



ENM319 Production and Operations Planning

&

BIM213 Data Structures and Algorithms

Term Project

Final Report

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1. Assignment

Work Packages For Industrial Engineering Students :

Task (Calculating)	Responsible Person	Due Date
Exponential Smoothing	Pelin Kanar, Bahar Gürsoy	28.11.2021
Double Exponential Smoothing	Pelin Kanar, Bahar Gürsoy	28.11.2021
Regression analysis	Pelin Kanar, Bahar Gürsoy	30.11.2021
Deseasonalized regression analysis	Pelin Kanar, Bahar Gürsoy	03.11.2021
Calculating MSE and determining the best method	Pelin Kanar, Bahar Gürsoy	03.11.2021
Explanation about the best method	Pelin Kanar, Bahar Gürsoy	04.11.2021

Work Packages For Computer Engineering Students :

Task	Responsible Person	Due Date
Interface designing	Sinem Türkçü	10.12.2021
Integration of the interface	Kawa Alismail	17.12.2021
Data structures manipulation	Ebru Şara Bağca	25.12.2021

2. Datasets

Dataset 1:

Month	Jan.	Feb	Mar.	Apr.	May.	Jun.	Jul	Aug.	Sep.	Oct.	Nov.	Dec.
Demand Year 1	300	350	330	340	390	430	480	460	490	510	550	560
Demand Year 2	550	590	600	610	630	620	680	690	710	730	740	770

Dataset 2:

Month	Jan.	Feb	Mar.	Apr.	May.	Jun.	Jul	Aug.	Sep.	Oct.	Nov.	Dec.
Demand Year 1	200	300	250	600	650	670	400	440	430	900	980	990
Demand Year 2	300	370	380	710	730	790	450	480	490	930	960	980

2. Exponential Smoothing

3.1 Solution on Excel

3.1.1 For Dataset 1;

Month	Demand Year 1	Demand Year 2	Forecast Year 1	Forecast Year 2	Error Year 1	Error Year 2	Error^2 Year 1	Error^2 Year 2	MSE
Jan.	300	550	300,00	477,05	0,00	-72,95	0,00	5.321,48	7.507,52
Feb	350	590	300,00	491,64	-50,00	-98,36	2.500,00	9.674,45	
Mar.	330	600	310,00	511,31	-20,00	-88,69	400,00	7.865,39	
Apr.	340	610	314,00	529,05	-26,00	-80,95	676,00	6.552,84	
May.	390	630	319,20	545,24	-70,80	-84,76	5.012,64	7.184,21	
Jun.	430	620	333,36	562,19	-96,64	-57,81	9.339,29	3.341,74	
Jul	480	680	352,69	573,75	-127,31	-106,25	16.208,35	11.288,26	
Aug.	460	690	378,15	595,00	-81,85	-95,00	6.699,36	9.024,42	
Sep.	490	710	394,52	614,00	-95,48	-96,00	9.116,37	9.215,53	
Oct.	510	730	413,62	633,20	-96,38	-96,80	9.289,83	9.369,86	
Nov.	550	740	432,89	652,56	-117,11	-87,44	13.714,05	7.645,48	
Dec.	560	770	456,31	670,05	-103,69	-99,95	10.750,70	9.990,15	

3.1.2 For Dataset 2;

Month	Demand Year 1	Demand Year 2	Forecast Year 1	Forecast Year 2	Error Year 1	Error Year 2	Error^2 Year 1	Error^2 Year 2	MSE
Jan.	200	300	200,00	689,15	0,00	389,15	0,00	151.435,65	69.188,27
Feb	300	370	200,00	611,32	-100,00	241,32	10.000,00	58.234,31	
Mar.	250	380	220,00	563,05	-30,00	183,05	900,00	33.508,88	
Apr.	600	710	226,00	526,44	-374,00	-183,56	139.876,00	33.693,01	
May.	650	730	300,80	563,15	-349,20	-166,85	121.940,64	27.837,34	
Jun.	670	790	370,64	596,52	-299,36	-193,48	89.616,41	37.433,04	
Jul	400	450	430,51	635,22	30,51	185,22	930,98	34.306,09	
Aug.	440	480	424,41	598,18	-15,59	118,18	243,06	13.965,39	
Sep.	430	490	427,53	574,54	-2,47	84,54	6,11	7.147,04	
Oct.	900	930	428,02	557,63	-471,98	-372,37	222.763,10	138.657,82	
Nov.	980	960	522,42	632,11	-457,58	-327,89	209.381,55	107.514,66	
Dec.	990	980	613,93	697,68	-376,07	-282,32	141.425,51	79.702,00	

3.2 Solution on Java

For dataset 1:

Figure 1

300.0	477.05152307200007
300.0	491.6412184576001
310.0	511.31297476808006
314.0	529.0503798128641
319.20000000000005	545.2403038502913
333.36	562.1922430802331
352.88800000000005	573.7537944641865
378.15040000000005	595.0030355713493
394.52032	614.0024284570795
413.616256	633.2019427656637
432.8930048	652.5615542125311
456.31440384000007	670.0492433700249

Figure 2

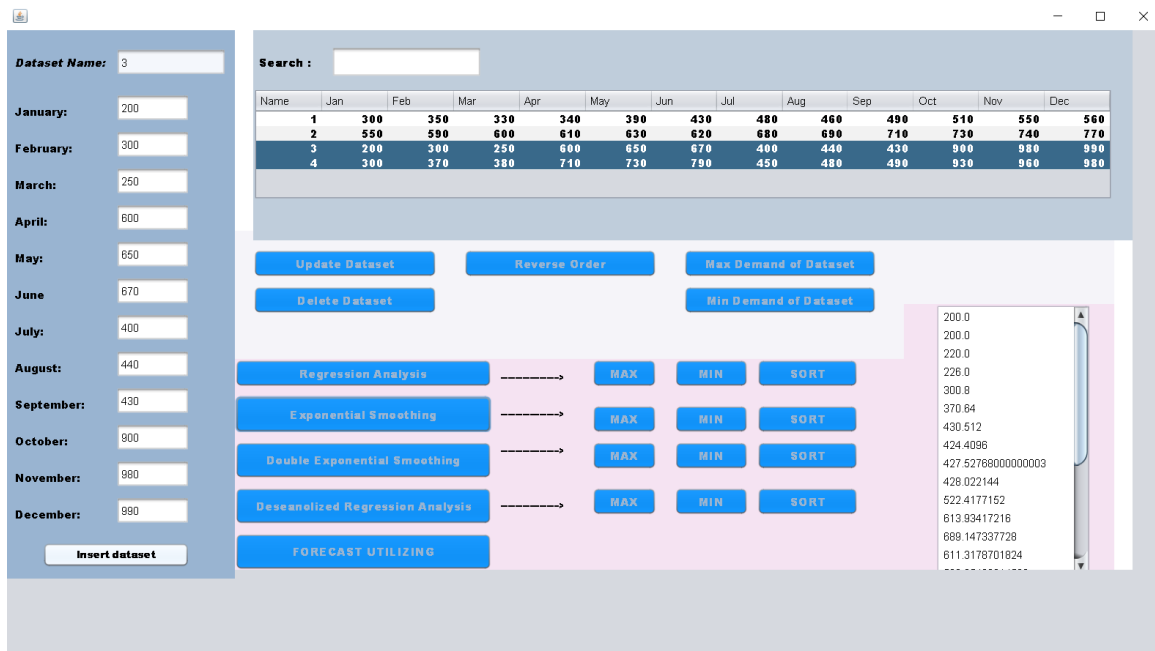


Figure 3

200.0	689.147337728
200.0	611.3178701824
220.0	563.05429614592
226.0	526.4434369167361
300.8	563.1547495333889
370.64	596.5237996267111
430.512	635.219039701369
424.4096	598.1752317610951
427.52768000000003	574.5401854088761
428.022144	557.6321483271009
522.4177152	632.1057186616808
613.93417216	697.6845749293448

