

## Unit - 1

### Que.

Q1 :- Explain the OSI Security Architecture & Define a different security services?

(7M)

Q2 :- What is difference bet" Substitution Encryption techniques and Transposition Encryption Techniques?

(6M)

Q3 :- Explain the substitution Techniques? If the cipher is keyed by a word "COMPUTER" and plaintext is "Please transfer one million dollars to my account six six two obtain the cipher Text by Playfair substitution Method.

(7M)

Q4 :- What is cryptography? Explain the conventional Encryption model with neat diagram?

(6M)

Q5 :- Explain the OSI Security Architecture and Security attacks with example.

(8M)

Q6 :- Explain the various aspects of Information Security.

(5M)

Q7 :- Explain cryptanalysis and its types.

(5M)

## Unit - I

### Introduction :-

- Attributes of Security
- OSI Security Architecture
- Model for Network Security

security Attack

← security mechanism

security service.

### Mathematics of cryptography :-

- Modular Arithmetic

- Euclidean and extended Euclidean algorithm

### classical encryption techniques :-

- Substitution techniques

1) Caesar cipher

2) Vigenere's ciphers

3) Hill ciphers

4) Playfair ciphers

- Transposition techniques.



### classical Encryption Techniques



#### Substitution Technique

① Caesar cipher

② Monoalphabetic substitution

③ Playfair cipher

④ Hill cipher

⑤ Polyalphabetic cipher

⑥ One Time pad.

① Rail Fence

② Row column

Transposition.

## ⑩ Substitution Techniques :-

- 1) Caesar cipher
- 2) Vigenere's cipher
- 3) Hill ciphers
- 4) Playfair ciphers
- 5) One pad.

## ① Caesar cipher (or) additive cipher

Shift cipher Caesar's code (or) Caesar shift :-

### ① Features of Caesar cipher

### Substitution Technique :-

- 1) Stream cipher
- 2) Substitution cipher
- 3) Monoalphabetic cipher

## ② Disadvantage of Caesar cipher :-

- 1) It can be easily hacked.  
It means that message encrypted by this method can be easily decrypted.
- 2) It provides very little security
- 3) By looking at the pattern of letters in it, the entire message can be decrypted.

## ③ Advantages of Caesar cipher :-

- 1) one of the simplest and easiest encryption methods that provide a layer of security to your data.

Q. Use additive cipher with key = 4 to encrypt message "Hello".

message : Hello

key : 4

A	B	C	D	E	F	G	H	I	J	K	L	M	N	O
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14
P	Q	R	S	T	U	V	W	X	Y	Z				
15	16	17	18	19	20	21	22	23	24	25				

Plaintext :- H E L L O      key :- 4  
 ↓ ↓ ↓ ↓  
 7 4 11 11 14

Encryption of HELLO :    Decryption of cipher text :

$$C = (P+K) \bmod 26$$

$$C = (H+4) \bmod 26$$

$$C = (7+4) \bmod 26$$

$$C = (11+4) \bmod 26$$

$$\boxed{C = 11}$$

↓

L

$$C = (P+K) \bmod 26$$

$$C = (E+4) \bmod 26$$

$$C = (4+4) \bmod 26$$

$$C = 8 \bmod 26$$

$$\boxed{C = 8}$$

↓

I

LIPPS

$$P = (C-K) \bmod 26$$

$$P = (L-4) \bmod 26$$

$$P = (11-4) \bmod 26$$

$$P = 7 \bmod 26$$

$$\boxed{P = 7}$$

↓

H

$$P = (C-K) \bmod 26$$

$$P = (I-4) \bmod 26$$

$$P = (8-4) \bmod 26$$

$$P = 4 \bmod 26$$

$$\boxed{P = 4}$$

↓

E

$$c = (p+k) \bmod 26$$

$$c = (L+4) \bmod 26$$

$$c = (I+4) \bmod 26$$

$$c = 15 \bmod 26$$

$$c = 15$$

↓

P

$$P = (c-k) \bmod 26$$

$$P = (P-4) \bmod 26$$

$$P = (15-4) \bmod 26$$

$$P = 11 \bmod 26$$

$$P = 11$$

↓

$$c = (p+k) \bmod 26$$

$$c = (O+4) \bmod 26$$

$$c = (14+4) \bmod 26$$

$$c = 18 \bmod 26$$

$$c = 18$$

↓

S

$$P = (c-k) \bmod 26$$

$$P = (S-4) \bmod 26$$

$$P = (18-4) \bmod 26$$

$$P = 14 \bmod 26$$

$$P = 14$$

↓

O

cipher text : LIPPS

Plaintext : HELLO

$$\begin{aligned}
 C &= (P+K) \bmod 26 \\
 C &= (L+4) \bmod 26 \\
 C &= (I+4) \bmod 26 \\
 C &= 15 \bmod 26
 \end{aligned}$$

