```
N = 4 \# Size of the board
# A utility function that prints the board representation based on the state
def printBoard(state):
    # Create a 2D array initialized to zeros to represent the board
   board = [[0] * N for _ in range(N)]
   # Place a queen on the board based on the current state
    for col in range(N):
       board[state[col]][col] = 1 # Place a queen in the specified row for each column
    # Print the board row by row
    for row in board:
       print(*row) # Unpack the row list for clean output
    print() # Print a blank line for better readability
# A utility function that calculates the number of attacking queens
def calculateObjective(state):
    attacking = 0 # Initialize the count of attacking queens to zero
    # Check each pair of queens to see if they attack each other
    for i in range(N):
       for j in range(i + 1, N): # Only check queens to the right to avoid double counting
           if state[i] == state[j]: # Check if they are in the same row
               attacking += 1 # Increment the count if they are in the same row
           # Check if they are on the same diagonal
           if abs(state[i] - state[j]) == abs(i - j):
               attacking += 1 # Increment the count for diagonal attack
    return attacking # Return the total number of attacking pairs
# This function finds the neighbor of the current state with the least objective value
def getNeighbour(state):
    best_state = state[:] # Start with the current state as the best state
    best_objective = calculateObjective(state) # Calculate the current objective value (attacks)
    # Loop through each queen to find a better configuration
    for i in range(N):
       original_row = state[i] # Store the original row position of the queen
       # Try moving the queen to each possible row in the current column
       for i in range(N):
           if j != original_row: # Skip the current row
               state[i] = j # Move the queen to the new row
               current_objective = calculateObjective(state) # Calculate attacks for the new state
               # Check if this new state has fewer attacks
               if current_objective < best_objective:</pre>
                   best_objective = current_objective # Update best objective
                   best_state = state[:] # Update best state to the new configuration
       state[i] = original row # Restore the original position of the queen
    return best_state # Return the best state found
# The main function that implements the hill climbing algorithm
def hillClimbing(state):
    while True: # Loop indefinitely until a solution is found or no better state exists
       current_objective = calculateObjective(state) # Calculate attacks for the current state
       # Check if a solution has been found (no attacks)
       if current_objective == 0:
           print("Final board configuration:") # Indicate that a solution has been found
           printBoard(state) # Print the final configuration
           break # Exit the loop
       next_state = getNeighbour(state) # Find the best neighboring state
       # Check if no better state was found (stuck in a local minimum)
       if next_state == state:
           print("Stuck in local minimum.") # Indicate that no improvement is possible
           printBoard(state) # Print the current state
           break # Exit the loop
       else:
           state = next_state # Update the current state to the better neighbor
state = [1, 3, 2, 4] # Initial position of queens, specifying their row positions
# Run the hill climbing algorithm on the initial state
hillClimbing(state)
```

```
Final board configuration:
     0010
     1000
     0001
     0100
# Python3 implementation of the
# above approach
from random import randint
# A utility function that configures
# the 2D array "board" and
# array "state" randomly to provide
# a starting point for the algorithm.
def configureRandomly(board, state):
   # Iterating through the
   # column indices
    for i in range(N):
        # Getting a random row index
        state[i] = randint(0, 100000) % N;
        # Placing a queen on the
        # obtained place in
        # chessboard.
       board[state[i]][i] = 1;
# A utility function that prints
# the 2D array "board".
def printBoard(board):
    for i in range(N):
       print(*board[i])
# A utility function that prints
# the array "state".
def printState( state):
   print(*state)
# A utility function that compares
# two arrays, state1 and state2 and
# returns True if equal
# and False otherwise.
def compareStates(state1, state2):
    for i in range(N):
        if (state1[i] != state2[i]):
           return False;
    return True;
# A utility function that fills
# the 2D array "board" with
# values "value"
def fill(board, value):
    for i in range(N):
        for j in range(N):
           board[i][j] = value;
# This function calculates the
# objective value of the
# state(queens attacking each other)
# using the board by the
# following logic.
def calculateObjective( board, state):
    # For each queen in a column, we check
   # for other queens falling in the line
   # of our current queen and if found,
    # any, then we increment the variable
    # attacking count.
    # Number of queens attacking each other,
    # initially zero.
```

```
attacking = 0;
# Variables to index a particular
# row and column on board.
for i in range(N):