Figure 4

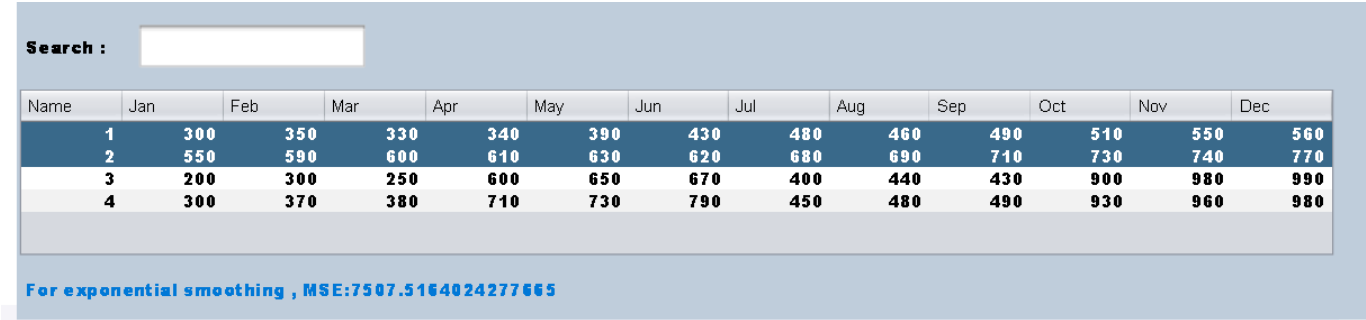


Figure 5

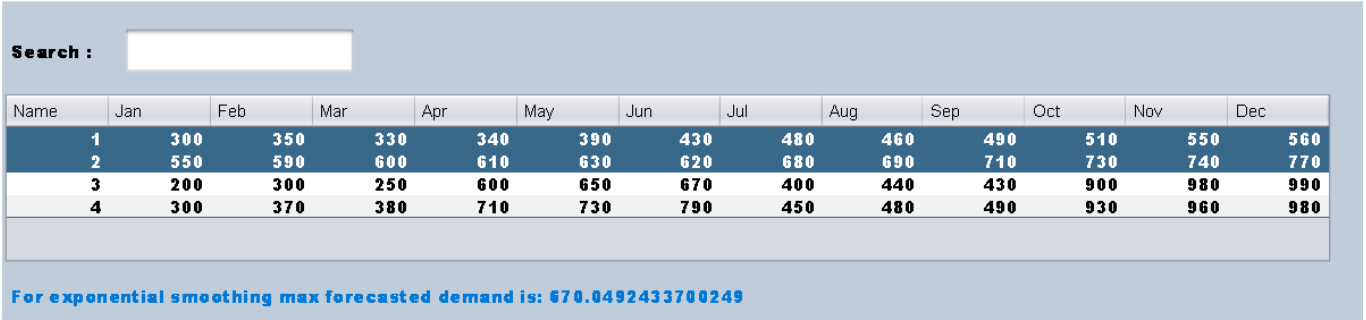


Figure 6

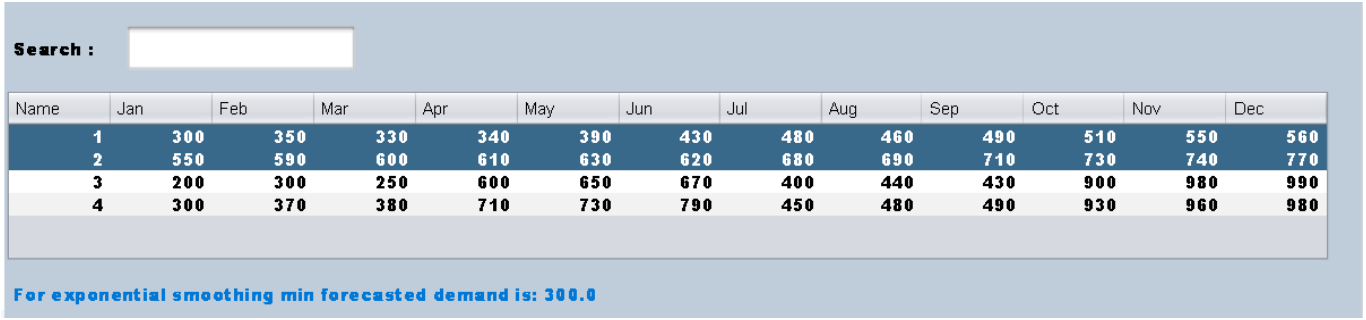


Figure 7

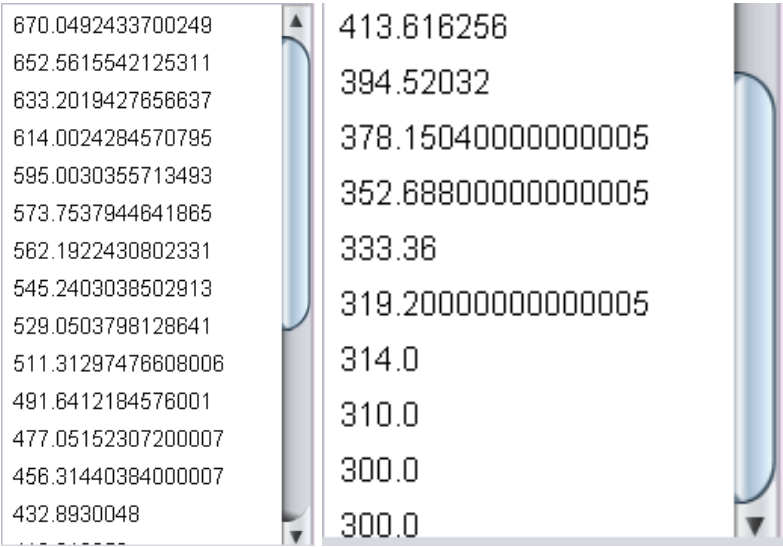


Figure 8

- Figure 1 and Figure 2 shows Dataset1 Forecast year 1 and forecast year 2 values. Figure 3 and Figure 4 shows Dataset2 Forecast year1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the exponential smoothing formula and added the forecasted years to a new arraylist using this method. Then I printed the arraylist containing the estimated years into a Jtable.

For this methods code:

```
ArrayList list = new ArrayList();

list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 1).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 2).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 3).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 4).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 5).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 6).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 7).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 8).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 9).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 10).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 11).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[0], 12).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 1).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 2).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 3).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 4).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 5).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 6).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 7).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 8).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 9).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 10).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 11).toString()));
list.add(Double.parseDouble(model.getValueAt(selectedRow[1], 12).toString()));
```

Figure 9

In Figure 9 , code snipped, pulled the data from the selected rows from the table.


```

ArrayList tahmin1 = new ArrayList();
tahmin1.add(list.get(0));
tahmin1.add((Double) list.get(0) * a + (Double) tahmin1.get(0) * (1 - a));
tahmin1.add((Double) list.get(1) * a + (Double) tahmin1.get(1) * (1 - a));
tahmin1.add((Double) list.get(2) * a + (Double) tahmin1.get(2) * (1 - a));
tahmin1.add((Double) list.get(3) * a + (Double) tahmin1.get(3) * (1 - a));
tahmin1.add((Double) list.get(4) * a + (Double) tahmin1.get(4) * (1 - a));
tahmin1.add((Double) list.get(5) * a + (Double) tahmin1.get(5) * (1 - a));
tahmin1.add((Double) list.get(6) * a + (Double) tahmin1.get(6) * (1 - a));
tahmin1.add((Double) list.get(7) * a + (Double) tahmin1.get(7) * (1 - a));
tahmin1.add((Double) list.get(8) * a + (Double) tahmin1.get(8) * (1 - a));
tahmin1.add((Double) list.get(9) * a + (Double) tahmin1.get(9) * (1 - a));
tahmin1.add((Double) list.get(10) * a + (Double) tahmin1.get(10) * (1 - a));
tahmin1.add(a * (Double) list.get(11) + (Double) tahmin1.get(11) * (1 - a));

tahmin1.add((Double) list.get(12) * a + (Double) tahmin1.get(12) * (1 - a));
tahmin1.add((Double) list.get(13) * a + (Double) tahmin1.get(13) * (1 - a));
tahmin1.add((Double) list.get(14) * a + (Double) tahmin1.get(14) * (1 - a));
tahmin1.add((Double) list.get(15) * a + (Double) tahmin1.get(15) * (1 - a));
tahmin1.add((Double) list.get(16) * a + (Double) tahmin1.get(16) * (1 - a));
tahmin1.add((Double) list.get(17) * a + (Double) tahmin1.get(17) * (1 - a));
tahmin1.add((Double) list.get(18) * a + (Double) tahmin1.get(18) * (1 - a));
tahmin1.add((Double) list.get(19) * a + (Double) tahmin1.get(19) * (1 - a));
tahmin1.add((Double) list.get(20) * a + (Double) tahmin1.get(20) * (1 - a));
tahmin1.add((Double) list.get(21) * a + (Double) tahmin1.get(21) * (1 - a));
tahmin1.add((Double) list.get(22) * a + (Double) tahmin1.get(22) * (1 - a));
tahmin1.add((Double) list.get(23) * a + (Double) tahmin1.get(23) * (1 - a));

```

Figure 10

- In Figure 10, code snipped, applied an exponential smoothing formula and added the forecasted years to a new arraylist.
- Figure 5 shows MSE values for exponential smoothing. To find the MSE value, I created a new arraylist after the codes
- I wrote in figure1, figure 2 (also figure3, figure 4), and entered the data about the errors of these values in the arraylist, and found it by doing the necessary operations in Figure11.

```

error1.add(0);
error1.add((Double) tahmin1.get(1) - (Double) list.get(1) * ((Double) tahmin1.get(1) - (Double) list.get(1)));
error1.add((Double) tahmin1.get(2) - (Double) list.get(2) * ((Double) tahmin1.get(2) - (Double) list.get(2)));
error1.add((Double) tahmin1.get(3) - (Double) list.get(3) * ((Double) tahmin1.get(3) - (Double) list.get(3)));
error1.add((Double) tahmin1.get(4) - (Double) list.get(4) * ((Double) tahmin1.get(4) - (Double) list.get(4)));
error1.add((Double) tahmin1.get(5) - (Double) list.get(5) * ((Double) tahmin1.get(5) - (Double) list.get(5)));
error1.add((Double) tahmin1.get(6) - (Double) list.get(6) * ((Double) tahmin1.get(6) - (Double) list.get(6)));
error1.add((Double) tahmin1.get(7) - (Double) list.get(7) * ((Double) tahmin1.get(7) - (Double) list.get(7)));
error1.add((Double) tahmin1.get(8) - (Double) list.get(8) * ((Double) tahmin1.get(8) - (Double) list.get(8)));
error1.add((Double) tahmin1.get(9) - (Double) list.get(9) * ((Double) tahmin1.get(9) - (Double) list.get(9)));
error1.add((Double) tahmin1.get(10) - (Double) list.get(10) * ((Double) tahmin1.get(10) - (Double) list.get(10)));
error1.add((Double) tahmin1.get(11) - (Double) list.get(11) * ((Double) tahmin1.get(11) - (Double) list.get(11)));
error1.add((Double) tahmin1.get(12) - (Double) list.get(12) * ((Double) tahmin1.get(12) - (Double) list.get(12)));
error1.add((Double) tahmin1.get(13) - (Double) list.get(13) * ((Double) tahmin1.get(13) - (Double) list.get(13)));
error1.add((Double) tahmin1.get(14) - (Double) list.get(14) * ((Double) tahmin1.get(14) - (Double) list.get(14)));
error1.add((Double) tahmin1.get(15) - (Double) list.get(15) * ((Double) tahmin1.get(15) - (Double) list.get(15)));
error1.add((Double) tahmin1.get(16) - (Double) list.get(16) * ((Double) tahmin1.get(16) - (Double) list.get(16)));
error1.add((Double) tahmin1.get(17) - (Double) list.get(17) * ((Double) tahmin1.get(17) - (Double) list.get(17)));
error1.add((Double) tahmin1.get(18) - (Double) list.get(18) * ((Double) tahmin1.get(18) - (Double) list.get(18)));
error1.add((Double) tahmin1.get(19) - (Double) list.get(19) * ((Double) tahmin1.get(19) - (Double) list.get(19)));
error1.add((Double) tahmin1.get(20) - (Double) list.get(20) * ((Double) tahmin1.get(20) - (Double) list.get(20)));
error1.add((Double) tahmin1.get(21) - (Double) list.get(21) * ((Double) tahmin1.get(21) - (Double) list.get(21)));
error1.add((Double) tahmin1.get(22) - (Double) list.get(22) * ((Double) tahmin1.get(22) - (Double) list.get(22)));
error1.add((Double) tahmin1.get(23) - (Double) list.get(23) * ((Double) tahmin1.get(23) - (Double) list.get(23)));

```

Figure 11

- Then I find the average value of this data. MSE was calculated at the end of these processes.
- Figure 6, Figure 7 and Figure 8 shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.

```

int j, P, Tmp;
for (P = 1; P < 12; P++) {
    double Tmp2 = (Double) max2[P];
    for (j = P; j > 0 && (Double) max2[j - 1] > Tmp2; j--) {
        max2[j] = max2[j - 1]; //Shift A[j-1] to right
    }
    max2[j] = Tmp2;
}

```

Figure 12

Figure 12 shows the insertion sort algorithm.

