Introductory Econometrics

Using Excel

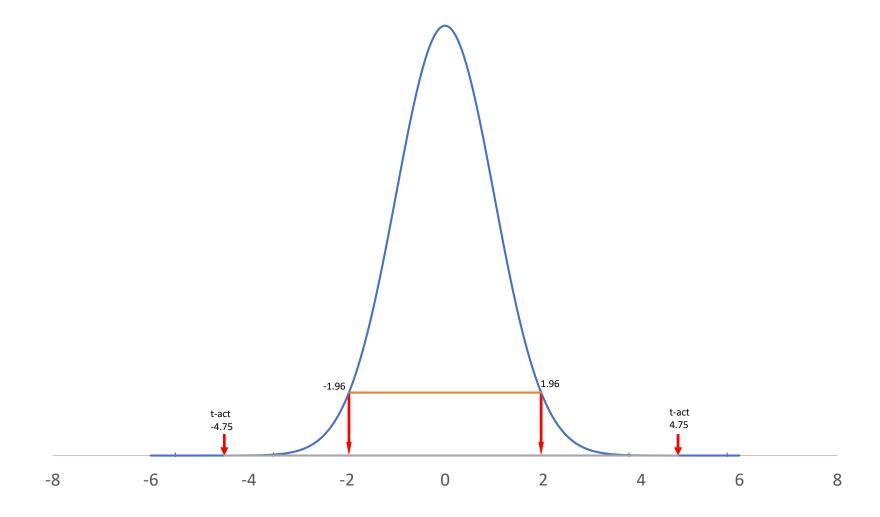
Testing hypothesis concerning the slope coefficient

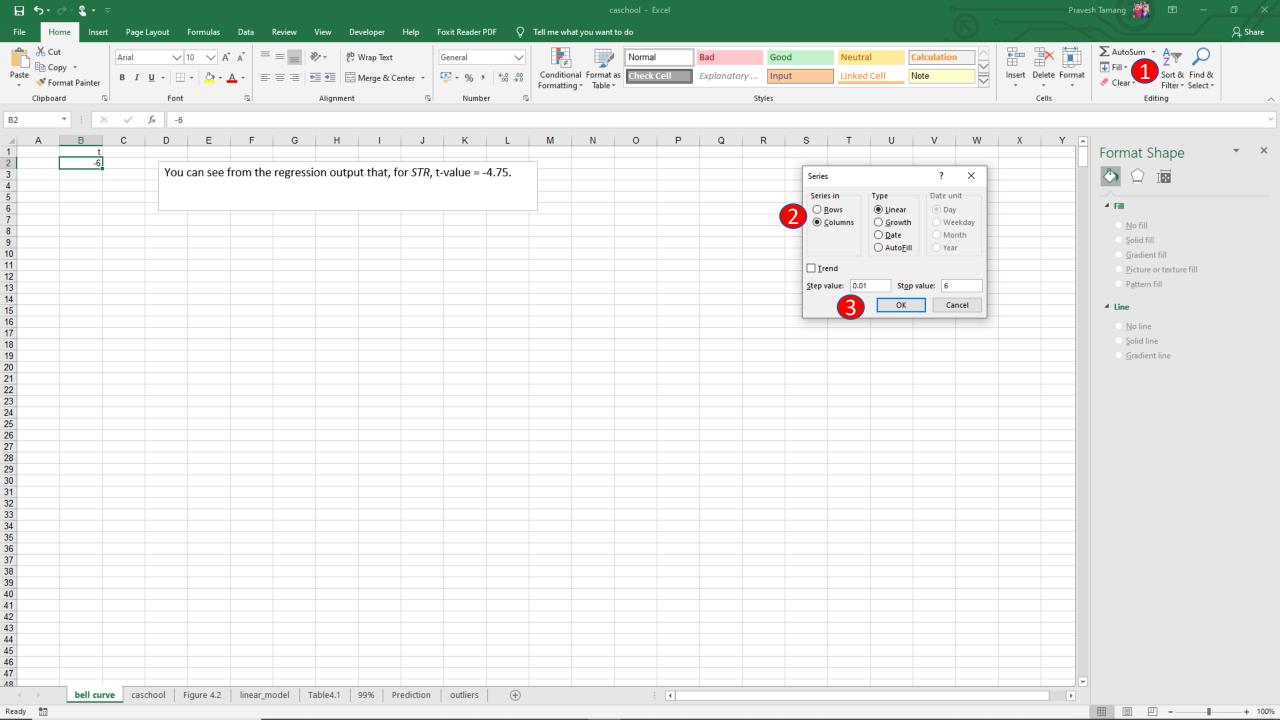
Do smaller classes lead to higher scores?

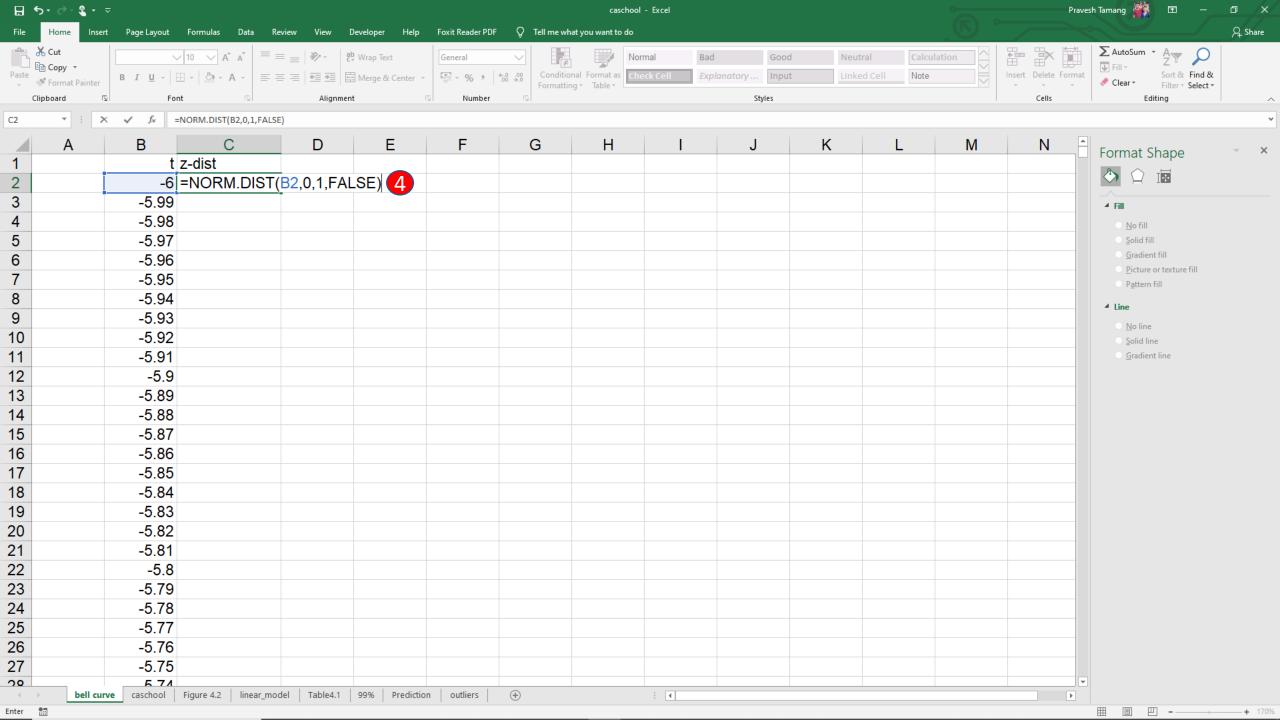
- · Our regression equation is $Test \hat{S}core = eta_0 + eta_1 STR$
- · Null hypothesis: $H_0:eta_1=0$
- · Alternative hypothesis: $H_0:eta_1<0$

