

# Design Lab- CS59001

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## Introduction

Implementation of Belief-Propagation algorithm for Baseline Evaluation of MultiLayer Louvain Algorithm over LFR Benchmarks.

**Algorithm :** The algorithm attempts to solve for the marginals of each node,  $P(t_i = q)$ , in the finite temperature regime instead of searching for a global modularity maximum. By looking for a "consensus of good partitions" rather than seeking a single "best" partition, the algorithm converges to nontrivial structures above a certain temperature only if there is a broad underlying structure within the network. The belief propagation works by deriving update conditions for the node beliefs in terms of the message from node  $i$  to  $k$  that helps  $k$  determine what node  $k$  "believes" its own community to be. After computing marginals for each node, the nodes in the network are assigned to the community according to its greatest marginal with randomly broken ties.

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**Github repo-link ::**

**Directory Structure:**

- **mixmod\_wt :**
  - modularity.py
  - Mixmod\_wt\_correctingimplementation\_without\_half.py
- **newnetsForcomparingBaseline**
  - \_networks
    - Network\_alpha\_p\_mu\_p1\_p2
- **modbp**
  - GenerateGraphs.py
  - ModularityBP.py
  - bp.py
  - main.py
  - Q\_modularity.ipynb
  - modb.ipynb

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## Implementation Details

### (A) ModularityBP.py

This file contains the code for the implementation of the multilayer belief propagation algorithm. The class and helper methods are described below :

- **class ModularityBP():**
  - input\_parameters
    - mlggraph - object for containing the multilayer-graph.
    - layer\_vec - layer membership of individual nodes(0-indexed)
    - interlayer\_edgelist - takes a list of edges across layers. For eg., - `[[1,189],[46,125]]` denotes the edge between members of two different layers.
    - intralayer\_edgelist - takes a list of edges across layers. For eg., - `[[1,18],[146,125]]` denotes the edge between members of two same layers.
  - variables
    - marginals
    - Partitions - `argmax(marginals)`, contains the community detected after running the belief-propagation algorithm
    - niters - number of message iterations before it reaches convergence

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- Retrieval\_modularities -contains modularity index and metadata after obtaining the communities across members.
  - Methods
    - runmodbp
      - beta - The inverse temperature parameter at which to run the modularity belief propagation algorithm. Must be specified each time BP is run.
      - q - The number of mariginals used for the run of modbp.
      - niter - Maximum number of iterations allowed.
      - resgamma - resolution parameter at which to run the algorithm. [Default - 1.0]
      - omega - The coupling strength used in running the algorithm. This represents how strongly the algorithm tries to assign nodes connected by an interlayer connection to the same community.
      - helper methods for running one pass of belief propagation update
    - calc\_modularity
      - calculates the modularity of graph for given partition, resolution, and omega

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## (B) Q\_modularity.ipynb and modbp.ipynb

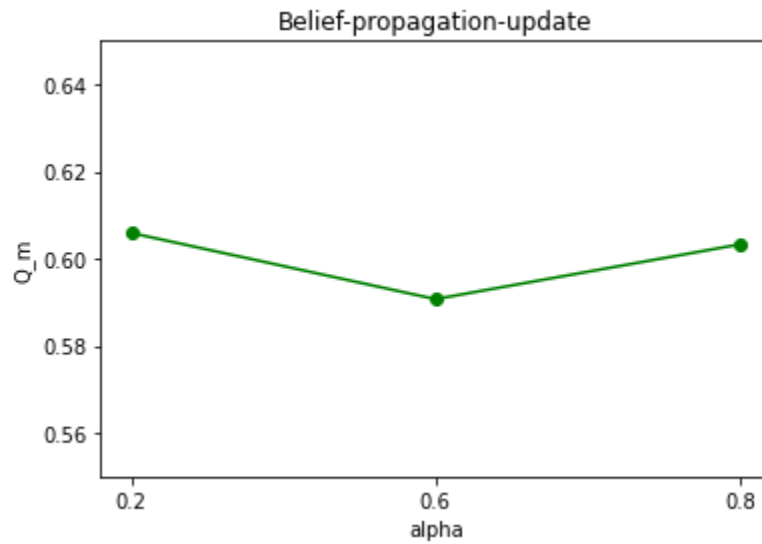
(a) Methods :

- (i) **parser** – this reads the LFR benchmarks and extracts layer membership, intra and inter layer edges to be given to the multilayer belief-propagation algorithm. This generates a dictionary for the LFR Benchmarks and stores them in a pkl.
- (ii) **community** – this takes in the pkl file and runs the belief-propagation algorithm to generate the community membership for each-node and stores them in a pkl file.
- (iii) **result** - this file takes in the generated communities and the original LFR benchmarks to compute the Q\_M modularity for the communities detected by the baseline belief-propagation algorithm.
- (iv) **draw\_plot** - this takes in the generated modularities and groups the plots with varying  $\alpha$ ,  $\mu$ ,  $p$ ,  $p_1$  and  $p_2$ .