For dataset 2:

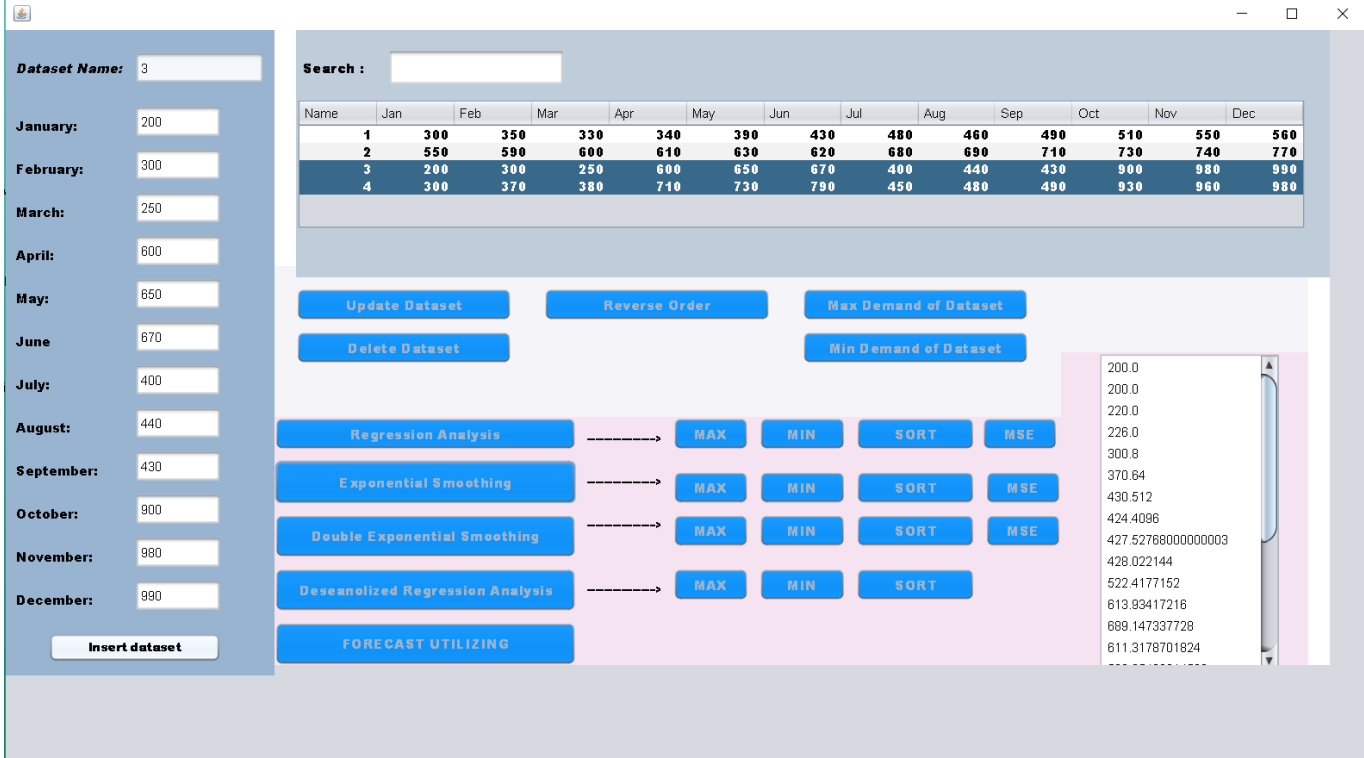


Figure 13

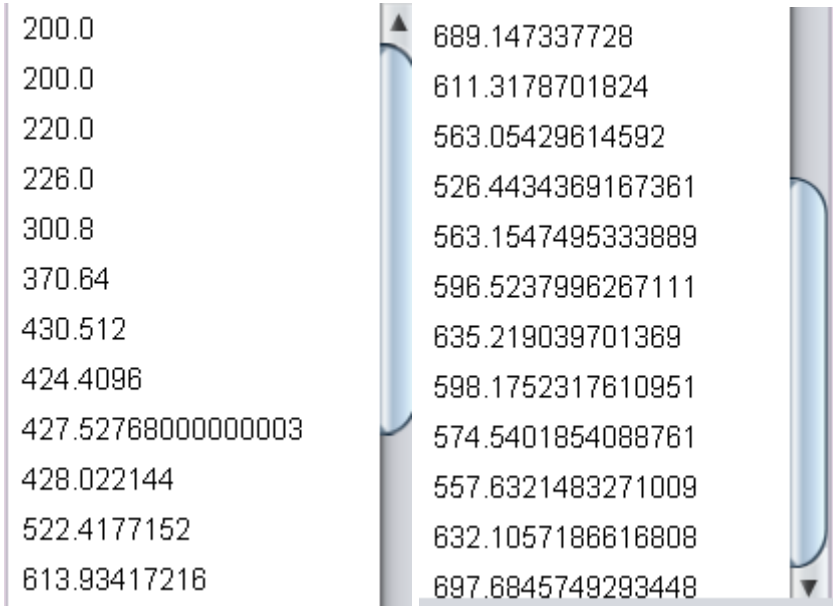


Figure 14

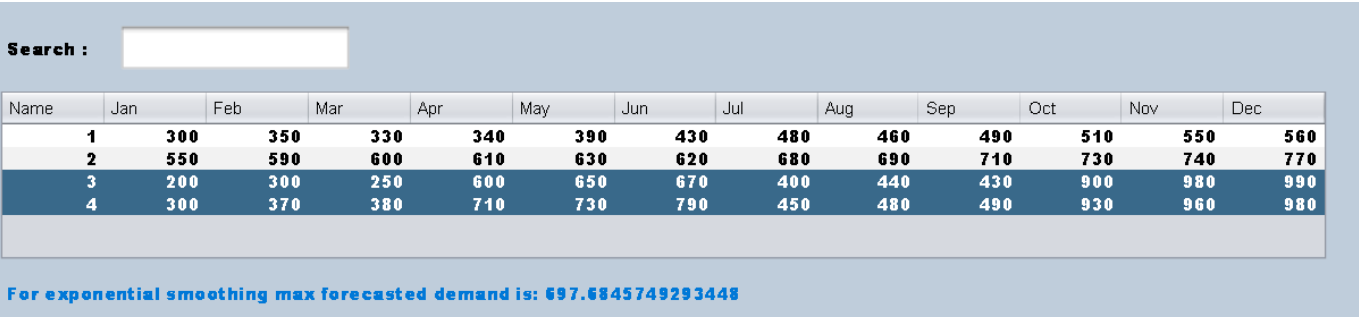


Figure 15

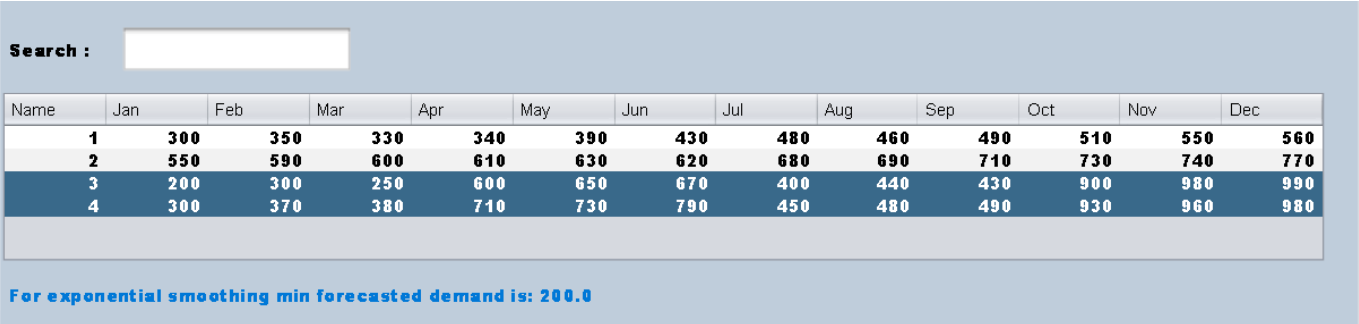


Figure 16

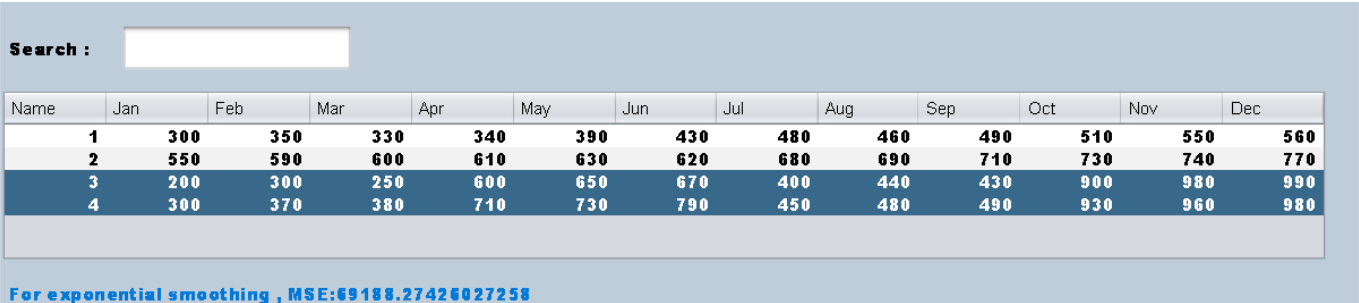
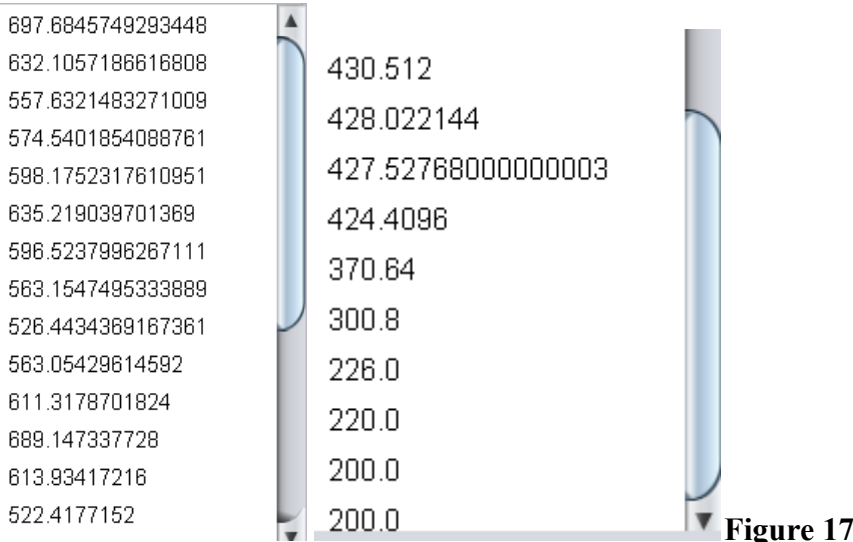


Figure 18

Figure 13 and Figure14 shows Dataset2 Forecast year1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the

exponential smoothing formula and added the forecasted years to a new arraylist using this method. Then I printed the

arraylist containing the estimated years into a Jtable.

- Figure 15, Figure 16 and Figure 17 shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.
- Figure 18 shows MSE values for dataset2.
- Dataset2 codes use the same code for Dataset 1.