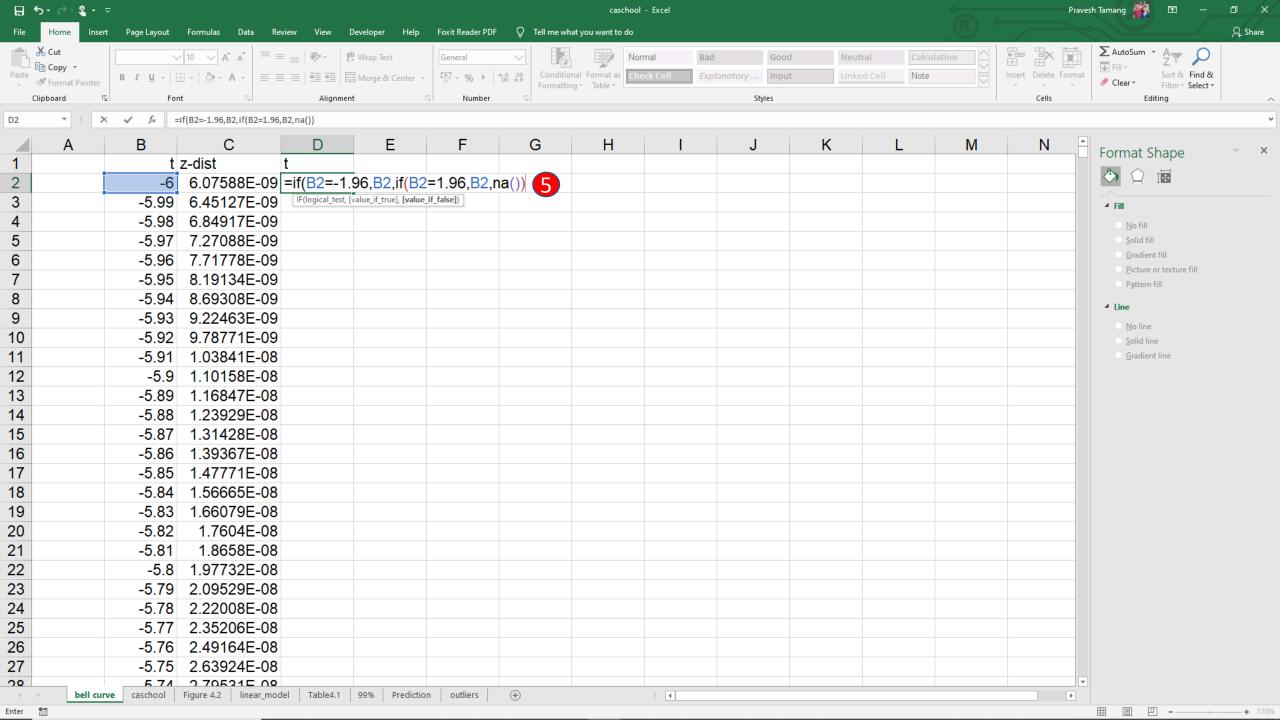
After inspecting the regression output, reject the null hypothesis at the 5% significance level if the p-value is less than 0.05 or, equivalently, if $|t_{act}| > 1.96$.

