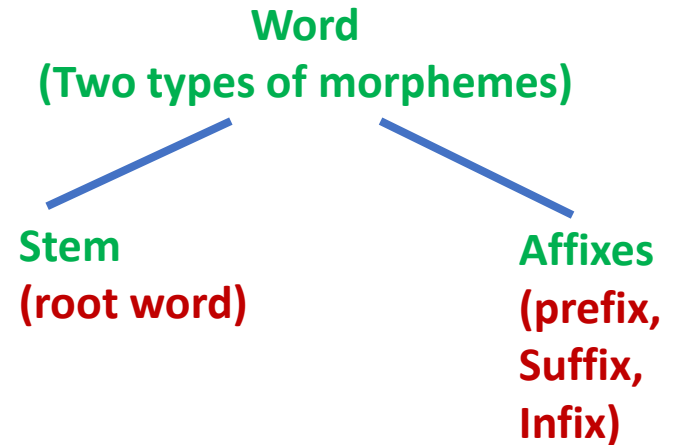
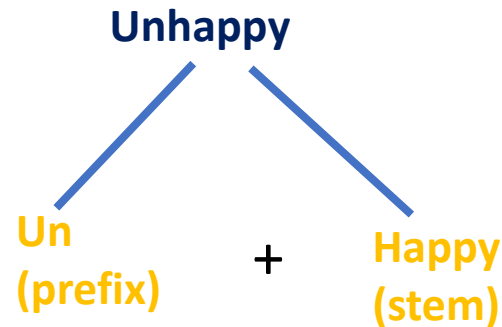
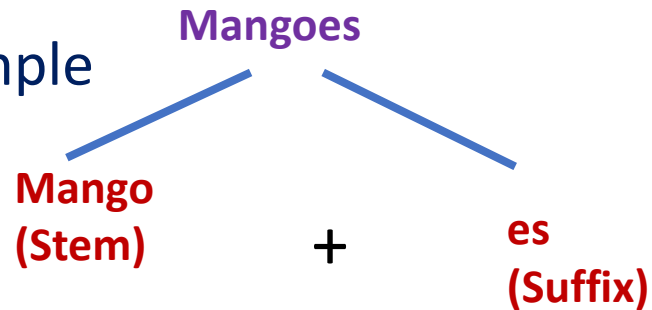


Morphological Parsing

Morphological Parsing

- It is used to identify and find the number of morphemes in a given word.
- Morphemes are the smallest indivisible meaningful units of a language which builds a word.

- Example



- Steps to design Morphological parser
 - ✓ Lexicon
 - ✓ Morphotactic
 - ✓ Orthographic Rules.

Morphological Parsing

Lexicon

- ✓ Stores basic information about a word.
- ✓ Word is stem or affix
- ✓ If Stem, then whether a verb stem or noun stem.
- ✓ If affix, then whether a prefix, infix or suffix

Morphotactic

- ✓ Set of rules to make a decisions
- ✓ Decides a word appear/not appear before, after or in between other words.
- ✓ For example

Use able ness
↓ ↓ ↓
Useableness (Valid rule)

Able use ness
↓ ↓ ↓
Ableuseness (Invalid rule)

Orthographic rules

Set of rules used to decide spelling changes.

For example

Baby + S = Babys

Baby+s = Babies

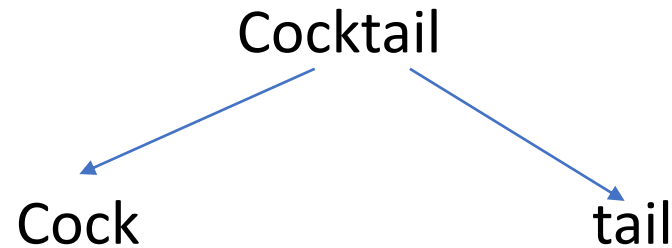
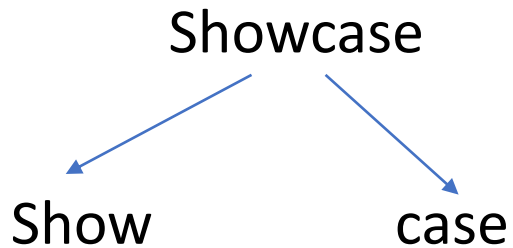
Morphological Analysis

- Morphology means study of word / making of word.
- Some words has their own meaning.
- Example

Camera Board Pen Table

- Some words are there which when divided into different words, those new words have their own meaning.

