

A row of five large, bold, black letters on white rectangular cards. The letters are tilted at approximately a 45-degree angle. From left to right, the letters are 'I', 'N', 'D', 'E', and 'X'. Each letter is enclosed in a thin black border.

IBM22CS279

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26/09/22

Lab 1: Genetic Algorithm for Optimization Problem

A genetic algorithm is an optimization technique inspired by natural selection, where the fittest individuals in a population are selected to reproduce and create the next generation. GAs are particularly useful for solving complex problems where traditional methods struggle.

1. Chromosome: A chromosome represents a potential solution to the problem. It is typically encoded as a binary string.
2. Population: A population consists of multiple chromosomes (solutions). The population evolves over generations, with each generation ideally improving the quality of solution.
3. Fitness Function: It evaluates how good a solution is with respect to the optimization goal. Higher fitness value indicates better solution.
4. Selection: The best solution with higher fitness value are selected to create the next generation.
5. Crossover (Recombination): Two selected parent exchange materials and combine it to create new offsprings.
6. Mutation: Randomly alters parts of a solution to maintain diversity.
7. Generation & Iteration: The process repeats over many generations, gradually improving solutions.

8. Output: At the end of the process, the algorithm outputs the best solution it has found.

✓ 26/9/2024

Lab 2.Algorithm for genetic algorithm

- Step 1. Initialize parameters: set the population size, mutation rate, crossover rate & no of generations.
- Step 2. Generate Initial population: create a random population of potential solutions within the given bounds.
- Step 3. Evaluate Fitness: calculate the fitness of each individual in the population by evaluating the objective function.
- Step 4. Select Parents: select the fittest individuals from the population to reproduce based on their fitness.
- Step 5. Crossover: perform crossover between the selected parents to create new offspring, with a probability equal to the crossover rate.
- Step 6. Mutate: apply mutation to the offspring, with a probability equal to mutation rate, to introduce new traits.
- Step 7. Replace Least Fit: replace the least fit individuals in the population with the new offspring.
- Step 8. Repeat: repeat steps 3-7 for a fixed number of generations or until convergence criteria are met.
- Step 9. Output Best Soln: return the best soln found during the generations, which is the individual with the highest fitness.

→ The basic idea behind a genetic algorithm is to simulate the process of evolution by iteratively selecting, breeding and mutating a population of candidate solution.

→ The genetic algorithm is used for

- Optimizing problems such as scheduling, resource allocation and portfolio optimization
- machine learning to optimize parameters of models such as neural networks and decision trees.
- engineering design: to optimize complex systems such as electronic circuits etc.
- computer network: to optimize network routing, scheduling and resource allocation.

→ Optimizing Techniques:

- selection: selecting the fittest individuals from the population to reproduce.
- crossover: combining the genetic information of two parents to create a new offspring.
- mutation: randomly changing the genetic information of an individual to introduce new trait.
- elitism: preserving the best solution from the previous generation to ensure that the best solution are not lost.
- Simulated binary crossover: a crossover technique that simulates the process of binary crossover to create new offspring.

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Lab 3: Code Implementation for Genetics algo.

```
import random
import numpy as np.
```

```
def objective_function(x):
```

$$\text{return } x^4 + 2 + 2^x + 1$$

```
def generate_initial_population(population_size, bounds):
```

```
population = []
```

```
for _ in range(population_size):
```

```
x = random.uniform(bounds[0], bounds[1])
```

```
population.append(x)
```

```
return population
```

```
def evaluate_fitness(population):
```

```
fitness = []
```

```
for x in population:
```

```
fitness.append(objective_function(x))
```

```
return fitness
```

```
def selection(population, fitness, num_parents):
```

```
parents = []
```

```
for _ in range(num_parents):
```

```
max_fitness_idx = np.argmax(fitness)
```

```
parent.append(population[max_fitness_idx])
```

```
fitness[max_fitness_idx] = float('inf')
```

```
return parents
```

~~def crossover(parents, crossover_rate):~~

~~offspring = []~~

~~for _ in range(len(parents) // 2):~~

~~parent1, parent2 = random.sample(parents, 2)~~

~~if random.random() < crossover_rate:~~

$x_1, x_2 = \text{parents}_1, \text{parent}_2$
 $x = \text{offspring} = (x_1 + x_2)/2$
 $\text{offspring}.append(x = \text{offspring})$
return offspring.