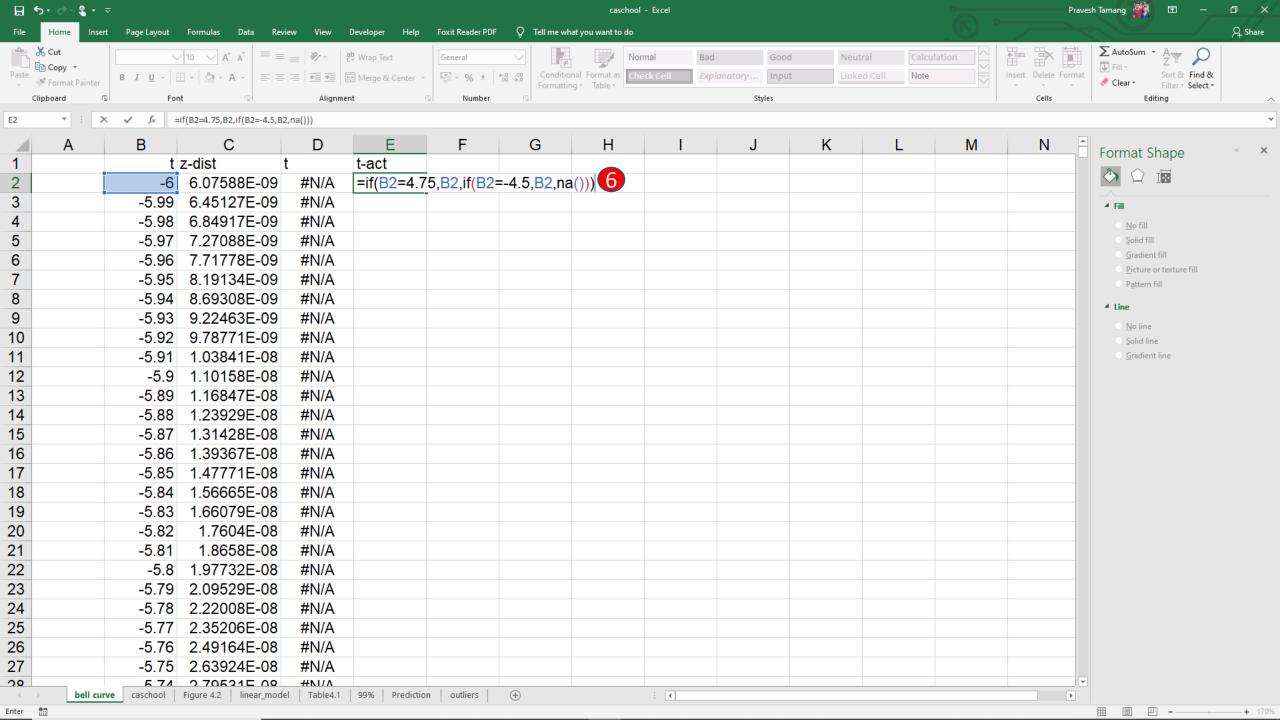
Graphical inspection of p-value

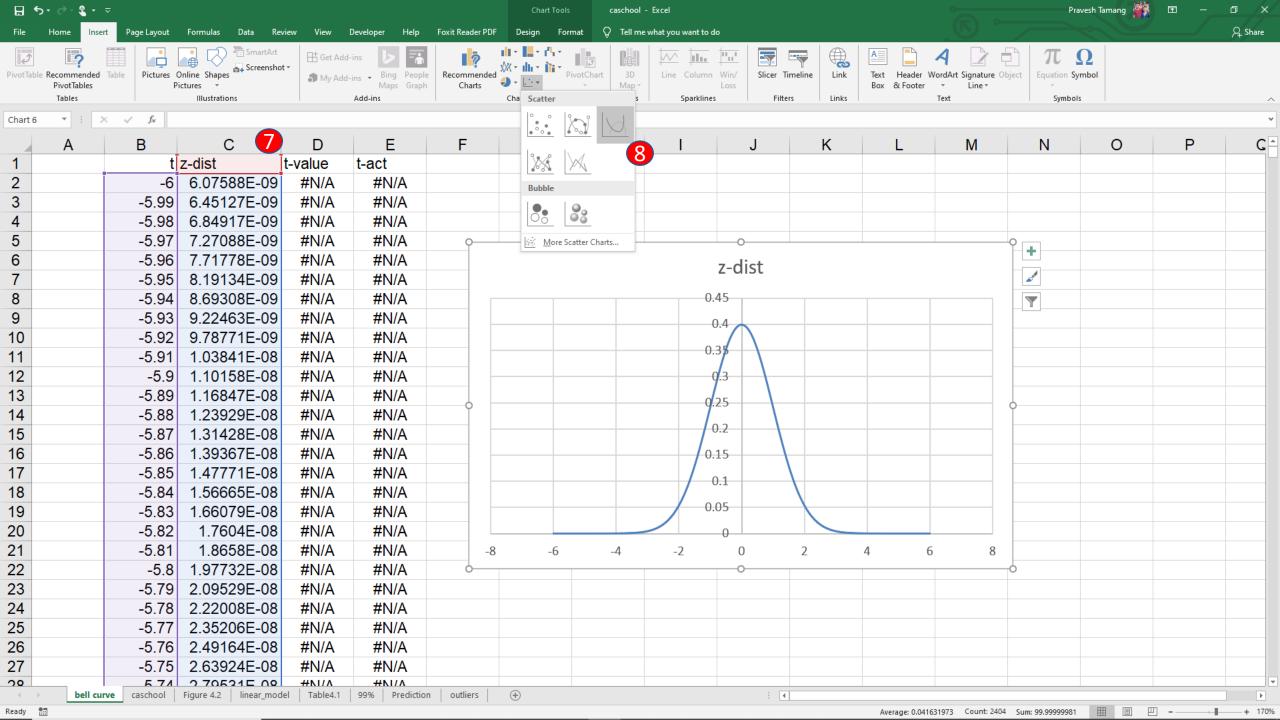


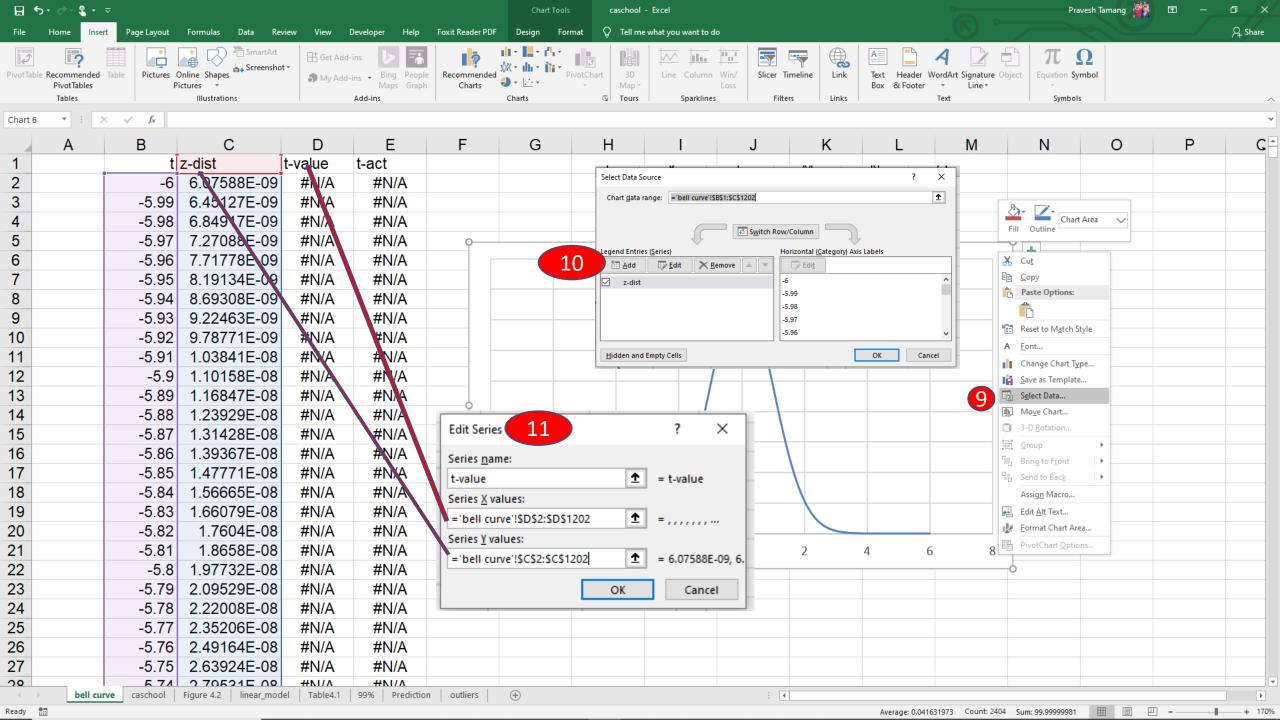