    # At each column 'i', the queen is
    # placed at row 'state[i]', by the
    # definition of our state.
   # To the left of same row
    # (row remains constant
    # and col decreases)
    row = state[i]
   col = i - 1;
    while (col >= 0 and board[row][col] != 1) :
        col -= 1
    if (col >= 0 \text{ and board}[row][col] == 1):
        attacking += 1;
    # To the right of same row
    # (row remains constant
    # and col increases)
    row = state[i]
    col = i + 1:
    while (col < N and board[row][col] != 1):</pre>
        col += 1;
    if (col < N and board[row][col] == 1) :</pre>
        attacking += 1;
    # Diagonally to the left up
    # (row and col simultaneously
    # decrease)
    row = state[i] - 1
    col = i - 1;
    while (col >= 0 \text{ and } row >= 0 \text{ and } board[row][col] != 1):
        col-= 1:
        row-= 1;
    if (col >= 0 \text{ and } row >= 0 \text{ and } board[row][col] == 1):
        attacking+= 1;
    # Diagonally to the right down
    # (row and col simultaneously
    # increase)
    row = state[i] + 1
    col = i + 1;
    while (col < N \text{ and } row < N \text{ and } board[row][col] != 1):
        col+= 1;
        row+= 1;
    if (col < N and row < N and board[row][col] == 1) :</pre>
        attacking += 1;
    # Diagonally to the left down
    # (col decreases and row
    # increases)
    row = state[i] + 1
    col = i - 1;
    while (col >= 0 and row < N and board[row][col] != 1) :
        col -= 1;
        row += 1;
    if (col >= 0 \text{ and } row < N \text{ and } board[row][col] == 1):
        attacking += 1;
    # Diagonally to the right up
    # (col increases and row
    # decreases)
    row = state[i] - 1
    col = i + 1;
    while (col < N and row >= 0 and board[row][col] != 1) :
        col += 1:
        row -= 1;
    if (col < N \text{ and row}) >= 0 \text{ and board}[row][col] == 1):
        attacking += 1;
# Return pairs.
return int(attacking / 2);
```

```
# A utility function that
# generates a board configuration
# given the state.
def generateBoard( board, state):
   fill(board, 0);
   for i in range(N):
       board[state[i]][i] = 1;
# A utility function that copies
# contents of state2 to state1.
def copyState( state1, state2):
    for i in range(N):
       state1[i] = state2[i];
# This function gets the neighbour
# of the current state having
# the least objective value
# amongst all neighbours as
# well as the current state.
def getNeighbour(board, state):
   # Declaring and initializing the
    # optimal board and state with
   # the current board and the state
    # as the starting point.
   opBoard = [[0 for \_ in range(N)] for \_ in range(N)]
   opState = [0 for _ in range(N)]
    copyState(opState, state);
    generateBoard(opBoard, opState);
   # Initializing the optimal
    # objective value
   opObjective = calculateObjective(opBoard, opState);
   # Declaring and initializing
   # the temporary board and
    # state for the purpose
    # of computation.
   NeighbourBoard = [[0 for _ in range(N)] for _ in range(N)]
    NeighbourState = [0 for _ in range(N)]
    copyState(NeighbourState, state);
    generateBoard(NeighbourBoard, NeighbourState);
    # Iterating through all
   # possible neighbours
    # of the board.
    for i in range(N):
       for j in range(N):
            # Condition for skipping the
            # current state
            if (j != state[i]) :
                # Initializing temporary
                # neighbour with the
                # current neighbour.
                NeighbourState[i] = j;
                NeighbourBoard[NeighbourState[i]][i] = 1;
                NeighbourBoard[state[i]][i] = 0;
                # Calculating the objective
                # value of the neighbour.
                temp = calculateObjective( NeighbourBoard, NeighbourState);
                # Comparing temporary and optimal
                # neighbour objectives and if
                # temporary is less than optimal
                # then updating accordingly.
                if (temp <= opObjective) :</pre>
                    opObjective = temp;
                    copyState(opState, NeighbourState);
                    generateBoard(opBoard, opState);
