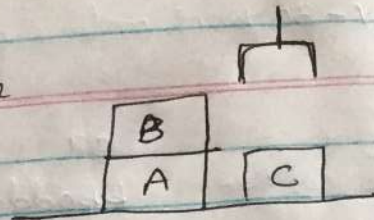


Planning Blocks World Example



Basic Operations

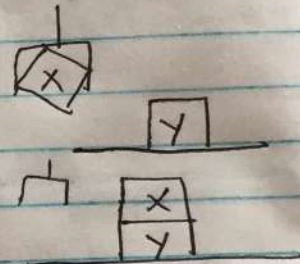
- stack(x, y) : put block x on block y
- unstack(x, y) : remove block x from block y
- pickup(x) : pickup block(x)
- putdown(x) : putdown block(x) on the table

stack(x, y)

precond holding(x) \wedge clear(y)

Add empty() \wedge on(x, y) \wedge clear(x)

Delete holding(x) \wedge clear(y)

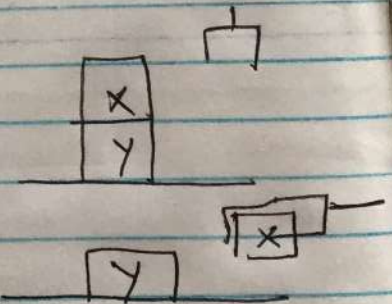


unstack(x, y)

precond on(x, y) \wedge clear(x) \wedge empty

Add holding(x) \wedge clear(y)

Delete empty \wedge clear(x) \wedge on(x, y)



Pickup(x)

precond: $\text{ontable}(x) \wedge \text{clear}(x) \wedge \text{empty}()$

Add: $\text{holding}(x)$

Delete: $\text{ontable}(x) \wedge \text{clear}(x) \wedge \text{empty}()$

Putdown(x)

precond $\text{holding}(x)$

Add $\text{ontable}(x) \wedge \text{clear}(x) \wedge \text{empty}()$

Delete $\text{holding}(x)$

5 predicates/operators

$\text{on}(x, y)$

$\text{ontable}(x)$

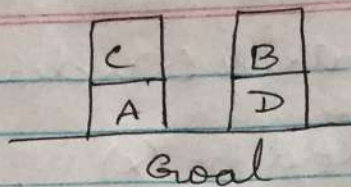
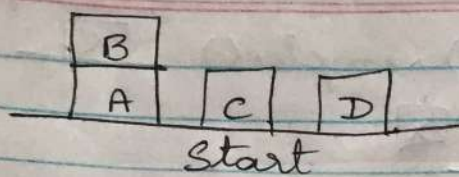
$\text{clear}(x)$

$\text{holding}(x)$

$\text{empty}()$

process

- ① choose the best rule based on heuristics
- ② Apply the rule to create a new state
- ③ Detect when a solution is found
- ④ Detect dead ends so that they can be avoided



$on(B, A) \wedge ontable(A) \wedge clear(B)$
 $ontable(C) \wedge clear(C)$
 $\wedge ontable(D) \wedge clear(D) \wedge$
 $arm\ empty$

$on(C, A) \wedge on(B, D) \wedge$
 $clear(C) \wedge clear(B) \wedge$
 $ontable(A) \wedge ontable(D)$
 $\wedge arm\ empty$

