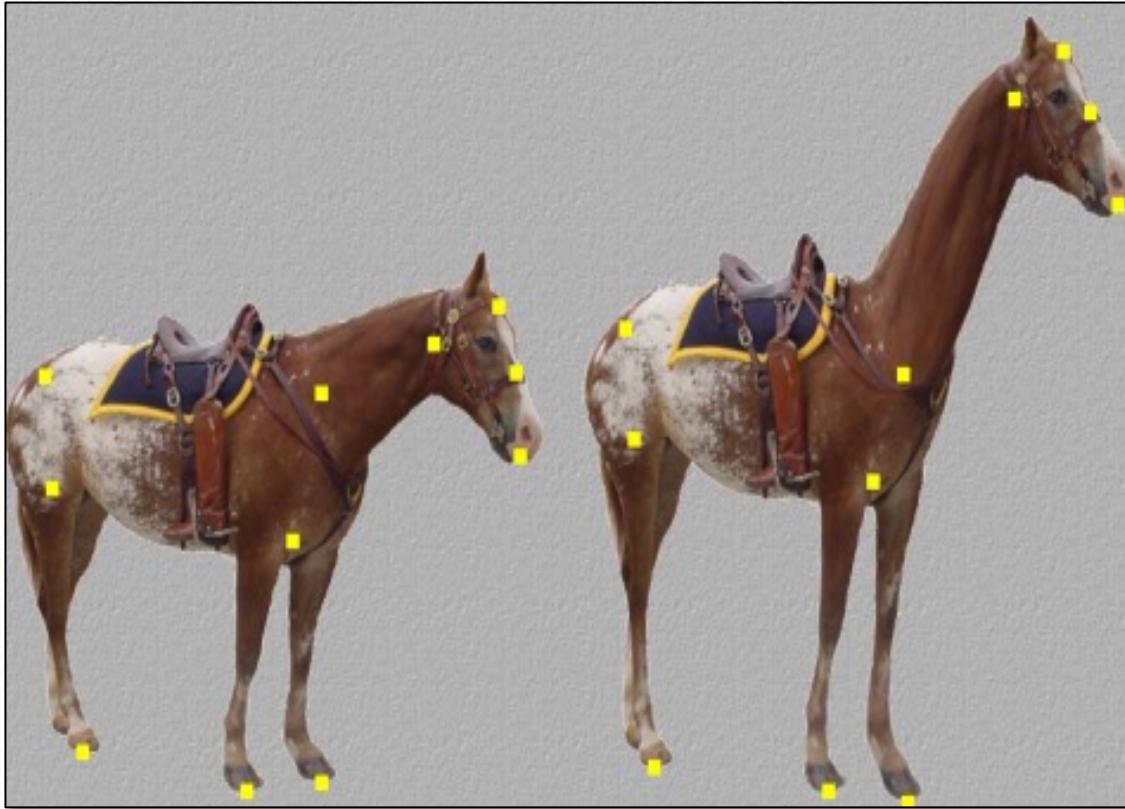


Image Warping

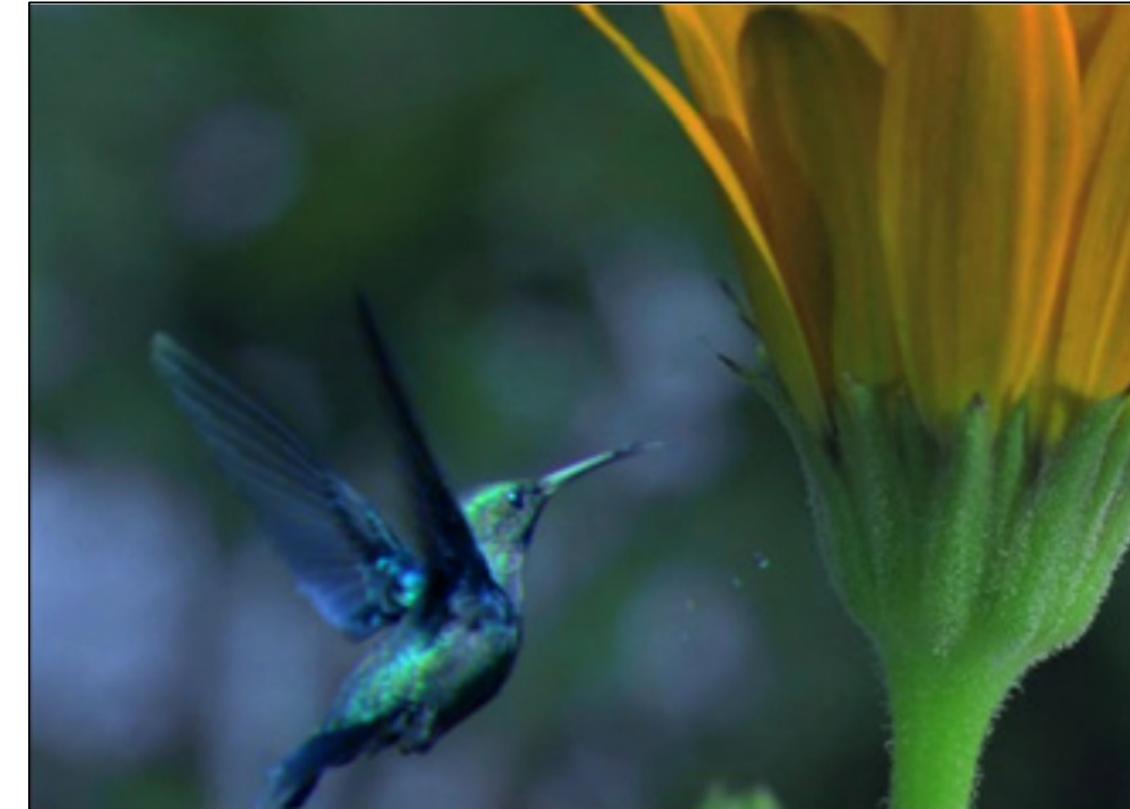


Image Composition

Things can get really bad



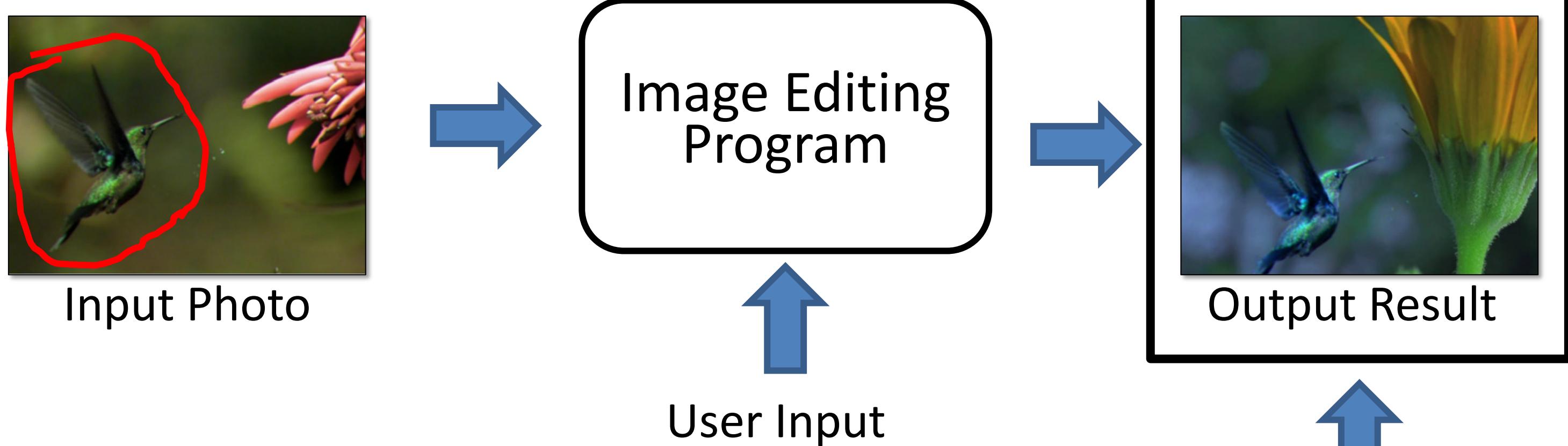
Image Warping



Image Composition

The lack of “safety wheels”

Adding the “safety wheels”



A desired output:

- stay close to the input.
- satisfy user's constraint.
- Lie on the natural image manifold

