# Efficient Time Synchronization in WSNs by Adaptive Value Tracking

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#### Outline

- Motivation
  - Flooding Based Synchronization
  - Our Focus
- **Existing Flooding Based Schemes** 
  - FTSP
  - PulseSync
  - FCSA
- Adaptive Value Tracking Synchronization Protocol (AVTS)
  - Network-Wide Synchronization with AVTS
  - Experimental Results
- Conclusions



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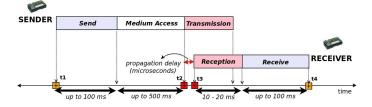


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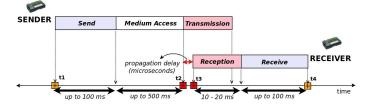
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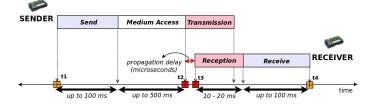
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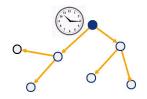


#### Participate in time synchronization

- exchange current time information periodically (e.g. hw clock value)
- calculate a *logical clock* L(t) (represents the common time).
  - $= \frac{dL(t)}{dt} = h(t)/(t)$ : rate multiplier of L.

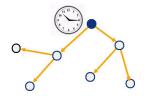
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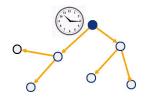
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- Slaves establish a relationship their clock ← received time
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  - predict future time without communicating frequently
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- Minimize clock skew (synchronization error) at any time instant
  - ► Global Skew skew between arbitrary nodes MAIN GOAL!

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  - ▶ poor synchronization performance FTSP [Maróti et al., 2004]
  - demanding rapid-flooding PulseSync [Lenzen et al., 2009]
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#### **Our Question**

Is it possible to achieve high quality time synchronization without having these drawbacks?

- We introduce a new time synchronization protocol whose main component is adaptive-value tracking - AVTS protocol
  - identical synchronization with an approximately 97% less CPU overhead and 80% less memory allocation

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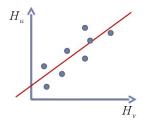


## Master - Slave Synchronization



- **Send** time  $t_1$ :  $H_u(t_1)$
- Receive time  $t_2$ :

$$H_v(t_2), \hat{H}_u(t_2)$$

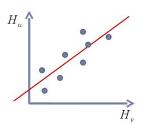


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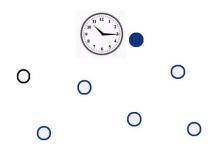


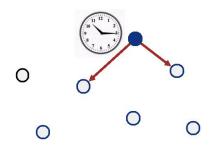
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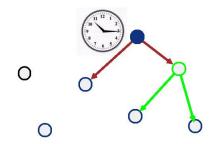
#### Least-squares line

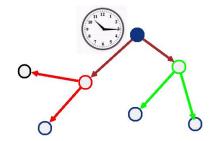
- Linear relationship is modeled as  $Y_i = \alpha + \beta x_i + \varepsilon_i \sim \mathcal{N}(\mu, \sigma^2)$
- Logical Clock  $L_v = \hat{\alpha} + \hat{\beta} H_v$ 
  - $\hat{\beta} = \frac{h_u}{h_v} = \frac{\sum (x_i \bar{x})(Y_i \bar{Y})}{\sum (x_i \bar{x})^2} \text{rate multiplier}$
  - $\hat{\alpha} = \overline{Y} \hat{\beta}\overline{x} \text{offset}$

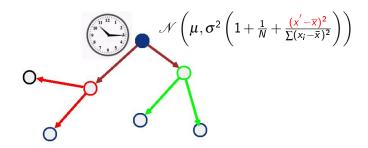


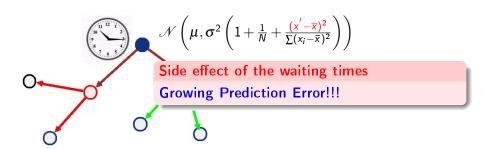




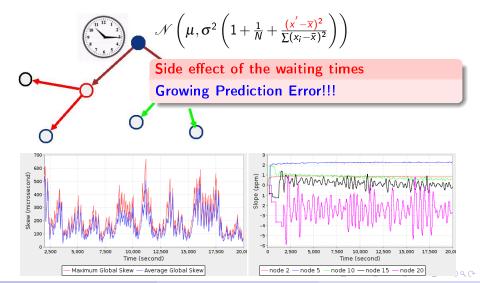


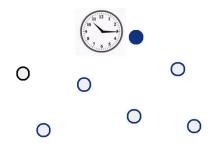


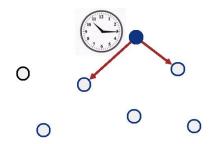


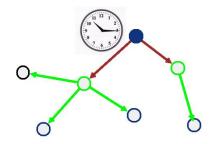


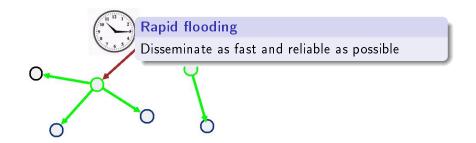
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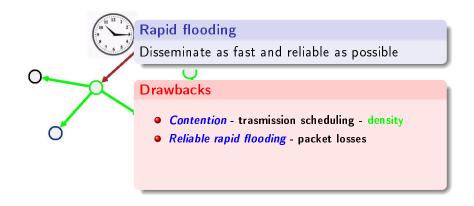