3. Double-Exponential Smoothing

4.1 Solution on Excel

4.1.1 For Dataset 1;

Month	Demand Year 1	Demand Year 2	S	G	Forecast Year 1	S	G	Forecast Year 2	Error Year 1	Error Year 2	Error^2 Year 1	Error^2 Year 2	MSE
-------	------------------	------------------	---	---	--------------------	---	---	--------------------	-----------------	-----------------	-------------------	-------------------	-----

4.1.2 For Dataset 2;

Month	Demand Year 1	Demand Year 2	S	G	Forecast Year 1	S	G	Forecast Year 2	Error Year 1	Error Year 2	Error^2 Year 1	Error^2 Year 2	MSE
Jan.	200	300	240,00	48,00	250,00	813,99	36,69	942,49	50,00	642,49	2.500,00	412.790,97	68.287,99
Feb	300	370	290,40	48,48	288,00	754,54	17,46	850,68	-12,00	480,68	144,00	231.053,50	
Mar.	250	380	321,10	44,92	338,88	693,61	1,78	772,01	88,88	392,01	7.899,65	153.669,29	
Apr.	600	710	412,82	54,28	366,03	698,31	2,37	695,39	-233,97	-14,61	54.742,52	213,52	
May.	650	730	503,69	61,60	467,11	706,54	3,54	700,68	-182,89	-29,32	33.449,96	859,84	
Jun.	670	790	586,23	65,79	565,28	726,06	6,74	710,08	-104,72	-79,92	10.965,29	6.387,01	
Jul	400	450	601,61	55,71	652,02	676,24	-4,58	732,80	252,02	282,80	63.511,95	79.976,65	
Aug.	440	480	613,86	47,01	657,32	633,33	-12,24	671,67	217,32	191,67	47.227,97	36.735,68	
Sep.	430	490	614,70	37,78	660,87	594,87	-17,49	621,09	230,87	131,09	53.301,21	17.184,64	
Oct.	900	930	701,98	47,68	652,48	647,91	-3,38	577,39	-247,52	-352,61	61.268,04	124.336,41	
Nov.	980	960	795,73	56,89	749,66	707,62	9,24	644,53	-230,34	-315,47	53.055,76	99.522,73	
Dec.	990	980	880,10	62,39	852,62	769,49	19,76	716,86	-137,38	-263,14	18.872,29	69.242,76	

For dataset1:



Figure 19

250.0
312.0
373.12
416.29120000000006
449.77651200000001
484.17370112000015
517.5245043712001
552.7041667973122
573.1397300663094
592.1625914788548
608.0943769497369
626.5160302484531
640.592711677488
646.2303483536164
656.4912437603743
664.4403103353658
670.6219511819443
677.9423858119293
679.4810380834401
692.7327183773112
705.2247538773157
719.4093921222267
735.1807270332664
749.9905658807675

Figure 20

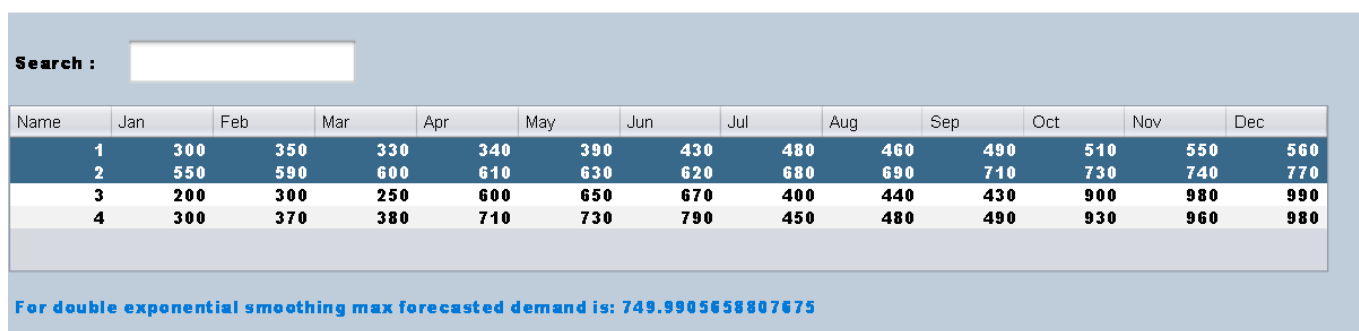


Figure 21

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

For double exponential smoothing min forecasted demand is: 250.0

Figure 22

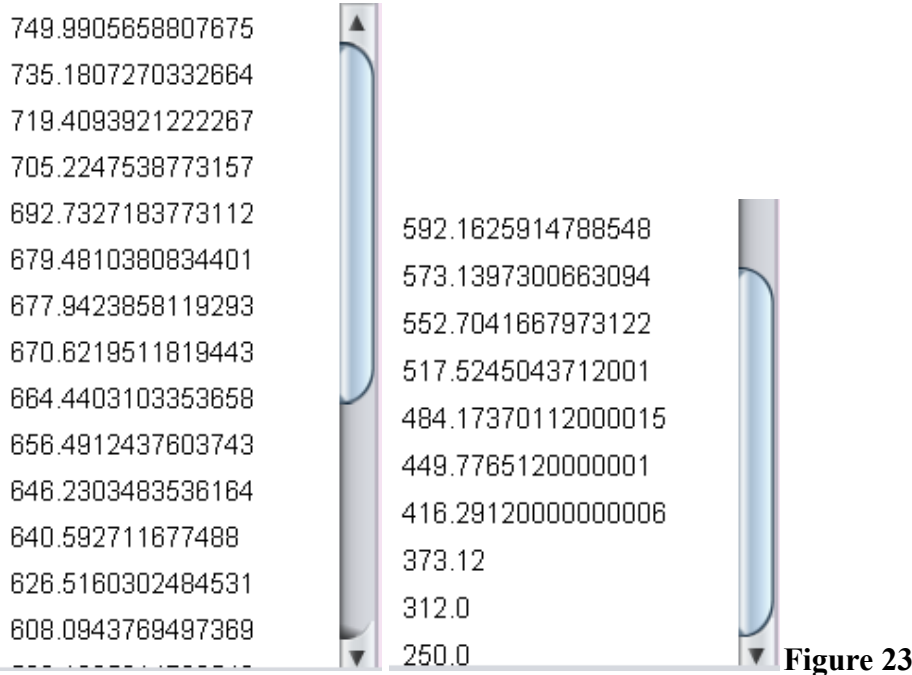


Figure 23

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

For double exponential smoothing , MSE:3028.9068862324616

Figure 24

- Figure 19 and Figure 20 shows Dataset1 Forecast year 1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the double exponential analysis formula and added the forecasted years to a new arraylist using this method. Then I printed the arraylist containing the estimated years into a Jtable.
- For this method code is the same as in exponential smoothing code. In my code, pulled data from selected rows codes are identical to all methods.
- Figure 21, Figure 22 and Figure 23 shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.
- Figure 24 shows MSE values for the double exponential method. To find the MSE value, I created a new arraylist and entered the data about the errors of these values in the arraylist, and found it by doing the necessary operations.
- Then I find the average value of this data. MSE was calculated at the end of these processes.

```
s.add((Double) list2.get(0) * a + (1 - a) * (x + y));
g.add(a * ((Double) s.get(0) - x) + 0.8 * y);
s.add(a * ((Double) list2.get(1) + (1 - a) * ((Double) s.get(0) + (Double) g.get(0)));
g.add(a * ((Double) s.get(1) - (Double) s.get(0)) + (1 - a) * (Double) g.get(0));
s.add(a * ((Double) list2.get(2) + (1 - a) * ((Double) s.get(1) + (Double) g.get(1)));
g.add(a * ((Double) s.get(2) - (Double) s.get(1)) + (1 - a) * (Double) g.get(1));
s.add(a * ((Double) list2.get(3) + (1 - a) * ((Double) s.get(2) + (Double) g.get(2)));
g.add(a * ((Double) s.get(3) - (Double) s.get(2)) + (1 - a) * (Double) g.get(2));
s.add(a * ((Double) list2.get(4) + (1 - a) * ((Double) s.get(3) + (Double) g.get(3)));
g.add(a * ((Double) s.get(4) - (Double) s.get(3)) + (1 - a) * (Double) g.get(3));
s.add(a * ((Double) list2.get(5) + (1 - a) * ((Double) s.get(4) + (Double) g.get(4)));
g.add(a * ((Double) s.get(5) - (Double) s.get(4)) + (1 - a) * (Double) g.get(4));
s.add(a * ((Double) list2.get(6) + (1 - a) * ((Double) s.get(5) + (Double) g.get(5)));
g.add(a * ((Double) s.get(6) - (Double) s.get(5)) + (1 - a) * (Double) g.get(5));
s.add(a * ((Double) list2.get(7) + (1 - a) * ((Double) s.get(6) + (Double) g.get(6)));
g.add(a * ((Double) s.get(7) - (Double) s.get(6)) + (1 - a) * (Double) g.get(6));
s.add(a * ((Double) list2.get(8) + (1 - a) * ((Double) s.get(7) + (Double) g.get(7)));
g.add(a * ((Double) s.get(8) - (Double) s.get(7)) + (1 - a) * (Double) g.get(7));
s.add(a * ((Double) list2.get(9) + (1 - a) * ((Double) s.get(8) + (Double) g.get(8)));
g.add(a * ((Double) s.get(9) - (Double) s.get(8)) + (1 - a) * (Double) g.get(8));
s.add(a * ((Double) list2.get(10) + (1 - a) * ((Double) s.get(9) + (Double) g.get(9)));
g.add(a * ((Double) s.get(10) - (Double) s.get(9)) + (1 - a) * (Double) g.get(9));
s.add(a * ((Double) list2.get(11) + (1 - a) * ((Double) s.get(10) + (Double) g.get(10)));
g.add(a * ((Double) s.get(11) - (Double) s.get(10)) + (1 - a) * (Double) g.get(10));
```

```
s.add(a * ((Double) list2.get(12) + (1 - a) * ((Double) s.get(11) + (Double) g.get(11)));
g.add(a * ((Double) s.get(12) - (Double) s.get(11)) + (1 - a) * (Double) g.get(11));
s.add(a * ((Double) list2.get(13) + (1 - a) * ((Double) s.get(12) + (Double) g.get(12)));
g.add(a * ((Double) s.get(13) - (Double) s.get(12)) + (1 - a) * (Double) g.get(12));
s.add(a * ((Double) list2.get(14) + (1 - a) * ((Double) s.get(13) + (Double) g.get(13)));
g.add(a * ((Double) s.get(14) - (Double) s.get(13)) + (1 - a) * (Double) g.get(13));
s.add(a * ((Double) list2.get(15) + (1 - a) * ((Double) s.get(14) + (Double) g.get(14)));
g.add(a * ((Double) s.get(15) - (Double) s.get(14)) + (1 - a) * (Double) g.get(14));
s.add(a * ((Double) list2.get(16) + (1 - a) * ((Double) s.get(15) + (Double) g.get(15)));
g.add(a * ((Double) s.get(16) - (Double) s.get(15)) + (1 - a) * (Double) g.get(15));
s.add(a * ((Double) list2.get(17) + (1 - a) * ((Double) s.get(16) + (Double) g.get(16)));
g.add(a * ((Double) s.get(17) - (Double) s.get(16)) + (1 - a) * (Double) g.get(16));
s.add(a * ((Double) list2.get(18) + (1 - a) * ((Double) s.get(17) + (Double) g.get(17)));
g.add(a * ((Double) s.get(18) - (Double) s.get(17)) + (1 - a) * (Double) g.get(17));
s.add(a * ((Double) list2.get(19) + (1 - a) * ((Double) s.get(18) + (Double) g.get(18)));
g.add(a * ((Double) s.get(19) - (Double) s.get(18)) + (1 - a) * (Double) g.get(18));
s.add(a * ((Double) list2.get(20) + (1 - a) * ((Double) s.get(19) + (Double) g.get(19)));
g.add(a * ((Double) s.get(20) - (Double) s.get(19)) + (1 - a) * (Double) g.get(19));
s.add(a * ((Double) list2.get(21) + (1 - a) * ((Double) s.get(20) + (Double) g.get(20)));
g.add(a * ((Double) s.get(21) - (Double) s.get(20)) + (1 - a) * (Double) g.get(20));
s.add(a * ((Double) list2.get(22) + (1 - a) * ((Double) s.get(21) + (Double) g.get(21)));
g.add(a * ((Double) s.get(22) - (Double) s.get(21)) + (1 - a) * (Double) g.get(21));
s.add(a * ((Double) list2.get(23) + (1 - a) * ((Double) s.get(22) + (Double) g.get(22)));
g.add(a * ((Double) s.get(23) - (Double) s.get(22)) + (1 - a) * (Double) g.get(22));
```

