Forecasting in Cryptocurrencies

With an aim to predict Bitcoin price and its determinants, I have composed an extensive literature review that shortlists the potential influencers of its volatility. These determinants range from a variety of categories as listed below:

- Public Opinion
- Fiat Currencies
- Blockchain Attributes
- Macroeconomical Factors

An important and very crucial aspect of this project would be to fetch the above listed datasets, and put them in a table format.

Data Acquisition

There's a total of 30 time-series that we scrape from the internet. The information is fetched from two major sources:

- 1. BitInfoCharts
- 2. Yahoo Finance

We start with importing certain libraries wherein

- yfinance makes an API call to <u>Yahoo Finance (https://finance.yahoo.com)</u>
- re, requests and BeautifulSoup are used for scraping the website <u>bitinfocharts</u> (<u>https://bitinfocharts.com</u>)
- numpy, pandas and matplotlib for data manipulation and plotting
- sklearn for normalisation, modelling and computing error metrics

```
In [1]: import re
import requests

!pip install yfinance
import yfinance as yf
from bs4 import BeautifulSoup

import pandas as pd
import numpy as np
import datetime as dt
import matplotlib.pyplot as plt

from sklearn.preprocessing import MinMaxScaler
from sklearn.ensemble import RandomForestRegressor

from sklearn.metrics import mean_squared_error
```

from sklearn.metrics import mean_absolute_error

Requirement already satisfied: yfinance in /usr/local/lib/python3. 7/dist-packages (0.1.67)

Requirement already satisfied: lxml>=4.5.1 in /usr/local/lib/python3.7/dist-packages (from yfinance) (4.6.4)

Requirement already satisfied: numpy>=1.15 in /usr/local/lib/pytho n3.7/dist-packages (from yfinance) (1.19.5)

Requirement already satisfied: requests>=2.20 in /usr/local/lib/py thon3.7/dist-packages (from yfinance) (2.23.0)

Requirement already satisfied: pandas>=0.24 in /usr/local/lib/pyth on3.7/dist-packages (from yfinance) (1.1.5)

Requirement already satisfied: multitasking>=0.0.7 in /usr/local/lib/python3.7/dist-packages (from yfinance) (0.0.10)

Requirement already satisfied: python-dateutil>=2.7.3 in /usr/loca l/lib/python3.7/dist-packages (from pandas>=0.24->yfinance) (2.8.2)

Requirement already satisfied: pytz>=2017.2 in /usr/local/lib/pyth on3.7/dist-packages (from pandas>=0.24->yfinance) (2018.9)

Requirement already satisfied: six>=1.5 in /usr/local/lib/python3. 7/dist-packages (from python-dateutil>=2.7.3->pandas>=0.24->yfinan ce) (1.15.0)

Requirement already satisfied: certifi>=2017.4.17 in /usr/local/lib/python3.7/dist-packages (from requests>=2.20->yfinance) (2021.10.8)

Requirement already satisfied: urllib3!=1.25.0,!=1.25.1,<1.26,>=1.21.1 in /usr/local/lib/python3.7/dist-packages (from requests>=2.20->yfinance) (1.24.3)

Requirement already satisfied: chardet<4,>=3.0.2 in /usr/local/lib /python3.7/dist-packages (from requests>=2.20->yfinance) (3.0.4) Requirement already satisfied: idna<3,>=2.5 in /usr/local/lib/pyth on3.7/dist-packages (from requests>=2.20->yfinance) (2.10)

1. BitInfoCharts

Starting with the webite bitinfocharts, it has a detailed comparison of technological features such as:

- Blockchain Attributes
 - 1. Mining Profitability
 - 2. Number of Transactions
 - 3. Market Capitalisation
 - 4. Transacation Size
 - Average
 - Median
 - 5. Transaction Value
 - Average
 - Median
 - 6. Confirmation Time
 - 7. Block Size
 - 8. Fee Reward
 - 9. Hash Rate
 - 10. Number of active-addresses
 - 11. Number of Bitcoins sent
 - 12. Mining Difficulty
 - 13. Amount held by top 100 addresses
- Public Opinion
 - 1. Number of Tweets
 - 2. Google Searches

Unlike most data repositories with a tabular representation, this website has interactive graphs for each attribute to show their trend over the years. Thus we refer this (https-bitinfocharts-com) post to fetch numerical data from the JavaScript component of the dynamic web-graphs.

```
In [2]: # helper function to parse a list of string
def parse_strlist(sl):
    # remove closed brackets, comma or whitespace in a string
    clean = re.sub("[\[\],\s]","",sl)
    # split the string on inverted commas
    splitted = re.split("[\'\"]",clean)
    # store non-empty values in a list
    values_only = [s for s in splitted if s != '']
    # return this list
    return values_only
```

The following function takes 2 input values - the attribute name and its url. The numeric information from the graph on that webpage is extracted into a dataframe with 2 columns - date and its associated numeric value.

If the code in the next cell doesn't work refer this (https://stackoverflow.com/questions/26192727/extract-content-of-script-with-beautifulsoup) post to fix (change script.text to script.string). Apparently the package BeautifulSoup has made some changes in the newer versions. Or simply run it on Google Colab, it supports backward compatibility.

```
In [3]: # function to get numeric values from the graph
        # parameters (2): variable name and url
        def get graph values(var name, url):
          # GET request
          response = requests.get(url)
          # parse HTML content
          soup = BeautifulSoup(response.text, 'html.parser')
          # find JS component
          scripts = soup.find all('script')
          # check each JS component with graph element
          for script in scripts:
              if 'd = new Dygraph(document.getElementById("container")' in
                  StrList = script.text
                  StrList = '[[' + StrList.split('[[')[-1]]
                  StrList = StrList.split(']]')[0] +']]'
                  StrList = StrList.replace("new Date(", '').replace(')',''
                  # call helper function
                  dataList = parse_strlist(StrList)
          date = []
          value = []
          for each in dataList:
              if (dataList.index(each) % 2) == 0:
                  date.append(each)
              else:
                  value.append(each)
          df = pd.DataFrame(list(zip(date, value)), columns=["date",var_name"]
          return df
```