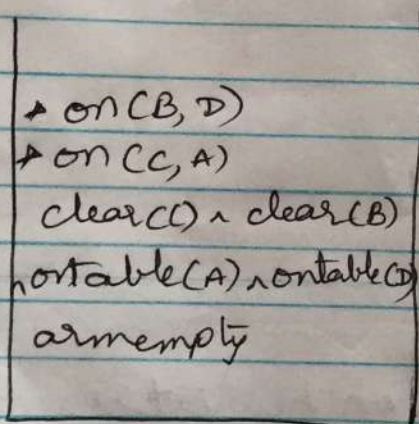
2 ways to proceed

- ① $on(C, A)$
- ② $on(B, D)$

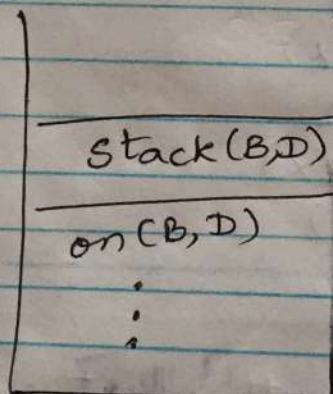
- ✓
- ① $on(B, D)$
 - ② $on(C, A)$

preconditions of
 $on(C, A)$ not true
 for start state

proceed with this alternative



Goal stack



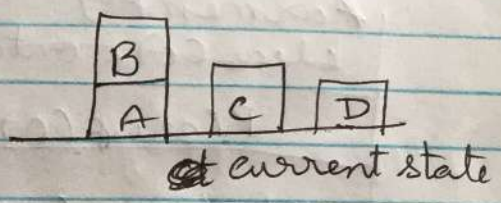
$\neg \text{on}(C, A)$
 $\neg \text{on}(B, D)$
 $\neg \text{clear}(D)$

$\neg \text{on}(C, A)$
 $\neg \text{on}(B, D)$
 $\text{clear}(C) \wedge \text{clear}(B)$
 $\neg \text{ontable}(A) \wedge$
 $\neg \text{ontable}(D) \wedge$
 armempty

\Downarrow

relative

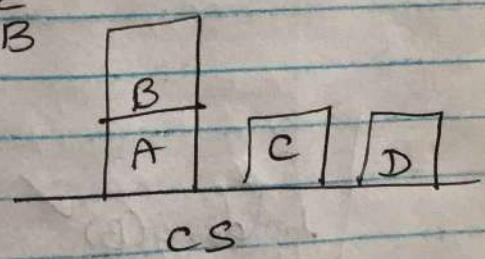
$\neg \text{holding}(C) \wedge \neg \text{clear}(A)$
 $\neg \text{ontable}(A)$
 $\text{Stack}(C, A)$
 $\text{on}(C, A)$
 \vdots



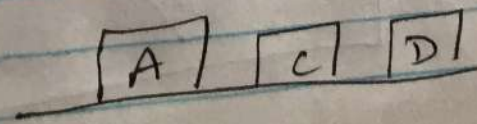
\Downarrow

$\text{armempty} \wedge \text{clear}(B)$
 $\neg \text{on}(B, A)$
 $\text{unstack}(x, A)$
 $\neg \text{clear}(A)$
 $\neg \text{holding}(C) \wedge \neg \text{ontable}(A)$
 \vdots

→ here $x = B$



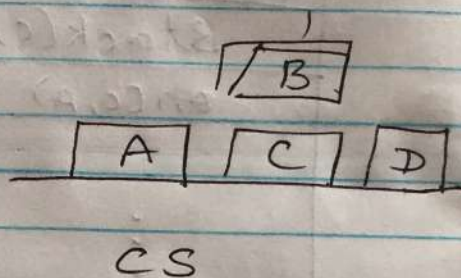
Pop x
 ① Apply action $\text{unstack}(B, A)$



* clear(A) ✓
ontable(A) ✓
* holding(c)
Stack(c, A)
⋮
⋮



* armempty
clear(c) ∧ ontable(c)
Pickup(c)
* holding(c)
⋮
⋮



holding(B) ✓
Put down(x)
* armempty
⋮
⋮

→ here
x = B

② Pop

armempty
ontable
ontable
CS = ontable
on table
clear
clear
clear
clear

Goal

③ P

② Pop and apply action Putdown (B)

A | C | D | B

armempty ^
ontable(A) ^
ontable(C)
CS = ontable(D)
^ ontable(B)
^ clear(A)
^ clear(C)
^ clear(D) ^
clear(B)
*

Goalstack

armempty ^ ✓
clear(C) ^ ontable(C)
Pickup(C)
holding(C)
⋮

③ Pop & apply action Pickup (C)