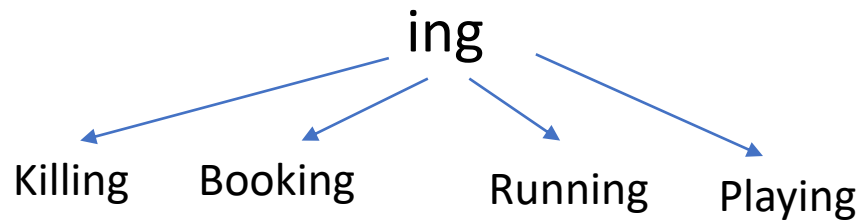
Example



Morphological Analysis

- Some words are there which does not have their own meaning but when they are combined with other words, they become meaningful.

Example:

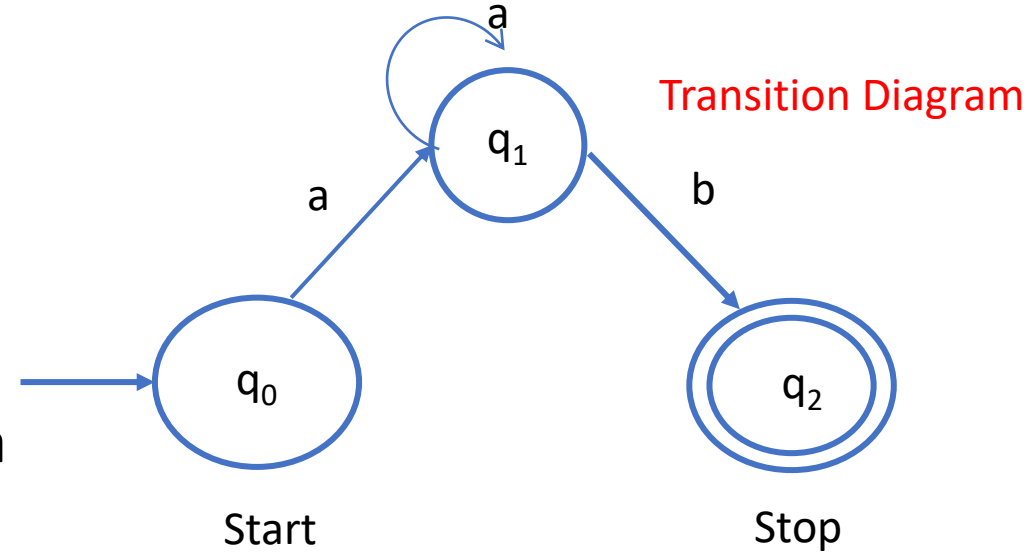


Finite State Automata

- A finite state automata is defined as $M = \{Q, \Sigma, \delta, q_0, F\}$

Where

- ✓ Q : Finite Non-empty Set of States
- ✓ Σ : Finite Set of Input symbols
- ✓ δ : Transition Mapping: $Q \times \Sigma \rightarrow Q$
- ✓ q_0 : Initial State of the Finite Automata
- ✓ F : Finite Set of Final States



Example = a^+b

$$Q = \{q_0, q_1, q_2\}$$
$$\Sigma = \{a, b\}$$

Finite State Automata

Let's begin with the “sheep language” we discussed previously. Recall that we defined the sheep language as any string from the following (infinite) set:

baa!
baaa!
baaaa!
baaaaa!
...

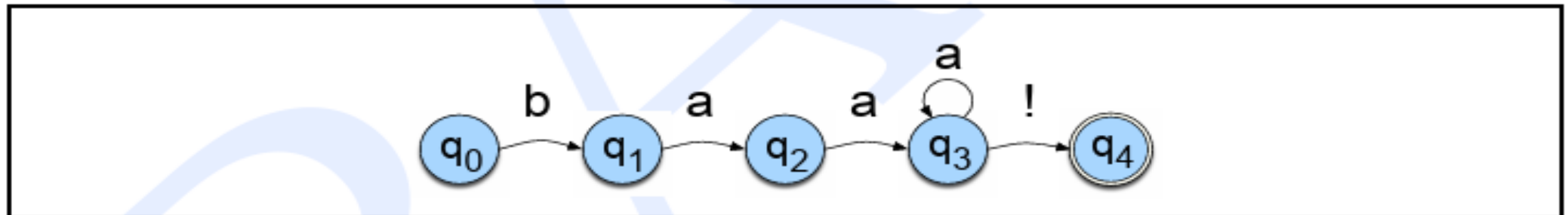


Figure 2.10 A finite-state automaton for talking sheep.

