

성균관대학교

*S I O R*

로봇학회

2022년 05월 00일

**AI**

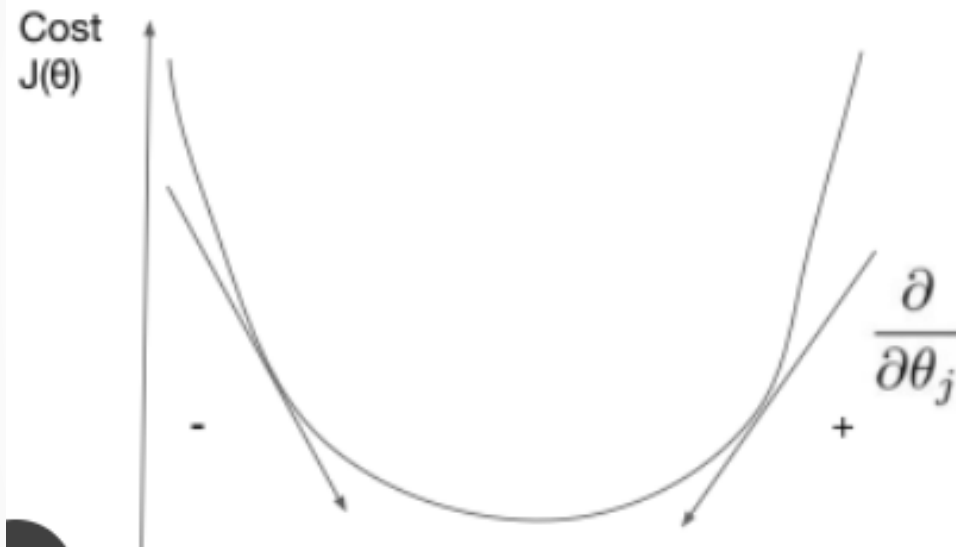
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- 1. Learning rate
- 2. Data preprocessing
- 3. Overfitting

# 1. Learning rate

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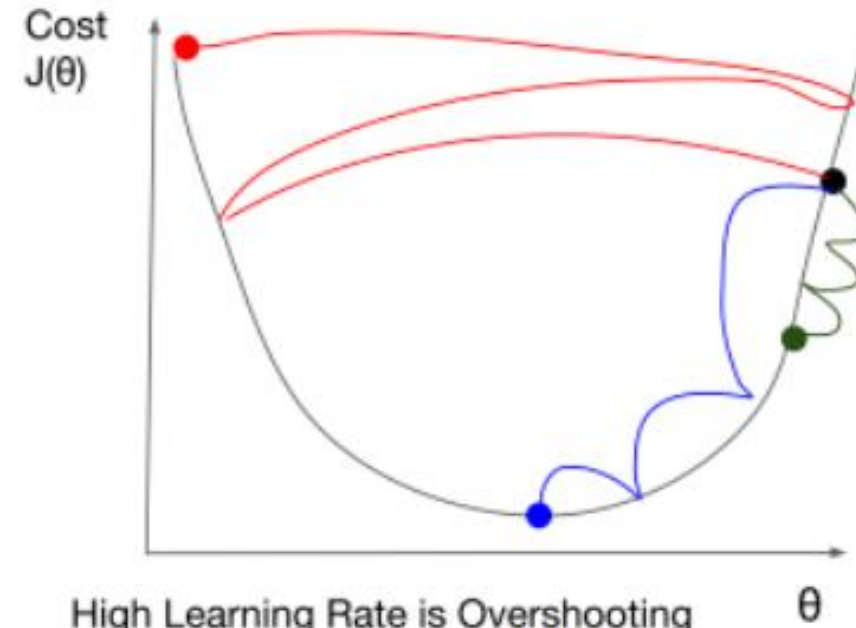
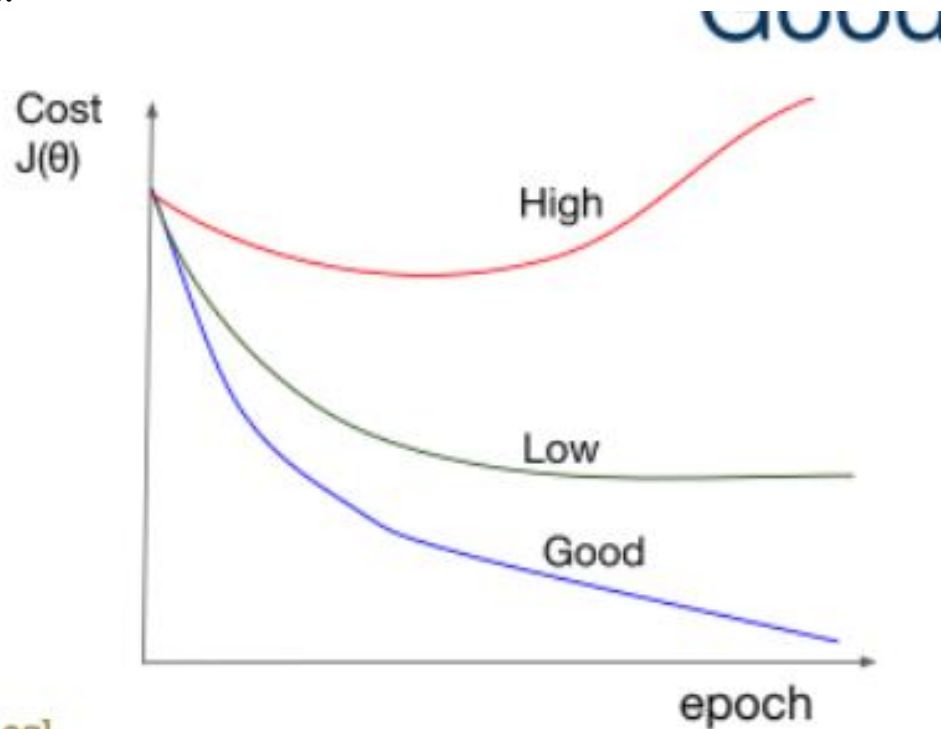