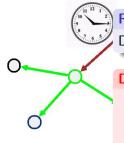










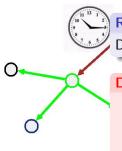


## Rapid flooding

Disseminate as fast and reliable as possible

#### Drawbacks

- Contention trasmission scheduling density
- Reliable rapid flooding packet losses
- constructive interference (CI) [Ferrari et al., 2011]
  - Scalability problem!!![Wang et al., 2012]

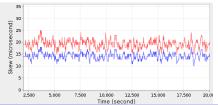


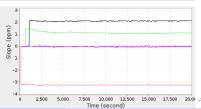
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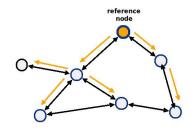
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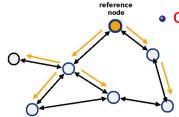




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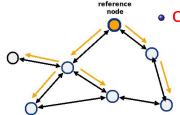
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### Clock Speed Agreement

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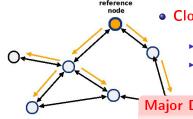
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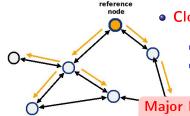
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Memory constraints - density - connectivity

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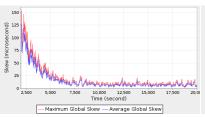
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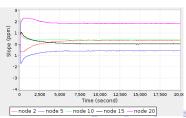
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  - It is the responsibility of this node to send correct feedbacks to its avt

#### Next step proposed value

$$v_{t+1} = \begin{cases} v_t + \Delta_{t+1}, & f_{v_t} = f \uparrow \\ v_t - \Delta_{t+1}, & f_{v_t} = f \downarrow \\ v_t, & f_{v_t} = f \approx \end{cases}$$

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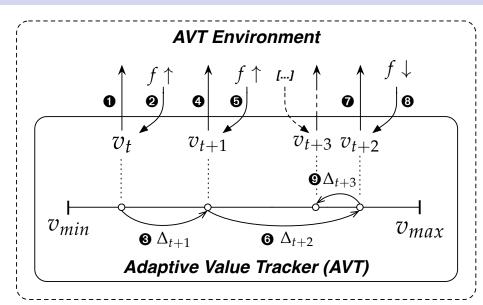
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- 2 Successive feedbacks of *opposite directions*:  $v_t$  is *oscillating* around  $v^*$ , hence  $\Delta_{t+1} = \Delta_t \cdot \lambda_{decr}$
- **3** When  $f \approx v_t$  has reached an (at least, briefly) **correct value**, hence  $\Delta_{t+1} = \Delta_t \cdot \lambda_{decr}$

### **AVT** and **Environment** - Interaction



 $\square$  Upon receiving  $< L_v, seq_v >$ such that  $seq_u < seq_v$ 

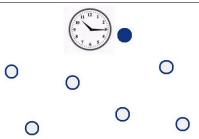
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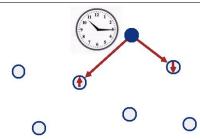
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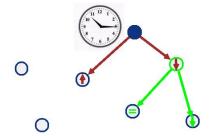
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```

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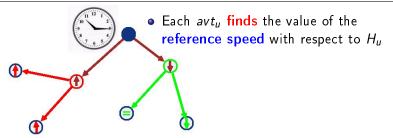
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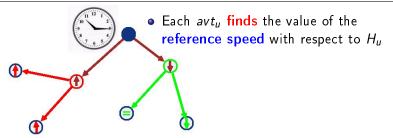
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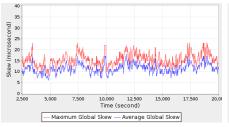


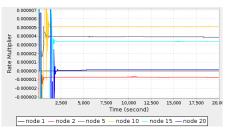
## **Experiments with AVTS**

- $v^* \in [-10^{-4}, 10^{-4}]$   $\pm \text{MICAz } 100 \text{ ppm, i.e. } 10^{-4} \text{ seconds.}$
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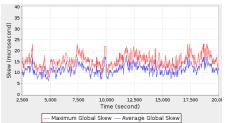
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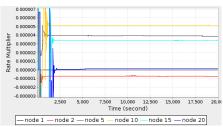




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### Memory and Energy Requirements

CPU
Message Length
RAM
ROM

FTSP	PulseSync	FCSA	AVTS
$\approx$ 5440 $\mu s$	$pprox$ 5440 $\mu$ s	5620 $\mu s$ for $ \mathcal{N} =1$	≈ <b>175</b> μs
9 bytes	9 bytes	15 bytes	9 bytes
40 bytes	40 bytes	$64* \mathcal{N} $ bytes	9 bytes
18000 bytes	17856 <i>bytes</i>	20660 <i>bytes</i>	<b>15696</b> bytes

### Outline

- - Flooding Based Synchronization
  - Our Focus
- - FTSP
  - PulseSync
  - FCSA
- - Network-Wide Synchronization with AVTS
  - Experimental Results
- Conclusions



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