def mutation(offspring, mutation_rate, bounds):
for i in range(len(offspring)):
if random.random() < mutation_rate:
offspring[i] += random.uniform(-0.1, 0.1)
bounds[1] - bounds[0]
offspring[i] = max(bounds[0], min(offspring[i],
bounds[1]))
return offspring

def genetic_algorithm(population_size, mutation_rate, num_gens, num_sols, num_parents, bounds):
population = generate_initial_population(pop_size, bounds)
for generation in range(num_gens):
fitness = evaluate_fitness(population)
parents, selection(population, fitness, population_size)
offspring = crossover(parents, crossover_rate)
offspring = mutation(offspring, mutation_rate, bounds)
population = offspring + parents
best_solution = max(population, key=objective_function)
return best_solution

population_size = 100
mutation_rate = 0.01
crossover_rate = 0.5
num_generations = 50
bounds = (-10, 10)

best_sol = genetic_alg(pop_size, mutation_rate, crossover_rate, num_gens, num_sols, bounds)
print("Best Solution:", best_solution)

Soln: Best Solution: 10.0

~~10.0~~ m/s²

04/11/2023

Lab : Particle Swarm Optimization.

- PSO is an optimization algorithm inspired by the social behavior of animals such as bird flocking or fish schooling. The goal is to find optimal solutions to complex problems by having many "particles" explore the solution space. Each particle adjusts its position based on its own experience and the experience of its neighbors, ultimately converging towards the best solution.
- ~~Algorithm~~ Code Implementation

import numpy as np

```
def f(x):
    A = 10
```

```
    return A * len(x) + sum((x - 5) ** 2 - A * np.cos(2 * np.pi * x))
    for x_i in x)
```

class Particle:

```
    def __init__(self, dim):
```

```
        self.position = np.random.uniform(-5.12, 5.12, dim)
```

```
        self.velocity = np.random.uniform(-1, 1, dim)
```

```
        self.best_position = np.copy(self.position)
```

```
        self.best_value = f(self.position)
```

class PSO:

```
    def __init__(self, num_particles, dim, inertia_weight, cognitive_coeff,
                social_coeff, max_iter):
```

```
        self.num_particles = num_particles
```

```
        self.dim = dim
```

```
        self.inertia_weight = inertia_weight
```

self · cognitive_coeff, cognitive_coeff

self · social_coeff = social_coeff

self · max_iter = max_iter

self · swarm = Particle(dim) for i in range(num_particles)

self · global_best_position, self · swarm[0].best_pos

self · global_best_value = self · swarm[0].best_value

def optimize(self):

for iteration in range(self · max_iter):

for particle in self · swarm:

fitness_value = cost_func(particle · position)

if fitness_value < particle · best_value:

particle · best_value = fitness_value

particle · best_pos = np · copy(particle · position)

~~if fitness_value < self · global · best · value:~~

~~self · global · best · value = fitness_value~~

~~self · global · best · position = np · copy(particle · best · position)~~

for particle in self · swarm:

u1 = np · random.rand(self · dim)

u2 = np · random · rand(self · dim)

particle · velocity = self · inertia · weight + particle · velocity

self · cognitive_coeff * u1 * (particle · best · position
particle · position) +

self · social · coeff * u2 * (self · global · best · pos))

- particle · position + = particle · velocity

return self · global · best · position, self · global · best · value.

num. particles = 30

dim = 2

inertia weight = 0.7

cognitive coeff = 1.5

Social coeff = 1.5

max iter = 100

PSO: PSO(num. particles, dim, inertia weight, cognitive coeff,
social coeff, max iter)

best position, best value = PSO.optimize()

print("Best Position:", best position)

print("Best Value:", best value)

Output:

Best Position: [3.131552e-10 4.9656e-08]

Best Value: 4.9027448762e-13.

✓ ✓
✓ ✓
✓ ✓
✓ ✓

4/11/24

dab:5 Ant colony optimization

Ant colony optimization provides a biologically inspired approach to solving the Travelling Salesman problem by mimicking the natural behavior of ants. By using pheromone trails and probabilistic path selection, ACO can effectively explore the solution space and converge towards optimal or near-optimal solutions for TSP.

```
import numpy as np
import random
```

class AntColony:

```
def __init__(self, cities, num_ant, alpha, beta, rho,
            iterations):
```

```
    self.cities = cities
```

```
    self.num_cities = len(cities)
```

```
    self.num_ant = num_ant
```

```
    self.alpha = alpha
```

```
    self.beta = beta
```

```
    self.rho = rho
```

```
    self.best_route = None
```

```
    self.best_distance = float('inf')
```

```
def calculate_distance_matrix(self):
```

```
    distance_matrix = np.zeros((self.num_cities, self.num_cities))
```

```
    for i in range(self.num_cities):
```

```
        for j in range(self.num_cities):
```

```
            distance_matrix[i][j] = np.linalg.norm(np.array([
```

```
                self.cities[i] - np.array(self.cities[j])))
```