As discussed above, there's a total of 18 time-series to scrape from this website. Thus to automate the process, I create a dictionary with key as the variable name (such as bitcoin price, number of tweets, block time etc.) and its value as the associated url. The comments in the code will help explain what each key conveys.

```
In [4]: url_dict = {'market_capitalisation' : 'https://bitinfocharts.com/col
                    # number of bitcoins sent in USD
                    'sent_usd' : 'https://bitinfocharts.com/comparison/bitc
                    # number of transactions
                    'transactions' : 'https://bitinfocharts.com/comparison/
                    # transaction value
                    'avg_transaction_value' : 'https://bitinfocharts.com/col
                    'median_transaction_value' : 'https://bitinfocharts.com
                    # transaction fee
                    'avg_transaction_fee' : 'https://bitinfocharts.com/comp
                    'median transacation fee' : 'https://bitinfocharts.com/
                    # average time between blocks
                    'block_time' : 'https://bitinfocharts.com/comparison/bi
                    # average block size
                    'block_size' : 'https://bitinfocharts.com/comparison/bi
                    # average fee percentage in total block reward
                    'fee' : 'https://bitinfocharts.com/comparison/bitcoin-fe
                    # average minimum difficulty
                    'difficulty' : 'https://bitinfocharts.com/comparison/bi
                    # hash per second
                    'hashrate' : 'https://bitinfocharts.com/comparison/bitc
                    # profit as USD per day for 1 THash per second
                    'mining_profitability' : 'https://bitinfocharts.com/com
                    # number of unique addresses
                    'active_adresses' : 'https://bitinfocharts.com/comparis
                    # percentage of total coins held by richest 100 address
                    'top_addresses' : 'https://bitinfocharts.com/comparison
                    # number of tweets
                    'tweets': 'https://bitinfocharts.com/comparison/bitcoi
                    # number of searches on google
                    'google_trends' : 'https://bitinfocharts.com/comparison
                    # average price
                    'price': 'https://bitinfocharts.com/comparison/bitcoin
```

Now, to automate the process for each item stored in the dictionary, we first create an empty dataframe **bitinfo_df** with a single column termed *Date*.

Next we iterate through each dictionary item and:

- 1. Extract the variable name
- 2. Extract the associated URL
- 3. Call the function with these 2 as input variables
- 4. Store the result returned in a temporary dataframe (2 cols)
- 5. Outer Join this dataframe with bitinfo df on the Date Column

The last step ensures that all the information stored in the temporary datfarame is dumped onto the bitinfo_df, thereby making bitinfo_df a wide-form table with all the variables as individual columns. If this sounds confusing just look at the table structure in next to next cell.

```
In [5]: # create empty dataframe
bitinfo_df = pd.DataFrame(columns=['date'])

# for each key-value pair
for item in url_dict.items():
    var_name = item[0]
    url = item[1]
    # call function which returns a dataframe
    df = get_graph_values(var_name, url)
    # outer join this dataframe with main dataframe
    bitinfo_df = bitinfo_df.merge(df, how='outer')
```

```
In [6]: # typecast string to datetime
bitinfo_df['date'] = pd.to_datetime(bitinfo_df['date'])
# inspect table
bitinfo_df.head()
```

Out[6]:

	date	market_capitalisation	sent_usd	transactions	avg_transaction_value	median_trans
0	2010- 07-17	169839	1193	235	2.924	
1	2010- 07-18	249761	2612	248	6.237	
2	2010- 07-19	295981	4047	354	7.666	
3	2010- 07-20	270546	2341	413	3.94	
4	2010- 07-21	265900	2122	256	4.583	

```
In [7]: # bitinfo_df.to_csv('bitinfocharts.csv')
```

As can be seen in the table, we have successfully scraped the relevant time-series from the webite Bitinfocharts! Next we proceed to Yahoo for other potential determinants.

2. Yahoo Finance

It has a very nice python package available https://pypi.org/project/yfinance/) which makes an API call to download data. So we look at the features such as:

- Macro-Economical Factors
 - 1. NASDAQ
 - 2. Gold Price
 - 3. Crude Oil
 - 4. Major Stocks
 - S&P500
 - DOW30
 - FTSE
- Fiat Currencies
 - 1. Euro
 - 2. Pound
 - 3. Japanbese Yen
 - 4. Chinese Yen
 - 5. Swiss Franc

To start with, let's create a dictionary with the variable name (stock or currency) as key and the associated symbol as the value. This could have also been done via a list of symbols but for the sake of understanding, I decided to go with a dictionary.

Note: Yahoo does not permit redistribution of data, the next part is specifically for my Thesis and research purposes.

```
In [9]: # typecast dictionary values as a list
    tickers = list(stocks_dict.keys())
# create a df from the selected stocks/currencies
    df = yf.download(tickers, start='2009-01-01')
```

```
In [10]: # inspect data
df.head()
```

Out[10]:

	CHFUSD=X	CL=F	CNY=X	EURUSD=X	GBPUSD=X	GC=F	JPY=X	
Date								
2009- 01-01	0.939232	NaN	6.8133	1.399894	1.474100	NaN	90.667000	
2009- 01-02	0.926698	46.340000	6.8030	1.392292	1.452391	878.799988	91.790001	903
2009- 01-05	0.902039	48.810001	6.8215	1.364592	1.471605	857.200012	93.217003	895
2009- 01-06	0.895736	48.580002	6.8265	1.351004	1.491202	865.400024	93.379997	901
2009- 01-07	0.905961	42.630001	6.8231	1.361100	1.507909	841.099976	92.680000	876

We can see the data from Yahoo has multi-level format with the following attributes:

- 1. Open
- 2. High
- 3. Low
- 4. Close
- 5. Adjusted Close
- 6. Volume

As per the literature, it is just the closing price that explains the stock performance for the day. Thus we discard the other features.

```
In [11]: # pick single column
    yahoo_df = df['Close']
    # rename columns from dictionary
    yahoo_df.columns = yahoo_df.columns.map(stocks_dict)
    # current index is date, reset it to create a specific column for do
    yahoo_df.reset_index(inplace=True)
    # inspect data
    yahoo_df.head()
```

Out[11]:

	Date	swiss_franc	crude-oil	chinese_yen	euro	british_pound	gold	japane
0	2009- 01-01	0.939232	NaN	6.8133	1.399894	1.474100	NaN	90.6
1	2009- 01-02	0.926698	46.340000	6.8030	1.392292	1.452391	878.799988	91.
2	2009- 01-05	0.902039	48.810001	6.8215	1.364592	1.471605	857.200012	93.2
3	2009- 01-06	0.895736	48.580002	6.8265	1.351004	1.491202	865.400024	93.
4	2009- 01-07	0.905961	42.630001	6.8231	1.361100	1.507909	841.099976	92.6

Now we have two different datasets, the one from Bitinfocharts that would be contributed to <u>Monash Time Series Forecasting Repository (https://forecastingdata.org)</u> and the other from Yahoo. Both of them together would be used for my research. To simplify the process, we combine them into one big dataframe and export it as a CSV file.

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	date	market_capitalisation	sent_usd	transactions	avg_transaction_value	media
4145	2009- 01-03	NaN	NaN	null	NaN	
4146	2009- 01-04	NaN	NaN	null	NaN	
4147	2009- 01-05	NaN	NaN	null	NaN	
4148	2009- 01-06	NaN	NaN	null	NaN	
4149	2009- 01-07	NaN	NaN	null	NaN	
•••						
4143	2021- 11-19	1079225166530	53544805999	284582	924911	
4144	2021- 11-20	1106868016960	31949323098	249507	823777	
4705	2021- 11-21	NaN	NaN	NaN	NaN	
4706	NaT	NaN	NaN	NaN	NaN	
4707	NaT	NaN	NaN	NaN	NaN	

4708 rows × 31 columns

As evident, we have procured 30 time-series for a period of 4584 days.