Algorithm for FSA

function D-RECOGNIZE(*tape, machine*) **returns** accept or reject

index ← Beginning of tape

current-state ← Initial state of machine

loop

if End of input has been reached **then**

if *current-state* is an accept state **then**

return accept

else

return reject

elseif *transition-table*[*current-state*, *tape*[*index*]] is empty **then**

return reject

else

current-state ← *transition-table*[*current-state*, *tape*[*index*]]

index ← *index* + 1

end

Figure 2.12 An algorithm for deterministic recognition of FSAs. This algorithm returns *accept* if the entire string it is pointing at is in the language defined by the FSA, and *reject* if the string is not in the language.

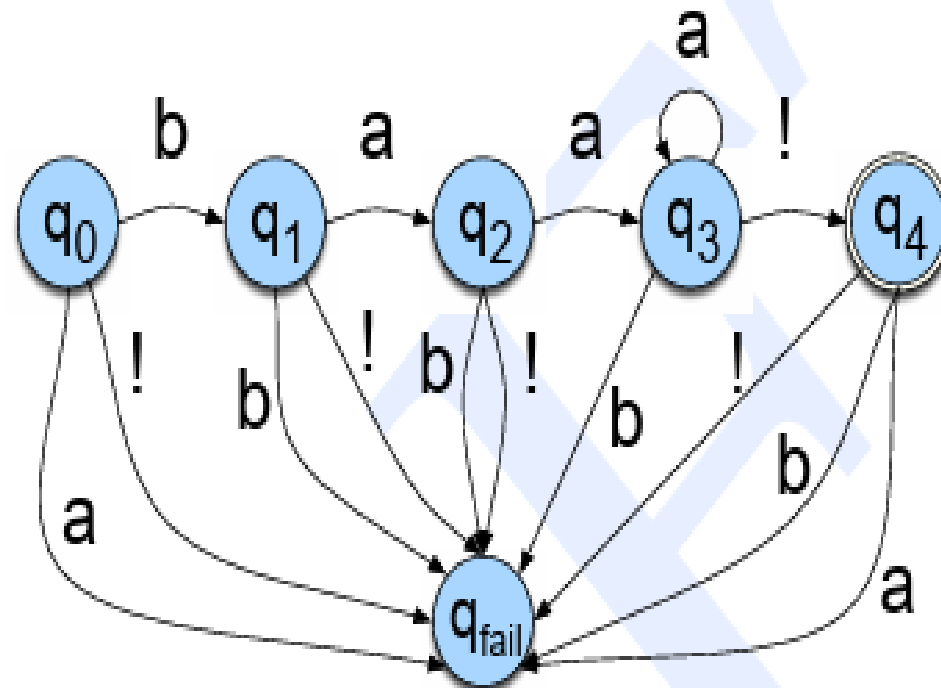
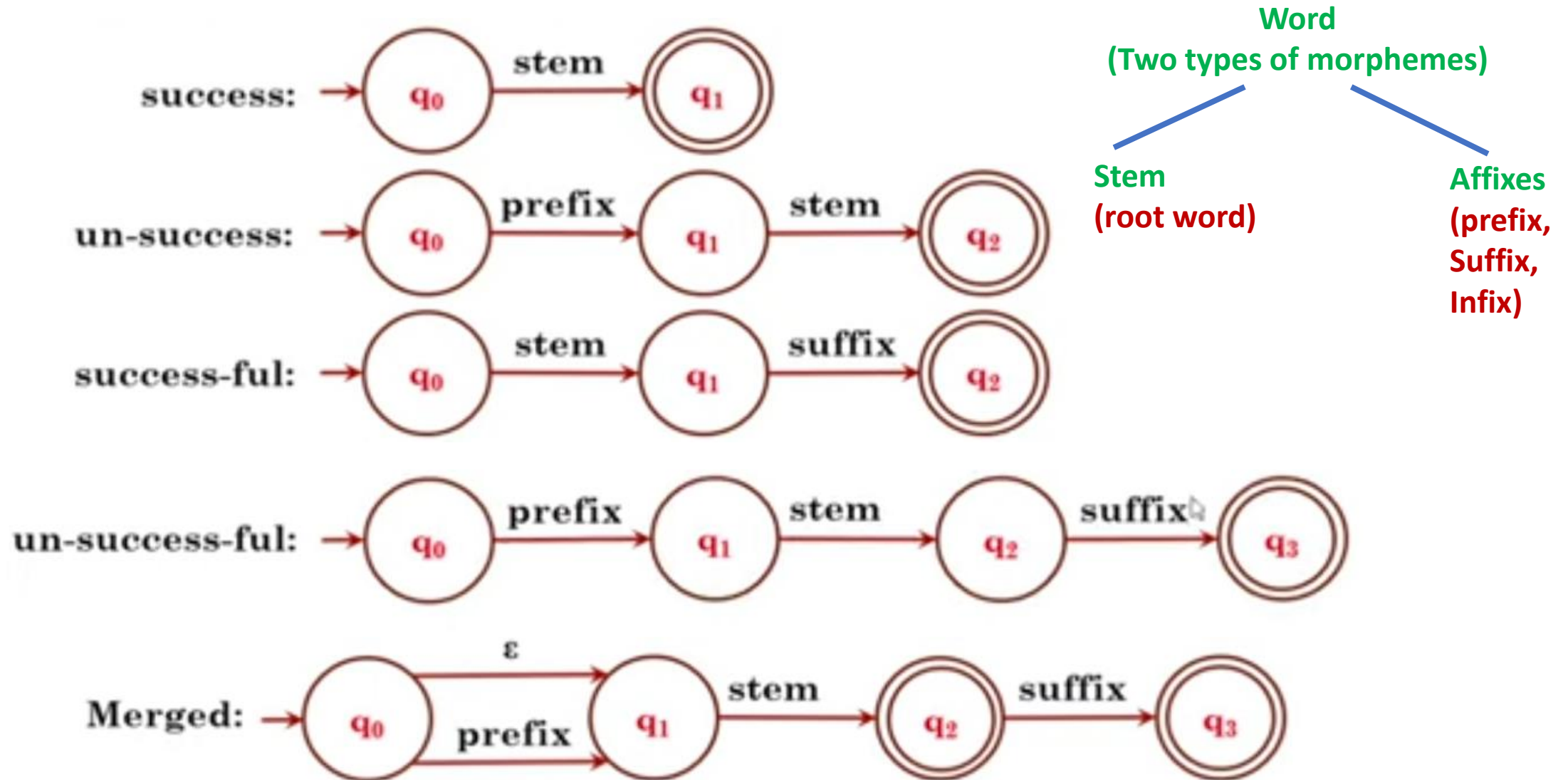
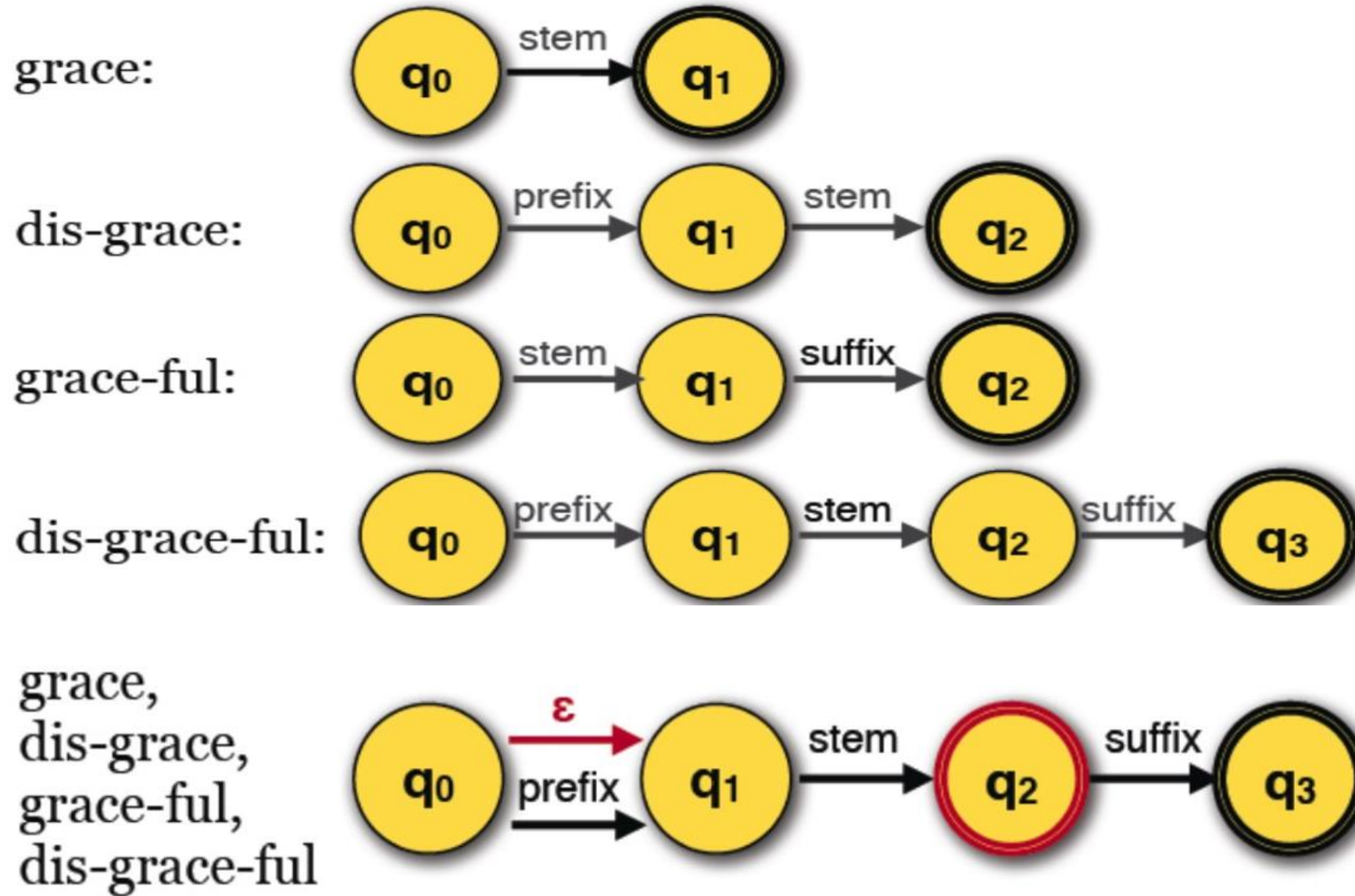