Figure 25

Figure 25, I added s and g values in a new arraylist. Then I used this arraylist data;

```
tahmin2.add(x+y);
tahmin2.add((Double) s.get(0) + (Double) g.get(0));
tahmin2.add((Double) s.get(1) + (Double) g.get(1));
tahmin2.add((Double) s.get(2) + (Double) g.get(2));
tahmin2.add((Double) s.get(3) + (Double) g.get(3));
tahmin2.add((Double) s.get(4) + (Double) g.get(4));
tahmin2.add((Double) s.get(5) + (Double) g.get(5));
tahmin2.add((Double) s.get(6) + (Double) g.get(6));
tahmin2.add((Double) s.get(7) + (Double) g.get(7));
tahmin2.add((Double) s.get(8) + (Double) g.get(8));
tahmin2.add((Double) s.get(9) + (Double) g.get(9));
tahmin2.add((Double) s.get(10) + (Double) g.get(10));

tahmin2.add((Double) s.get(11) + (Double) g.get(11));
tahmin2.add((Double) s.get(12) + (Double) g.get(12));
tahmin2.add((Double) s.get(13) + (Double) g.get(13));
tahmin2.add((Double) s.get(14) + (Double) g.get(14));
tahmin2.add((Double) s.get(15) + (Double) g.get(15));
tahmin2.add((Double) s.get(16) + (Double) g.get(16));
tahmin2.add((Double) s.get(17) + (Double) g.get(17));
tahmin2.add((Double) s.get(18) + (Double) g.get(18));
tahmin2.add((Double) s.get(19) + (Double) g.get(19));
tahmin2.add((Double) s.get(20) + (Double) g.get(20));
tahmin2.add((Double) s.get(21) + (Double) g.get(21));
tahmin2.add((Double) s.get(22) + (Double) g.get(22));
tahmin2.add((Double) s.get(23) + (Double) g.get(23));
```

Figure 26

- Figure 26, I created a new arraylist. Then I fill it according to s and g values for double exponential smoothing.

```
ArrayList errorDouble = new ArrayList();
errorDouble.add((Double) tahmin2.get(0) - (Double) list2.get(0));
errorDouble.add((Double) tahmin2.get(1) - (Double) list2.get(0));
errorDouble.add((Double) tahmin2.get(2) - (Double) list2.get(1));
errorDouble.add((Double) tahmin2.get(3) - (Double) list2.get(2));
errorDouble.add((Double) tahmin2.get(4) - (Double) list2.get(3));
errorDouble.add((Double) tahmin2.get(5) - (Double) list2.get(4));
errorDouble.add((Double) tahmin2.get(6) - (Double) list2.get(5));
errorDouble.add((Double) tahmin2.get(7) - (Double) list2.get(6));
errorDouble.add((Double) tahmin2.get(8) - (Double) list2.get(7));
errorDouble.add((Double) tahmin2.get(9) - (Double) list2.get(8));
errorDouble.add((Double) tahmin2.get(10) - (Double) list2.get(9));
errorDouble.add((Double) tahmin2.get(11) - (Double) list2.get(10));
errorDouble.add((Double) tahmin2.get(12) - (Double) list2.get(11));
errorDouble.add((Double) tahmin2.get(13) - (Double) list2.get(12));
errorDouble.add((Double) tahmin2.get(14) - (Double) list2.get(12));
errorDouble.add((Double) tahmin2.get(15) - (Double) list2.get(14));
errorDouble.add((Double) tahmin2.get(16) - (Double) list2.get(15));
errorDouble.add((Double) tahmin2.get(17) - (Double) list2.get(16));
errorDouble.add((Double) tahmin2.get(18) - (Double) list2.get(17));
errorDouble.add((Double) tahmin2.get(19) - (Double) list2.get(18));
errorDouble.add((Double) tahmin2.get(20) - (Double) list2.get(19));
errorDouble.add((Double) tahmin2.get(21) - (Double) list2.get(20));
errorDouble.add((Double) tahmin2.get(22) - (Double) list2.get(21));
errorDouble.add((Double) tahmin2.get(23) - (Double) list2.get(22));
errorDouble.add((Double) tahmin2.get(24) - (Double) list2.get(23));
```

Figure 27

- Figure 27, I create a new arraylist. I used this for MSE calculation.

For dataset2:

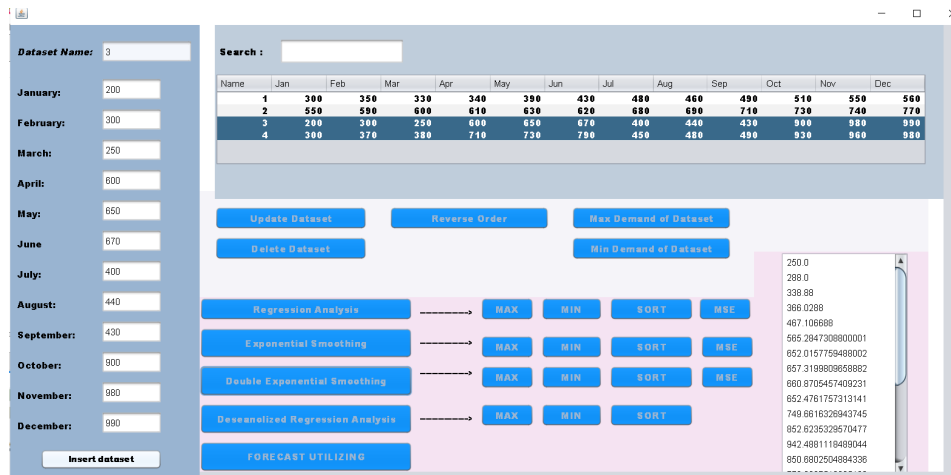


Figure a

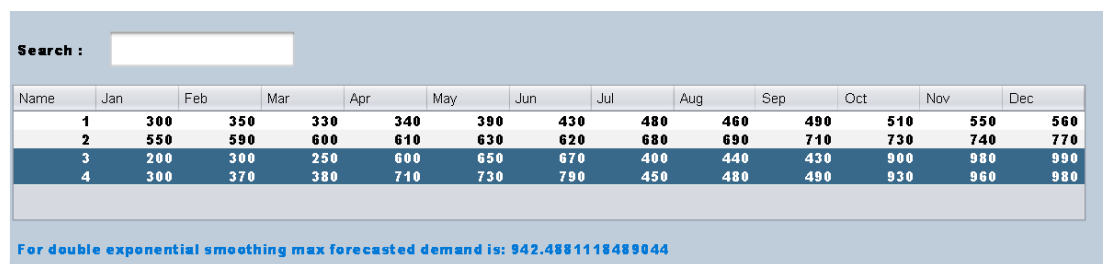


Figure b

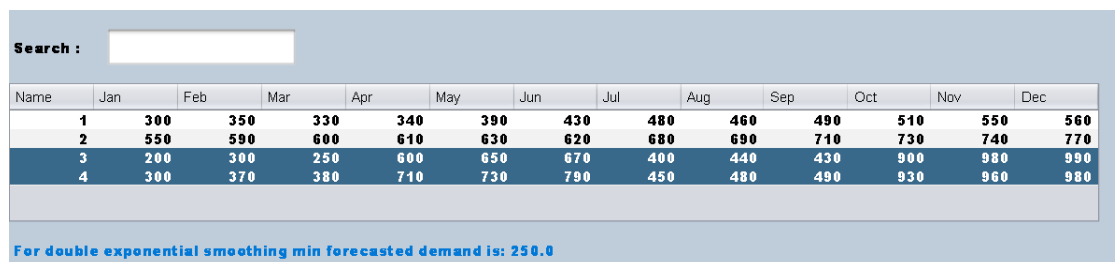


Figure c

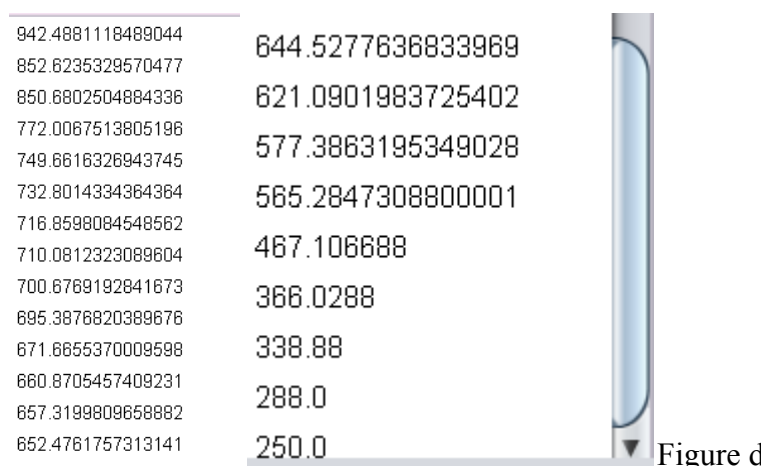


Figure d

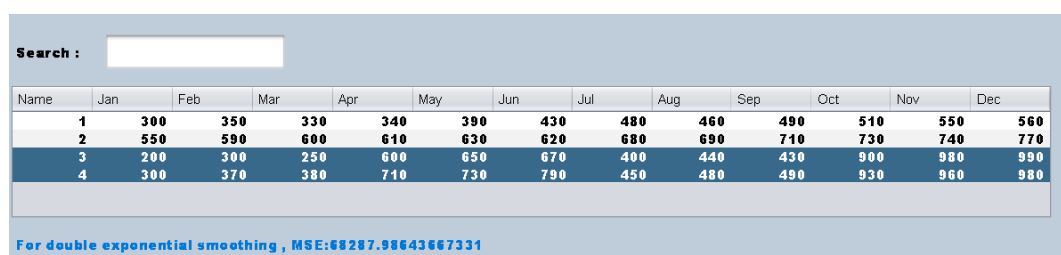


Figure e

- Figure a and Figure b show Dataset2 Forecast year 1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the double exponential analysis formula and added the forecasted years to a new arraylist using this method. Then I printed the arraylist containing the estimated years into a Jtable.
- For this method code is the same as in exponential smoothing code. In my code, pulled data from selected rows codes are identical to all methods.
- Figure c, Figure d and Figure e shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.
- Figure e shows MSE values for the double exponential method. To find the MSE value, I created a new arraylist and entered the data about the errors of these values in the arraylist, and found it by doing the necessary operations.
- Then I find the average value of this data. MSE was calculated at the end of these processes.