Considering the intial 6 months have a lot of empty values for most of the variables, it roughly translates to 12 years worth of daily data.

```
In [13]: # export to CSV
combined_df.to_csv('bitcoin.csv')
```

Data Exploration

Here we inspect the data for general trends and missing values.

```
In [14]: # import csv
data = pd.read_csv('bitcoin.csv')
# display all columns
pd.set_option("display.max_columns", None)
# remove column
data.drop('Unnamed: 0', axis=1, inplace=True)
# inspect data
data.head()
```

Out [14]:

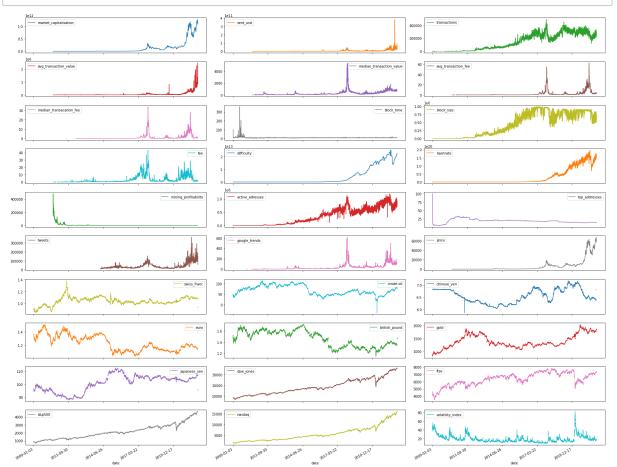
	date	market_capitalisation	sent_usd	transactions	avg_transaction_value	median_trans
-	2009- 01-03	NaN	NaN	NaN	NaN	
	2009- 01-04	NaN	NaN	NaN	NaN	
:	2009- 01-05	NaN	NaN	NaN	NaN	
;	2009- 01-06	NaN	NaN	NaN	NaN	
	2009- 01-07	NaN	NaN	NaN	NaN	

A lot of the technological variables have empty/NaN values. So we plot them to trace the missing periods.

```
In [15]: data.shape
```

Out[15]: (4708, 31)

In [16]: # visualising data data.plot(x='date',subplots=True, layout = (10,3), figsize=(25,19)) plt.tight_layout() plt.show()



On observing the graphs, we can see that in addition to the bitcoin's exchange price, the below listed variables have also seen an incremental growth in their trends:

- Blockchain Attributes:
 - Market Capitalisation
 - Number of Transactions
 - Block Size
 - Mining Difficulty
 - Hash Rate
 - Number of Active Addresses
- Influential Stocks:
 - S&P500
 - NASDAQ
 - DOWJONES
 - FTSE

Constrastingly, mining difficulty has significantly gone down, presumably due to advancements in technology and upcoming blockchain frameworks that simplify the development process.

Some technological variables like transaction fee and block time have occasional peaks during the last decade but evetually come down to same value. Similarly there's no definitve trend with fiat currencies. They fluctuate rapidly and can not be associated with a conclusive gain or loss.

Lastly, tweets and google queries experience sudden rise and fall but have definitely risen over the years. Notably, we do not have any tweet records prior to 2014. Similarly a lot of technological attributes also have NaN values for the first 2 years. Thus we look at the missing values at a granular level in the next cell.

Out[17]

```
In [17]: # empty entries in each column
data.isna().sum()
```

:	date	2
	market_capitalisation	563
	sent_usd	563
	transactions	263
	avg_transaction_value	563
	median_transaction_value	563
	avg_transaction_fee	643
	<pre>median_transacation_fee</pre>	1207
	block_time	10
	block_size	8
	fee	643
	difficulty	8
	hashrate	9
	mining_profitability	563
	active_adresses	30
	top_addresses	14
	tweets	1980
	google_trends	571
	price	562
	swiss_franc	1354
	crude-oil	1488
	chinese_yen	1354
	euro	1351
	british_pound	1351
	gold	1489
	japanese_yen	1351
	dow_jones	1463
	ftse	1460
	s&p500	1463
	nasdaq	1463
	volatility_index	1463
	dtype: int64	

Data Preprocessing

Most of the blockchain attributes (including the dependent variable - bitcoin's exchange price) have empty records for exactly 563 days which loosely translates to 18 months worth of data. These can be classified as Missing Completely at Random or MCAR.

Likewise, economical features from Yahoo Finance also have a lot of emtpy records. On close inpection, we could decode that it's the weekend values that are missing ad that's understandable because the stock market works only on the weekdays.

While the former can not be imputed rationally, weekend values can easily be fixed using a forward fill. This way we are using the closing price on Friday as that on Saturday and Sunday as well.

```
In [19]: # convert string to date
data['date'] = pd.to_datetime(data['date'])
```

Coming back to the blockchain features, the bitcoin's exchange price did not change much until 2017. Although it increased from mere 0 in 2009 to a whopping 1000 in 2016 but its volatility post 2017 was exponentially high and way riskier in comparison. Thus we only the keep data 2015 onwards.

At the moment, each row has 30 features which represent the current day values. So we create a matrix type representation such that each row has input variables with not just current day's values but for the previous 2 days as well.

```
In [20]: # day before yesterday
df_a = data[(data['date'] >= '2014-12-29')]
# yesterday's stats
df_b = data[(data['date'] >= '2014-12-30')]
# curent day stats
df_c = data[(data['date'] >= '2014-12-31')]
# OHE for day of the week
df_d = pd.get_dummies(df_c['date'].dt.day_name())
# next day's price
df_e = data[(data['date'] >= '2015-01-01')][['price']]
```

```
In [21]: # rename columns
df_a.columns = ['2d_before_' + str(col) for col in df_a.columns]
df_b.columns = ['1d_before_' + str(col) for col in df_b.columns]
df_e.columns = ['next_day_' + str(col) for col in df_e.columns]
```

```
In [22]: # list of dataframes
df_li = [df_a, df_b, df_c, df_d, df_e]
```

```
In [23]: # preprocess each df
for df in df_li:
    df.reset_index(inplace=True)
    df.drop('index', axis=1, inplace=True)
```

/usr/local/lib/python3.7/dist-packages/pandas/core/frame.py:4174:
SettingWithCopyWarning:

A value is trying to be set on a copy of a slice from a DataFrame

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

errors=errors,

```
In [24]: # merge all df(s) in df_li
df = pd.concat(df_li, axis=1)
df.head()
```

Out[24]:

	2d_before_date	2d_before_market_capitalisation	2d_before_sent_usd	2d_before_transactic
0	2014-12-29	4.267536e+09	226685673.0	8328
1	2014-12-30	4.236521e+09	275518820.0	8489
2	2014-12-31	4.241986e+09	258858043.0	7725
3	2015-01-01	4.287908e+09	129854868.0	5917
4	2015-01-02	4.272409e+09	212156964.0	7912

In [25]: # to confirm merge operation df[['date', 'price', '1d_before_price', '2d_before_price']].head()

Out [25]:

	date	price	1d_before_price	2d_before_price
0	2014-12-31	312.724	311.944	314.822
1	2015-01-01	315.626	312.724	311.944
2	2015-01-02	314.346	315.626	312.724
3	2015-01-03	303.591	314.346	315.626
4	2015-01-04	274.820	303.591	314.346

```
In [26]: # use date as index
    df.set_index('date', inplace=True)
    # remove rows with NaN
    df = df.iloc[1:-4]
# remove unnecesary columns
```

```
df.drop(['2d_before_date', '1d_before_date'], axis=1, inplace = True
# create new columns
df['next_day_returns'] = df['next_day_price']-df['price']
df['next_day_log_returns'] = np.log(df['next_day_price']/df['price'
# inspect df
df.head()
```

/usr/local/lib/python3.7/dist-packages/pandas/core/frame.py:4174:
SettingWithCopyWarning:

A value is trying to be set on a copy of a slice from a DataFrame

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

errors=errors,

/usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:8: Se ttingWithCopyWarning:

A value is trying to be set on a copy of a slice from a DataFrame. Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

/usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:9: Se
ttingWithCopyWarning:

A value is trying to be set on a copy of a slice from a DataFrame.
Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy (https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus-a-copy)

if __name__ == '__main__':

Out [26]:

2d_before_market_capitalisation 2d_before_sent_usd 2d_before_transactions 2d_before

date			
2015- 01-01	4.236521e+09	275518820.0	84894.0
2015- 01-02	4.241986e+09	258858043.0	77259.0
2015- 01-03	4.287908e+09	129854868.0	59179.0
2015- 01-04	4.272409e+09	212156964.0	79122.0
2015- 01-05	4.078336e+09	235281521.0	82065.0

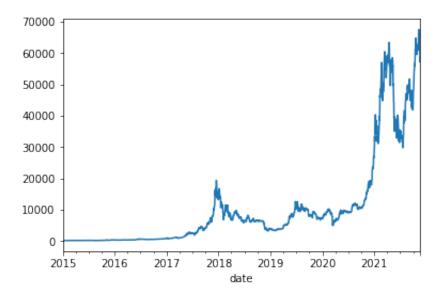
```
In [27]: df.shape
Out[27]: (2517, 100)
In [28]: # print column names
         df.columns
Out[28]: Index(['2d_before_market_capitalisation', '2d_before_sent_usd',
                 '2d_before_transactions', '2d_before_avg_transaction_value'
                 '2d_before_median_transaction_value', '2d_before_avg_transa
         ction_fee',
                 '2d_before_median_transacation_fee', '2d_before_block_time'
                 '2d_before_block_size', '2d_before_fee', '2d_before_difficu
         lty',
                 '2d_before_hashrate', '2d_before_mining_profitability',
                 '2d_before_active_adresses', '2d_before_top_addresses',
                 '2d_before_tweets', '2d_before_google_trends', '2d_before_p
         rice',
                 '2d_before_swiss_franc', '2d_before_crude-oil', '2d_before_
         chinese_yen',
                 '2d_before_euro', '2d_before_british_pound', '2d_before_gol
         d',
                 '2d_before_japanese_yen', '2d_before_dow_jones', '2d_before
         _ftse',
                 '2d_before_s&p500', '2d_before_nasdaq', '2d_before_volatili
         ty_index',
                 '1d_before_market_capitalisation', '1d_before_sent_usd',
                 '1d before transactions', '1d before avg transaction value'
                 '1d_before_median_transaction_value', '1d_before_avg_transa
         ction_fee',
                 '1d_before_median_transacation_fee', '1d_before_block_time'
                 '1d before block size', '1d before fee', '1d before difficu
         lty',
                 '1d_before_hashrate', '1d_before_mining_profitability',
                 '1d_before_active_adresses', '1d_before_top_addresses',
                 '1d_before_tweets', '1d_before_google_trends', '1d_before_p
         rice',
                 '1d_before_swiss_franc', '1d_before_crude-oil', '1d_before_
         chinese_yen',
                 '1d_before_euro', '1d_before_british_pound', '1d_before_gol
         d',
                 '1d_before_japanese_yen', '1d_before_dow_jones', '1d_before
         _ftse',
                 '1d_before_s&p500', '1d_before_nasdag', '1d_before_volatili
         ty_index',
                 'market_capitalisation', 'sent_usd', 'transactions',
'avg_transaction_value', 'median_transaction_value',
                 'avg_transaction_fee', 'median_transacation_fee', 'block_ti
         me',
```

The final dataset comprises of 2400 records (from January 2015 to September 2021) and 100 columns.

Each row contains values for all the features (30) for current day, the day before and the day before yesterday. We also included information about day of the week (7) using One Hot Encoding. Lastly, we include 3 dependent variables - tomorrow's raw price, raw returns and log-returns.

```
In [29]: df['price'].plot()
```

Out[29]: <matplotlib.axes._subplots.AxesSubplot at 0x7f05a7182250>



Data Modelling

Finally, as the data is ready to be fed into a ML model we use an ensembling technique called Random Forest (RF). Thus we intitalise a RF Regressor with 100 trees for One-Step-Ahead predictions. Although Boosting could have offered higher accuracy, we are more interested in optimal feature selection for which RF is the suitable choice.

```
In [30]: # model
    rf = RandomForestRegressor()
```

Here we create a function which takes 3 input values - dataset, algorithm and the boolean switch for normalisation (MinMax Scaler). It further splits the data into training and test set in the ratio 9:1 and fits the model to predict tomorrow's price. The predictions are plotted against true values on a graph and two error metrics are presented - MAE and RMSE.