                # Going back to the original
                # configuration for the next
                # iteration.
                NeighbourBoard[NeighbourState[i]][i] = 0;
```

```
NeighbourState[i] = state[i];
                NeighbourBoard[state[i]][i] = 1;
    # Copying the optimal board and
   # state thus found to the current
   \# board and, state since c+= 1 doesn't
   # allow returning multiple values.
   copyState(state, opState);
    fill(board, 0);
    generateBoard(board, state);
def hillClimbing(board, state):
    # Declaring and initializing the
   # neighbour board and state with
    # the current board and the state
    # as the starting point.
    neighbourBoard = [[0 for \_ in range(N)] for \_ in range(N)]
    neighbourState = [0 for _ in range(N)]
    copyState(neighbourState, state);
    generateBoard(neighbourBoard, neighbourState);
    while True:
        # Copying the neighbour board and
        # state to the current board and
        # state, since a neighbour
        # becomes current after the jump.
        copyState(state, neighbourState);
        generateBoard(board, state);
        # Getting the optimal neighbour
        getNeighbour(neighbourBoard, neighbourState);
        \quad \hbox{if (compareStates(state, neighbourState))} : \\
            # If neighbour and current are
            # equal then no optimal neighbour
            # exists and therefore output the
            # result and break the loop.
            printBoard(board);
            break:
        elif (calculateObjective(board, state) == calculateObjective( neighbourBoard,neighbourState)):
            # If neighbour and current are
            # not equal but their objectives
            # are equal then we are either
            # approaching a shoulder or a
            # local optimum, in any case,
            # jump to a random neighbour
            # to escape it.
            # Random neighbour
            \label{eq:neighbourState} \verb| neighbourState[randint(0, 100000) \% N] = \verb| randint(0, 100000) \% N; \\
            generateBoard(neighbourBoard, neighbourState);
# Driver code
state = [0] * N
board = [[0 for _ in range(N)] for _ in range(N)]
# Getting a starting point by
\# randomly configuring the board
configureRandomly(board, state);
# Do hill climbing on the
# board obtained
hillClimbing(board, state);
# This code is contributed by phasing17.
→ 00100000
     00000100
     00000001
     01000000
     00010000
     10000000
```

```
N = 4 \# Size of the board
# A utility function that prints the board representation based on the state
def printBoard(state):
    # Create a 2D array initialized to zeros to represent the board
   board = [[0] * N for _ in range(N)]
    # Place a queen on the board based on the current state
    for col in range(N):
       board[state[col]][col] = 1 # Place a queen in the specified row for each column
    # Print the board row by row
    for row in board:
       print(*row) # Unpack the row list for clean output
    print() # Print a blank line for better readability
# A utility function that calculates the number of attacking queens
def calculateObjective(state):
    attacking = 0 \, # Initialize the count of attacking queens to zero
    # Check each pair of queens to see if they attack each other
    for i in range(N):
       for j in range(i + 1, N): # Only check queens to the right to avoid double counting
            if state[i] == state[j]: # Check if they are in the same row
               attacking += 1 # Increment the count if they are in the same row
           # Check if they are on the same diagonal
           if abs(state[i] - state[j]) == abs(i - j):
               attacking += 1 # Increment the count for diagonal attack
    return attacking # Return the total number of attacking pairs
# This function finds the neighbor of the current state with the least objective value
def getNeighbour(state):
    best state = state[:] # Start with the current state as the best state
    best_objective = calculateObjective(state) # Calculate the current objective value (attacks)
    # Loop through each queen to find a better configuration
       original_row = state[i] # Store the original row position of the queen
       # Try moving the queen to each possible row in the current column
       for j in range(N):
            if j != original_row: # Skip the current row
               state[i] = i # Move the gueen to the new row
               current_objective = calculateObjective(state) # Calculate attacks for the new state
               # Check if this new state has fewer attacks
               if current_objective < best_objective:</pre>
                    best_objective = current_objective # Update best objective
                    best_state = state[:] # Update best state to the new configuration
       state[i] = original_row # Restore the original position of the queen
    return best_state # Return the best state found
# The main function that implements the hill climbing algorithm
def hillClimbing(state):
    while True: # Loop indefinitely until a solution is found or no better state exists
       current_objective = calculateObjective(state) # Calculate attacks for the current state
       # Check if a solution has been found (no attacks)
       if current objective == 0:
           print("Final board configuration:") # Indicate that a solution has been found
           printBoard(state) # Print the final configuration
           break # Exit the loop
       next_state = getNeighbour(state) # Find the best neighboring state
        # Check if no better state was found (stuck in a local minimum)
       if next state == state:
           print("Stuck in local minimum.") # Indicate that no improvement is possible
           printBoard(state) # Print the current state
           break # Exit the loop
           state = next_state # Update the current state to the better neighbor
state = [1,2,3, 4] # Initial position of queens, specifying their row positions
```

```
\ensuremath{\text{\#}} Run the hill climbing algorithm on the initial state
hillClimbing(state)

→ Stuck in local minimum.

