

Data Structures HW2

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Problem 1:

Pseudo-Code

```
let linked\_list be the linked\_list we want to reverse.

let size be the size of the linked\_list.

for i in range(0, size / 2) do

let temp\_node1 points to the head of the linked-list do (i) times:

temp\_node1 \leftarrow temp\_node1.next
let temp\_node2 points to the head of the linked-list do (size - i - 1) times:

temp\_node2 \leftarrow temp\_node2.next
swap data of temp\_node1 and temp\_node2.

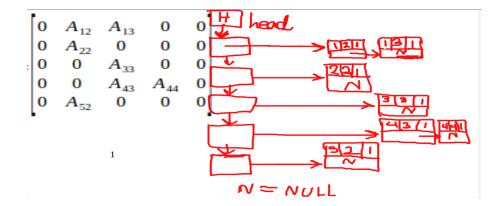
end

Now the list have reversed.
you can see the source code of the implementation in the src directory.
```

Problem 2:

we can represent the sparce matrix in linked-list representaion. for that :

- 1. each Node has 2 more fields as the i and j index for representing where the data was in the matrix
- 2. each Node has pointers to its right side Node.
- 3. we use index nodes to represent rows of the matrix in the linked-list for the given example matrix we have :



Problem 3:

we can do this by followings:

- 1. iterate over array and push them in the stack.
- 2. now pop the stack (size of array) times and put them in the array.

Pseudo-Code

```
for i in the array \mathbf{do}

| push i to the stack.

end

let index := 0.

while the stack is not empty \mathbf{do}

| let elem := stack.pop

| put elem in the index-th cell of the array

| index \leftarrow index + 1

end
```

Problem 4:

A

popped elements are : [h, s, f] elements in the stack are : [d, m]

В.

dequeued elements are : [d, h, f] elements in the queue are : [s, m]

Problem 5:

a) 2, 4, 5, 3, 1

<u>-, -, -, -, -, -, -, -, -, -, -, -, -, -</u>	
push (1)	$[\emptyset]$
push (2)	$[\emptyset]$
pop	[2]
push (3)	[2]
push (4)	[2]
pop	[2, 4]
push (5)	[2, 4]
pop	[2, 4, 5]
pop	[2, 4, 5, 3]
pop	[2, 4, 5, 3, 1]

b) 1, 3, 5, 4, 2.

/	
push (1)	$[\emptyset]$
pop	[1]
push(2)	[1]
push(3)	[1]
pop	[1, 3]
push(4)	[1, 3]
push (5)	[1, 3]
pop	[1, 3, 5]
pop	[1, 3, 5, 4]
pop	[1, 3, 5, 4, 2]

Problem Bounce:

```
we use q_1, q_2 for implementation.
for the Push method abstraction :
```

```
\begin{array}{l} \textbf{if} \ q_1.isEmpty() \ \textbf{then} \\ | \ q_1.enqueue(element) \\ \textbf{end} \\ \textbf{else} \\ | \ current\_size := q_1.size() \\ | \ \textbf{for} \ i \ in \ (0, \ current\_size) \ \textbf{do} \\ | \ q_2.enqueue(q_1.dequeue()) \\ | \ \textbf{end} \\ | \ q_1.enqueue(element) \\ | \ \textbf{for} \ i \ in \ (0, \ current\_size) \ \textbf{do} \\ | \ q_1.enqueue(q_2.dequeue()) \\ | \ \textbf{end} \\ \\ \textbf{end} \\ \end{array}
```

and for the Pop method abstraction : $% \left\{ \left\{ 1\right\} \right\} =\left\{ 1\right\} \left\{ \left\{ 1\right\} \right\}$

```
return q_1.dequeue()
```