**Branch: CSE & IT** 

## **WEEKLY TEST - 03**

# **Subject : Operating System**



**Topic: Process Synchronization / Coordination** 

**Maximum Marks 15** 

**Batch: Hinglish** 

### Q.1 to 5 Carry ONE Mark Each

### [NAT]

1. At a particular time of computation, the value of a counting semaphore is 12. Then 12P operation and xV operations were performed on the semaphore. If the final value after all wait and signal operations is 8, then value of x is \_\_\_\_\_.

### [MCQ]

**2.** Consider the following proposed solution to critical section problem for two process i and j. For process Pi j will be 1-i:

```
do{
    flag[i] = True;
    turn = j;
    while (flag[j] && turn = = j);
        <Critical Section>
    flag[i] = true;
        <remainder section>
    }
while(true);
```

The above solution satisfies

- (a) Mutual Exclusion and Progress.
- (b) Only Mutual Exclusion.
- (c) Mutual Exclusion and Bounded Waiting.
- (d) Mutual Exclusion, Progress and Bounded Waiting.

### [MCQ]

**3.** Consider the definition of operation's performed on semaphore:

```
\label{eq:wait} \begin{aligned} & wait(S)\{ & Signal(S)\{ \\ & while(X); & Z; \\ & Y & \end{aligned}
```

Which of the following represents correct value of X, Y and Z respectively?

- (a) S < 0; S -; S + +
- (b)  $S \ge 0$ ; S + +; S -
- (c)  $S \le 0$ ; S = -; S + +
- (d) S > 0; S + +; S -

### [NAT]

**4.** Assume that 'A' is counting semaphore. Consider the following program segment:

A = 12; P(A); V(A);

P(A); V(A);

V(A);

P(A);

P(A);

P(A);

P(A);

What is the value of 'A' at the end of the above program execution?

### [MCQ]

- **5.** Which of the following is the guaranteed solution of avoidance of mutual exclusion?
  - (a) Semaphore.
  - (b) Monitors.
  - (c) Banker's algorithm.
  - (d) All of these.



### Q.6 to 10 Carry TWO Mark Each

### Common Data for Question 6 and 7

```
Semaphore mutex = 1;
Semaphore empty = N;
Semaphore full = 0;
void producer (void)
{
    int itemp;
    while(true)
     producer-item (itemp);
    down (empty);
    down (mutex);
    buffer[in] = itemp;
    in = (in + 1) \mod N;
    up(mutex);
    up(full);
}
void consumer (void)
{
    int itemc;
    while(true)
    down (full);
    down (mutex);
    itemc = buffer[out];
    out = (out + 1) \mod N;
    up(mutex);
    up(empty);
    process-item(itemc);
}
```

### [MCQ]

- 6. What happens if we interchange down (empty), down (mutex) in the producer code \_\_\_\_
  - (a) No problem, the solution still work correct.
  - (b) Both consumer and producer will access the buffer at same time.
  - (c) Some of the item produced by the producer will be lost.
  - (d) It is possible for deadlock.

### [MCQ]

- 7. What happens if we interchange down (full), down (mutex) in the consumer code \_\_\_\_
  - (a) No problem, the solution still work correct.
  - (b) Both consumer and producer will access the buffer at same time.
  - (c) Some of the item produced by the producer will be lost
  - (d) It is possible for deadlock.

### [MCQ]

**8.** Consider two process  $P_1$  and  $P_2$  accessing the shared variable X=10 and Y=20 protected by two binary semaphore  $B_x$  and  $B_y$  respectively, both initialized to 1. P and V denote the usual semaphore operations

P <sub>1</sub>	P <sub>2</sub>
$L_1$ : $P(Bx)$	$L_3$ : $P(B_X)$
$L_2$ : $P(B_Y)$	$L_4$ : $P(B_Y)$
X = X + 1;	Y = Y + 1;
Y = Y - 1;	X = Y - 1;
$V(B_X)$	$V(B_Y)$
$V(B_Y)$	$V(B_X)$

What would be the maximum value of X and Y?

- (a) X = 21 and Y = 20
- (b) X = 20 and Y = 21
- (c) X = 11 and Y = 11
- (d) None of these

#### [MCQ]

**9.** Consider the following snippet for solution to critical section problem:

```
do{
    acquire lock
        critical section
    release lock
        remainder section
}
while(true);
```

Which of the following define acquire lock and release lock correctly?