$$\boxed{C = 15} \quad \downarrow \quad P$$

$$\begin{aligned}
 P &= (C-K) \bmod 26 \\
 P &= (P-4) \bmod 26 \\
 P &= (15-4) \bmod 26 \\
 P &= 11 \bmod 26
 \end{aligned}$$

$$\boxed{P = 11} \quad \downarrow \quad L$$

$$\begin{aligned}
 C &= (P+K) \bmod 26 \\
 C &= (O+K) \bmod 26 \\
 C &= (I+4) \bmod 26 \\
 C &= 18 \bmod 26
 \end{aligned}$$

$$\boxed{C = 18} \quad \downarrow \quad S$$

$$\begin{aligned}
 P &= (C-K) \bmod 26 \\
 P &= (S-4) \bmod 26 \\
 P &= (18-4) \bmod 26 \\
 P &= 14 \bmod 26
 \end{aligned}$$

$$\boxed{P = 14} \quad \downarrow \quad O$$

Cipher Text : LIPPS

Plaintext : HELLO

Q. Use Caesar Cipher with key = 14 to encrypt message "TV"

message : TV  
key : 14

A	B	C	D	F	F	G	H	I	J	K	L	M	N	O
O	1	2	3	4	5	6	7	8	9	10	11	12	13	14
P	Q	R	S	T	U	V	W	X	Y	Z				
15	16	17	18	19	20	21	22	23	24	25				

Plaintext :- TV      Key :- 14

Encryption of TV : || Decryption of cipher text : HJ

$$C = (P+K) \bmod 26$$

$$C = (T+K) \bmod 26$$

$$C = (19+14) \bmod 26$$

$$C = 33 \bmod 26$$

$$\begin{array}{r} 1 \\ 26 \overline{) 33 } \\ \underline{-26} \\ 7 \end{array}$$

$$C = (P+K) \bmod 26$$

$$C = (V+K) \bmod 26$$

$$C = (21+14) \bmod 26$$

$$\begin{array}{r} 1 \\ 26 \overline{) 35 } \\ \underline{-26} \\ 9 \end{array}$$

cipher text : HJ

$$P = (C-K) \bmod 26$$

$$P = (H-K) \bmod 26$$

$$26 - 7 = 19 \quad P = (7-14) \bmod 26$$

$$P = -7 \bmod 26$$

$$\begin{array}{r} 1 \\ \downarrow \\ 7 \end{array}$$

$$P = (C-K) \bmod 26$$

$$P = (J-K) \bmod 26$$

$$26 - 5 = 21 \quad P = (9-14) \bmod 26$$

$$P = -5 \bmod 26$$

$$\begin{array}{r} 21 \\ \downarrow \\ 9 \end{array}$$

Plaintext : TV

## (2) Vigener's cipher :-

① It is a poly alphabetic substitution cipher.

→ Plain text : GIVE MONEY

Key : LOCK

→ A B C D E F G H I J K L  
 0 1 2 3 4 5 6 7 8 9 10 11  
 M N O P Q R S T U V W X Y Z.  
 12 13 14 15 16 17 18 19 20 21 22 23 24 25

### ② Encryption :-

Plaintext : G I V E M O N E Y  
 ↓ ↓ ↓ ↓ ↓ ↓ ↓  
 6 8 21 4 12 14 13 4 24

Key : L O C K L O C K L  
 ↓ ↓ ↓ ↓ ↓ ↓ ↓  
 11 14 2 10 11 14 2 10 11  
 ↓ ↓ ↓ ↓ ↓ ↓ ↓  
 6+11 = 17 8+14 = 22 2+2 = 23 4+10 = 14 14+14 = 28 14+10 = 14  
 ↓ ↓ ↓ ↓ ↓ ↓  
 17 mod 26 22 mod 26 23 mod 26 14 mod 26 = 14 28 mod 26 = 2 14 mod 26 = 14  
 ↓ ↓ ↓ ↓ ↓ ↓  
 17 22 23 14 2 14  
 ↓ ↓ ↓ ↓ ↓ ↓  
 R W X O P X J

cipher text :- RWXOX C P O J

① decrypt :-

Plaintext :-

G	I	V	E	M	O	N	F	Y
↓	↓	↓	↓	↓	↓	↓	↓	↓
6	8	21	4	12	14	13	4	24

key : L O C K L O C K L  
↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓  
11 14 2 10 11 14 2 10 11