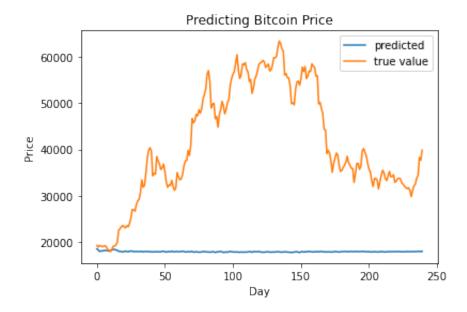
```
In [31]: # funtion to fit model and plot predictions
         def predict_price(df, model, normalisation=True):
             ptr = round(len(df)*0.9)
             # split into train & test set
             train_X = df[:ptr].drop(['next_day_price', 'next_day_returns'],
             train_Y = df[:ptr]['next_day_price'].values
             test_X = df[ptr:].drop(['next_day_price', 'next_day_returns'],
             test_Y = df[ptr:]['next_day_price'].values
             if(normalisation==True):
                 # normalisation
                 train_Y = train_Y.reshape(-1,1)
                 test Y = \text{test } Y.\text{reshape}(-1.1)
                 scaler = MinMaxScaler()
                 train_Y = scaler.fit_transform(train_Y).reshape(-1)
                 test_Y = scaler.transform(test_Y).reshape(-1)
             # train model
             model.fit(train_X, train_Y)
             # predict
             predictions = model.predict(test_X)
             # test metrics
             print("\n")
             print('MAE: ', mean_absolute_error(test_Y, predictions))
             print('RMSE:',mean_squared_error(test_Y, predictions, squared=F
             # visualisation
             plt.plot(predictions, label ='predicted')
             plt.plot(test_Y, label ='true value')
             plt.xlabel('Day')
             plt.vlabel('Price')
             plt.legend()
             plt.title('Predicting Bitcoin Price')
             plt.show()
```

Now we use the function to forecast prices on the entire dataset using a Random Forest Regressor no normalisation.

In [32]: predict_price(df, rf, False)

MAE: 23367.782125

RMSE: 26381.651961771437



As evident there's huge difference in the predictions and real values. This is due to the selection of training set rows. Our model trained on prices as high as 20,000 USD and nothing more than that. In specificity, the model trained on data from early 2015 to mid 2020 and was tested on mid 2020 onwards. However the bitcoin price skyrocketed late 2020 onwards and thus the discrepency in forecasting.

Model 1

To fix this, we split the data into smaller sequential subsets and perform the predictions. I've set the number of days in each dataset as 600. You may alter this variable to experiment with other values. At the moment, we train on 540 days of data and then make one-step-ahead preditions for 60 days.

```
In [33]: # number of days for each dataset
dataset_size = 600

# number of datasets
cases = round(len(df)/dataset_size)

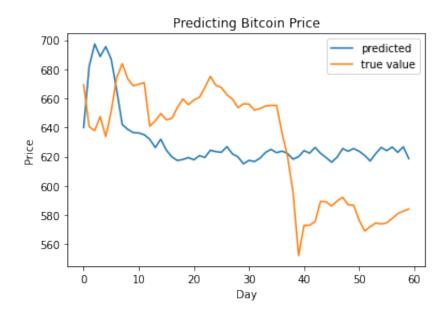
# start day index
start = 0

# for each dataset
```

```
for case in range(cases):
    print("Test Set :", case+1, "of", cases)
    # last day index
    end = start + dataset_size
    # fit model and plot predictions
    predict_price(df[start:end], rf, False)
    # change start day index
    start+=dataset_size
```

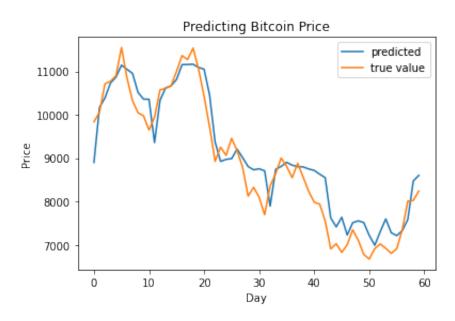
Test Set: 1 of 4

MAE: 37.23523850000006 RMSE: 39.293457323178835



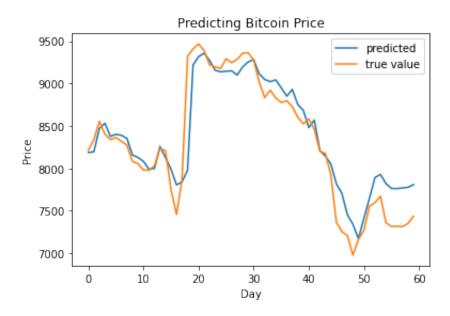
Test Set: 2 of 4

MAE: 386.7695000000001 RMSE: 469.0325977886115



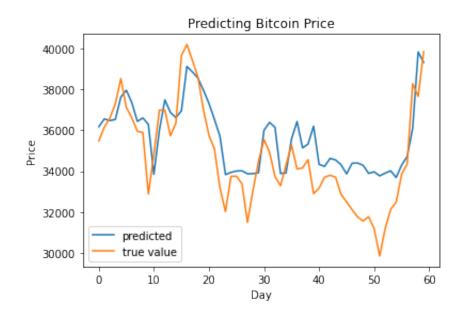
Test Set: 3 of 4

MAE: 180.51083333333333 RMSE: 271.7095450752513



Test Set: 4 of 4

MAE: 1295.1049999999998 RMSE: 1601.9713618632513



While these results are better than the previous approach, it is still not reliable considering the magnitude of monetary risk involved. Nonetheless, the model is tracing the general trend with a lag and is a step in the right direction.

Model 2

Right now, our model was directly predicting tomorrow's price. Instead, we will now make it predict the tomorrow's returns and add them to current day's price. This would better utilise the current day information instead of tuning the weights on this parameter (current day price).

Note, we have also included Naive Forecasts for comparison. In case these prices aren't predictable, it makes our series a random walk for which naive is probably the best approach.

```
In [34]: # funtion to predict btc price using returns
                           def forecast_prices(df, model):
                                       ptr = round(len(df)*0.9)
                                       # split into train and test
                                       train_X = df[:ptr].drop(['next_day_price', 'next_day_returns', 'next_day_returns'
                                       train_Y = df[:ptr]['next_day_returns'].values
                                       test_X = df[ptr:].drop(['next_day_price','next_day_returns','ne
                                       test Y = df[ptr:]['next day returns'].values
                                       #train model
                                       model.fit(train_X, train_Y)
                                       # predict returns
                                       predicted_returns = model.predict(test_X)
                                       # compute price from returns
                                       predicted_price = [sum(x) for x in zip(df['price'][ptr:].values
                                       # actual price
                                       true_price = df['next_day_price'][ptr:].values
                                       # naive forecasts
                                       naive_predictions = df['price'][ptr:].values
                                       # error metrics
                                       print("\n")
                                      print('Model MAE: ', mean_absolute_error(true_price, predicted_
print('Naive MAE: ', mean_absolute_error(true_price, naive_pred
print('Model RMSE:', mean_squared_error(true_price, predicted_pr
                                       print('Naive RMSE:',mean_squared_error(true_price, naive_predic
                                       # visualise results
                                       plt.plot(predicted_price, label ='predicted')
                                       plt.plot(true_price, label ='true value')
                                       plt.plot(naive_predictions, label = 'naive')
                                       plt.xlabel('Day')
                                       plt.ylabel("Price")
                                       plt.title('Predicting Bitcoin Price using Returns')
                                       plt.legend()
                                       plt.show()
```