(a) acquire () { release () {



### [MCQ]

**10.** Let P and Q be processes and let S and t be semaphores. Initially, both S and t are 1. The two processes execute

the steps shown below. Show a sequence of steps that leads to deadlock

P:	Q:
Step P <sub>1</sub> : Down (s)	Step Q <sub>1</sub> : Down (s)
Step P <sub>2</sub> : Down (t)	Step Q <sub>2</sub> : Down (t)
Step P <sub>3</sub> : CS – PA	Step Q <sub>3</sub> : CS – QA
Step P <sub>4</sub> : UP (s)	Step Q <sub>4</sub> : UP(t)
Step P <sub>5</sub> : Down (s)	Step Q <sub>5</sub> : UP(s)
Step P <sub>6</sub> : CS – PB	
Step P <sub>7</sub> : UP(s)	
Step P <sub>8</sub> : UP(t)	

- (a)  $P_1, P_2, Q_1, Q_2$
- (b)  $P_1, P_2, P_3, P_4, Q_1, Q_2, P_5$
- (c)  $Q_1, Q_2, Q_3, P_1, P_2$
- (d)  $Q_1, Q_2, Q_3, Q_4, Q_5$



# **Answer Key**

(8) 1.

2. **(b)** 

3. (c)

4. (9)

5. (b)

6. (d) 7. (d)

8. (b)

9. (a) 10. (b)



## **Hints and Solutions**

### 1. (8)

Initial value of semaphore = 12.

Total wait operation = 12P

Total signal operation = xV

Final Value = 8

So.

$$8 = 12 - 12P + xV$$

$$8 = 12 - 12 + xV$$

x = 8

### 2. (b)

The given code is modified Peterson's solution for critical section problem and it satisfies only mutual exclusion.

### 3. (c)

The definition of wait() and signal() operation performed on semaphore are as follows:

wait (S) {

while 
$$(S < = 0)$$
;

$$S - -$$
;

}

signal (S) {

$$S + +$$
;

}

Therefore, option (c) is correct.

### 4. (9)

$$A = 12$$

$$P(A) = 11$$

$$V(A) = 12$$

$$P(A) = 11$$

$$V(A) = 12$$

$$V(A) = 13$$

$$P(A) = 12$$

$$P(A) = 11$$

$$P(A) = 10$$

$$P(A) = 9$$

So, the final value of 'A' is 9.

### **5. (b)**

Monitors allows one process to execute in critical section at a time. It always satisfies the mutual exclusion properties.

Improper use of semaphore does not lead to avoidance of mutual exclusion.

Banker's algorithm is not related to mutual exclusion.

### 6. (d)

Producer	Consumer
down(mutex)	down(full)
down(empty)	down(mutex)
C.S	C.S
up(mutex)	up(mutex)
up(full)	up(empty)

### **Buffer full:**

$mutex = \cancel{X} 0$	mutex = 0	
empty = $\mathcal{N} - 1$	← consumer suspended	
← producer suspended	empty = -1	
full = 8	full = 8 7	
leads to deadlock		

### 7. (d)

The interchange will lead to deadlock.



### 8. (b)

**I.** 
$$X = 10, Y = 20$$

For the maximum value of X, run P<sub>1</sub> first

$$P_1$$
:  $X = X + 1$ :  $10 + 1 = 11$ 

Preempt P<sub>1</sub>

$$P_2$$
:  $Y = Y + 1$ :  $20 + 1 = 21$ 

$$X = 21 - 1 = 20$$

$$X = 20$$

Resume P<sub>1</sub>

$$P_1$$
:  $Y = Y - 1$ :  $21 - 1 = 20$ 

### **II.** For the maximum value of Y

P<sub>2</sub>: Read Y value [i.e. 20]

Preempt P<sub>2</sub>

$$P_1$$
:  $X = X + 1$ :  $10 + 1 = 11$ 

$$Y = Y - 1$$
:  $20 - 1 = 19$ 

Resume P2

$$P_2$$
: Y + 1: 20 + 1= 21

$$Y = 21$$

$$\therefore Y = 21$$

$$X = Y - 1$$
:  $21 - 1 = 20$ 

Hence, the maximum value of X is 20 and Y is 21

### 9. (a)

The given code is solution to the critical section problem using mutex locks.

A mutex lock has a Boolean variable 'avail' whose value indicates if the lock is available or not. If the lock is available, a call to acquire() succeeds and the lock is then considered unavailable. A process that attempts to acquire an unavoidable lock is blocked until the lock is released.

The definition of acquire() and release is as follows:

```
acquire () {
    while(! avail);    /*busy wait*/
    avail = false;
}
release () {
avail = true;
}
```

### **10.** (b)

The order of execution P<sub>1</sub>, P<sub>2</sub>, P<sub>3</sub>, P<sub>4</sub>, Q<sub>1</sub>, Q<sub>2</sub>, P<sub>5</sub> leads to deadlock.

For more questions, kindly visit the library section: Link for web:  $\underline{https://smart.link/sdfez8ejd80if}$ 