$$\text{Repeat } \{ \theta_j := \theta_j - \alpha \frac{\partial}{\partial \theta_j} J(\theta) \}$$

Learning rate is a hyper-parameter that controls how much we are adjusting the weights with respect the loss gradient

# 1. Learning rate

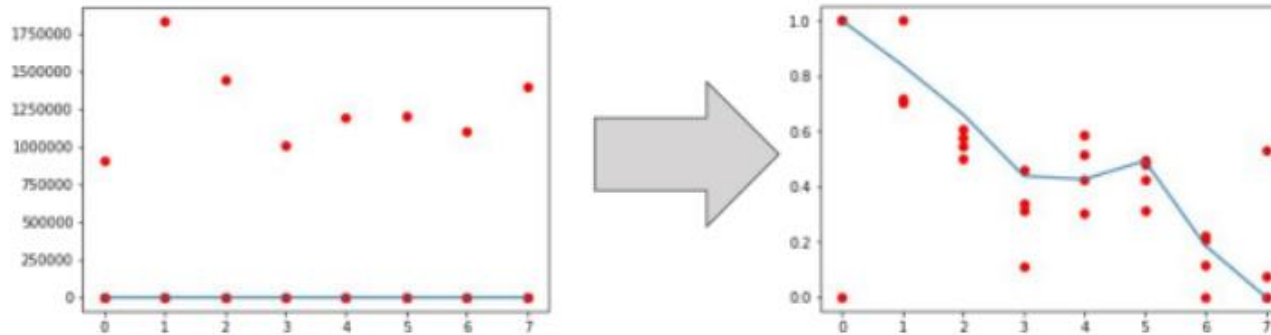
...



High Learning Rate is Overshooting  
 Normal Learning Rate is  $0.01$   
 $3e-4$  is the best learning rate for Adam,  
 hands down (andrey karpathy)

## 2. Data preprocessing

### Feature Scaling



**Standardization**  
(Mean Distance)

$$x_{new} = \frac{x - \mu}{\sigma}$$

[Python Code(numpy)]

```
Standardization = (data - np.mean(data)) / sqrt(np.sum(
    (data - np.mean(data))^2 ) / np.count(data))
```