5. Regression Analysis

5.1 Solution on Excel

5.1.1 For Dataset 1;

b	19,61
a	301,09

Data Set 1	x	x	x ²	x ²	Month	Demand Year 1	Demand Year 2	x*y	x*y	Forecast Year 1	Forecast Year 2		Error Year 2	Error ² Year 1	Error ² Year 2	MSE
	1	13	1	169	Jan.	300	550	300	7.150	320,70	556,06	20,70	6,06	428,49	36,68	357,93
	2	14	4	196	Feb	350	590	700	8.260	340,31	575,67	-9,69	-14,33	93,84	205,36	
	3	15	9	225	Mar.	330	600	990	9.000	359,93	595,28	29,93	-4,72	895,57	22,25	
	4	16	16	256	Apr.	340	610	1.360	9.760	379,54	614,90	39,54	4,90	1.563,34	23,97	
	5	17	25	289	May.	390	630	1.950	10.710	399,15	634,51	9,15	4,51	83,76	20,33	
	6	18	36	324	Jun.	430	620	2.580	11.160	418,77	654,12	-11,23	34,12	126,22	1.164,29	
	7	19	49	361	Jul	480	680	3.360	12.920	438,38	673,73	-41,62	-6,27	1.732,37	39,25	
	8	20	64	400	Aug.	460	690	3.680	13.800	457,99	693,35	-2,01	3,35	4,03	11,21	
	9	21	81	441	Sep.	490	710	4.410	14.910	477,60	712,96	-12,40	2,96	153,65	8,77	
	10	22	100	484	Oct.	510	730	5.100	16.060	497,22	732,57	-12,78	2,57	163,40	6,63	
	11	23	121	529	Nov.	550	740	6.050	17.020	516,83	752,19	-33,17	12,19	1.100,22	148,52	
	12	24	144	576	Dec.	560	770	6.720	18.480	536,44	771,80	-23,56	1,80	554,91	3,24	
Toplam		300		4.900			13.110		186.430							

5.1.2 For Dataset 2;

b	17,90
a	375,36

Data Set 1	x	x	x ²	x ²	Month	Demand Year 1	Demand Year 2	x*y	x*y	Forecast Year 1	Forecast Year 2	Error Year 1	Error Year 2	Error ² Year 1	Error ² Year 2	MSE
	1	13	1	169	Jan.	200	300	200	3.900	393,27	608,12	193,27	308,12	37.352,00	94.937,22	49.188,87
	2	14	4	196	Feb	300	370	600	5.180	411,17	626,02	111,17	256,02	12.358,99	65.547,87	
	3	15	9	225	Mar.	250	380	750	5.700	429,08	643,93	179,08	263,93	32.067,99	69.657,74	
	4	16	16	256	Apr.	600	710	2.400	11.360	446,98	661,83	-153,02	-48,17	23.415,21	2.320,17	
	5	17	25	289	May.	650	730	3.250	12.410	464,88	679,74	-185,12	-50,26	34.267,91	2.526,45	
	6	18	36	324	Jun.	670	790	4.020	14.220	482,79	697,64	-187,21	-92,36	35.048,18	8.530,26	
	7	19	49	361	Jul	400	450	2.800	8.550	500,69	715,54	100,69	265,54	10.139,03	70.514,11	
	8	20	64	400	Aug.	440	480	3.520	9.600	518,60	733,45	78,60	253,45	6.177,50	64.236,54	
	9	21	81	441	Sep.	430	490	3.870	10.290	536,50	751,35	106,50	261,35	11.342,56	68.305,72	
	10	22	100	484	Oct.	900	930	9.000	20.460	554,41	769,26	-345,59	-160,74	119.435,35	25.838,00	
	11	23	121	529	Nov.	980	960	10.780	22.080	572,31	787,16	-407,69	-172,84	166.211,02	29.872,86	
	12	24	144	576	Dec.	990	980	11.880	23.520	590,21	805,07	-399,79	-174,93	159.828,45	30.601,67	
Toplam		300		4.900			14.380		200.340							

5.2 Solution on Java

The screenshot shows a Java application window with a sidebar on the left for dataset management and a main area for analysis and forecasting.

Dataset Management (Left Sidebar):

- Dataset Name:** 1
- Months and Values:**
 - January: 300
 - February: 350
 - March: 330
 - April: 340
 - May: 390
 - June: 430
 - July: 480
 - August: 460
 - September: 490
 - October: 510
 - November: 550
 - December: 560
- Insert dataset** button

Main Area:

- Search:** [Empty text box]
- Dataset Table:**

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980
- Buttons:**
 - Update Dataset
 - Delete Dataset
 - Reverse Order
 - Max Demand of Dataset
 - Min Demand of Dataset
- Forecasting Methods:**
 - Regression Analysis
 - Exponential Smoothing
 - Double Exponential Smoothing
 - Deseasonalized Regression Analysis
- Forecast Utilizing:** [Button]
- Output List:**
 - 320.7
 - 340.31304347826085
 - 359.9260869565217
 - 379.5391304347826
 - 399.1521739130435
 - 418.76521739130436
 - 438.3782608695652
 - 457.9913043478261
 - 477.60434782608695
 - 497.2173913043478
 - 516.8304347826087
 - 536.4434782608696

Figure 28

The screenshot shows two vertical lists of numerical data, likely representing forecasted values or residuals, with scrollbars on the right of each list.

320.7	556.0565217391304
340.31304347826085	575.6695652173913
359.9260869565217	595.2826086956522
379.5391304347826	614.895652173913
399.1521739130435	634.5086956521739
418.76521739130436	654.1217391304348
438.3782608695652	673.7347826086957
457.9913043478261	693.3478260869565
477.60434782608695	712.9608695652174
497.2173913043478	732.5739130434783
516.8304347826087	752.1869565217391
536.4434782608696	771.8

Figure 29

The screenshot shows a dataset table and a forecasted demand value.

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Max forecasted demand is: 771.8

Figure 30

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Min forecasted demand is: 320.7

Figure 31

771.8
752.1869565217391
732.5739130434783
712.9608695652174
693.3478260869565
673.7347826086957
654.1217391304348
634.5086956521739
614.895652173913
595.2826086956522
575.6695652173913
556.0565217391304
536.4434782608696
516.8304347826087
497.2173913043478
477.60434782608695
457.9913043478261
438.3782608695652
418.76521739130436
399.1521739130435
379.5391304347826
359.9260869565217
340.31304347826085
320.7

Figure 32

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

For regression analysis , MSE:357.92934782608677

Figure 33

- Figure 28 and Figure 29 Dataset1 Forecast year 1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the regression analysis formula and added the forecasted years to a new arraylist using this method. Then I printed the arraylist containing the estimated years into a Jtable.

```

ArrayList tahmin1 = new ArrayList();
tahmin1.add(list.get(0));
tahmin1.add((Double) list.get(0) * a + (Double) tahmin1.get(0) * (1 - a));
tahmin1.add((Double) list.get(1) * a + (Double) tahmin1.get(1) * (1 - a));
tahmin1.add((Double) list.get(2) * a + (Double) tahmin1.get(2) * (1 - a));
tahmin1.add((Double) list.get(3) * a + (Double) tahmin1.get(3) * (1 - a));
tahmin1.add((Double) list.get(4) * a + (Double) tahmin1.get(4) * (1 - a));
tahmin1.add((Double) list.get(5) * a + (Double) tahmin1.get(5) * (1 - a));
tahmin1.add((Double) list.get(6) * a + (Double) tahmin1.get(6) * (1 - a));
tahmin1.add((Double) list.get(7) * a + (Double) tahmin1.get(7) * (1 - a));
tahmin1.add((Double) list.get(8) * a + (Double) tahmin1.get(8) * (1 - a));
tahmin1.add((Double) list.get(9) * a + (Double) tahmin1.get(9) * (1 - a));
tahmin1.add((Double) list.get(10) * a + (Double) tahmin1.get(10) * (1 - a));
tahmin1.add(a * (Double) list.get(11) + (Double) tahmin1.get(11) * (1 - a));

tahmin1.add((Double) list.get(12) * a + (Double) tahmin1.get(12) * (1 - a));
tahmin1.add((Double) list.get(13) * a + (Double) tahmin1.get(13) * (1 - a));
tahmin1.add((Double) list.get(14) * a + (Double) tahmin1.get(14) * (1 - a));
tahmin1.add((Double) list.get(15) * a + (Double) tahmin1.get(15) * (1 - a));
tahmin1.add((Double) list.get(16) * a + (Double) tahmin1.get(16) * (1 - a));
tahmin1.add((Double) list.get(17) * a + (Double) tahmin1.get(17) * (1 - a));
tahmin1.add((Double) list.get(18) * a + (Double) tahmin1.get(18) * (1 - a));
tahmin1.add((Double) list.get(19) * a + (Double) tahmin1.get(19) * (1 - a));
tahmin1.add((Double) list.get(20) * a + (Double) tahmin1.get(20) * (1 - a));
tahmin1.add((Double) list.get(21) * a + (Double) tahmin1.get(21) * (1 - a));
tahmin1.add((Double) list.get(22) * a + (Double) tahmin1.get(22) * (1 - a));
tahmin1.add((Double) list.get(23) * a + (Double) tahmin1.get(23) * (1 - a));

```

Figure 34

- In Figure 34, this code adds the forecast years to the new arraylist.
- Figure 33 shows MSE values for the regression analysis method. To find the MSE value, I created a new arraylist and entered the data about the errors of these values in the arraylist, and found it by doing the necessary operations.
- Then I find the average value of this data. MSE was calculated at the end of these processes.
- Figure 30, Figure 31 and Figure 32 shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.

```

int j, P, Tmp;
for (P = 1; P < 24; P++) {
    double Tmp2 = (Double) max3[P];
    for (j = P; j > 0 && (Double) max3[j - 1] > Tmp2; j--) {
        max3[j] = max3[j - 1]; //Shift A[j-1] to right
    }
    max3[j] = Tmp2;
}

```

Figure 35

- Figure 35 shows the insertion sort algorithm.

For dataset 2:

The screenshot shows a software interface for forecasting. On the left, there's a 'Dataset Name' field with the value '3'. Below it, a list of months from January to December with corresponding values: January: 200, February: 300, March: 250, April: 600, May: 650, June: 670, July: 400, August: 440, September: 430, October: 900, November: 980, December: 990. An 'Insert dataset' button is at the bottom of this list.

In the center, there's a 'Search' bar and a table with 12 columns (Jan to Dec) and 4 rows of data. The table data is as follows:

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Below the table, there are buttons for 'Update Dataset', 'Reverse Order', 'Max Demand of Dataset', 'Delete Dataset', and 'Min Demand of Dataset'. At the bottom, there's a 'FORECAST UTILIZING' button and a list of analysis methods: 'Regression Analysis', 'Exponential Smoothing', 'Double Exponential Smoothing', and 'Deserialized Regression Analysis'. Each method has buttons for 'MAX', 'MIN', 'SORT', and 'MSE'.

On the right side, there's a vertical list of numbers: 393, 2666868668687, 411, 17101449275367, 429, 07536231884063, 448, 9787101449276, 464, 8840578710145, 482, 78840578710146, 500, 6927536231884, 518, 5971014492754, 536, 5014492753623, 554, 4057871014493, 572, 3101449275363, 590, 2144927536232, 608, 1188405787102, 626, 0231884057871.

Figure 36

393.2666666666667	608.1188405797102
411.17101449275367	626.0231884057971
429.07536231884063	643.927536231884
446.9797101449276	661.831884057971
464.8840579710145	679.736231884058
482.78840579710146	697.640579710145
500.6927536231884	715.5449275362319
518.5971014492754	733.4492753623189
536.5014492753623	751.3536231884058
554.4057971014493	769.2579710144928
572.3101449275363	787.1623188405797
590.2144927536232	805.0666666666666

Figure 37

- Figure 36 and Figure 37 Dataset2 Forecast year 1 and forecast year 2 values. To obtain this data, I first pulled the data from the selected rows from the table and added this data to an arraylist that I created myself. Then I applied the regression analysis formula and added the forecasted years to a new arraylist using this method. Then I printed the arraylist containing the estimated years into a Jtable.