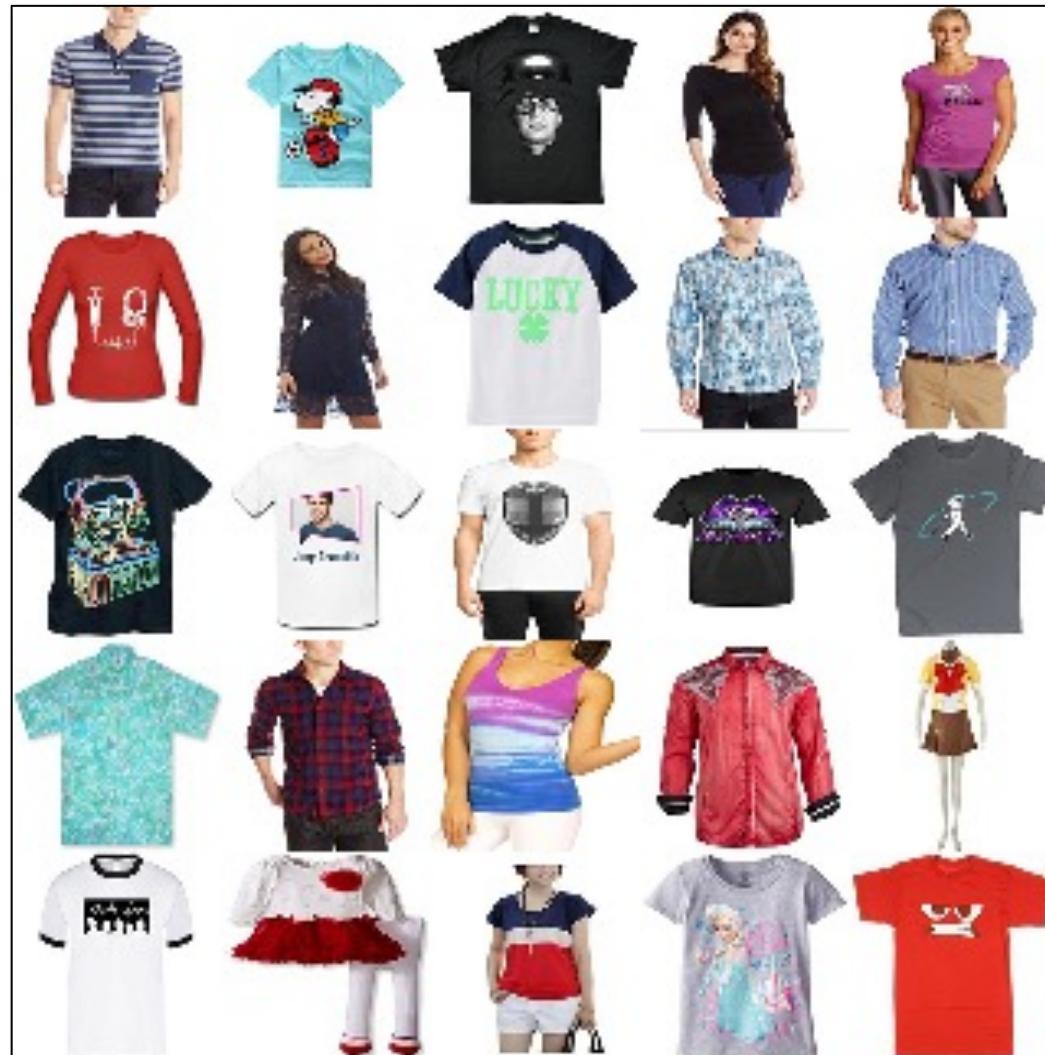
Natural Image
Manifold

Learning Natural Image Manifold

- Deep generative models: $G(z) : z \rightarrow x$
 - Generative Adversarial Network (**GAN**)
(e.g., DCGAN, StyleGAN2, BigGAN)
 - Variational Auto-Encoder (**VAE**)
(e.g., VQ-VAE2)
 - Flow-based models (e.g., RealNVP, Glow)...
 - Diffusion models (e.g., DDPM, DDIM)

...