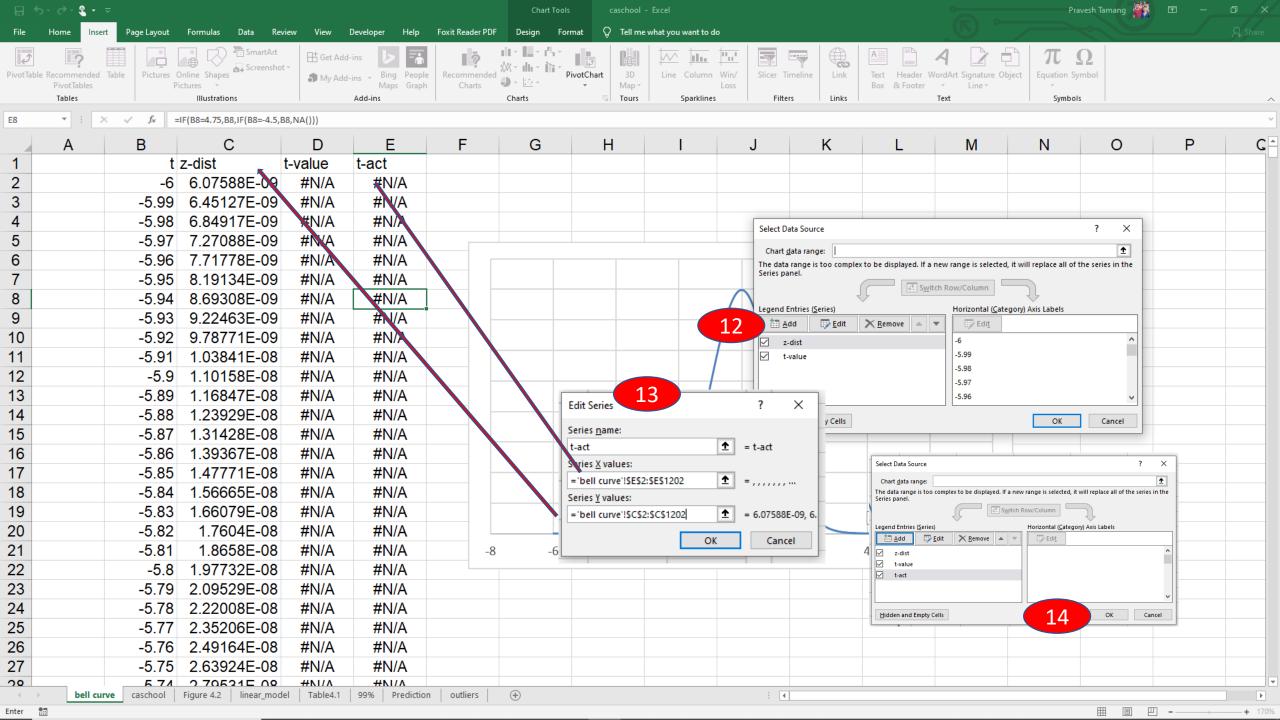


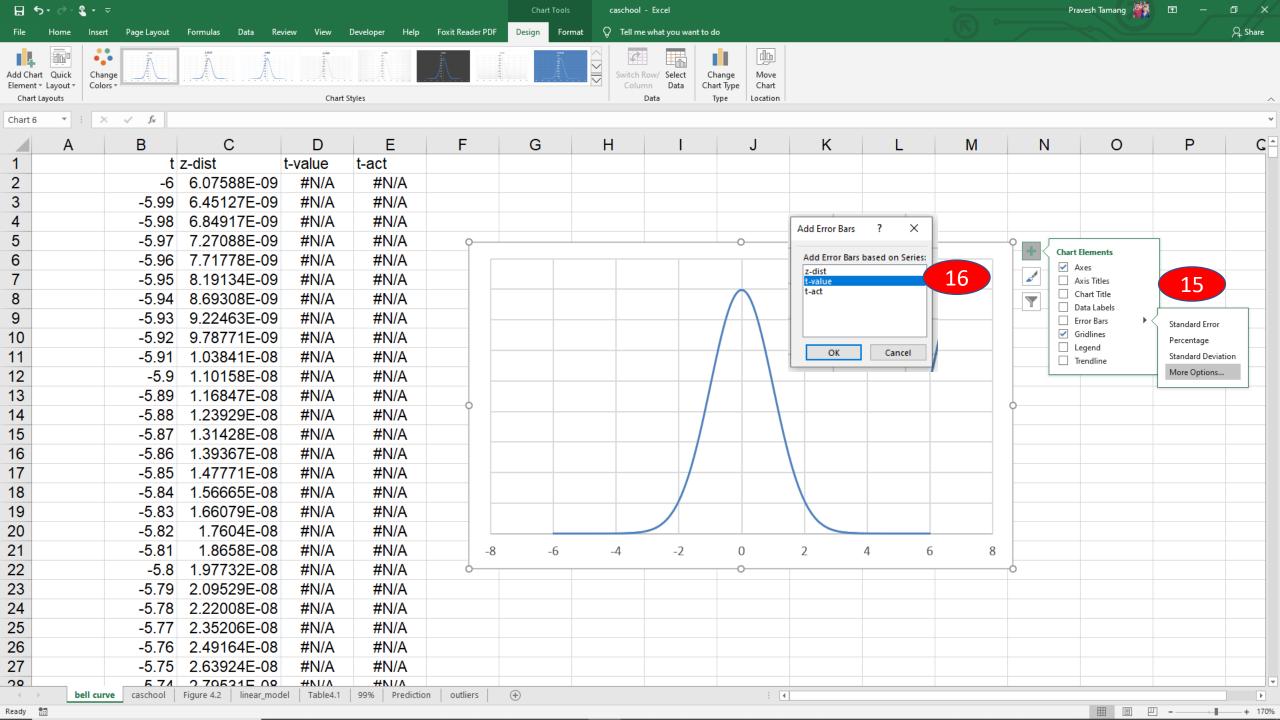


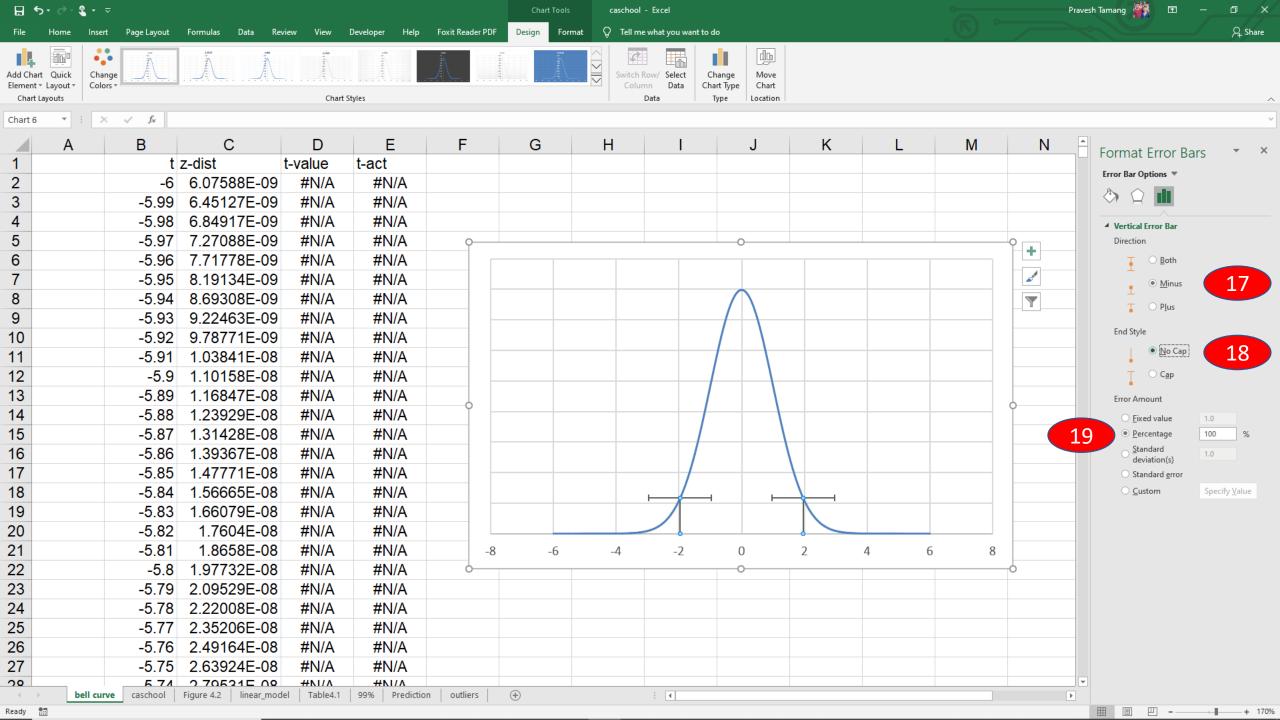


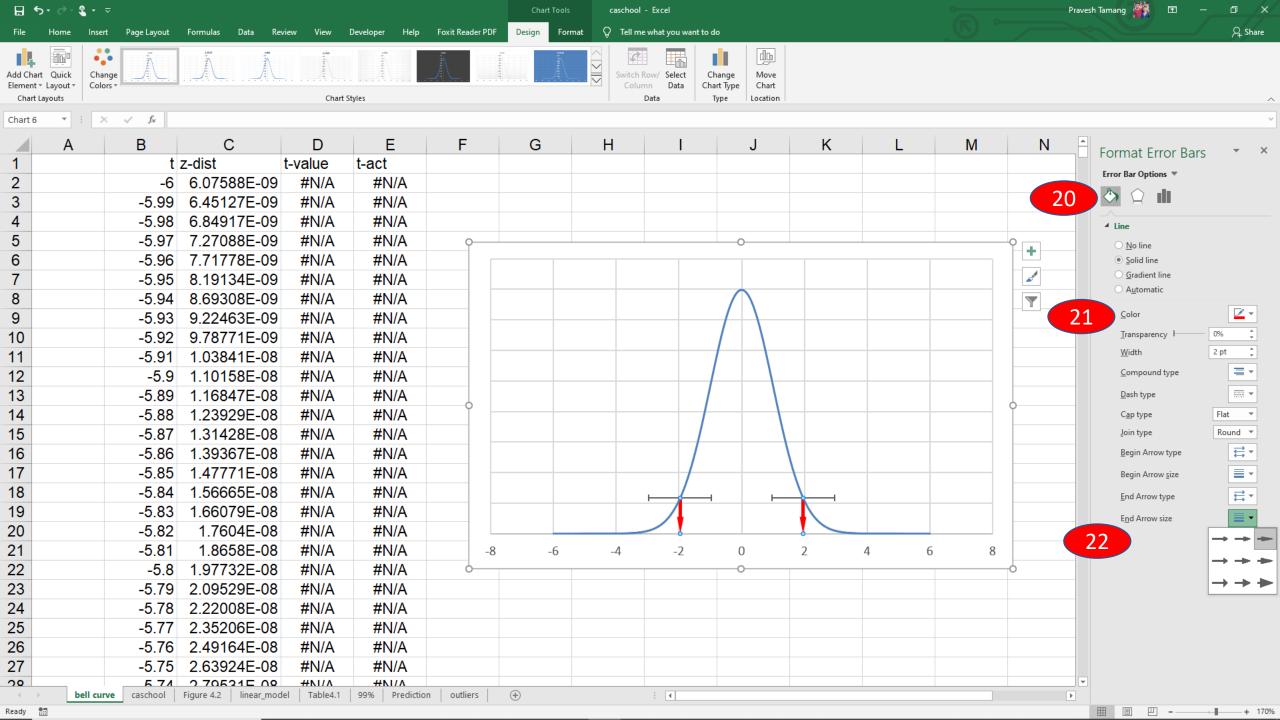