**Normalization**  
(0~1)

$$x_{new} = \frac{x - x_{min}}{x_{max} - x_{min}}$$

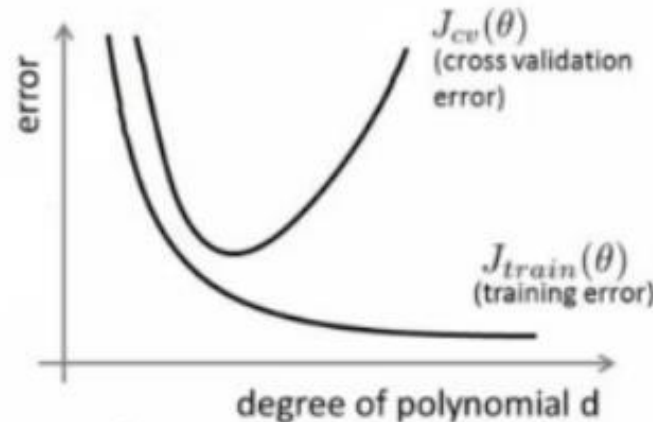
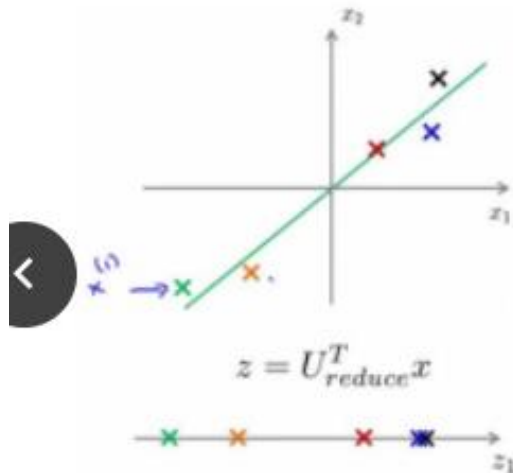
```
Normalization = (data - np.min(data, 0)) / (np.max(data, 0)
    - np.min(data, 0))
```

# 3. Overfitting

1.

## Set a features

- Get more training data - more data will actually make a difference, (helps to fix high variance)
- Smaller set of features - dimensionality reduction(PCA) (fixes high variance)
- Add additional features - hypothesis is too simple, make hypothesis more specific (fixes high bias)



1.  $h_{\theta}(x) = \theta_0 + \theta_1 x$
2.  $h_{\theta}(x) = \theta_0 + \theta_1 x + \theta_2 x^2$
3.  $h_{\theta}(x) = \theta_0 + \theta_1 x + \dots + \theta_3 x^3$
- $\vdots$
10.  $h_{\theta}(x) = \theta_0 + \theta_1 x + \dots + \theta_{10} x^{10}$

[sklearn Code]

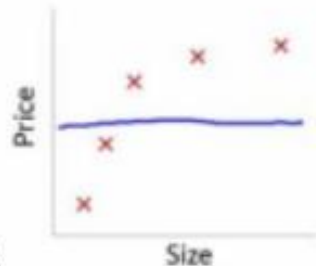
```
from sklearn.decomposition import PCA
pca = decomposition.PCA(n_components=3)
pca.fit(X)
X = pca.transform(X)
```



# 3. Overfitting

2.

## Regularization (Add term to loss)



Large  $\lambda$

High bias (underfit)

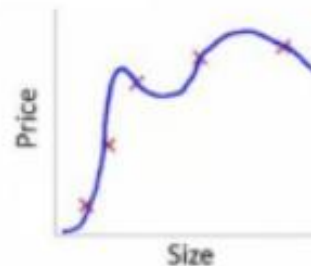
$\lambda = 10000$ .  $\theta_1 \approx 0, \theta_2 \approx 0, \dots$

$h_{\theta}(x) \approx \theta_0$



Intermediate  $\lambda$

"Just right"



Small  $\lambda$

High variance (overfit)

$\lambda \approx 0$

$\lambda --$  : fixes high bias (Under fitting)

$\lambda ++$  : fixes high variance (overfitting)

### Linear regression with regularization

Model:  $h_{\theta}(x) = \theta_0 + \theta_1 x + \theta_2 x^2 + \theta_3 x^3 + \theta_4 x^4$

$$J(\theta) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2 + \frac{\lambda}{2m} \sum_{j=1}^m \theta_j^2$$

[Tensorflow Code]

```
L2_loss = tf.nn.l2_loss(w) # output = sum(t ** 2) / 2
```



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***Thank You***

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