GAN as Manifold Approximation



Sample training images
from “Amazon Shirts”



Random image samples
from Generator G(z)

Traverse on the GAN Manifold

$G(z_0)$



Linear Interpolation in z space: $G(z_0 + t \cdot (z_1 - z_0))$



$G(z_1)$



Limitations of DCGAN:

- not photo-realistic enough, low resolution
- produce images randomly, no user control

Changing Variables

- Traditional method: Optimizing the image

$$\hat{y}^* = \arg \min_{\hat{y}} \mathcal{L}(x, y, \hat{y})$$

user constraint
↑
input output

- New method: Optimizing the latent code

$$z^* = \arg \min_z \mathcal{L}(x, y, G(z))$$

user constraint
↓
input ↑
Latent code
Generator

Projecting and Editing an Image



original photo



different degree of image manipulation

Project



projection on manifold

Editing UI



Edit Transfer



transition between the original and edited projection

Projecting and Editing an Image



original photo



different degree of image manipulation

Project



projection on manifold

Editing UI



Edit Transfer



transition between the original and edited projection

Projecting an Image into GAN Manifold

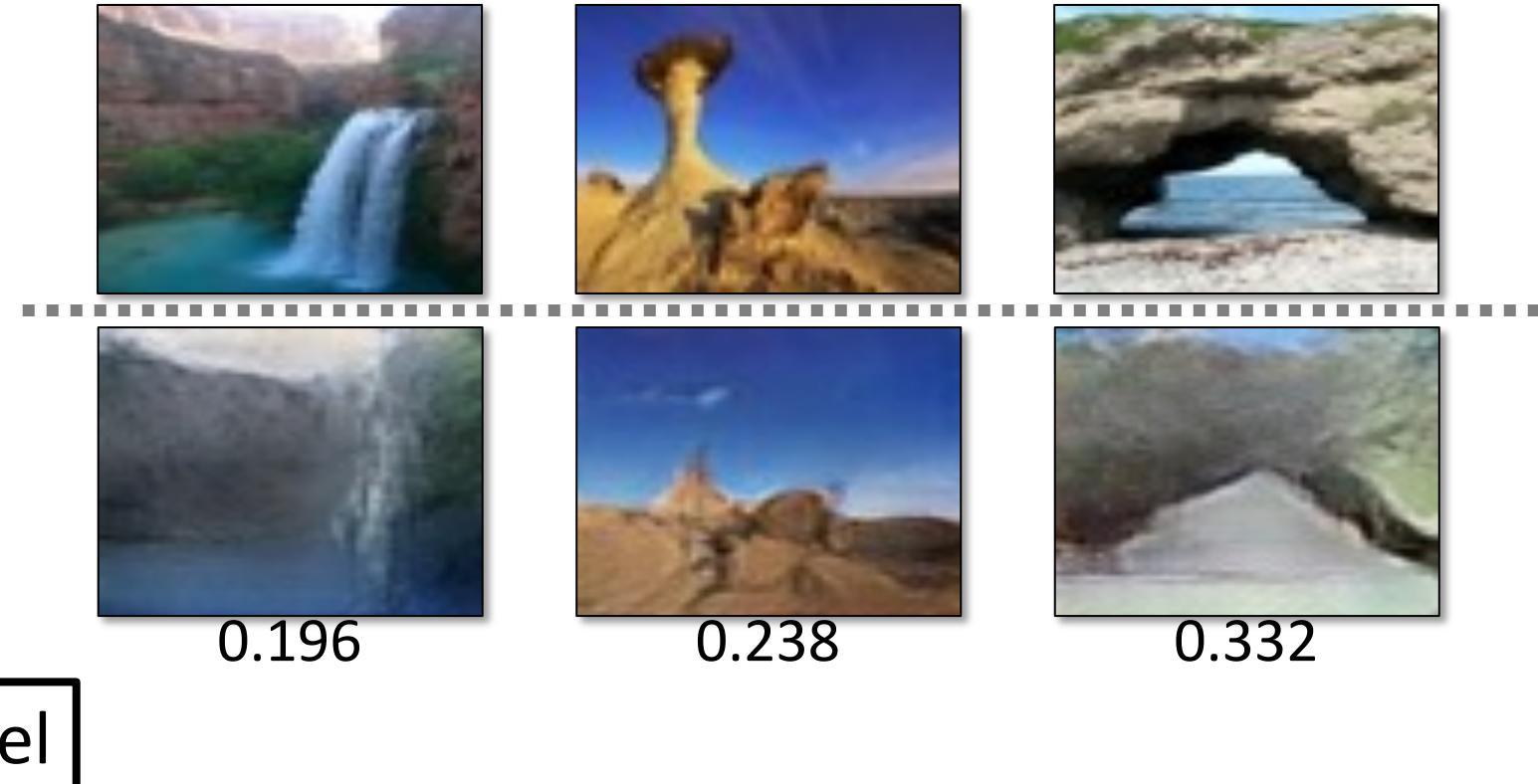
Input: real image x
Output: latent vector z

Optimization

$$z^* = \arg \min_z \mathcal{L}(G(z), x)$$

Reconstruction loss

Generative model



Projecting an Image into GAN Manifold

Input: real image x
Output: latent vector z

Optimization

$$z^* = \arg \min_z \mathcal{L}(G(z), x)$$

Inverting Network $z = E(x)$

$$E = \arg \min_E \mathbb{E}_x \underbrace{\mathcal{L}(G(E(x)), x)}_{\text{Auto-encoder}} \text{ with a fixed decoder}$$



Projecting an Image into GAN Manifold

Input: real image x
Output: latent vector z

Optimization

$$z^* = \arg \min_z \mathcal{L}(G(z), x)$$

Inverting Network $z = E(x)$

$$E = \arg \min_E \mathbb{E}_x \mathcal{L}(G(E(x)), x)$$

Hybrid Method
Use the **network** as initialization
for the **optimization** problem



Manipulating the Latent Code



original photo

Project



projection on manifold

Editing UI



Edit Transfer



transition between the original and edited projection

Manipulating the Latent Code

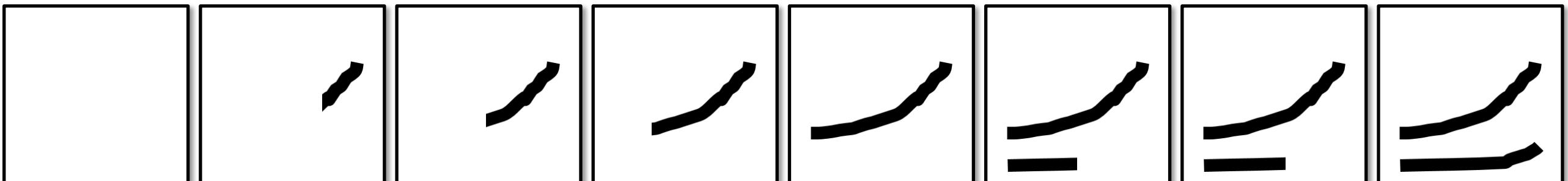
$$\text{constraint violation loss } L_g$$
$$\text{user guidance image}$$

