

## COMP202 FALL 2020 HOMEWORK 2

I have completed this assignment individually, without support from anyone else. I hereby accept that only the below listed sources are approved to be used during this assignment:

(i) Course textbook,

(ii) All material that is made available to me by the professor (e.g., via Blackboard for this course, course website, email from professor / TA),

(iii) Notes taken by me during lectures.

I have not used, accessed or taken any unpermitted information from any other source. Hence, all effort belongs to me.

**I signed as Sinan Cem Erdoğan (68912).**

```
ListNode reverseList(head)
    while(current != null)
        next = current.next
        current.setNext(previous)
        previous = current

    return previous;
```

We shift our 3 pointers  $n$  times and do 1 comparison.

**Time Complexity** for this function =  $T(n) = 3n+1$   
So it is  $O(n)$ .

We have some local variables(pointers).

**Space Complexity** for this function =  $O(1)$

```

ListNode middleElement (ListNode head) {
    slower = head;
    faster = head;

    if(head != null)

        while(faster != null && faster.next != null)
            faster = faster.next.next
            slower = slower.next

    return slower
}

```

We shift our 2 pointers  $n-(n\%2)$  times and do one comparison.

**Time Complexity** for this function =  
 $T(n) = 2(n-(n\%2)) + 1$   
 So it is  $O(n)$ .

We have 2 pointer variable locally.

**Space Complexity** for this function =  $O(1)$

```

boolean isPalindromeRestricted(head)
    resersed = reverseList(middleElement(head))
    while (revesed.next != null)
        if(head.data != reversed.data)
            return false
        head = head.next
        reversed = reversed.next
    return true
}

```

## Time Complexity

Time Compleixty for isPalindromeRestricted  
 $= T(n) \text{ for reverseList() } + T(n) \text{ for middleElement() } + 2 \text{ (two comparison).}$   
 $= (3n+1) + (2n+1) + 2$

We have  $T(n)$  for isPalindromeRestricted  $T(n) = 5n+4$

**Time Complexity** for this algorithm is  $O(5n+4) = O(n)$ .

## Space Complexity

For this algorithm we use nothing but a few pointers. When we call the function the space for them allocated and when the function returns they are deallocated.

**Space Complexity** for this algorithm is  $O(1)$ .

```

ListNode listToNewList(head)
    tempHead = head
    head2 = null
    current = null
    while(head != null)
        if (head2 == null)
            head2 = new ListNode(head.data)
            current = head2
            head = head.next
        else
            current.setNext(new ListNode(head.data))
            current = current.next
            head = head.next

    return head2

```

We copy the values from list to a list one by one. We go until the end of the list and assign them to the list.

**Time Complexity** for this function =  $T(n) = 2n$ . It is  $O(n)$ .

We create an list of  $n$  integer.  $n$  is the number of integer in the old list.

**Space Complexity** for this function =  $O(n)$ .

```

boolean isPalindromeUnrestricted(ListNode head)
    reversedHead = reverseList(listToNewList(head))

    if(head != null && reversedHead != null)
        if(head.data != reversedHead.data)
            return false

    while(head.next != null && reversedHead.next != null)
        reversedHead = reversedHead.next
        head = head.next
        if(head.data() != reversedHead.data)
            return false

    return true

```

## Time Complexity

Time Complexity for isPalindromeRestricted

$= T(n) \text{ listToNewList() } + T(n) \text{ for reverseList() } + 4n + 4 = 2n + 3n + 1 + 4n + 4 = 9n + 5$

We have  $T(n)$  for isPalindromeRestricted  $T(n) = 9n + 5$

**Time Complexity** for this algorithm is  $O(9n + 5) = O(n)$ .

## Space Complexity

For this algorithm we create an list of size  $n$  to compare the values. Allocated space for this algorithm basically  $n + c(\text{constant})$ .

**Space Complexity** for this algorithm is  $O(n)$ .