

## Demo 4 Cheat Sheet: Kinetic energy operator

### Numpy (np.) and scipy.integrate

Usage	Purpose	Inputs
<code>x=np.zeros(5)</code> <code>x =np.zeros((5,5))</code>	Return a new array of given shape and type, filled with zeros.	shape = number or numbers
<code>x = np.arange(-1.0,1.0, 0.1)</code>	Return an array evenly spaced values within a given interval according to a step size.	start, stop, step_size
<code>x = np.linspace(-1.0,1.0, 100)</code>	Return an array of evenly spaced numbers over a specified interval.	start, stop, number of points
<code>np.double(3)</code>	Convert a number or integer into a floating number (decimals).	Scalar
<code>simps(f_x, x)</code> (as imported from <code>scipy.integrate</code> )	Integrate a function $f(x)$ represented as an array ( $f_x$ ) defined on the grid $x$ using Simpson's rule.	$f_x$ = vector with function values , $x$ = vector representing the grid of $x$ values
<code>np.sqrt(x)</code>	Calculate the square root of $x$	Scalar or vector
<code>np.sin(x)</code>	Calculate the sine of $x$	Scalar or vector

### Matplotlib : Plotting (plt)

Usage	Purpose	Inputs
<code>plt.figure(figsize=(10,8))</code>	Setup parameter for a graphic, in this case we will use it change size.	figsize= (inches width, inches height)
<code>plt.plot(x,y)</code>	Plot lines	$x, y$ = vectors
<code>plt.hist(x)</code>	Plot a histogram.	$X$ =vector
<code>plt.xlabel("Axis x name")</code>	Set the $x$ axis label of the current plot.	Name = string
<code>plt.xlim([xmin,xmax])</code>	Set the $x$ limits of the current axes.	$xmin, xmax$ = scalars
<code>plt.title("Plot name")</code>	Set a title of the current plot.	Name = string
<code>plt.show()</code>	Display a figure.	

### Demo Specific - Common variables:

$x$  == array with  $x$  values  
 $L$  == length of the box  
 $n, n1, n2$  == used for the quantum number for the 1D particle in a box eigenstates  
 $\psi_x, \psi_{x2}$  == wavefunctions.  
 $T_{to\_psi}$  (and similar) == kinetic energy operator applied to the wavefunction.  
 $m$  == mass of the particle. 1 by default.  
 $\hbar$  == value of  $h$  bar. Defined as 1 by default.  
 $T_{expectation}$  (and similar) == expectation value of the kinetic energy operator  
 $c1, c2$  == coefficients in the superposition

Function	Purpose	Inputs
<code>box_1D_eigenfunction(x,L,n)</code>	Return the $n$ -th eigenstate of a 1D particle in a box (as an array) system with the box defined between 0 and $L$ .	$x$ = vector of positions from 0 to $L$ , $L$ =length of the box, $n$ = quantum number
<code>kinetic_energy_operator(x,psi_x, h_bar=1,m=1)</code>	Return the function (as an array) obtained from applying the kinetic energy operator to the wavefunction using finite differences.	$x$ = vector of positions, $\psi_x$ = vector with wavefunction values in the range of $x$ , $m$ =mass of the particle
<code>analytical_T_n(n,L,h_bar,m)</code>	Return the analytical value of the kinetic energy for the $n$ -th eigenstate of a 1D particle in a box	$n$ =quantum number, $L$ =length of the box, $m$ =mass of the particle