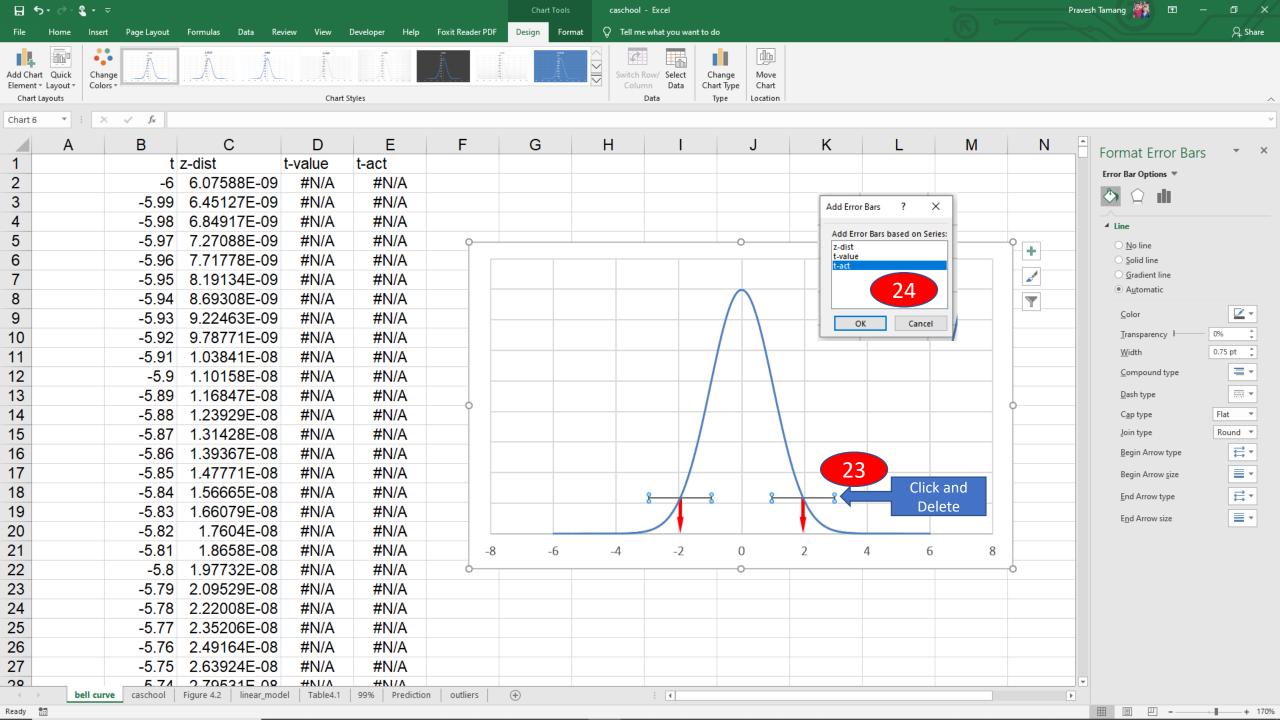


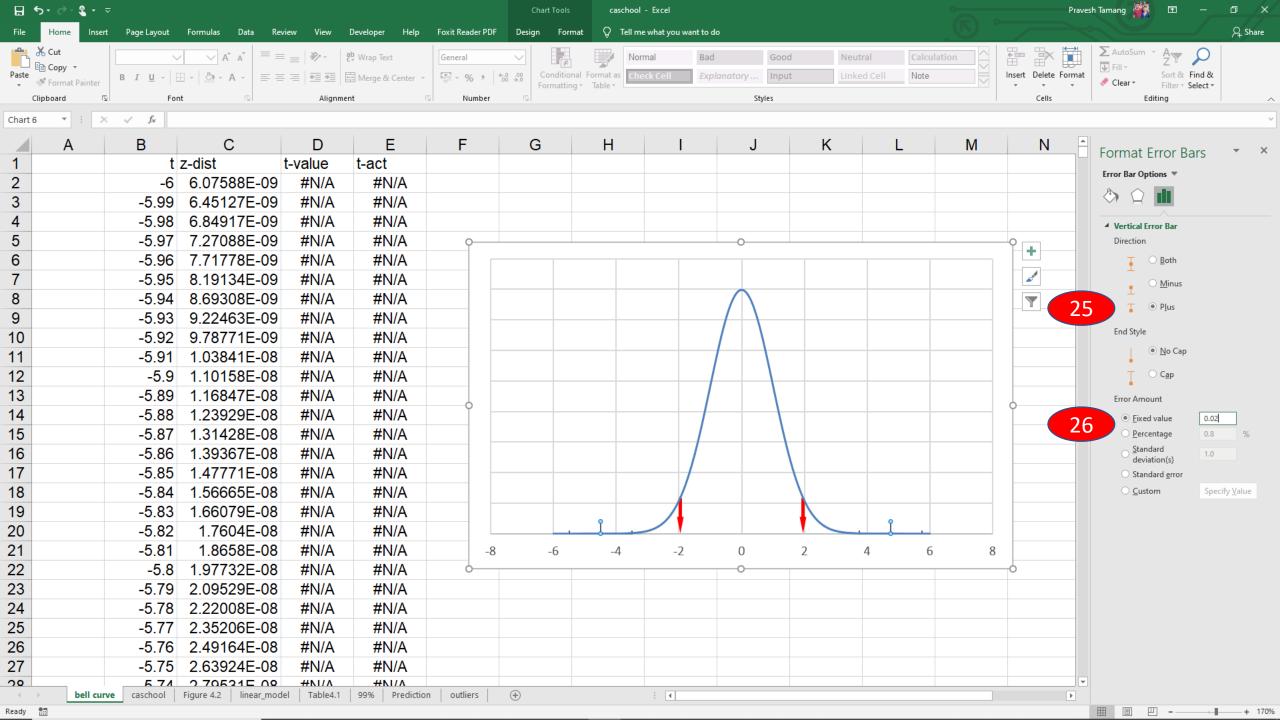


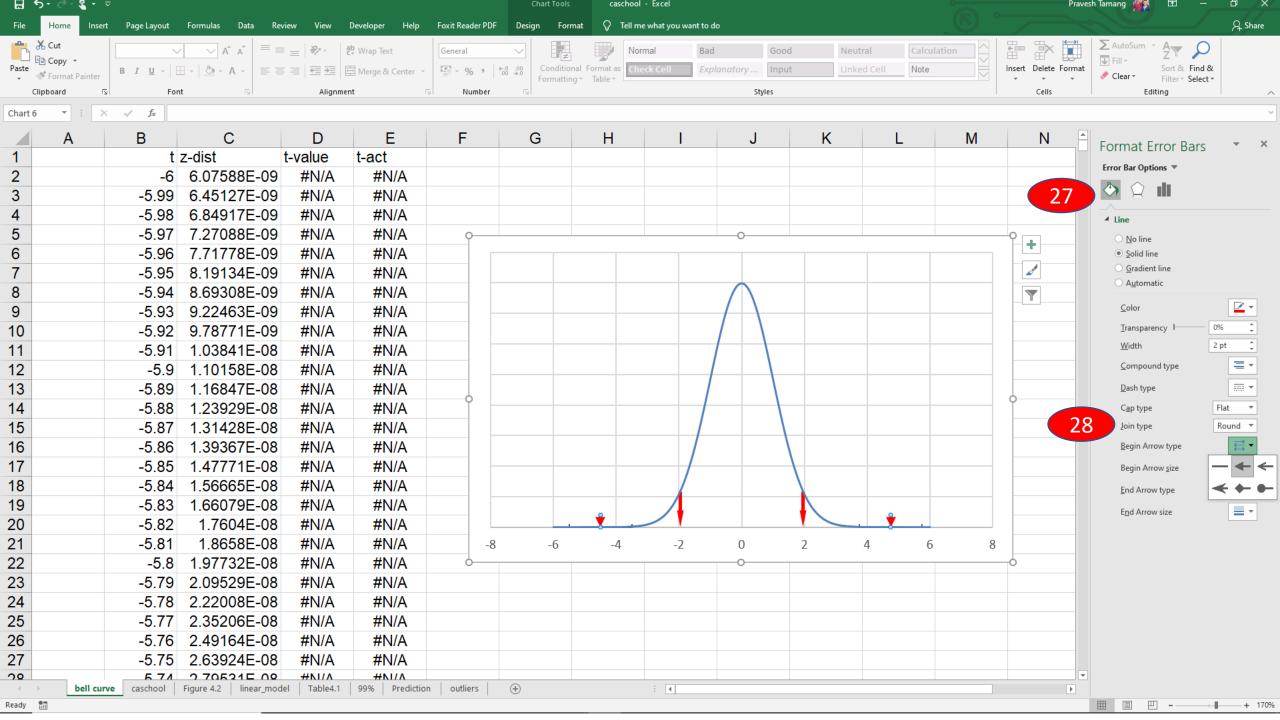




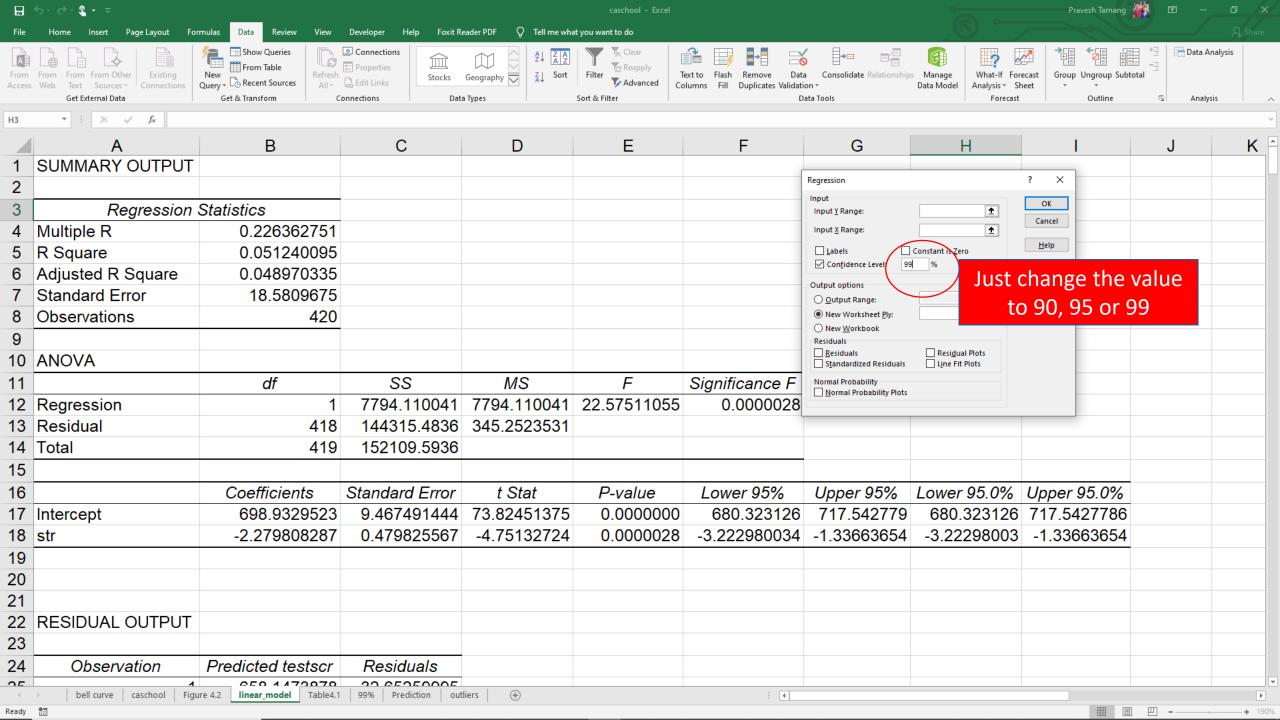