In a hope to reduce the gap between actual and predicted values, we deploy our algorithm on the same four subsets of data.

```
In [35]: # number of days for each dataset
dataset_size = 600

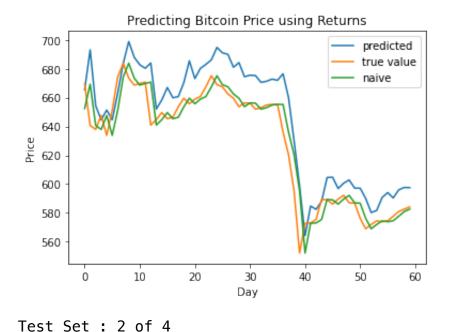
# number of datasets
cases = round(len(df)/dataset_size)

# start day index
start = 0
```

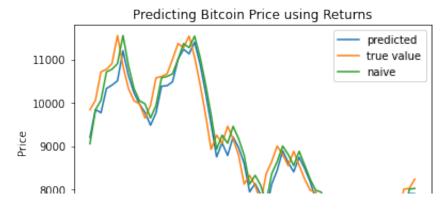
```
# for each dataset
for case in range(cases):
    print("Test Set :", case+1, "of", cases)
    # last day index
    end = start + dataset_size
    # fit model and plot predictions
    forecast_prices(df[start:end], rf)
    # change start day index
    start+=dataset_size
```

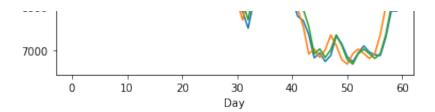
Test Set: 1 of 4

Model MAE: 17.591272500000013 Naive MAE: 7.339566666666655 Model RMSE: 20.664287129845114 Naive RMSE: 11.361866291826063



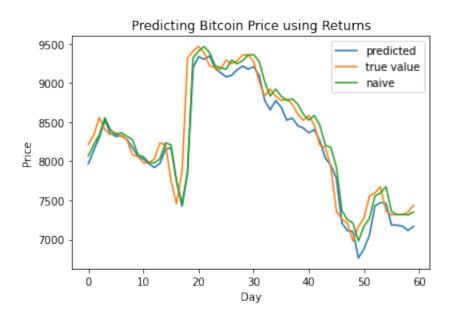
Model MAE: 337.4155410000001 Naive MAE: 328.73333333333335 Model RMSE: 412.94232448706543 Naive RMSE: 390.1454002462842





Test Set: 3 of 4

Model MAE: 178.23433333333338 Naive MAE: 143.93333333333334 Model RMSE: 273.0882235896183 Naive RMSE: 250.59874966434555

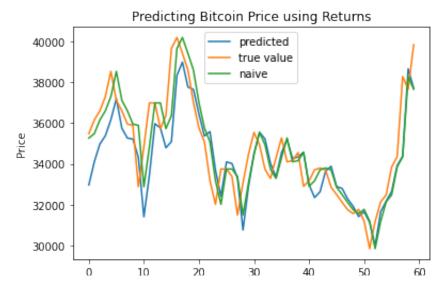


Test Set: 4 of 4

Model MAE: 1208.5503333333336

Naive MAE: 985.0

Model RMSE: 1548.7467231689845 Naive RMSE: 1271.2830395575436



_- -- .- _-Day

Model 3

There's considerable improvement in the performance but we are still far from beating the Naive errors. To do so, we further enhance our approach by predicting log-returns.

```
In [36]: # funtion to predict log returns
                           def forecast_log_returns(df, model):
                                       ptr = round(len(df)*0.9)
                                       # split into train and test
                                       train_X = df[:ptr].drop(['next_day_price', 'next_day_returns', 'next_day_returns'
                                       train Y = df[:ptr]['next day log returns'].values
                                       test_X = df[ptr:].drop(['next_day_price','next_day_returns','ne
                                       test_Y = df[ptr:]['next_day_log_returns'].values
                                       # train model
                                       model.fit(train_X, train_Y)
                                       # predict log returns
                                       predicted_returns = model.predict(test_X)
                                       # actual log returns
                                       true_returns = test_Y
                                       # naive forecast for log returns
                                       naive predictions = np.log(df['price']/df['1d before price'])[price']
                                       # error metrics
                                       print("\n")
                                       print('Model MAE: ', mean_absolute_error(true_returns, predicte
print('Naive MAE: ', mean_absolute_error(true_returns, naive print())
                                       print('Naive MAE: ', mean_absolute_error(true_returns, naive_print('Model RMSE:', mean_squared_error(true_returns, predicted_
                                       print('Naive RMSE:',mean_squared_error(true_returns, naive_pred)
                                       # visualisation
                                       plt.plot(predicted_returns, label ='predicted')
                                       plt.plot(true_returns, label ='true value')
                                       # plt.plot(naive_predictions, label = 'naive')
                                       plt.xlabel('Day')
                                       plt.ylabel("Returns")
                                       plt.title('Predicting Bitcoin Returns')
                                       plt.legend()
                                       plt.show()
```

We expect better results as log transformation approximates our series as stationary.

```
In [37]: # number of days for each dataset
dataset_size = 600
# number of datasets
```

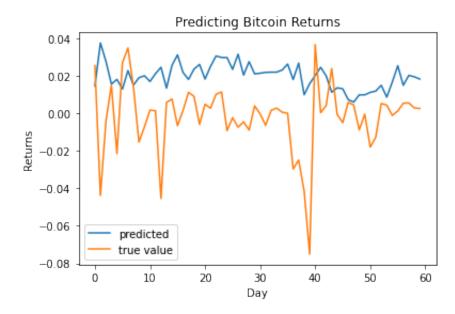
```
# number of datasets
cases = round(len(df)/dataset_size)

# start day index
start = 0

# for each dataset
for case in range(cases):
    print("Test Set :", case+1, "of", cases)
    # last day index
    end = start + dataset_size
    # fit model and plot predictions
    forecast_log_returns(df[start:end], rf)
    # change start day index
    start+=dataset_size
```

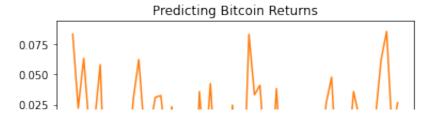
Test Set: 1 of 4

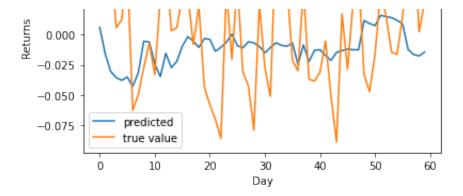
Model MAE: 0.02386150418435098 Naive MAE: 0.016462618252527837 Model RMSE: 0.029627735742402246 Naive RMSE: 0.02661446413826886