Figure 2.14 Adding a fail state to Fig. 2.10.

Finite State Automata for Morphology

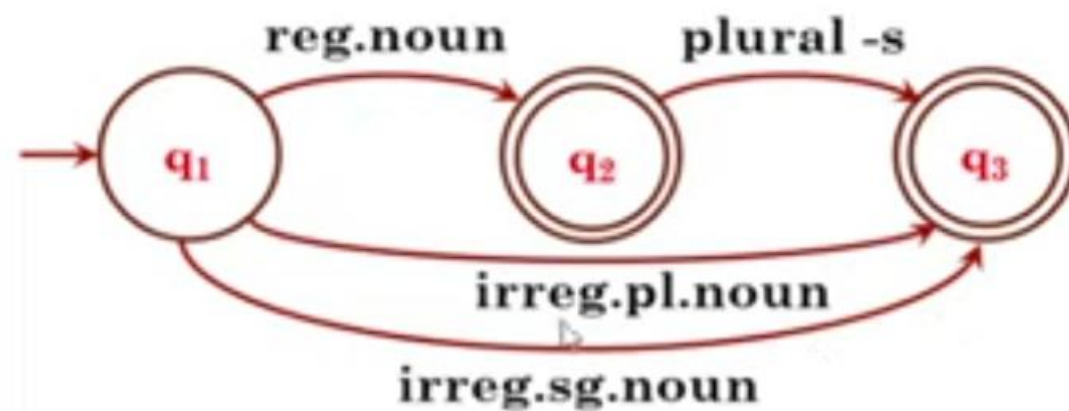
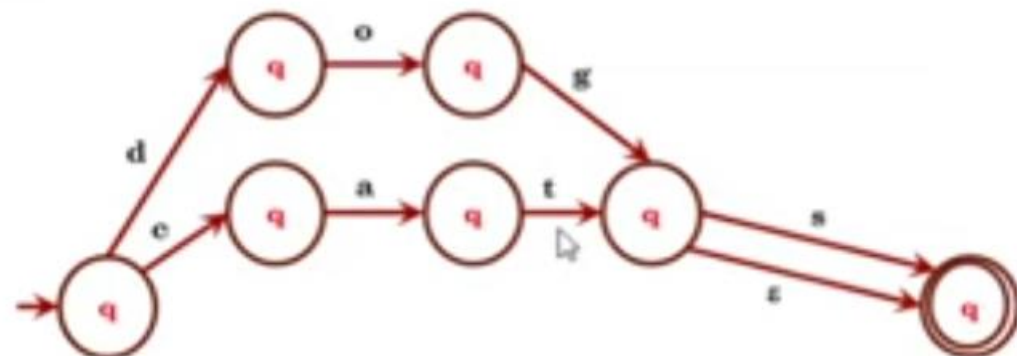
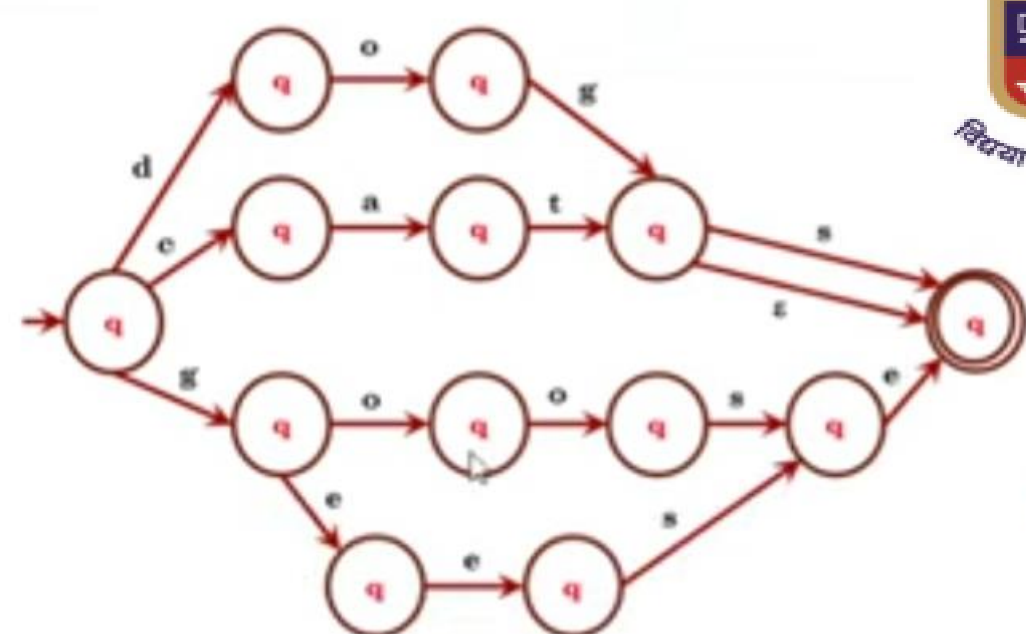
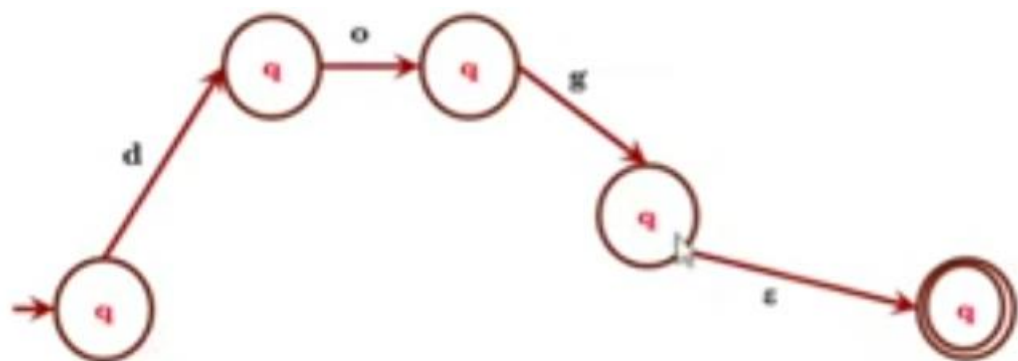