Confidence intervals for a regression coefficient



Regression when X is a binary variable

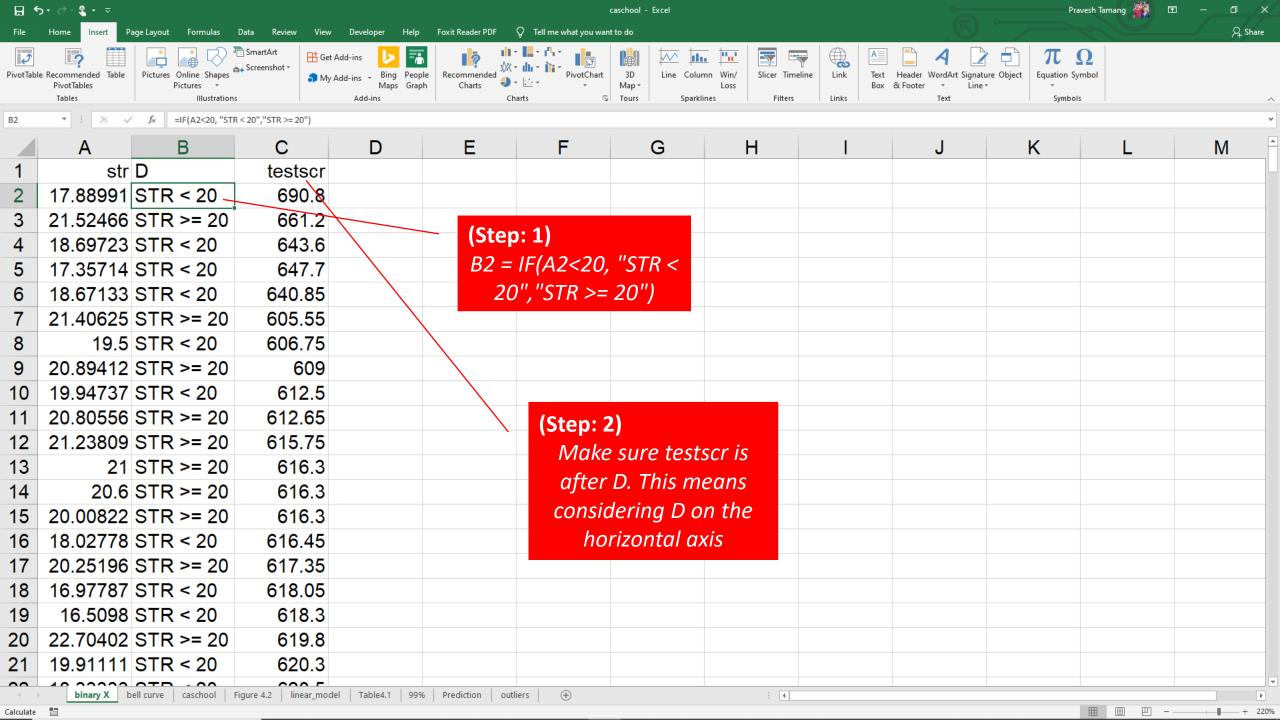
Equation with a binary regressor:

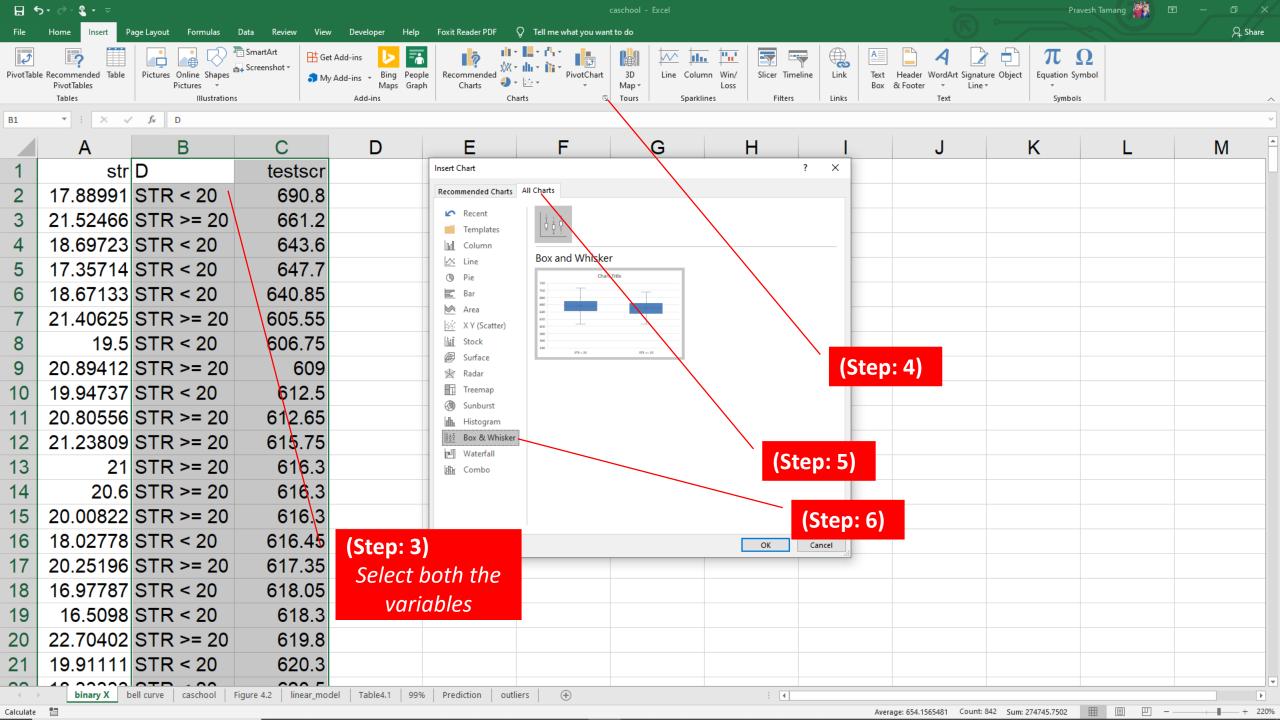
$$Y_i = eta_0 + eta_1 D_i + u_i$$
 $D_i = \left\{egin{array}{l} 1 & ext{if } STR ext{ in } i^{th} ext{ school district} < 20 \ 0 & ext{if } STR ext{ in } i^{th} ext{ school district} \geq 20 \end{array}
ight.$

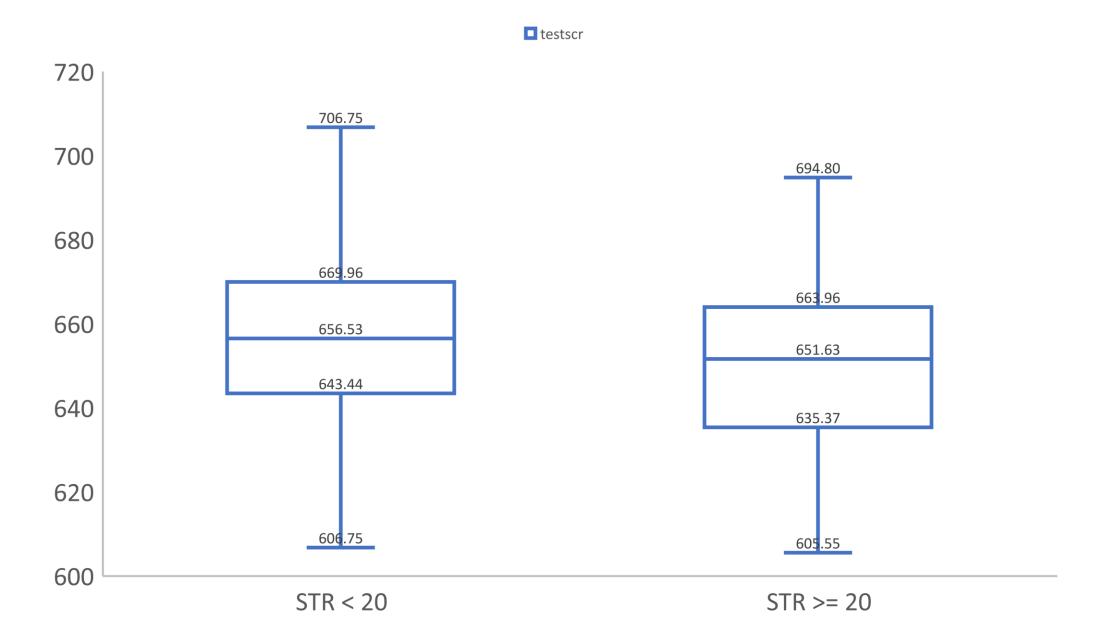
· Our regression model is

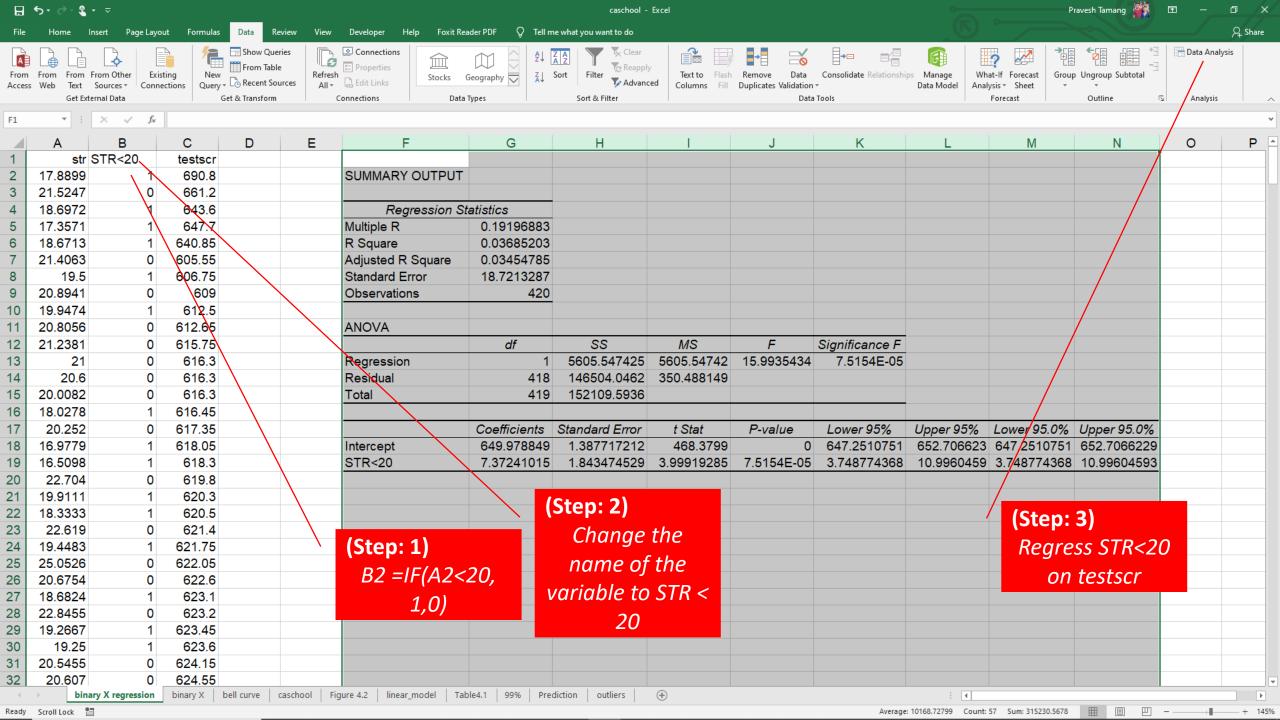
$$TestScore_i = \beta_0 + \beta_1 D_i + u_i.$$