Test Set: 2 of 4

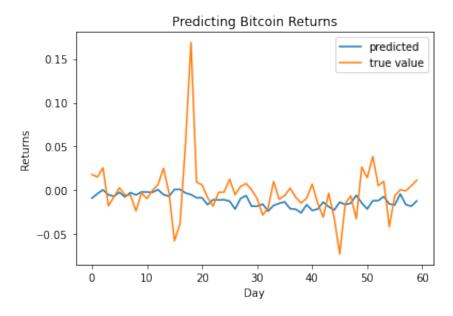
Model MAE: 0.03900769562781225 Naive MAE: 0.04243099538041882 Model RMSE: 0.04625733689827784 Naive RMSE: 0.05263941928645714





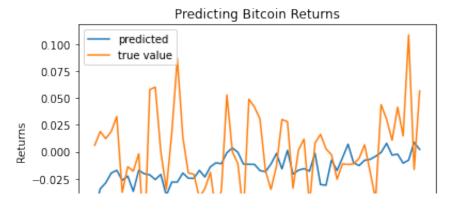
Test Set: 3 of 4

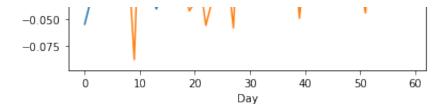
Model MAE: 0.020111862186876772 Naive MAE: 0.022505103923804063 Model RMSE: 0.03172962531481274 Naive RMSE: 0.03563844306310241



Test Set: 4 of 4

Model MAE: 0.03154457920262549 Naive MAE: 0.03573614246140195 Model RMSE: 0.040717996185095535 Naive RMSE: 0.0486343842534521





The model performs close enough to the constant zero. Thus we predict log-returns and then transform those into raw values using an exponential. And then follow the previous approach of adding the returns to current day price.

```
In [38]: # funtion to predict price from log returns
                          def forecast_price_from_returns(df, model):
                                      ptr = round(len(df)*0.9)
                                      train_X = df[:ptr].drop(['next_day_price', 'next_day_returns', 'next_day_returns'
                                      train_Y = df[:ptr]['next_day_log_returns'].values
                                      test_X = df[ptr:].drop(['next_day_price','next_day_returns','ne
                                      test_Y = df[ptr:]['next_day_log_returns'].values
                                      # model.set_params(n_estimators=1000)
                                      model.fit(train_X, train_Y)
                                      predicted_returns = model.predict(test_X)
                                      raw_returns = np.exp(predicted_returns)
                                      predicted price = [sum(x) for x in zip(df['price'][ptr:].values
                                      true_price = df['next_day_price'][ptr:].values
                                      naive_predictions = df['price'][ptr:].values
                                      print("\n")
                                     print('Model MAE: ', mean_absolute_error(true_price, predicted_
                                     print('Naive MAE: ', mean_absolute_error(true_price, naive_pred
print('Model RMSE:', mean_squared_error(true_price, predicted_pr
                                      print('Naive RMSE:',mean_squared_error(true_price, naive_predic
                                      plt.plot(predicted_price, label ='predicted')
                                      plt.plot(true_price, label ='true value')
                                      plt.plot(naive_predictions, label = 'naive')
                                      plt.xlabel('Day')
                                      plt.ylabel("Price")
                                      plt.title('Predicting Bitcoin Price using Returns')
                                      plt.legend()
                                      plt.show()
```

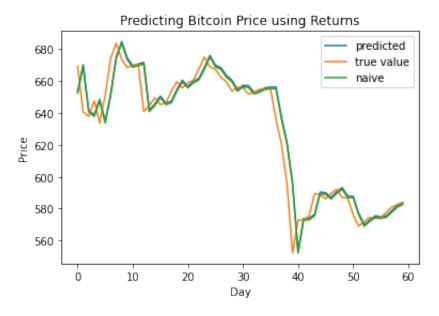
```
In [39]: # number of days for each dataset
    dataset_size = 600
# number of datasets
    cases = round(len(df)/dataset_size)
```

```
# start day index
start = 0

# for each dataset
for case in range(cases):
    print("Test Set :", case+1, "of", cases)
    # last day index
    end = start + dataset_size
    # fit model and plot predictions
    forecast_price_from_returns(df[start:end], rf)
    # change start day index
    start+=dataset_size
```

Test Set: 1 of 4

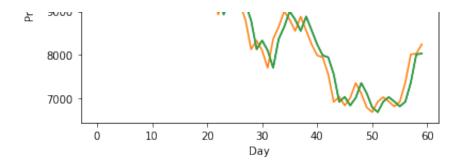
Model MAE: 7.299420973034066 Naive MAE: 7.3395666666666655 Model RMSE: 11.50994686617635 Naive RMSE: 11.361866291826063



Test Set: 2 of 4

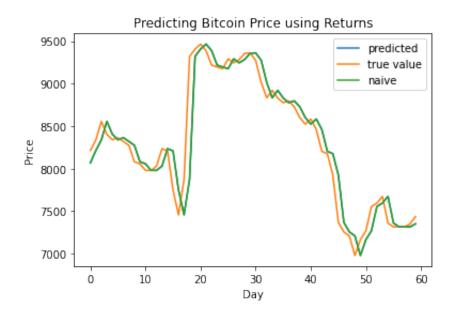
Model MAE: 328.7343149757995 Naive MAE: 328.73333333333335 Model RMSE: 390.1799504381827 Naive RMSE: 390.1454002462842





Test Set: 3 of 4

Model MAE: 144.0981872950378 Naive MAE: 143.933333333333334 Model RMSE: 250.64190049205723 Naive RMSE: 250.59874966434555

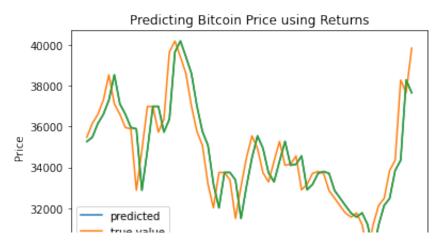


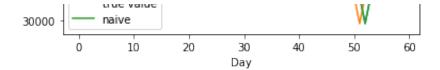
Test Set: 4 of 4

Model MAE: 985.0010115485152

Naive MAE: 985.0

Model RMSE: 1271.2242247971503 Naive RMSE: 1271.2830395575436





The model predictions (in blue) are so closely aligned to naive forecasts (green) that we cannot tell the difference visually. This is definitely better than the earlier observed variance but can not be used as a metric due to high noise in our data. All the datasets have same RMSE for our model as that of the naive forecast, suggesting that the model does perform quite well.

