

PRIYADARSHINI COLLEGE OF ENGINEERING, NAGPUR

Department: Computer Technology

Semester: V

Section: A and B

CAT-II (2022-23)

Subject : Design and Analysis of Algorithms

Subject Code : BECT501T

Duration : 1.5Hrs

Max. Marks : 35

Note:

- 1) All questions are compulsory.
- 2) All questions carry marks as indicated.

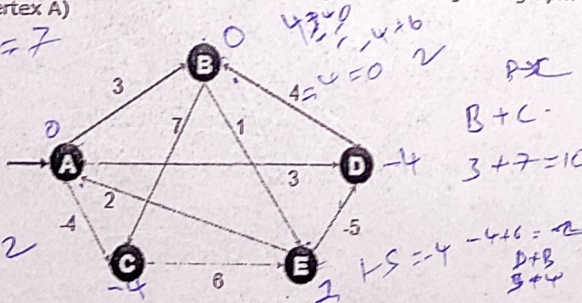
Questions

Marks	CO	BL
-------	----	----

- | | | | | | | |
|-----|---|----|--|----|-----|-----|
| Q.1 | A | I | Which of the following algorithm design technique is used in finding all pairs of shortest distances in a graph? | 1M | CO3 | II |
| | | | a) Backtracking | | | |
| | | | b) Greedy | | | |
| | | | c) Dynamic programming | | | |
| | | | d) Divide and conquer | | | |
| | | II | Which of the following is/are property/properties of a dynamic programming problem? | 1M | CO3 | III |
| | | | a) Optimal substructure | | | |
| | | | b) Overlapping subproblems | | | |
| | | | c) Both optimal substructure and overlapping subproblems | | | |
| | | | d) Greedy approach | | | |
| | B | | Differentiate between Greedy approach and Dynamic programming. | 5M | CO3 | III |
| | C | | Determine LCS of $X = (a, b, a, b, a, a, b)$ and $Y = (a, b, a, b, b, a, a)$ | 7M | CO3 | III |

OR

- | | | | | | | |
|-----|---|----|---|----|-----|-----|
| Q.2 | A | I | The Floyd-Warshall algorithm for all-pair shortest paths computation is based on : | 1M | CO3 | II |
| | | | a) Backtracking | | | |
| | | | b) Dynamic programming | | | |
| | | | c) Greedy | | | |
| | | | d) Divide and conquer | | | |
| | | II | Consider two strings A="qpqrr" and B= "pqpqrqrp" . Let x be the length of the longest common subsequence (not necessarily contiguous) between A and B and let y be the number of such longest common subsequences between A and B. Then $x+10y =$ _____ | 1M | CO3 | III |
| | | | a) 43 | | | |
| | | | b) 44 | | | |
| | | | c) 34 | | | |
| | | | d) 35 | | | |
| | B | | Find the shortest distance using Bellman-Ford algorithm for given graph. (Assume source vertex A) | 5M | CO3 | III |



- C Find All pair shortest Paths using Floyd Warshall algorithm for given graph: 7M CO3 III

	A	B	C
A	0	4	7
B	1	0	2
C	6	∞	0

$-1 - 4 - 3 - 5 - 8 - 5$
 $-8 - 13$
 $1 + 3$
 2
 -3×2
 $-1 + 3 = 2, 3 \times 2$

	A	B	C
A	0	4	7
B	1	0	2
C	6	∞	0

$-5 + 1$
 $6 - 4 = 2$
 $-5 + 2$
 $-4 + 4$
 $-4 - 3$
 $0 + 7$
 $D \rightarrow B$
 -4
 $-4 + 4 = 0$
 $-4 + 0 = -4$

Questions				Marks	CO	BL
Q.3	A	I	In what manner is a state-space tree for a backtracking algorithm constructed? a) Depth First Search d) Twice around the tree	1M	CO4	II
		II	A node is said to be _____ if it has a possibility of reaching a complete solution. a) Non-promising b) Promising c) Succeeding d) Preceding	1M	CO4	II
	B		Explain Graph coloring method with example. Give backtracking-based algorithm for it.	5M	CO4	II
	C		Discuss 4-Queen's problem and give its algorithm using Backtracking approach.	7M	CO4	II

OR

Q.4	A	I	Backtracking algorithm is implemented by constructing a tree of choices is called as _____? a) State-space tree b) State-Chart Tree c) Backtracking Tree d) Node Tree	1M	CO4	II
		II	Which of the problems cannot be solved by backtracking method? a) n-queen Problem b) Sum of Subset Problem c) Hamiltonian Circuit Problem d) Travelling Salesman Problem	1M	CO4	II
	B		Explain backtracking algorithm for sum of subsets problem. State its implicit and explicit constraints.	5M	CO4	II
	C		Discuss Hamiltonian cycle. Also write an algorithm for finding Hamiltonian cycle of a graph.	7M	CO4	II
Q.5	A	I	Problems that cannot be solved in polynomial time are known as? a) Intractable Problems b) Tractable Problems c) Decision Problems d) Complete Problems	1M	CO5	II
		II	_____ is the class of decision problems that can be solved by non-deterministic polynomial algorithms. a) NP b) P c) NP-Hard d) NP-Complete	1M	CO5	II
	B		What is Non deterministic algorithm? Give non deterministic algorithm for searching problem.	5M	CO5	II

OR

Q.6	A	I	To which of the following class does a CNF-satisfiability problem belong? a) NP b) P c) NP-Hard d) NP-Complete	1M	CO5	II
		II	The problem 3-SAT and 2-SAT are a) NP b) P c) NP-Hard d) NP-Complete	1M	CO5	II
	B		Explain the concept of Polynomial Reduction and how it can be used for showing NP completeness of problem.	5M	CO5	II

Best of Luck