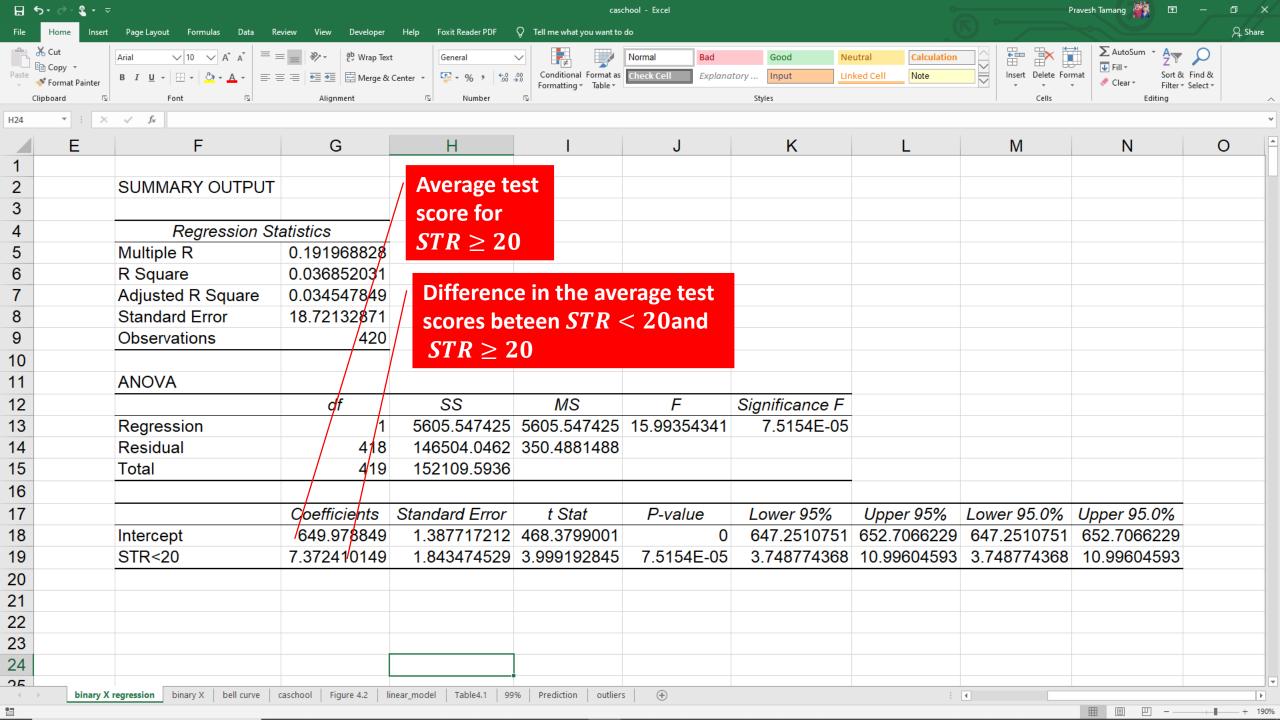
What is the difference in the expected test scores in districts with lower student-teacher ratio $STR < 20(D_i = 1)$ and those with higher student-teacher ratio $STR \ge 20(D_i = 0)$?

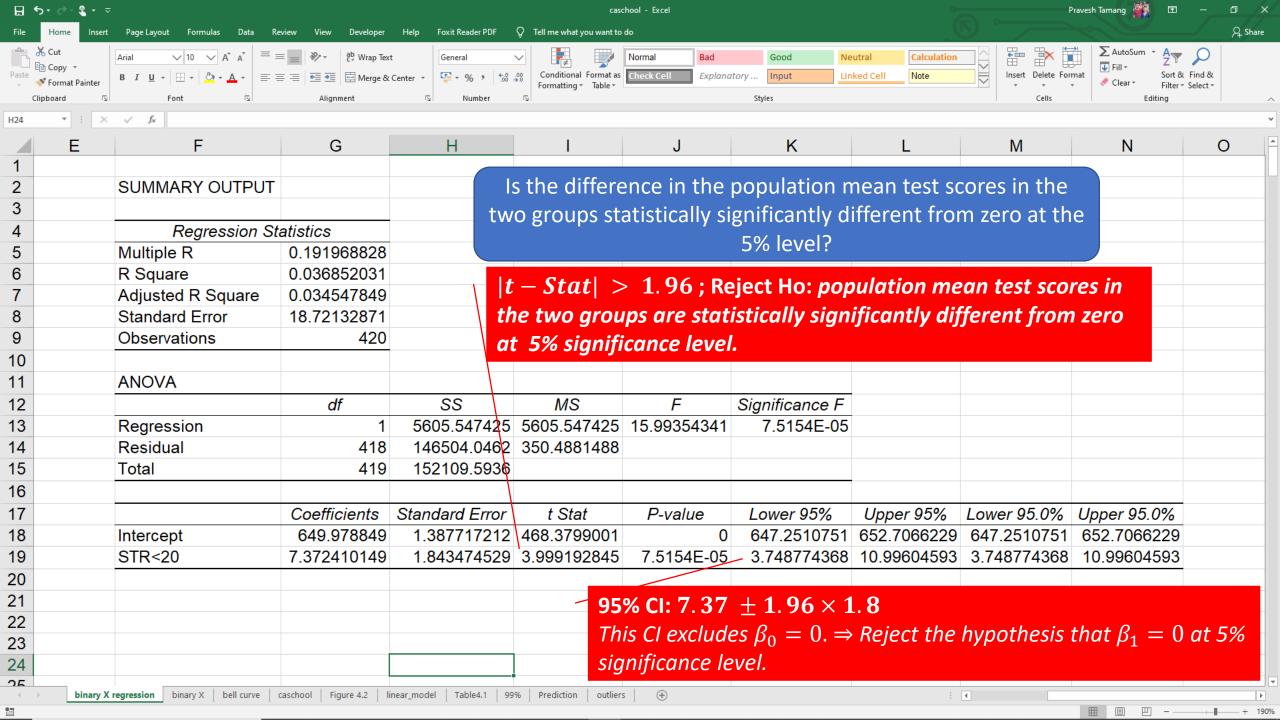












Exercises

- E5.1 Use the data set Earnings_and_Height described in Empirical Exercise 4.2 to carry out the following exercises.
- a. Run a regression of Earnings on Height.
- i. Is the estimated slope statistically significant?
- ii. Construct a 95% confidence interval for the slope coefficient.
- b. Repeat (a) for women.
- c. Repeat (a) for men.
- d. Test the null hypothesis that the effect of height on earnings is the same for men and women. (Hint: See Exercise 5.15.)
- e. One explanation for the effect on height on earnings is that some professions require strength, which is correlated with height. Does the effect of height on earnings disappear when the sample is restricted to occupations in which strength is unlikely to be important?

Using the data set **Growth** described in Empirical Exercise 4.1, but excluding the data for Malta, run a regression of *Growth* on *TradeShare*.

- **a.** Is the estimated regression slope statistically significant? This is, can you reject the null hypothesis H_0 : $b_1 = 0$ vs. a two-sided alternative hypothesis at the 10%, 5%, or 1% significance level?
- **b.** What is the *p*-value associated with the coefficient's *t*-statistic?
- **c.** Construct a 90% confidence interval for b1.

On the text website, www.pearsonglobaleditions.com/Stock_Watson, you will find the data file Birthweight_Smoking, which contains data for a random sample of babies born in Pennsylvania in 1989. The data include the baby's birth weight together with various characteristics of the mother, including whether she smoked during the pregnancy. A detailed description is given in Birthweight_Smoking_Description, also available on the website. In this exercise you will investigate the relationship between birth weight and smoking during pregnancy.

- **a.** In the sample:
- i. What is the average value of *Birthweight* for all mothers?
- ii. For mothers who smoke?
- iii. For mothers who do not smoke?
- **b.** i. Use the data in the sample to estimate the difference in average birth weight for smoking and nonsmoking mothers.
- ii. What is the standard error for the estimated difference in (i)?
- iii. Construct a 95% confidence interval for the difference in the average birth weight for smoking and nonsmoking mothers.
- **c.** Run a regression of *Birthweight* on the binary variable *Smoker*.
- i. Explain how the estimated slope and intercept are related to your answers in parts (a) and (b).
- ii. Explain how the $SE(\widehat{\beta_1})$ is related to your answer in b(ii).
- iii. Construct a 95% confidence interval for the effect of smoking on birth weight.
- **d.** Do you think smoking is uncorrelated with other factors that cause low birth weight? That is, do you think that the regression error term, say *ui*, has a conditional mean of zero, given *Smoking* (*Xi*)? (You will investigate this further in *Birthweight* and *Smoking* exercises in later chapters.)