~~return distance_matrix~~

def choose-next-city(self, current-city, visited):
probabilities = []
for city in range (self.num_cities):
if city not in visited:
pheromone = self.pheromone[current-city][city]
heuristic = (1/self.distances[visited[-1]][current-city])/self.distances[city][city]
probabilities.append(pheromone * heuristic)
else:
probabilities.append(0)
probabilities = np.array(probabilities)
probabilities /= probabilities.sum()
return np.random.choice(range(self.num_cities), p=probabilities)

def construct_solution(self):
for i in range(self.num_cities):
visited = [0]
for i in range(1, self.num_cities):
next_city = self.choose-next-city(visited[-1], visited)
visited.append(next_city)
visited.append(0)
distance = self.calculate_route_distance(visited)
if distance < self.best_distance:
self.best_distance = distance
self.best_route = visited

def calculate_route_distance(self, route):
return sum([self.distances[route[i]][route[i+1]] for i in range(len(route)-1)])

def update_pheromones(self):
self.pheromone *= (1 - self.eta) + self.eta / self.best_route[1]:
for city in range(len(self.best_route) - 1):
self.pheromone[self.best_route[city]][self.best_route[city+1]] += 1 / self.best_distance

`def optimize(self):`

`for i in range(self.iterations):`

`self.construct_solution()`

`self.replace_pheromone()`

`seeker, self.best_route, self.best_distance.`

`if __name__ == "main":`

`cities = [(0, 0), (1, 2), (2, 4), (3, 1), (4, 3)]`

`num_ant = 10`

`alpha = 1.0`

`beta = 2.0`

`rho = 0.5`

`iterations = 10`

`aco = AntColony(cities, num_ant, alpha, beta, rho, iterations)`

`best_route, best_distance = aco.optimize()`

`print("Best Route:", best_route)`

`print("Best Distance:", best_distance).`

~~Output:~~

~~Best Route: [0, 1, 2, 4, 3, 0]~~

~~Best Distance: 10.10654970~~

~~13.11~~

21-11-24

Lab 6: Cuckoo Search.

Cuckoo search is a ^{nature} inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nest of other birds, leading to the optimization of survival strategies. CS uses Levy flights to generate new solutions, providing global search capabilities and avoiding local minima.

```
import numpy as np
import random
from scipy.special import gamma
```

```
def levy_flight(beta=1.5, d=1):
    sigma_u = np.power(gamma(1+beta) * np.sin(np.pi * beta / 2) / gamma((1+beta)/2) + beta * np.cos(np.pi * beta / 2), 1/beta)
    u = np.random.normal(0, sigma_u, size=d)
    v = np.random.normal(0, 1, size=d)
    step = u / np.power(np.abs(v), 1/beta)
    return step
```

```
def initialize_population(n_nest, n_dim, lower_bound,
                         upper_bound):
    return np.random.uniform(lower_bound, upper_bound,
                            (n_nest, n_dim))
```

```
def fitness_function(x):
    return np.sum(x ** 2)
```

```
def cuckoo_search(n_nest, n_dim, lower_bound, upper_bound,
                  max_iter, po=0.25):
    nest = initialize_population(n_nest, n_dim, lower_bound,
                                 upper_bound)
```

`fitness = np.array([fitness.function(nest) for nest in nest])`

`best_idx = np.argmax(fitness)`

`best_nest = nest[best_idx]`

`best_fitness = fitness[best_idx]`

for iterator in range(max_iter):

for i in range(len(nest)):

~~step = levy_flight(d, n_dim)~~

~~new_nest = nest[i] + step + (nest[i] - best_nest)~~

~~new_nest = np.clip(new_nest, lower_bound, upper_bound)~~

~~new_fitness = fitness.function(new_nest)~~

~~if new_fitness < fitness[i]:~~

~~nest[i] = new_nest~~

~~fitness[i] = new_fitness~~

~~if new_fitness < best_fitness:~~

~~best_nest = new_nest~~

~~best_fitness = new_fitness~~

for i in range(n_nest):

