

Q.1 Explain additive cipher? use additive cipher with key 2 to encrypt message "DEPARTMENT".

\rightarrow	A	B	C	D	E	F	G	H	I	J
0	1	2	3	4	5	6	7	8	9	
K	L	M	N	O	P	T	Q	R	S	T
10	11	12	13	14	15	16	17	18	19	
U	V	W	X	Y	Z					
20	21	22	23	24	25					

Plaintext = D F P A R T I M E N T
 3 4 15 0 17 14 12 4 13 19

key = 2

Encryption & Decryption

Encryption using additive cipher: \rightarrow

Ciphertext = (Plaintext + Key) mod 26 without

carrying over to next digit within 0-25

$$\textcircled{1} \quad C = (P+K) \bmod 26 \quad \text{where } \textcircled{2} \quad C = (P+K) \bmod 26$$

$$C = (D+K) \bmod 26 \quad \text{where } \textcircled{3} \quad C = (D+2) \bmod 26$$

$$C = (A+K) \bmod 26 \quad \text{where } \textcircled{4} \quad C = (A+2) \bmod 26$$

$$= 5 \bmod 26$$

$$= \textcircled{1} \text{ MUR }$$

Decryption = 5 MUR from ciphertext, previous lesson 27/10

and so on similarly for other digits, so - 1234567890

$$\textcircled{5} \quad C = (E+K) \bmod 26$$

$$= (4+2) \bmod 26$$

$$= 6 \bmod 26$$

$$= 6 \sim \textcircled{6}$$

$$\textcircled{6} \quad C = (A+K) \bmod 26$$

$$= (0+2) \bmod 26$$

$$= 10 \bmod 26 = \textcircled{10} \bmod 26$$

$$= 2 \text{ N }$$

Teacher's Signature _____

$$\textcircled{5} \quad c = (R+k) \bmod 26$$

$$= (19+2) \bmod 26$$

$$= 21 \bmod 26$$

$$= 21 \sim T$$

$$\textcircled{6} \quad c = (M+k) \bmod 26$$

$$= (12+2) \bmod 26$$

$$= 14 \bmod 26$$

$$= 14$$

$$= \textcircled{0}$$

$$\textcircled{7} \quad c = (T+k) \bmod 26$$

$$= (19+2) \bmod 26$$

$$= 21 \bmod 26$$

$$= 21 \sim V$$

$$\textcircled{8} \quad c = (N+k) \bmod 26$$

$$= (13+2) \bmod 26$$

$$= 15 \bmod 26$$

$$= 15 \sim P$$

∴ Ciphertext = FlarLTVOlnPV.

* additive cipher \leftrightarrow mono-alphabetic cipher

$\textcircled{1}$ An additive cipher is a type of mono-alphabetic cipher that shifts the plaintext alphabets by a fixed amount to obtain the cipher alphabet.

$\textcircled{2}$ It is also referred as "shift cipher" or "Caesar cipher".

$\textcircled{3}$ As name suggests, addition modulus operation is performed on plain text to obtain a cipher text.

$$\textcircled{4} \quad c = (P+k) \bmod 26$$

$$P = (c+k) \bmod 26$$

where,

P = plain text / message sent without encryption : & readable

C = ciphertext 20110011 01111000 "ATTACKED"

$k = key$ Strongly connected unital

- ⑤ It is not very secure. It can be broken by brute force attack.
 - ⑥ This means, the message encrypted by this method can easily be decrypted in short time.
 - ⑦ It is the weak method of Cryptography.
 - ⑧ Advantages:
 - (i) Very easy to implement.
 - (ii) Simple method and only one key is used in its entire process.
 - (iii) It requires only few computing resources.

④ Disadvantages :-

41 2 4 11 11 9 11 0 11 3 107
41 P P 95 el sl 11 x

Question 2. Explain Substitution techniques using the key "COMPUTER" to encrypt the message "TRANSFER" by using Vigenere cipher.

* Substitution technique →

- (1) Substitution technique is a classical encryption technique where the characters present in the original message are replaced by other characters or numbers or symbols.
- (2) If the plain text is considered as the string of bits, then the substitution technique would replace bit patterns of plain text with the bit pattern of cipher text.
- (3) Some substitution techniques are:

a) Caesar Cipher.

b) Monoalphabetic Cipher.

c) Polyalphabetic cipher.

d) Playfair's cipher.

e) Hill Cipher.

f) One-Time pad.

*

Key = C O M P U T E R
2 14 12 15 20 19 4 17

printext = T R A N S F E R
14 17 0 13 18 5 4 17

Encryption:

(1) $c = (p+k) \bmod 26$

= $(2+19) \bmod 26$

= $21 \bmod 26$

= $21 \sim V$

(6) $c = (p+k) \bmod 26$

= $(19+5) \bmod 26$

= $24 \bmod 26$

= $24 \sim Y$

(2) $c = (p+k) \bmod 26$

= $(14+17) \bmod 26$

= $31 \bmod 26$

= $5 \sim F$

(7) $c = (p+k) \bmod 26$

= $0 \sim M$

= $8 \sim I$

(3) $c = (p+k) \bmod 26$

= $12 \bmod 26$

= $12 \sim M$

(8) $c = (p+k) \bmod 26$

= $(13+17) \bmod 26$

= $30 \bmod 26$

∴ ciphertext = VFMCMYIT

(4) $c = (p+k) \bmod 26$

= $(5+13) \bmod 26$

= $18 \bmod 26$

= $2 \sim C$

(5) $c = (p+k) \bmod 26$

= $(20+18) \bmod 26$

= $38 \bmod 26$

= $12 \sim M$

* Decryption:

$$\textcircled{1} \quad p = (c - k) \bmod 26$$

$$c = (21 - 19) \bmod 26$$

$$\therefore c \equiv 2 \bmod 26$$

$$c \equiv 2 \sim C$$

$$\textcircled{2} \quad p = (5 - 17) \bmod 26$$

$$c = (14 - 12) \bmod 26 \quad \textcircled{3}$$

$$c \equiv 14 \sim O$$

$$\textcircled{3} \quad p = (11 - 0) \bmod 26$$

$$c = (12 - 0) \bmod 26 \quad \textcircled{4}$$

$$\therefore c \equiv 12 \sim L$$

$$\textcircled{4} \quad p = (2 - 12) \bmod 26$$

$$c = (14 - 12) \bmod 26$$

$$c \equiv 15 \sim P$$

$$\textcircled{5} \quad p = (12 - 18) \bmod 26$$

$$c = -6 \bmod 26$$

$$c \equiv 20 \sim U$$

$$\textcircled{6} \quad p = (24 - 5) \bmod 26$$

$$c = 19 \bmod 26$$

$$c \equiv 19 \sim T$$

$$\textcircled{7} \quad p = (8 - 4) \bmod 26$$

$$c = (14 - 6) \bmod 26$$

$$\therefore c \equiv 8 \bmod 26$$

$$\textcircled{8} \quad p = (8 - 17) \bmod 26$$

$$c = -9 \bmod 26$$

$\therefore \text{plain text} = \text{COMPUTER}$

∴ plain text = COMPUTER

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