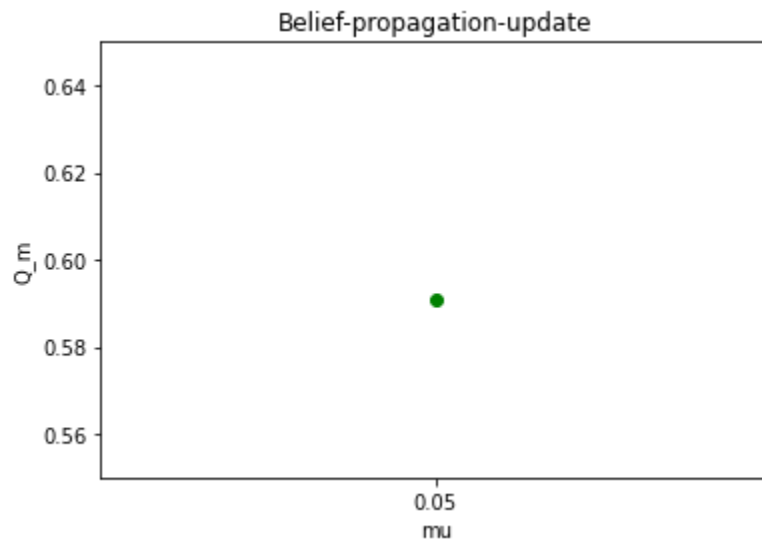
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## Experiments and results :

(a) Varying  $\alpha$  with  $\mu = 0.05$ ,  $p = 0.8$ ,  $p_1=0.8$  and  $p_2 = 0.1$

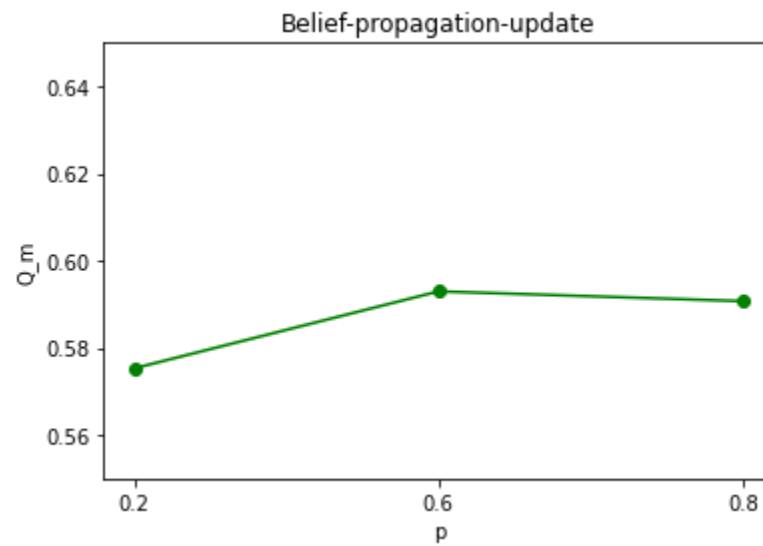


(b) Varying  $\mu$  with  $\alpha = 0.6$ ,  $p = 0.8$ ,  $p_1=0.8$  and  $p_2 = 0.1$

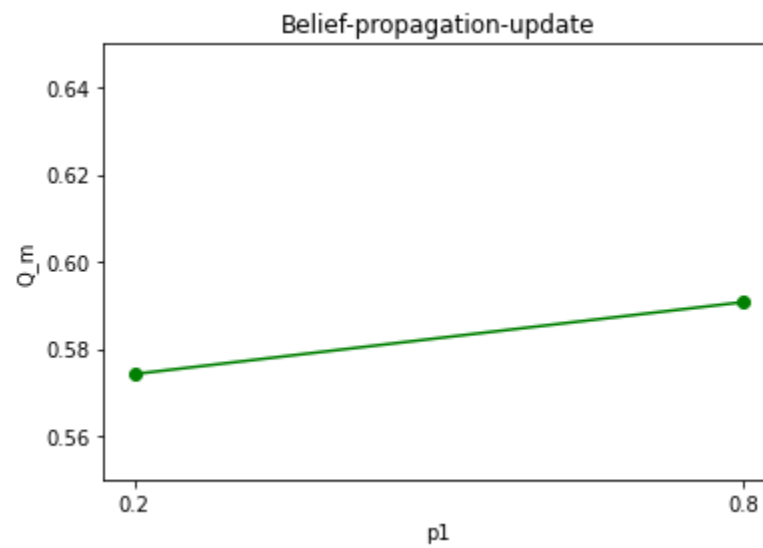


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(c) Varying  $p$  with  $\mu = 0.05$ ,  $\alpha = 0.6$ ,  $p_1 = 0.8$  and  $p_2 = 0.1$



(d) Varying  $p_1$  with  $\alpha = 0.6$ ,  $p = 0.8$ ,  $\mu = 0.05$  and  $p_2 = 0.1$



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(e) Varying  $p_2$  with  $\alpha = 0.6$ ,  $p = 0.8$ ,  $p_1 = 0.8$  and  $\mu = 0.05$