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Max forecasted demand is: 805.0666666666666

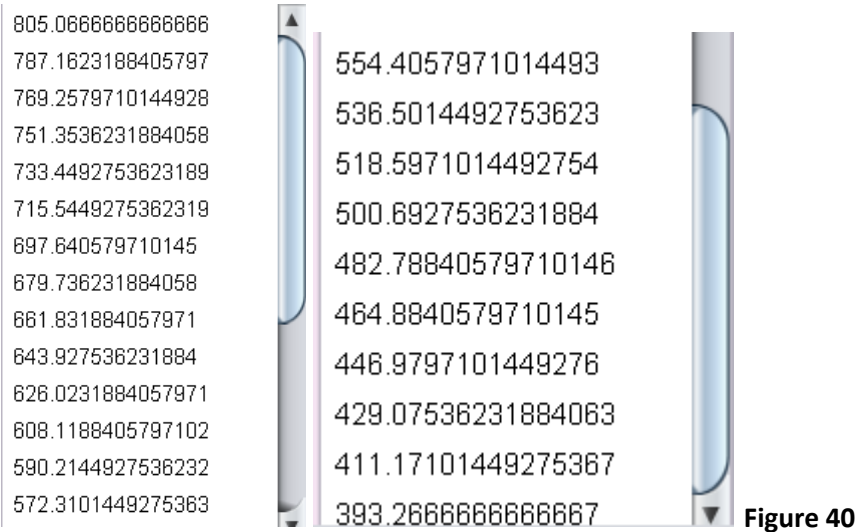
Figure 38

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Min forecasted demand is: 393.2666666666667

Figure 39



- Figure 38, Figure 39 and Figure 40 shows maximum and minimum forecasted value in the dataset and shows Sort forecasted sales in descending order respectively. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.

Search :

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

For regression analysis , MSE:49188.86714975845

Figure 41

- Figure 41 shows MSE values for the regression analysis method. To find the MSE value, I created a new arraylist and entered the data about the errors of these values in the arraylist, and found it by doing the necessary operations.

6. Deseasonalized Regression Analysis

6.1 Solution on Excel

6.1.1 For Dataset 1

Overall average demand	546,25
b	14,69782
a	362,5273

Data Set 1	Month	Demand Year 1	Demand Year 2	Ortalama	Seasonal Demand Factor	Deseason Demand (y)		x		x^2		x*y				Season Forecast
	Jan.	300	550	425	0,78	385,59	706,91	1	13	1	169	385,59	9.189,85	25	729,97	567,94
	Feb	350	590	470	0,86	406,78	685,72	2	14	4	196	813,56	9.600,05	26	744,67	640,72
	Mar.	330	600	465	0,85	387,66	704,84	3	15	9	225	1.162,98	10.572,58	27	759,37	646,42
	Apr.	340	610	475	0,87	391,00	701,50	4	16	16	256	1.564,00	11.224,00	28	774,07	673,10
	May.	390	630	510	0,93	417,72	674,78	5	17	25	289	2.088,60	11.471,25	29	788,76	736,42
	Jun.	430	620	525	0,96	447,40	645,10	6	18	36	324	2.684,43	11.611,71	30	803,46	772,21
	Jul	480	680	580	1,06	452,07	640,43	7	19	49	361	3.164,48	12.168,19	31	818,16	868,71
	Aug.	460	690	575	1,05	437,00	655,50	8	20	64	400	3.496,00	13.110,00	32	832,86	876,69
	Sep.	490	710	600	1,10	446,10	646,40	9	21	81	441	4.014,94	13.574,31	33	847,56	930,95
	Oct.	510	730	620	1,14	449,33	643,17	10	22	100	484	4.493,35	14.149,64	34	862,25	978,67
	Nov.	550	740	645	1,18	465,79	626,71	11	23	121	529	5.123,74	14.414,22	35	876,95	1.035,48
	Dec.	560	770	665	1,22	460,00	632,50	12	24	144	576	5.520,00	15.180,00	36	891,65	1.085,49
Toplam							13.110		300		4.900		180.777,49			

6.1.2 For Dataset 2

Overall average demand	599,1667
b	5,648753
a	528,5572

Data Set 2	Month	Demand Year 1	Demand Year 2	Ortalama	Seasonal Demand Factor	Deseason Demand (y)		x		x^2		x*y				Season Forecast
	Jan.	200	300	250	0,42	479,33	719,00	1	13	1	169	479,33	9.347,00	25	669,78	279,46
	Feb	300	370	335	0,56	536,57	661,77	2	14	4	196	1.073,13	9.264,73	26	675,42	377,64
	Mar.	250	380	315	0,53	475,53	722,80	3	15	9	225	1.426,59	10.842,06	27	681,07	358,06
	Apr.	600	710	655	1,09	548,85	649,48	4	16	16	256	2.195,42	10.391,65	28	686,72	750,71
	May.	650	730	690	1,15	564,43	633,90	5	17	25	289	2.822,16	10.776,32	29	692,37	797,33
	Jun.	670	790	730	1,22	549,92	648,41	6	18	36	324	3.299,52	11.671,44	30	698,02	850,44
	Jul	400	450	425	0,71	563,92	634,41	7	19	49	361	3.947,45	12.053,82	31	703,67	499,13
	Aug.	440	480	460	0,77	573,12	625,22	8	20	64	400	4.584,93	12.504,35	32	709,32	544,57
	Sep.	430	490	460	0,77	560,09	638,24	9	21	81	441	5.040,82	13.403,10	33	714,97	548,90
	Oct.	900	930	915	1,53	589,34	608,99	10	22	100	484	5.893,44	13.397,76	34	720,61	1.100,47
	Nov.	980	960	970	1,62	605,34	592,99	11	23	121	529	6.658,78	13.638,76	35	726,26	1.175,76
	Dec.	990	980	985	1,64	602,21	596,13	12	24	144	576	7.226,50	14.307,01	36	731,91	1.203,23
Toplam							14.380		300		4.900		186.246,07			

6.2 Solution on Java

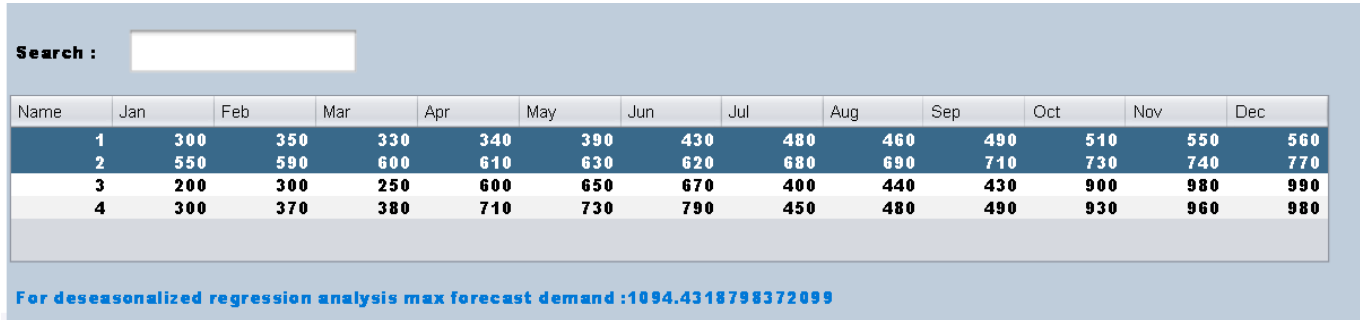


Figure 42

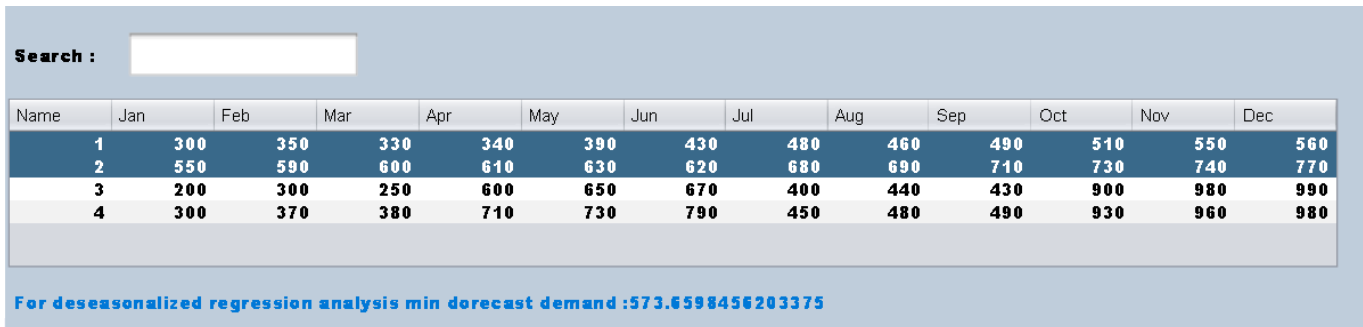


Figure 43

1094.4318798372099
 1044.1617755253765
 987.0081980563623
 939.0251682925341
 884.4277329654082
 876.5124884590258
 779.2688762194006
 743.2816038965295
 679.4913713510523
 652.6746467333671
 647.0464767749901
 573.6598456203375

Figure 44

- Figure 30, shows for deseasonalized regression analysis season forecast's max element. Figure 31, shows for deseasonalized regression analysis season forecast's min element. Figure 32, shows values according to the descending sort algorithm. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.

For dataset 2:

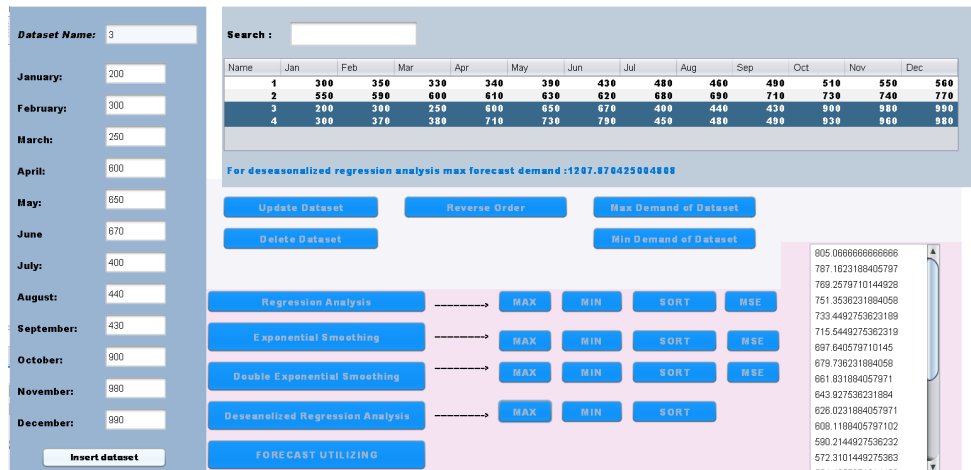


Figure 45

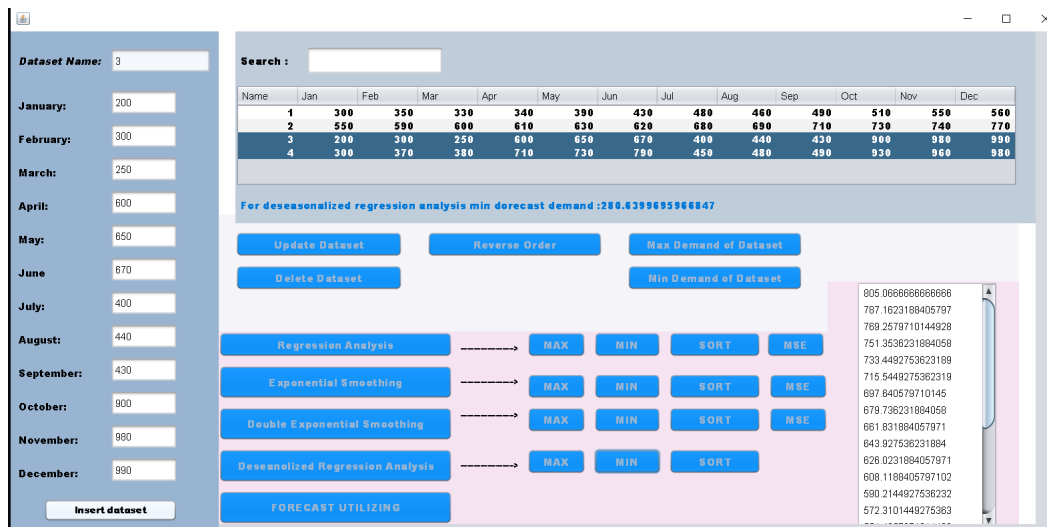


Figure 46

1207.870425004808
 1180.3316066775494
 1104.779257840389
 853.8797540001347
 800.5867210366498
 753.8021173456173
 551.0714173242998
 546.7346831659997
 501.12853984407053
 379.2158330487543
 359.54580195210315
 280.6399695966847