Objective:
$$z^* = \arg \min_{z \in \mathbb{Z}} \left\{ \underbrace{\sum_g (\mathcal{L}_g(G(z), v_g) + \lambda_s \cdot \|z - z_0\|_2^2)}_{\text{data term}} \right\}.$$

manifold smoothness

Guidance

v_g



$G(z)$



z_0

Post-Processing



original photo

Project



projection on manifold

Editing UI



different degree of image manipulation

Edit Transfer

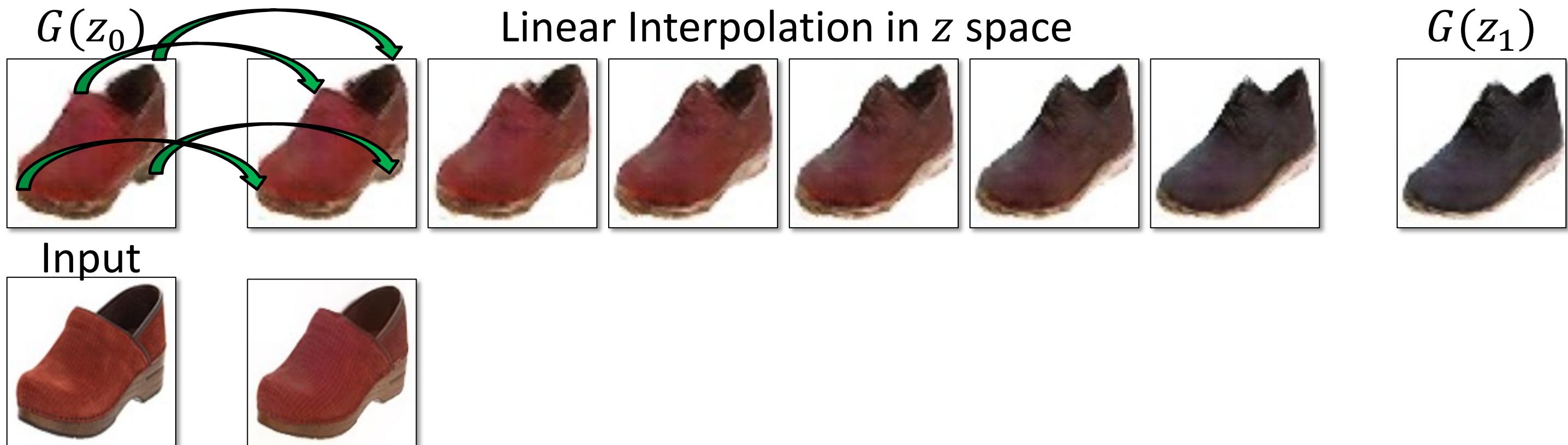


transition between the original and edited projection

Edit Transfer

Motion (u, v) + Color ($A_{3 \times 4}$): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s(\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dxdy$$

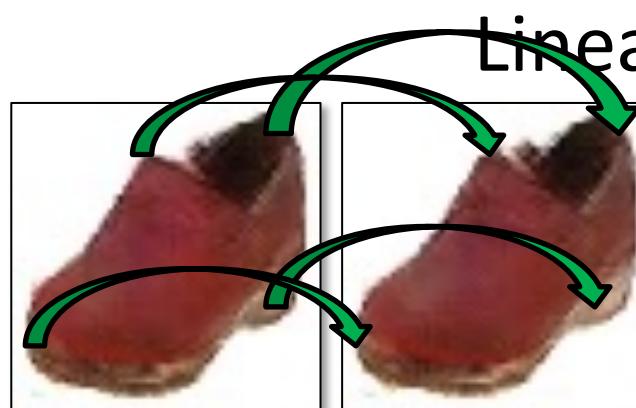


Edit Transfer

Motion (u, v) + Color ($A_{3 \times 4}$): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s(\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dxdy$$

$G(z_0)$



Linear Interpolation in z space

$G(z_1)$



Input



Edit Transfer

Motion (u, v) + Color ($A_{3 \times 4}$): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s(\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dxdy$$