Ciphertext: R W X O X C P O J  
(17) (22) (23) (14) (23) (2) (15) (14) (9)

$$\begin{aligned}D_i &= (E_i - k_i) \bmod 26 \\&= (17 - 11) \bmod 26 \\&= 6 \bmod 26\end{aligned}$$

$$D_i = 6$$

G

$$\begin{aligned}D_i &= (E_i - k_i) \bmod 26 \\&= (X - C) \bmod 26 \\&= (23 - 2) \bmod 26 \\&= 21 \bmod 26\end{aligned}$$

$$D_i = 21$$

V

$$\begin{aligned}D_i &= (E_i - k_i) \bmod 26 \\&= (W - D) \bmod 26 \\&= (22 - 14) \bmod 26 \\&= 8 \bmod 26\end{aligned}$$

$$D_i = 8$$

I

$$\begin{aligned}D_i &= (E_i - k_i) \bmod 26 \\&= (O - K) \bmod 26 \\&= (14 - 10) \bmod 26 \\&= 4 \bmod 26\end{aligned}$$

$$D_i = 4$$

E

$$\begin{aligned}
 D_i &= (E_i - k_i) \bmod 26 \\
 &= (J - L) \bmod 26 \\
 &= (23 - 11) \bmod 26 \\
 &= (12 \bmod 26)
 \end{aligned}$$

$$D_i = 12$$

**M**

$$\begin{aligned}
 D_i &= (E_i - k_i) \bmod 26 \\
 &= (T - L) \bmod 26 \\
 &= (9 - 11) \bmod 26 \\
 &= -2 \bmod 26
 \end{aligned}$$

$$\frac{26-2}{=24} D_i = 24$$

**Y**

$$\begin{aligned}
 D_i &= (E_i - k_i) \bmod 26 \\
 &= (C - O) \bmod 26 \\
 &= (2 - 14) \bmod 26 \\
 &= -12 \bmod 26
 \end{aligned}$$

$$D_i = 14$$

**O**

$$\begin{aligned}
 D_i &= (E_i - k_i) \bmod 26 \\
 &= (P - C) \bmod 26 \\
 &= (15 - 2) \bmod 26 \\
 &= 13 \bmod 26
 \end{aligned}$$

$$D_i = 13$$

**N**

$$\begin{aligned}
 D_i &= (E_i - k_i) \bmod 26 \\
 &= (O - K) \bmod 26 \\
 &= (14 - 10) \bmod 26 \\
 &= 4 \bmod 26
 \end{aligned}$$

$$D_i = 4$$

**E**

**plaintext :- GIVE MONEY**

### ③ Hill cipher :-

Step 1 :- Select message to encrypt.

COMPUTER

Step 2 :- Select a key is dbef

Step 3 :- Lets us assign a numerical equivalent

A	B	C	D	E	F	G	H	I	J	K	L	M
O	1	2	3	4	5	6	7	8	9	10	11	12
N	O	P	Q	R	S	T	U	V	W	X	Y	Z
13	14	15	16	17	18	19	20	21	22	23	24	25

Step 4 :- Convert the key dbef to a  $2 \times 2$  matrix to each.

$$\text{key } K = \begin{bmatrix} d & b \\ g & f \end{bmatrix} = \begin{bmatrix} 3 & 1 \\ 6 & 5 \end{bmatrix}$$

key K is done.

Step 5 :- Convert the message COMPUTER to a n component vector.

$$n = 2 \times 2$$

$$\boxed{n=2}$$

C	M	U	E
O	P	T	R

2	12	26	4
14	15	19	17

~~Encryption~~

Step 6 :-

$$\text{ciphertext} = k * p \bmod 26$$

$$= \begin{bmatrix} 3 & 1 \\ 6 & 5 \end{bmatrix} * \begin{bmatrix} 2 \\ 14 \end{bmatrix} \bmod 26$$

$$= \begin{bmatrix} 3 \times 2 + 1 \times 14 \\ 6 \times 2 + 5 \times 14 \end{bmatrix} \bmod 26$$

$$= \begin{bmatrix} 6 + 14 \\ 12 + 70 \end{bmatrix} \bmod 26$$

$$\begin{array}{r} 0 \\ 26) 20 \\ \underline{-20} \\ 0 \end{array} \quad \begin{array}{r} 3 \\ 26) 82 \\ \underline{-78} \\ 04 \end{array} \quad = \begin{bmatrix} 20 \\ 82 \end{bmatrix} \bmod 26$$

$$= 20 \bmod 26 \Rightarrow 20$$

$$82 \bmod 26$$

$$= \begin{bmatrix} 20 \\ 4 \end{bmatrix}$$

$$= \begin{bmatrix} U \\ F \end{bmatrix}$$

## Decryption

$$\text{Plaintext} = k^{-1} \times c \pmod{26}$$



(inverse of  $k$ )