Figure 47

- Figure 45, shows for deseasonalized regression analysis season forecast's max element. Figure 46, shows for deseasonalized regression analysis season forecast's min element. Figure 47, shows values according to the descending sort algorithm. At first, I listed these values. I used the insertion sort algorithm to sort these values. While using this algorithm, my data was arranged in order from smallest to largest. I called the last number from the sorted data to find the largest number, and the first number from these sorted data to find the smallest value.

7. Result

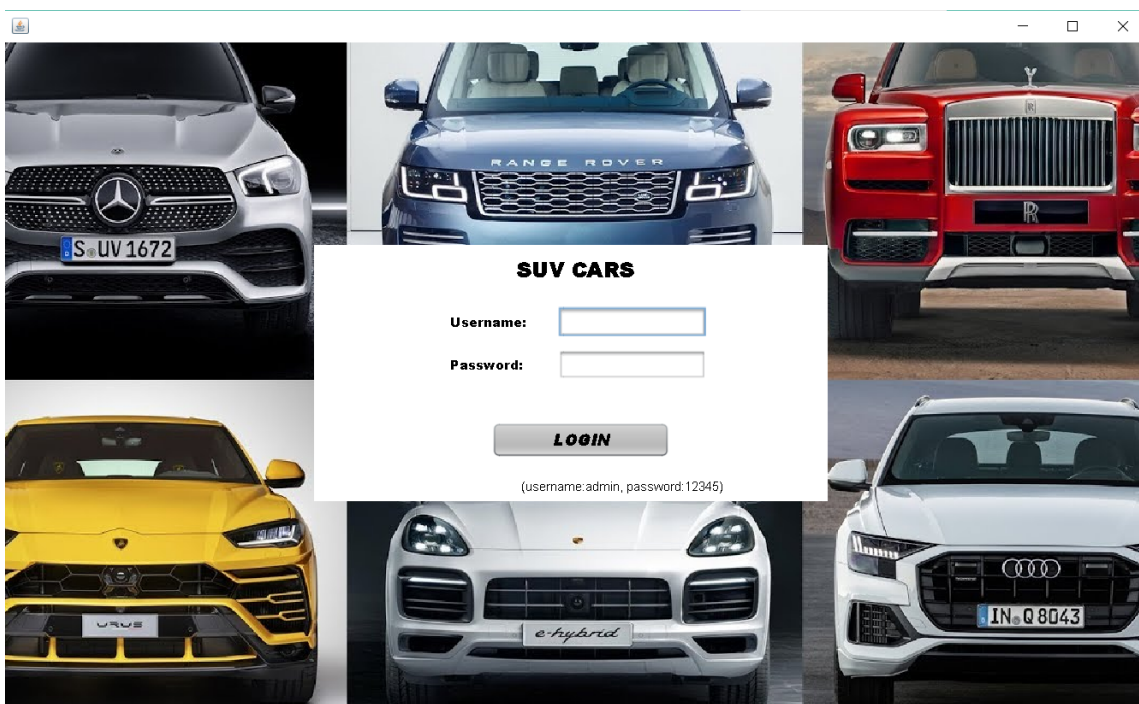
On Excel we found these solution;

	Exponential smoothing	Double exponential smoothing	Regression analysis
Data Set 1	7.507,52	3.028,91	357,93
Data Set 2	69.188,27	68.287,99	49.188,87

- For Dataset 1 Regression Analysis gives the best solution from these solutions as an excel solution.
- For Dataset 2 Regression Analysis gives the best solution from these solutions as an excel solution.

8-About Java Program

I introduce this program briefly. Firstly, This program first page is :



Now the username is “admin” and password is “12345”. There is no register page for this final project. User enters the program with only valid username and password combinations.

When user enter the program:

The screenshot shows a software interface with the following components:

- Dataset Name:** A text input field.
- Search:** A search bar.
- Table:** A table with 13 columns (Name, Jan, Feb, Mar, Apr, May, Jun, Jul, Aug, Sep, Oct, Nov, Dec) and 4 rows of data.
- Buttons:** A collection of buttons for dataset management and analysis.

Name	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1	300	350	330	340	390	430	480	460	490	510	550	560
2	550	590	600	610	630	620	680	690	710	730	740	770
3	200	300	250	600	650	670	400	440	430	900	980	990
4	300	370	380	710	730	790	450	480	490	930	960	980

Buttons include: Update Dataset, Reverse Order, Max Demand of Dataset, Delete Dataset, Min Demand of Dataset, Regression Analysis, Exponential Smoothing, Double Exponential Smoothing, Deserialized Regression Analysis, FORECAST UTILIZING, and Insert dataset.

The left side, if the user wants to add a new dataset, the user should enter data and press the “Insert Dataset” button. As soon as the user presses the button, the data comes to the table row.

Buttons:

-Update dataset: When the user presses this button, values come to the left side and the user selects this value and the user should update which they want to .

-Delete dataset: When the user presses this button, dataset delete which the user selects to dataset. It uses the arraylist remove method.

-Reverse order: This button reverse order dataset.

-Max Demand of Dataset: This button uses insertion sort algorithm. Firstly, dataset orders ascending order and max demand button return dataset’s biggest index element.

-Min Demand of Dataset: This button uses insertion sort algorithm. Firstly, dataset orders ascending order and min demand button return dataset’s smallest index element.

-Regression Analysis: Users should select two datasets . This method return forecast utilizing regression analysis.

***MAX:** Find maximum sales count on dataset (insertion sort algorithm)

***MIN:** Find minimum sales count on dataset (insertion sort algorithm)

***SORT:** This method sorts forecasted sales descending order.

***MSE:**This method returns MSE value.

-Exponential Smoothing:Users should select two datasets . This method return forecast utilizing double exponential smoothing.

***MAX:**Find maximum sales count on dataset (insertion sort algorithm)

***MIN:**Find minimum sales count on dataset (insertion sort algorithm)

***SORT:**This method sorts forecasted sales descending order.

***MSE:**This method returns MSE value.

-Double Exponential Smoothing:Users should select two datasets . This method returns forecasts utilizing double exponential smoothing.

***MAX:**Find maximum sales count on dataset (insertion sort algorithm)

***MIN:**Find minimum sales count on dataset (insertion sort algorithm)

***SORT:**This method sorts forecasted sales descending order.

***MSE:**This method returns MSE value.

-Deseasonalized Regression Analysis :Users should select two datasets . This method return forecast utilizing deseasonalized smoothing.

***MAX:**Find maximum sales count on dataset (insertion sort algorithm)

***MIN:**Find minimum sales count on dataset (insertion sort algorithm)

***SORT:**This method sorts forecasted sales descending order.

-Forecast Utilizing: This button gives the user the best forecasting method.

Arraylist Methods

```
public ArrayList() {  
    list = new Object[12];  
    int listSize = list.length;  
}
```

```
public ArrayList(int n) {  
    int defaultValue = 10;  
    int size = n;  
    list = new Object[n];  
  
    if (size < defaultValue) {  
        list = new Object[size];  
    } else {  
        while (size >= defaultValue) {  
            defaultValue *= 2;  
            n = defaultValue;  
        }  
        list = new Object[n];  
    }  
}
```

```
public void add(Object o) {  
    int i = 0;  
    int length = list.length;  
    list = reSize();  
    while(i < length){  
        if(list[i] == null){  
            list[i] = o;  
            i = length;  
        }else{  
            i++;  
        }  
    }  
    arSize++;  
}
```

```
public void add(int index, Object o) {  
    Object[] a2 = new Object[list.length];  
    resize();  
    for (int i = 0; i < index; i++) {  
        a2[i] = list[i];  
    }  
    a2[index] = o;  
  
    for (int i = index + 1; i < list.length; i++) {  
        a2[i] = list[i - 1];  
    }  
  
    for (int i = 0; i < list.length; i++) {  
        list[i] = a2[i];  
    }  
  
    arSize++;  
}
```

```
public Object get(int index) {  
  
    return list[index];  
}
```

```
public int size() {  
    int listSize = 0;  
    for (int i = 0; i < list.length; i++) {  
        if (list[i] != null) {  
            listSize++;  
        }  
    }  
    return listSize;  
}
```



```

public boolean isEmpty() {
    boolean empty = true;
    for (int i = 0; i < list.length; i++) {
        if (list[i] == null) {

        } else {
            empty = false;
        }
    }
    return empty;
}

```

```

public int find(Object o) {
    int i = 0;
    if(arSize == 0){
        System.out.println("Error: Your ArrayList is empty.");
    }else
        while (i < list.length) {
            if (list[i] != o) {
                i++;
            } else {
                return i;
            }
        }
    return -1;
}

```

```

public void remove(Object o) {
    int x = 0;
    Object[] a2 = new Object[list.length];
    if(arSize == 0){
        System.out.println("Error: Your ArrayList is empty.");
    }else
        while (x < list.length) {
            if (list[x] == o) {
                for (int i = 0; i <= x - 1; i++) {
                    a2[i] = list[i];
                }
                for (int i = x; i < list.length - 1; i++) {
                    a2[i] = list[i + 1];
                }

                for (int i = 0; i < list.length - 1; i++) {
                    list[i] = a2[i];
                }
                x = list.length;
            } else {
                x++;
            }
        }
}

```

```

public String toString() {
    int x = 0;
    String printList = "";
    if (list[0] == null) {
        return null;
    } else {
        printList = printList + "[";
        while (list[x] != null) {
            x++;
        }
        for (int i = 0; i < x - 1; i++) {
            printList = printList + list[i];
            printList = printList + ", ";
        }

        printList = printList + list[x - 1] + "]";
    }
    return printList;
}

```

```

private Object [] reSize(){
    Object [] temp;
    if(arSize >=list.length-1){
        temp = new Object[list.length*2];
        for(int i =0; i< list.length; i++){
            temp[i] = list[i];
        }
        list = temp;
    }
    return list;
}

```