$G(z_0)$



Linear Interpolation in z space



$G(z_1)$



Input



Result

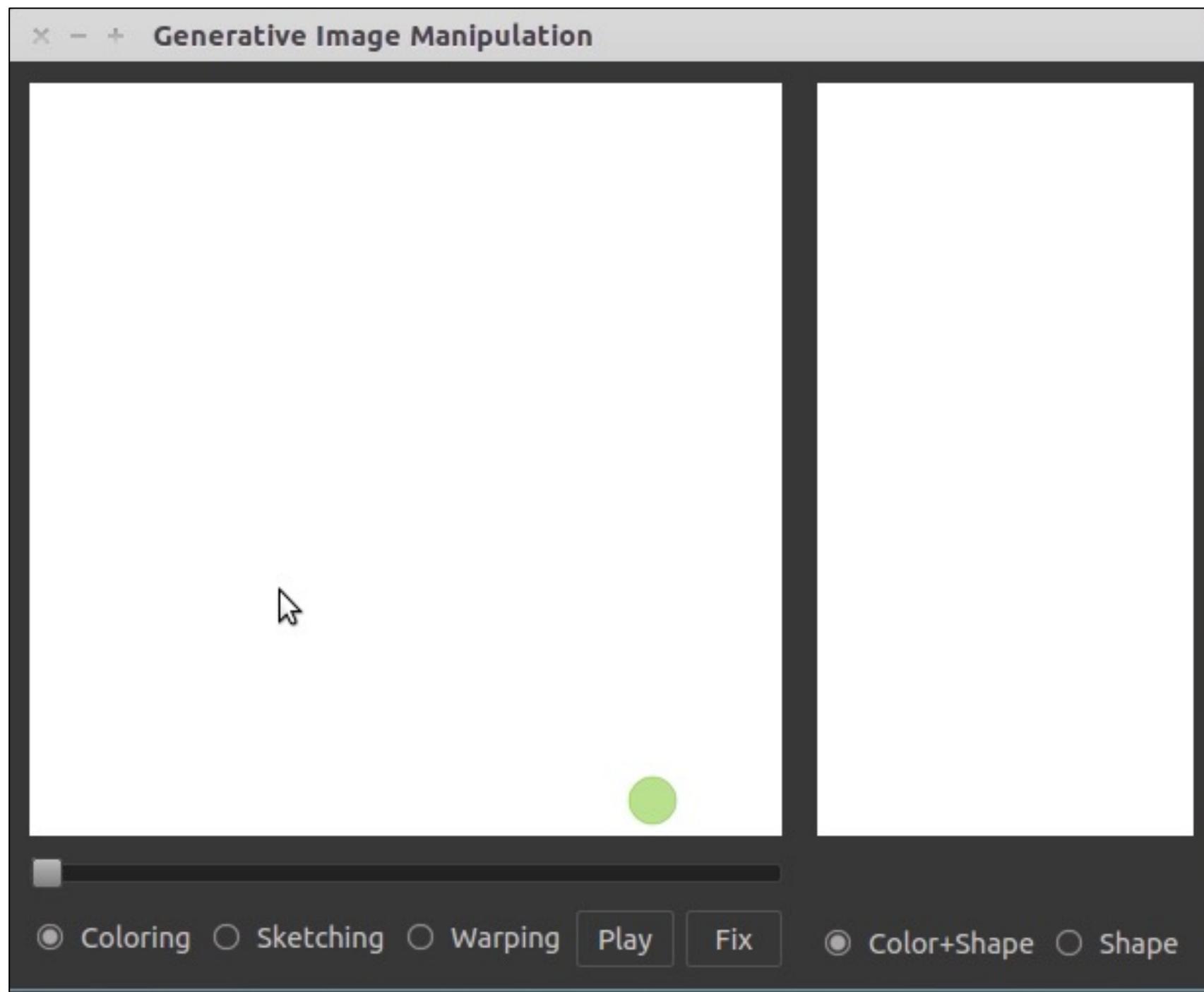
Image Manipulation Demo



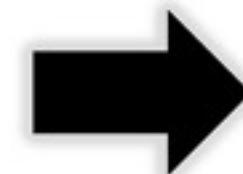
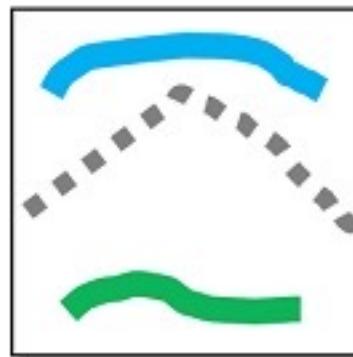
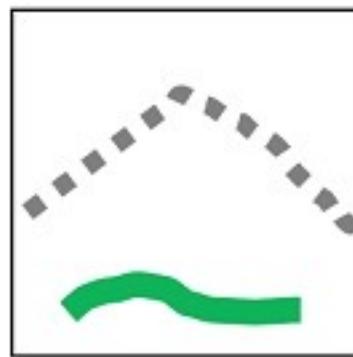
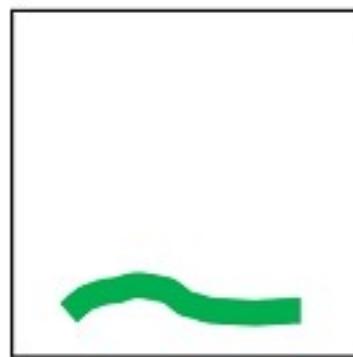
Image Manipulation Demo



Interactive Image Generation



User edits



Generated images



Color

Sketch

Changing Variables

- Traditional method: Optimizing the image

$$\hat{y}^* = \arg \min_{\hat{y}} \mathcal{L}(x, y, \hat{y})$$

user constraint
↑
input result

- New method: Optimizing the latent code

$$z^* = \arg \min_z \mathcal{L}(x, y, G(z))$$

user constraint
↓
input ↑
Latent code
Generator

Projecting and Editing an Image



original photo



different degree of image manipulation

Project



projection on manifold

Editing UI



Post-processing



transition between the original and edited projection

Image Editing with GANs

- Step 1: Image Projection/Reconstruction

$$z_0 = \arg \min_z \mathcal{L}(G(z), x)$$

- Step 2: Manipulating the latent code

$$z_1 = z_0 + \Delta z$$

- Step 3: Generate the edited result

$$G(z_1)$$

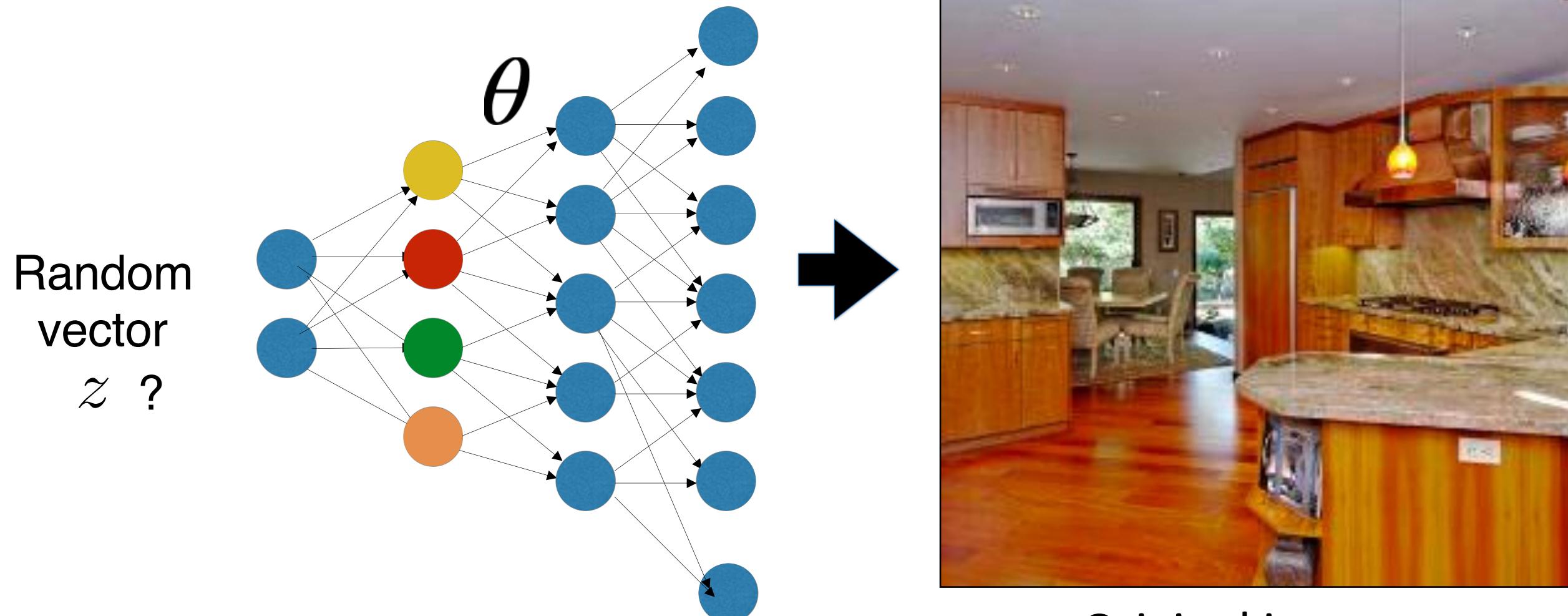
Image Projection with GANs

Image Reconstruction (high-res images, Big Models)