Feature Importance

This implies that the model must be producing genuine forecasts. So we check the feature importance for each test set, which was the underlying purpose of this research. That is, we now have a look at the most influential input-variables in each time-period.

```
In [40]: def get_features(df, model):
    ptr = round(len(df)*0.9)

    train_X = df[:ptr].drop(['next_day_price', 'next_day_returns', 'next_ain_Y = df[:ptr]['next_day_log_returns'].values

    test_X = df[ptr:].drop(['next_day_price', 'next_day_returns', 'next_est_Y = df[ptr:]['next_day_log_returns'].values

    model.set_params(n_estimators=100)
    model.fit(train_X, train_Y)
    feat_importances = pd.Series(model.feature_importances_, index=feat_importances.nlargest(10).plot(kind='barh')
    plt.tight_layout()
    plt.show()
```

```
In [41]: # number of days for each dataset
dataset_size = 600

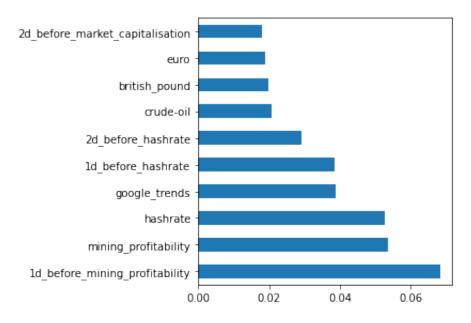
# number of datasets
cases = round(len(df)/dataset_size)

# start day index
start = 0

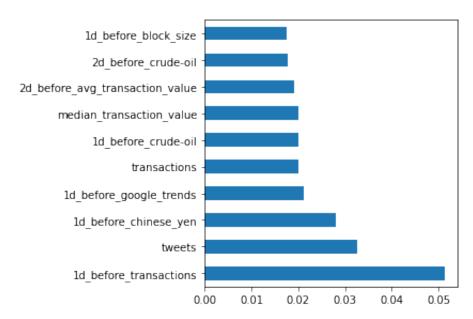
# for each dataset
for case in range(cases):
    print("Test Set :", case+1, "of", cases)
    # last day index
    end = start + dataset_size
    # fit model and plot predictions
    get_features(df[start:end], rf)
# share start day index
```

change start day index
start+=dataset_size

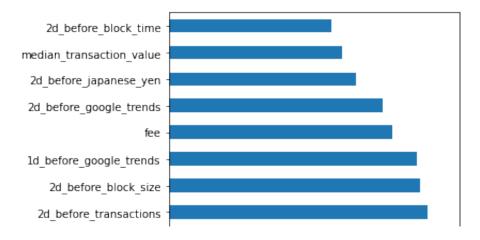
Test Set: 1 of 4

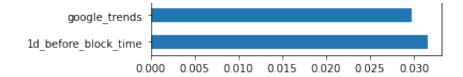


Test Set: 2 of 4

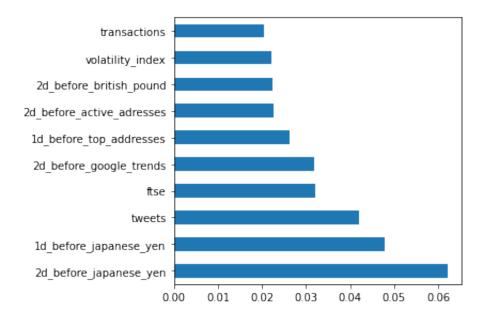


Test Set: 3 of 4





Test Set: 4 of 4



We observe that in early times (from 2015 to mid 2016) hash-rate, mining profitability, market capitalisation, block time, Euro and google trends were the top 10 estimators, in the order of their importance. It is clearly evident that blockchain attributes had a great influence on Bitcoin's exchange price and macroeconomic features had no role whatsoever. This is probably because Bitcoin did not get as hyped up as it did after 2017 (on hitting \$20,000).

Moving on to the next time period, from late 2016 to early 2018 — tweets, google trends, Chinese Yen, crude oil, transaction count, transaction value and block size seem to be quite influential. As per our expectation, the economic involvement is slightly increasing. Moreover, tweets have also shown some influence by this time.

From mid 2018 to late 2019 — google trends, transaction count, block time, bock size, Japanese Yen, transaction fee, active addresses and transaction value have shown to be quite important in determining the bitcoin price. Surprisingly, there is negligible involvement of macroeconomic features while technological attributes continue to have control over the price. Google seems to be present across all the years up till now.

Finally, we look at the recent months (early 2020 onwards) when the world economy was hit by global pandemic — Japanese Yen, British pound, FTSE, volatility index, top addresses, transaction count, google trends, tweets, constitute the important feature set. Contrastingly, the blockchain involvement has significantly dropped and the economic features have suddenly taken a strong control over bitcoin pricing. Yet again google and tweets are still relevant.

Statistical Testing

We use a Diebold Mariano test to compare the forecast accuracies of our model against the naive to ensure the results are statistically significant.

 H_0 : the two forecasts have same level of accuracy

 H_1 : the two forecasts have different level of accuracy

The funtion beneath returns 3 variables - true price, naive forecasts and model forecasts which would later be fed into the function from dm test library.

```
In [42]: from dm_test import dm_test

In [43]: 
def get_prices(df, model):
    ptr = round(len(df)*0.9)

    train_X = df[:ptr].drop(['next_day_price', 'next_day_returns', 'netrain_Y = df[:ptr]['next_day_log_returns'].values

    test_X = df[ptr:].drop(['next_day_price', 'next_day_returns', 'netest_Y = df[ptr:]['next_day_log_returns'].values

    model.set_params(n_estimators=1000)
    model.fit(train_X, train_Y)
    predicted_returns = model.predict(test_X)

    raw_returns = np.exp(predicted_returns)
    predicted_price = [sum(x) for x in zip(df['price'][ptr:].values

    true_price = df['next_day_price'][ptr:].values
    naive_predictions = df['price'][ptr:].values

    return true price, naive predictions, predicted price
```

```
In [44]: # number of days for each dataset
         dataset size = 600
         # number of datasets
         cases = round(len(df)/dataset_size)
         # start day index
         start = 0
         # for each dataset
         for case in range(cases):
             print("Test Set :", case+1, "of", cases)
             # last day index
             end = start + dataset_size
             # fit model and plot predictions
             output_li = get_prices(df[start:end], rf)
             rt = dm_test(output_li[0],output_li[1],output_li[2],h = 1, crit
             print(rt)
             print("\n")
             # change start day index
             start+=dataset_size
         Test Set: 1 of 4
         dm_return(DM=-1.1267448677582803, p_value=0.26441228911789466)
```

```
dm_return(DM=-1.1267448677582803, p_value=0.26441228911789466)

Test Set : 2 of 4
dm_return(DM=-0.27473070071254185, p_value=0.7844828817336525)

Test Set : 3 of 4
dm_return(DM=-0.3351585192332609, p_value=0.7386942756220234)

Test Set : 4 of 4
dm_return(DM=0.46463968850811144, p_value=0.6438996678665686)
```

With high p-values we could not reject the null hypothesis.

Conclusions

- The potential influence on bitcoin price transitioned from technological features (early years) towards the economic ones (current day).
- The random forest and naïve forecast have different forecast-accuracies and the results were insignificantly less accurate.
- It is a non-stationary time series with stochastic trends and thus could not be predicted.
- The dynamics for Bitcoin change drastically and determining their returns is not plausible