\* inverse of  $k$  means inverse of a matrix

\*  $2 \times 2$  matrix means 4 no. ::  $\begin{bmatrix} \cdot & \cdot \\ \cdot & \cdot \end{bmatrix}$

$$* k^{-1} = \frac{1}{|k|} \text{adj}(k)$$



adjoint

compute  $\frac{1}{|k|}$

$$\Rightarrow k = \begin{vmatrix} 3 & 1 \\ 6 & 5 \end{vmatrix} = |3 \times 5 - 6 \times 1| = |15 - 6| = 9$$

Rule  $a \pmod b = 1$

GCD  $(a, b) = 1$

$$\begin{cases} g \pmod{26} \\ g \times 1 \pmod{26} \\ g \pmod{26} \Rightarrow g \end{cases}$$

$$\frac{1}{|k|} = 3$$

$$\therefore 8 \times 1 \pmod{26}$$

$$8 \pmod{26}$$

$$\begin{array}{r} 1 \\ 26 \overline{)27} \\ \underline{-26} \\ 1 \end{array}$$

$$\begin{cases} 9 \times 2 \pmod{26} \\ 18 \pmod{26} \Rightarrow 18 \end{cases}$$

$$\begin{cases} 9 \times 3 \pmod{26} \\ 27 \pmod{26} \Rightarrow 1 \end{cases}$$

compute adj(k)

$$k = \begin{bmatrix} 3 & 1 \\ 6 & 5 \end{bmatrix}$$

$$= \begin{bmatrix} 5 & -1 \\ -6 & 3 \end{bmatrix}$$

$$k^{-1} = \frac{1}{|k|} \text{adj}(k) \rightarrow \text{formula}$$

$$k^{-1} = 3 * \begin{bmatrix} 5 & -1 \\ -6 & 3 \end{bmatrix}$$

$$k^{-1} = \begin{bmatrix} 3 \times 5 & 3 \times -1 \\ 3 \times -6 & 3 \times 3 \end{bmatrix}$$

$$k^{-1} = \begin{bmatrix} 15 & -3 \\ -18 & 9 \end{bmatrix}$$

To avoid -ve no just  
add +26 to negative no.

$$k^{-1} = \begin{bmatrix} 15 & -3+26 \\ -18+26 & 9 \end{bmatrix}$$

$$k^{-1} = \begin{bmatrix} 15 & 23 \\ 8 & 9 \end{bmatrix}$$

then  
Decryption

formula

$$\text{Plaintext} = k^{-1} \times c \bmod 26$$

$$= \begin{bmatrix} 15 & 23 \\ 8 & 9 \end{bmatrix} \times \begin{bmatrix} U \\ E \end{bmatrix} \bmod 26$$

$$= \begin{bmatrix} 15 & 23 \\ 8 & 9 \end{bmatrix} \times \begin{bmatrix} 20 \\ 4 \end{bmatrix} \bmod 26$$

$$= \begin{bmatrix} 15 \times 20 + 23 \times 4 \\ 8 \times 20 + 9 \times 4 \end{bmatrix}$$

$$= \begin{bmatrix} 300 + 92 \\ 160 + 36 \end{bmatrix}$$

$$\begin{array}{r} 7 \\ 26 \overline{) 196} \\ -182 \\ \hline 14 \end{array}$$

$$= \begin{bmatrix} 392 \\ 196 \end{bmatrix} \bmod 26$$

$$= 392 \bmod 26$$

$$196 \bmod 26$$

$$\begin{array}{r} 15 \\ 26 \overline{) 392} \\ -26 \\ \hline 132 \\ -130 \\ \hline 2 \end{array}$$

$$= \begin{bmatrix} 2 \\ 14 \end{bmatrix}$$

$$= \begin{bmatrix} C \\ O \end{bmatrix}$$

— x —

## ④ Playfair cipher :-

→ ① Aka Playfair square or Wheatstone - playfair cipher.

② Manual symmetric encryption technique.

③ First literal diagram substitution cipher

④ Invented in 1854 by Charles Wheatstone

⑤ Bore the name of Lord playfair for promoting its use.

→ ① Multiple letter encryption cipher

② Digrams

③  $5 \times 5$  matrix constructed using a keyword

→ Rules for encryption using Playfair cipher.

① Digrams

② Repeating letters - filler letter

③ Same column |↓| wrap around

④ same row |→| wrap around

⑤ Rectangle |↔| swap.

Plaintext → attack

Digrams → at la ck

Plaintext → neso academy

Digrams → ne so ac ad em yx

Plaintext → balloon

ba ll oo n → filter letter x

ba lx lo on.

Ex., cipher is keyed by a word COMPUTER.

C	O	M	P	U
T	E	R	A	B
D	F	G	H	I/J
K	L	N	Q	S
V	W	X	Y	Z

5x5

Plaintext :- CNSHCI

Digram :-

CN	SH	CI
KM	GI	DU