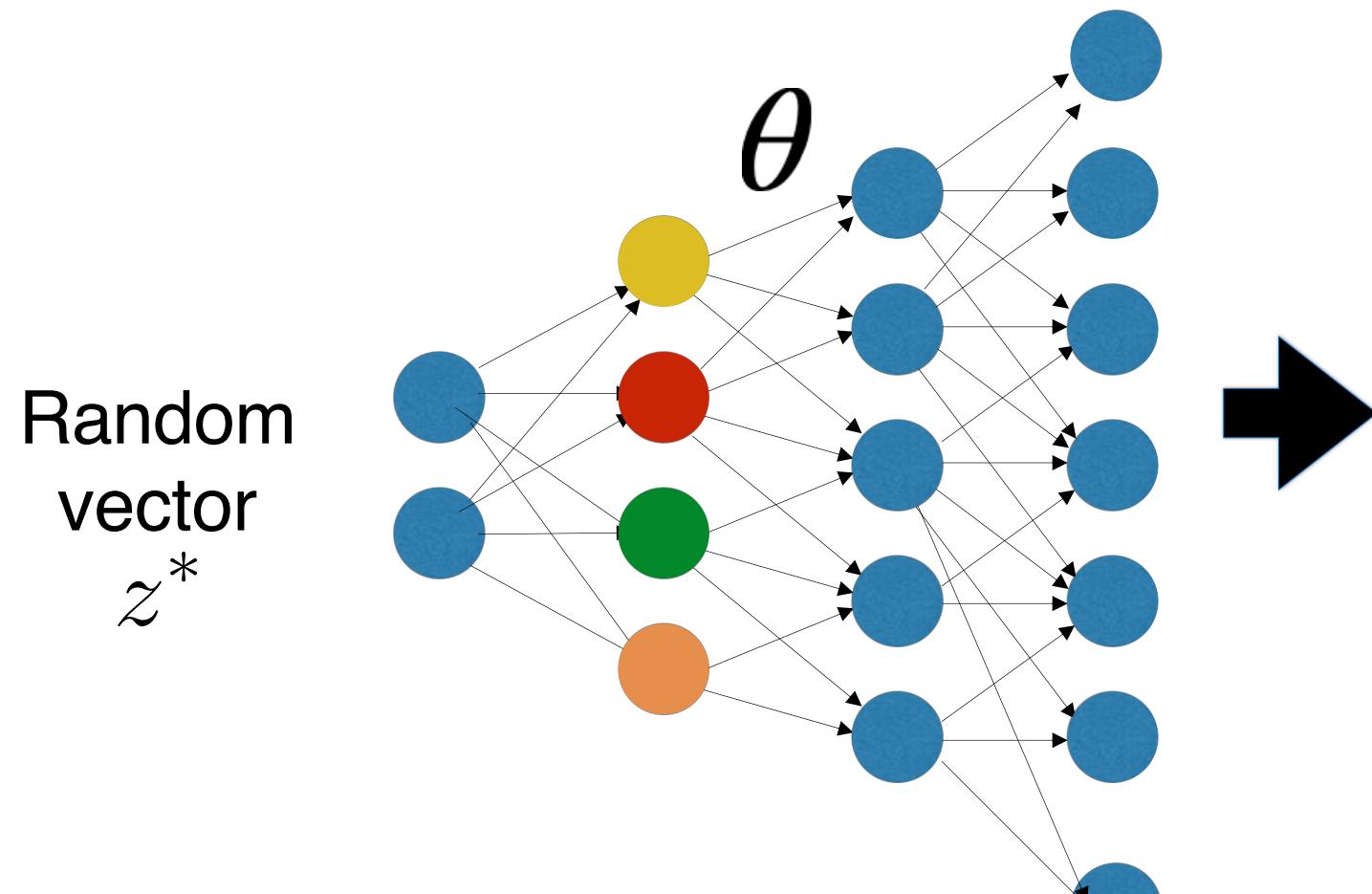
Original image x

Image Reconstruction (high-res images, Big Models)



$$z^* = \arg \min_z \mathcal{L}(G(z; \theta), x)$$

Image Reconstruction (high-res images, Big Models)



$$z^* = \arg \min_z \mathcal{L}(G(z; \theta), x)$$

Find the Differences...