     1000
     0001
     0100
     0010
from random import randint
N = 8
# A utility function that configures
# the 2D array "board" and
# array "state" randomly to provide
# a starting point for the algorithm.
def configureRandomly(board, state):
    for i in range(N):
        state[i] = randint(0, 100000) % N
        board[state[i]][i] = 1
# A utility function that prints the 2D array "board".
def printBoard(board):
    for i in range(N):
        print(*board[i])
# A utility function that prints the array "state".
def printState(state):
    print(*state)
# A utility function that compares two arrays, state1 and state2 and returns True if equal.
def compareStates(state1, state2):
    return all(state1[i] == state2[i] for i in range(N))
# A utility function that fills the 2D array "board" with values "value"
def fill(board, value):
    for i in range(N):
        for j in range(N):
             board[i][j] = value
# This function calculates the objective value of the state (queens attacking each other)
def calculateObjective(board, state):
    attacking = 0
    for i in range(N):
        row = state[i]
        # Check row, diagonal left and right
        for j in range(i + 1, N):
             if state[j] == row or abs(state[j] - row) == abs(j - i):
                 attacking += 1
    return attacking
\# A utility function that generates a board configuration given the state.
def generateBoard(board, state):
    fill(board, 0)
    for i in range(N):
        board[state[i]][i] = 1
# A utility function that copies contents of state2 to state1.
def copyState(state1, state2):
    for i in range(N):
        state1[i] = state2[i]
# This function gets the neighbour of the current state having the least objective value
def getNeighbour(board, state):
    opBoard = [[0 for \_ in range(N)] for \_ in range(N)]
    opState = [0 for _ in range(N)]
    copyState(opState, state)
    generateBoard(opBoard, opState)
    opObjective = calculateObjective(opBoard, opState)
    \label{eq:NeighbourBoard} \mbox{NeighbourBoard} \ = \ [[\mbox{0 for } \_\mbox{ in } \mbox{range}(\mbox{N})] \ \mbox{for } \_\mbox{ in } \mbox{range}(\mbox{N})]
    NeighbourState = [0 for _ in range(N)]
    copyState(NeighbourState, state)
    generateBoard(NeighbourBoard, NeighbourState)
    for i in range(N):
        for j in range(N):
             if i l- ctate[i]
```

```
בו ז :- שנטנבן בן.
               NeighbourState[i] = j
               NeighbourBoard[NeighbourState[i]][i] = 1
               NeighbourBoard[state[i]][i] = 0
               temp = calculateObjective(NeighbourBoard, NeighbourState)
               if temp < opObjective:</pre>
                   opObjective = temp
                   copyState(opState, NeighbourState)
                    generateBoard(opBoard, opState)
               NeighbourBoard[NeighbourState[i]][i] = 0
               NeighbourState[i] = state[i]
               NeighbourBoard[state[i]][i] = 1
    copyState(state, opState)
    fill(board, 0)
    generateBoard(board, state)
def hillClimbing(board, state):
    neighbourBoard = \hbox{\tt [[0 for \_in range(N)] for \_in range(N)]}
    neighbourState = [0 for _ in range(N)]
    copyState(neighbourState, state)
    generateBoard(neighbourBoard, neighbourState)
    while True:
       copyState(state, neighbourState)
       generateBoard(board, state)
       getNeighbour(neighbourBoard, neighbourState)
       if compareStates(state, neighbourState):
           print("Stuck in local minimum.")
           printBoard(board)
           hreak
       elif calculateObjective(board, state) == calculateObjective(neighbourBoard, neighbourState):
           neighbourState[randint(0, 100000) % N] = randint(0, 100000) % N
           generateBoard(neighbourBoard, neighbourState)
# Driver code
state = [0] * N
board = [[0 for _ in range(N)] for _ in range(N)]
# Manually configure a local minimum to start
\ensuremath{\text{\#}} Example of a configuration that may lead to local minimum
state = [0, 2, 4, 1, 3, 5, 7, 6] # This configuration has multiple pairs attacking each other
generateBoard(board, state)
# Perform hill climbing on the configured board
hillClimbing(board, state)

→ Stuck in local minimum.

     10000000
     00010000
     01000000
     00000010
     00100000
     00000100
     00000001
     00001000
```