STEM CHANGES

- Some irregular word requires stem changes.
- Example
 - ✓ Goose -> geese
 - ✓ Mouse -> Mice
 - ✓ Teach -> Taught
 - ✓ Go -> went

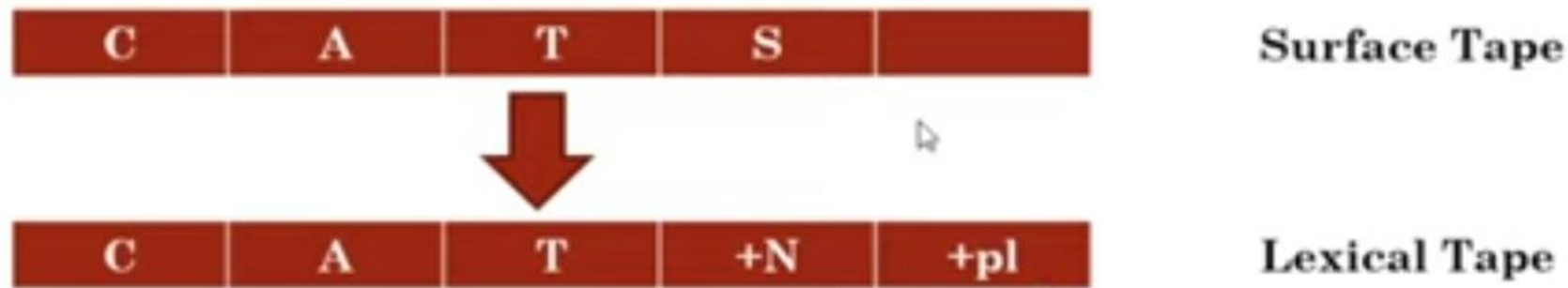
Reg-noun	Irreg-pl-noun	Irreg -sg -noun	plural
rat	geese	goose	-s
cat	taught	teach	
dog	mice	mouse	



RECOGNITION vs ANALYSIS

- Finite State Automata can recognize/accept a string, but they cannot tell its internal structure.
- Thus, a machine is required to map/transduce the input string into an output string that encodes its internal structure.
- Finite State Transducers has two tapes for input and output as:
Lexical Tape and Surface Tape.

Any one of the two tape can be either input tape or output tape.



Finite State Transducer

- A formal language is not the natural language, but it can be used to model part of natural languages such as phonology, morphology, etc.
- FSTs are FSAs with two tapes.
- AFST is 7 tuple, $T = (Q, \Sigma, \Gamma, q_0, F, \delta, \lambda)$ where
 - ✓ Q : Finite Set of States
 - ✓ Σ : Finite set of Input Symbols
 - ✓ Γ : Finite set of output symbols
 - ✓ q_0 : Initial State
 - ✓ F : Set of final states
 - ✓ δ : Transition Function Mapping $\delta: Q \times \Sigma \rightarrow 2Q$
 - ✓ λ : Output Function Mapping $\lambda: Q \times \{\Sigma \cup \epsilon\} \rightarrow Q \times \{\Gamma \cup \epsilon\}$

Example on FST

- $Q = \{q_0, q_1\}$
- $\Sigma = \{a, b\}$
- $\Gamma = \{x, y, z\}$
- $\{\Sigma \cup \varepsilon\} = \{a, b, \varepsilon\}$
- $\{\Gamma \cup \varepsilon\} = \{x, y, z, \varepsilon\}$
- $\lambda :$

$$\left[\begin{array}{l} \langle 0, a \rangle, \langle 0, b \rangle, \langle 0, c \rangle, \langle 0, \varepsilon \rangle \\ \langle 1, a \rangle, \langle 1, b \rangle, \langle 1, c \rangle, \langle 1, \varepsilon \rangle \end{array} \right] \times \left[\begin{array}{l} \langle 0, x \rangle, \langle 0, y \rangle, \langle 0, z \rangle, \langle 0, \varepsilon \rangle \\ \langle 1, x \rangle, \langle 1, y \rangle, \langle 1, z \rangle, \langle 1, \varepsilon \rangle \end{array} \right]$$

THANK YOU