Original image

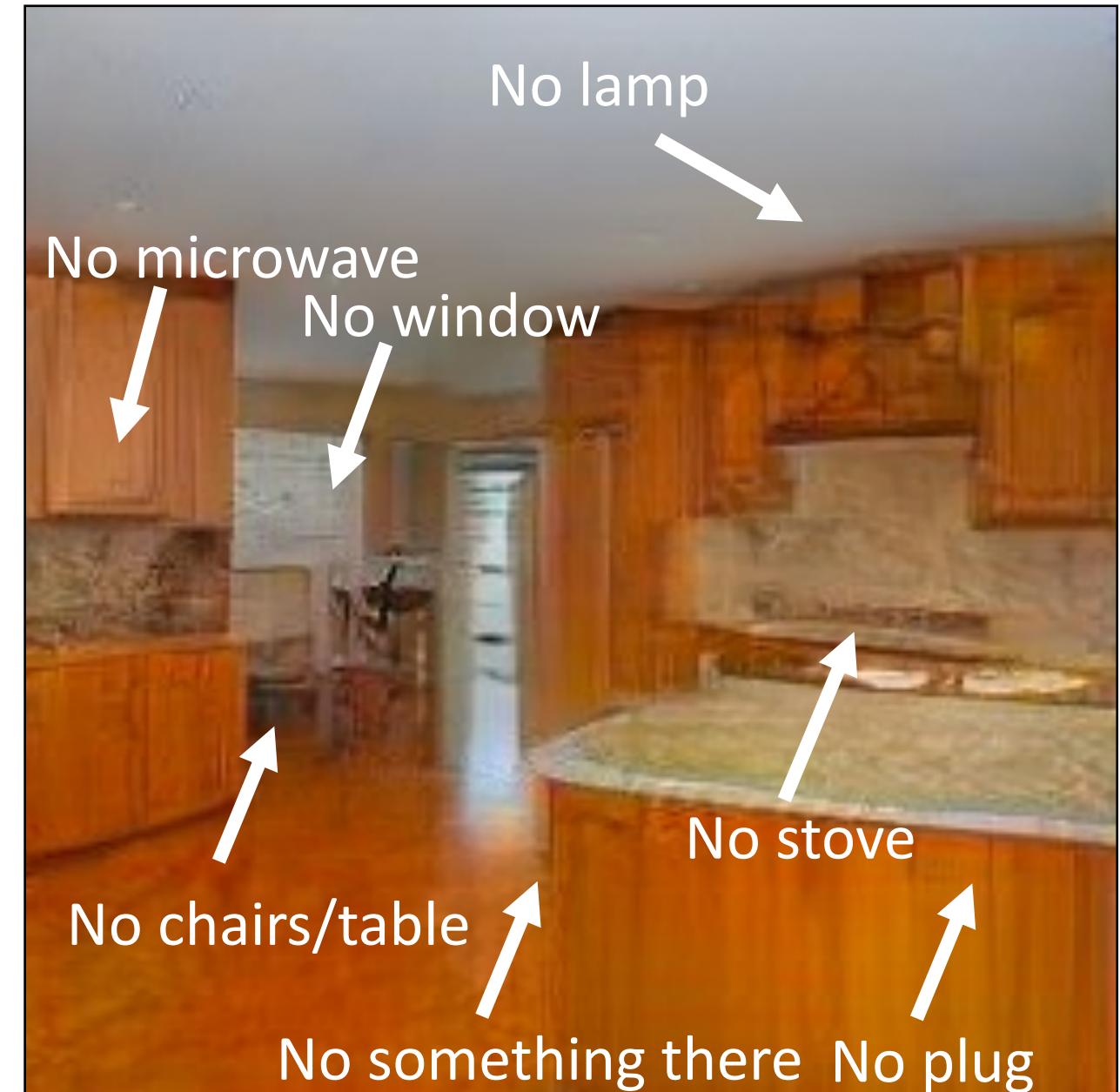


GAN reconstructed image

Find the Differences...