~~if random.random() < pa:~~

~~nest[i] = np.random.uniform(lower_bound, upper_bound, n_dim)~~

~~fitness[i] = fitness.function(nest[i])~~

~~if (iteration + 1) % 100 == 0 or iteration == max_iter - 1:~~

~~print(f"Iteration {iteration + 1}, Best Fitness: {best_fitness}")~~

~~return best_nest, best_fitness~~

n_nests = 25

n_dim = 10

lower_bound = -5

upper_bound = 5

$$\text{max_val} = 1000$$

$$pa = 0.25.$$

Best solution, best solution fitness, circloop search
 nests, radius, lower bound, upper bound,
 max_val, pa)

print ("Best Solution found: ", best_solution)

print ("Best fitness value: ", best_solution_fitness)

Output:

Iteration 100, Best Fitness: 6.392706003611

Iteration 200, - " - : 6.3927060003611

Iteration 300, - " - : 6.3927060003611

Iteration 400, - " - : 6.3927060003611

Iteration 500, - " - : 5.880452968744521

Iteration 600, - " - : 4.591037860385532

Iteration 700, - " - : 3.793057326065373

Iteration 800, - " - : 3.793057326065373

Iteration 1000, - " - : 3.793057325065573

~~Best Solution found, 1.0.19809919 1.00318854 -0.26658955~~

~~-0.36678597 -0.02855916 1.00519953 -0.580022~~

~~-0.35422787 -0.361117 4.0.390487167~~

~~Best fitness value: 3.793057326065373~~

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Lab 7: Grey Wolf Optimizer

The grey wolf optimizer is a swarm intelligence algo inspired by the social hierarchy and hunting behaviour of grey wolves. It mimics the leadership structure of alpha, beta, & omega wolves and their collaboration hunting strategies.

~~import numpy as np~~

def objective function(x):

return np.sum(x ** 2)

def grey_wolf_optimizer(lb, ub, dim, iters, wolves_count, iterations):

alpha_pos = np.zeros(dim)

delta_pos = np.zeros(dim)

delta_pos = np.zeros(dim)

alpha_score = float("inf")

beta_score = float("inf")

delta_score = float("inf")

wolves_positions = np.random.uniform(lb, ub, (wolves_count, dim))

for iteration in range(iterations):

for i in range(wolves_count):

fitness = obj_func(wolves_positions[i])

if fitness < alpha_score:

alpha_score, alpha_pos, fitness, wolves_positions[i] = copy()

elif fitness < beta_score:

beta_score, beta_pos, fitness, wolves_positions[i] = copy()

clip fitness < delta_soul:

delta_soul, delta_pos = fitness, evolves position[i]

for i in range(len(xes - count)):

for j in range(dim):

$\alpha_i = \alpha - 2^{\alpha} / \text{iterations}$

$y_1, y_2 = np.random.rand(), np.random.rand()$

$$A_1 = 2^{\alpha} \alpha * y_1 - \alpha$$

$$C_1 = 2^{\alpha} y_2$$

D_alpha, abs(C1 + alpha_pos[j] - evolves position[i])

X1, alpha_pos[j] - A1 + D_alpha

$y_1, y_2 = np.random.rand(), np.random.rand()$

$$A_2 = 2^{\alpha} \alpha * y_1 - \alpha$$

$$C_2 = 2^{\alpha} y_2$$

D_beta, abs(C2 + beta_pos[j] - evolves position[i])

X2, beta_pos[j] - A2 + D_beta

$y_1, y_2 = np.random.rand(), np.random.rand()$

$$A_3 = 2^{\alpha} \alpha * y_1 - \alpha$$

$$C_3 = 2^{\alpha} y_2$$

D_delta, abs(C3 + delta_pos[j] - evolves position[i])

X3, delta_pos[j] - A3 + D_delta

evolves position[i][j] = $(x_1 + x_2 + x_3) / 3$

evolve_positions[i] = np.clip(evolve_positions[i], lb, ub)

return alpha_pos, alpha_soul.

dimension = 5

lower bound = -10

upper bound = 10

creolies = 30

max_iterations = 50

best_position, best_score, grey_wolf_optimizer (

objective function, dimension, lower bound,
upper bound, creolies, max iteration)

print("Best position", best_position)

print("Best score:", best_score)

B Output

Best position: 16.39416683 6.4005065 -6.5953075
 1.98218731 -7.16874410 e-08

Best Score: -2.4025629534

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Lab 8: Parallel Cellular Algorithm.