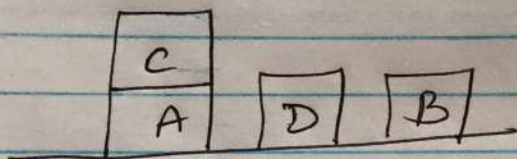
C

A | D | B

CS

holding(c) ^ clear(A) ^ ontable(A)
stack(c, A)
on(c, A) ^ clear(c) ^ armempty ^ ontable(A)
on(B, D) ^ clear(B) ^ ontable(B)

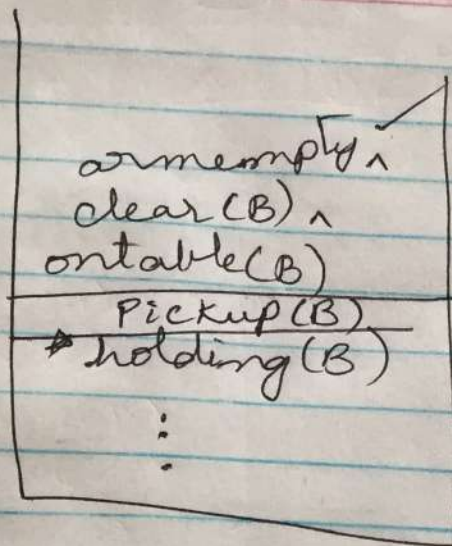
④ Pop & apply action stack(c, A)



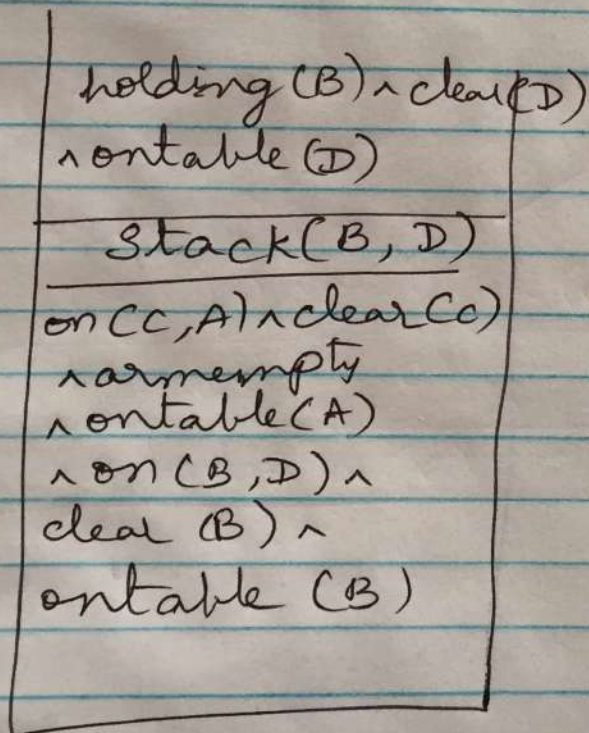
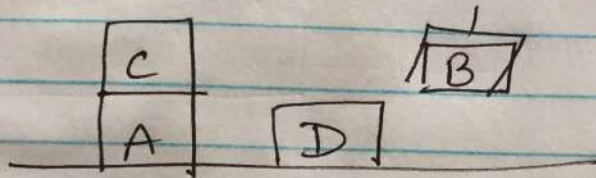
Goal stack ^ armempty

holding(B) ^ clear(D)
stack(B, D)
on(c, A) ^ clear(c) ^ armempty ^ ontable(A) ^ on(B, D) ^ clear(B) ^ ontable(B)

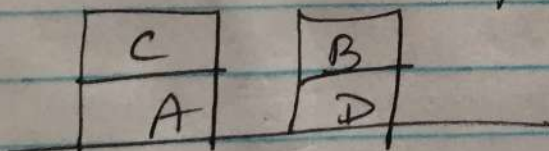




⑤ Pop & apply action Pickup(B)



⑥ Pop & apply action Stack(B, D)



CS

= Final state
Success!!