Original image

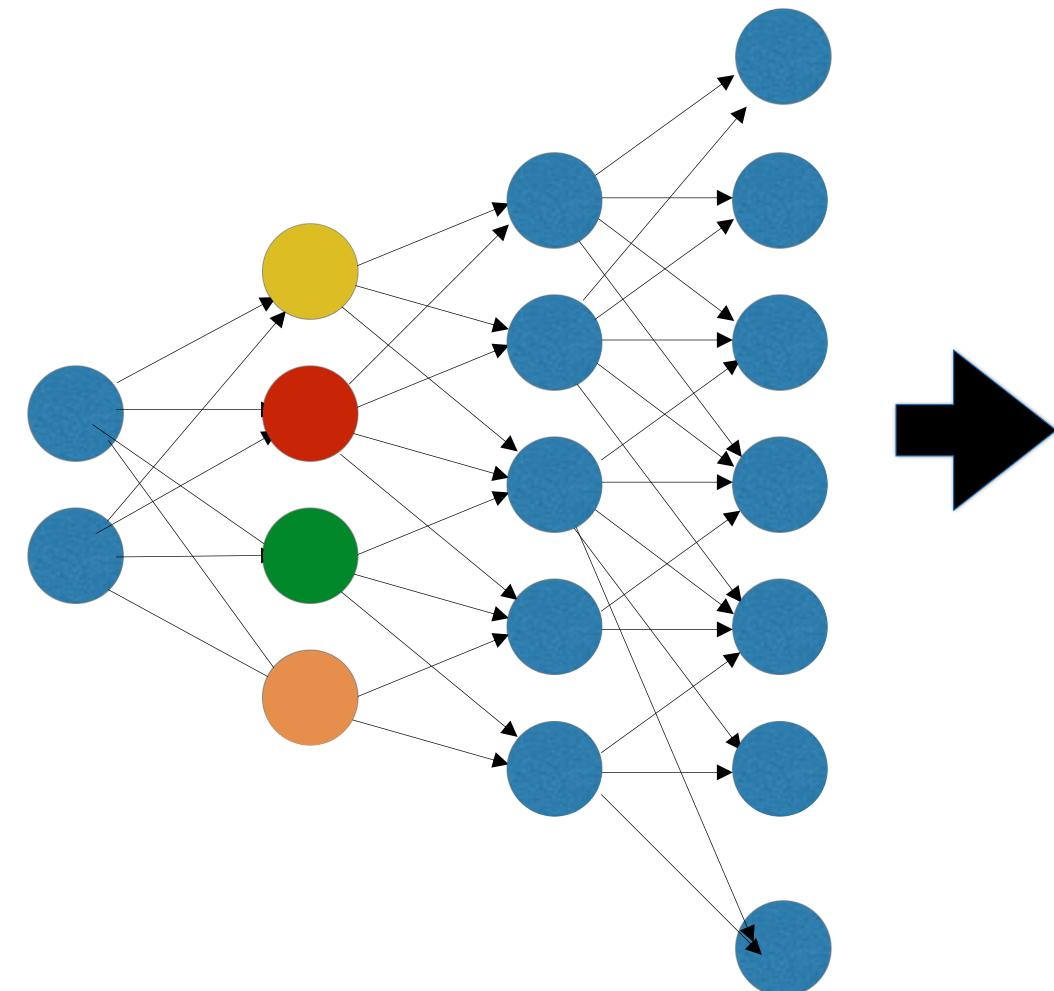


GAN reconstructed image



Original image

Random
vector
 z^*



Reconstructed image $G(z^*; \theta)$

$$z^* = \arg \min_z \mathcal{L}(G(z; \theta), x)$$

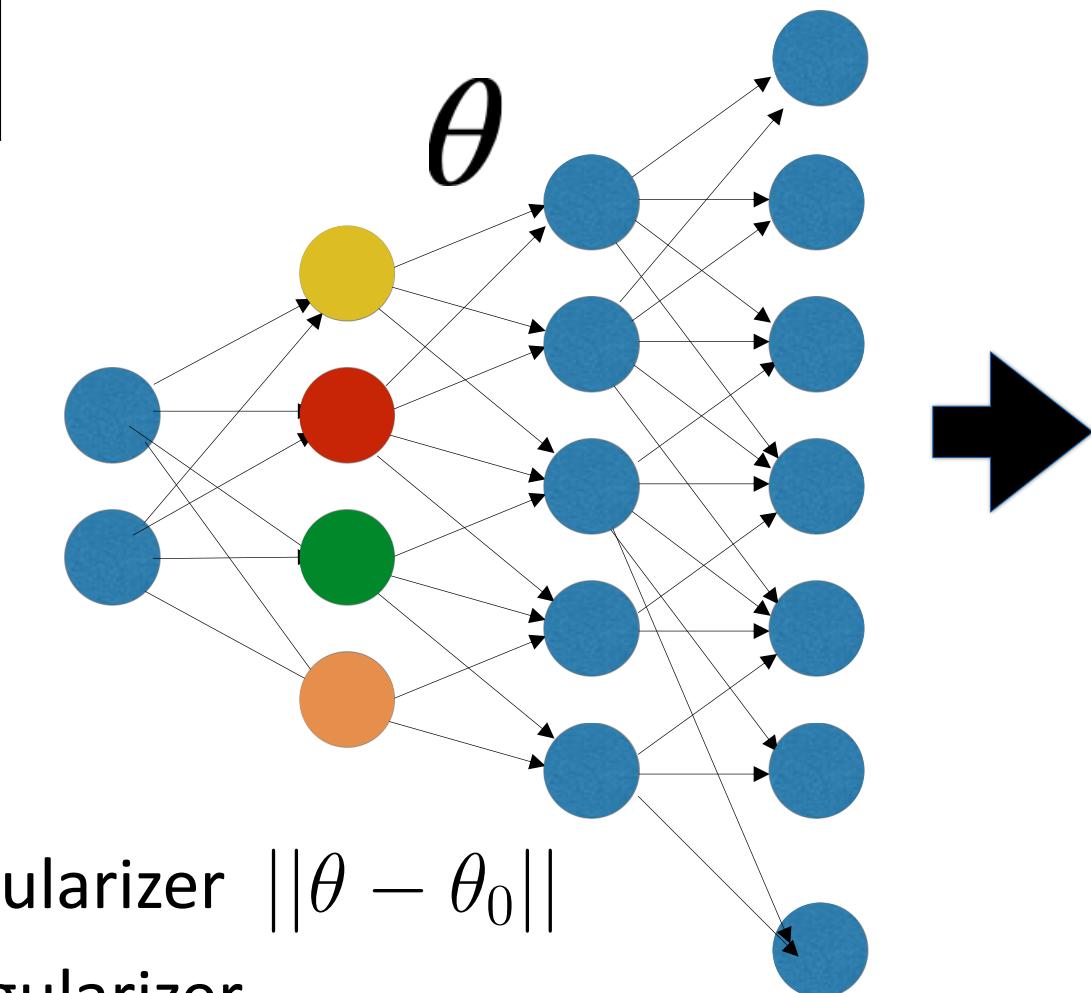


Original image

Random
vector
 z^*

Weight space regularizer $\|\theta - \theta_0\|$

Feature space regularizer



Reconstructed image $G(z^*; \theta)$

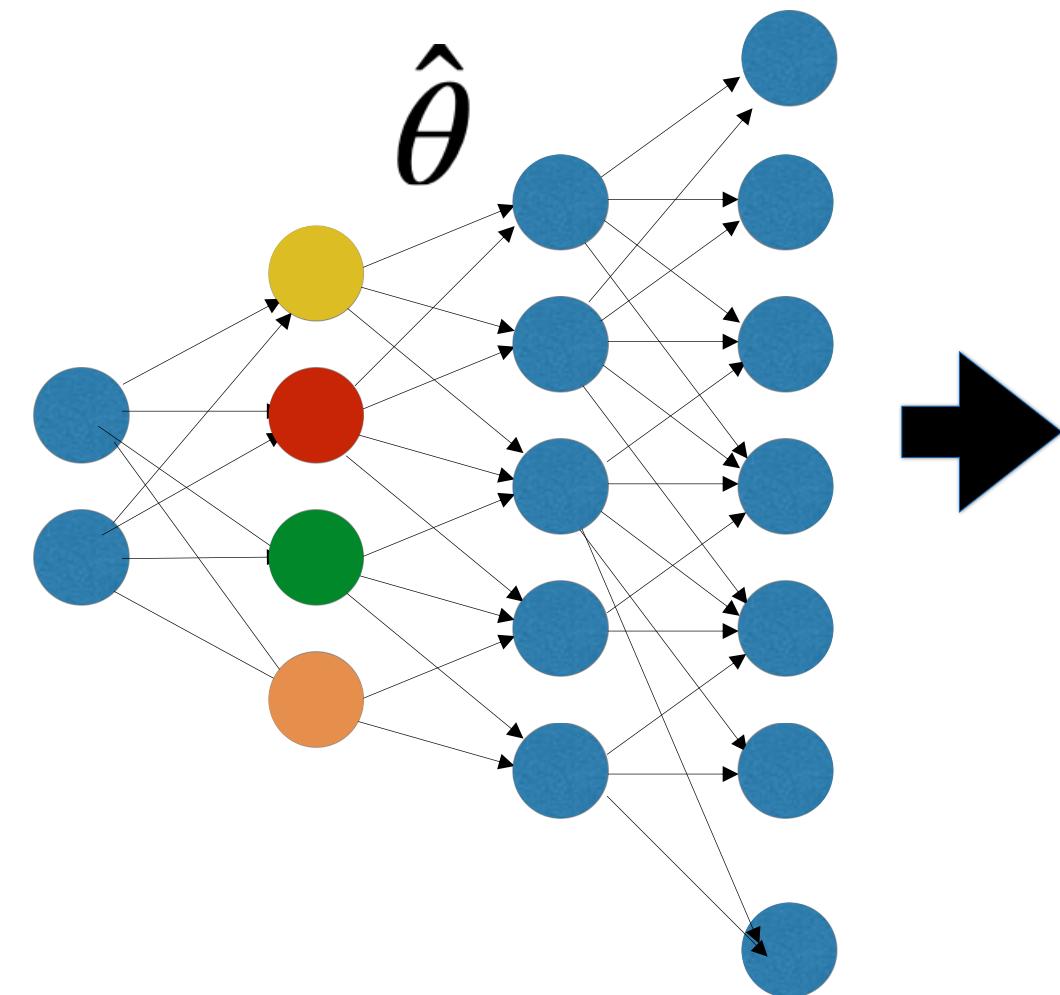
$$z^*, \theta^* = \arg \min_{z, \theta} \mathcal{L}(G(z; \theta), x)$$

← Regularizer



Original image

Random
vector
 z^*



Reconstructed image $G(z^*; \theta^*)$

$$z^*, \theta^* = \arg \min_{z, \theta} \mathcal{L}(G(z; \theta), x) + R(\theta) \leftarrow \text{Regularizer}$$

Reconstructing a Real Photo



Original image



With z^*



With z^* and θ^*

Semantic Photo Manipulation [Bau, Strobelt, Peebles, Wulff, Zhou, Zhu, Torralba, SIGGRAPH 2019]

Inspired by Deep Image Prior [Ulyanov et al.] and Deep Internal learning [Shocher et al.]