Parallel cellular algorithms are inspired by the functioning of biological cells that operate in a highly parallel and distributed manner.

```
import numpy as np.
```

```
def eastorigin_function(x):
```

```
A = 10
```

```
return A * len(x) + sum((xi - 10) * np.cos((x - np.pi) / 10) for xi in x)
```

```
class Parallel Cellular Algorithm:
```

```
def __init__(self, grid_size=(5, 5), dim=2, neighborhood='moore', iterations=100):
```

```
self.grid_size = grid_size
```

```
self.dim = dim
```

```
self.neighborhood = neighborhood
```

```
self.bounds = bounds
```

```
self.grid = np.random.uniform(bounds[0], bounds[1], grid_size[0] * grid_size[1])
```

```
self.fitness = np.zeros((grid_size[0], grid_size[1]), grid_size[1], dim)
```

```
def evaluate_fitness(self):
```

```
for i in range(self.grid_size[0]):
```

```
for j in range(self.grid_size[1]):
```

```
self.fitness[i][j] = eastorigin_func(self.grid[i][j])
```

```
def get_neighbours(self, i, j):
```

```
neighbours = []
```

```
directions = []
```

```
if self.neighborhood == 'moore':
```

```
directions = [(-1, -1), (-1, 0), (-1, 1), (0, -1), (0, 1), (1, -1), (1, 0), (1, 1)]
```

```
elif self.neighborhood == 'von_neumann':
```

```
directions = [(-1, 0), (0, -1), (0, 1)]
```

```

update_status(self):
    new_grid, self.grid.copy()
    for i in range(self.grid_size[0]):
        for j in range(self.grid_size[1]):
            neighbors = self.get_neighbors(i, j)
            self.grid, new_grid

```

run(self):

```

for iteration in range(self.iterations):
    self.evaluate_fitness()
    self.update_status()
print(f"Iteration {iteration+1}/{self.iterations} ")
print("Optimization complete")
print("Best Solution: ", self.best_solution)
print("Best Fitness: ", self.best_fitness)

```

```

if __name__ == "__main__":
    pca = ParallelCellularAlgorithm(grid_size=(10, 10),
                                     dir=2, neighborhood='moore')
    pca.run()

```

Output.

~~Optimization complete~~

~~Best Solution: [-0.0337945 -0.0340210]~~

~~Best Fitness: 0.451717~~

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Lab 9: Optimization via Gene Expression Algorithm

Gene Expression Algo. are inspired by the biological process of gene expression in living organisms. The process involves the translation of genetic information encoded in DNA into functional proteins.

```

import numpy as np
import random

def objective_function(x):
    A = 10
    return A * len(x) + sum((xi ** 2 - A * np.cos(2 * np.pi * xi))) for xi in x

class GeneExpressionAlgorithm:
    def __init__(self, pop_size=10, gene_l=10, bounds=(-5, 5), self.pop_size=pop_size,
                 self.gene_length=gene_length,
                 self.mutation_rate=mutation_rate,
                 self.bounds=bounds):
        self.pop_size = pop_size
        self.gene_length = gene_length
        self.mutation_rate = mutation_rate
        self.bounds = bounds

    def random_gene_sequence(self):
        return np.random.uniform(self.bounds[0], self.bounds[1], size=self.gene_length)

    def evaluate_fitness(self, gene_sequence):
        return objective_function(gene_sequence)

    def selection(self):
        tournament_size = 3
        Selected = []
        for i in range(self.pop_size):
            tournament = random.sample(self.population, tournament_size)
            selected = min(tournament, key=lambda x: self.evaluate_fitness(x))
            Selected.append(selected)
        return Selected
    
```

```

def mutate(self, gene_sequence):
    for i in range(len(gene_sequence)):
        if random.random() < self.mutation_prob:
            gene_sequence[i] += np.random.uniform(-1.0, 1.0)
            gene_sequence[i] = np.clip(gene_sequence[i], -1.0, 1.0)
    return gene_sequence
    self.bonus(i)

```

```

def gene_expression(self, gene_sequence):
    return gene_sequence

```

```

def sum(self):
    for generation in range(self.generation):
        fitness_values = [self.evaluate_fitness(ind) for ind
                          in self.population]
        best_idx = np.argmax(fitness_values)
        selected_pop = self.selection()
        next_population = []
        for i in range(0, self.pop_size, 2):
            parent1 = selected_pop[i]
            parent2 = selected_pop[i+1]
            offspring1, offspring2 = self.crossover(p1, p2)
            next_pop.append(self.mutate(offspring1))
        self.population = next_population

```

print("Optimization complete")

print("Best Sol: ", self.best_sol)

print("Best Fitness: ", self.best_fitness)

global sum()

OOP Optimization Complete

Best Sol: [-0.02796831 -0.01908583]

Best Fitness: 0.226972

