Week 3 Exercise

测验, 18 个问题

1 point

1。

Consider this code:

```
1 for i in range(m):
2 for j in range(n):
3 print()
```

How many times is function **print** called?

```
m*nm*nnm
```

1 point

2.

Consider this code:

```
1 for i in range(m):
2  print()
3
4 for j in range(n):
5  print()
```

How many times is function **print** called?

```
m + n m * n
```

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1 point

3.

Assume variable L refers to a list of items.

You have a problem you are trying to solve and you figured out two different approaches that would work.

When would **Approach 2** take fewer iterations than **Approach 1**?

- When L contains strings.
- When L is sorted.
- When L has more than 1000 items.
- When L has exactly 1000 items.

1 point

4.

For $linear\ search$, if we are searching for 7, which list will cause the fewest number of iterations?

- () [2,3,4,5,6,7]
- [6,7,4,5,2,3]
- [2, 4, 6, 3, 5, 7]
- [7, 6, 5, 4, 3, 2]

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1 point

5.

The list [4, 2, 5, 6, 7, 3, 1] is shown below after each pass of a sorting algorithm:

```
1 [1, 2, 5, 6, 7, 3, 4]
2 [1, 2, 5, 6, 7, 3, 4]
3 [1, 2, 3, 6, 7, 5, 4]
4 [1, 2, 3, 4, 7, 5, 6]
5 [1, 2, 3, 4, 5, 7, 6]
6 [1, 2, 3, 4, 5, 6, 7]
7 [1, 2, 3, 4, 5, 6, 7]
```

Which sorting algorithm is being executed?

- insertion sort
- selection sort
- bubble sort

1 point

6.

The list [4, 2, 5, 6, 7, 3, 1] is shown below after each pass of a sorting algorithm:

```
1 [2, 4, 5, 6, 3, 1, 7]

2 [2, 4, 5, 3, 1, 6, 7]

3 [2, 4, 3, 1, 5, 6, 7]

4 [2, 3, 1, 4, 5, 6, 7]

5 [2, 1, 3, 4, 5, 6, 7]

6 [1, 2, 3, 4, 5, 6, 7]
```

Which sorting algorithm is being executed?

- insertion sort
- selection sort
- bubble sort

1 point 7。 Week 3 Exelse[4, 2, 5, 6, 7, 3, 1] is shown below after each pass of a 测验, 18 个问题 sorting algorithm:

- 1	[A 2 5 6 7 2 1]
1	[4, 2, 5, 6, 7, 3, 1]
2	[2, 4, 5, 6, 7, 3, 1]
3	[2, 4, 5, 6, 7, 3, 1]
4	[2, 4, 5, 6, 7, 3, 1]
5	[2, 4, 5, 6, 7, 3, 1]
6	[2, 3, 4, 5, 6, 7, 1]
7	[1, 2, 3, 4, 5, 6, 7]

Which sorting algorithm is being executed?

- bubble sort
- insertion sort
- selection sort

1 point

8.

List [1, 5, 8, 7, 6, 1, 7] is being sorted using **selection sort**. Here is what the list will look like after each of the first three passes:

- After the 1st pass: [1, 5, 8, 7, 6, 1, 7]
- After the 2nd pass: [1, 1, 8, 7, 6, 5, 7]
- After the 3rd pass: [1, 1, 5, 7, 6, 8, 7]

What will the list look like after the 4th pass?

- () [1, 1, 5, 7, 6, 8, 7]
- [1, 1, 5, 6, 7, 7, 8]

1 point

9.

Week 3 Ex 测验, 18 个问题	List [6, 8, 2, 1, 1, 9, 4] is being sorted using insertion sort . Here is ENGISE list will look like after each of the first three passes:
	 After the 1st pass: [6, 8, 2, 1, 1, 9, 4]
	 After the 2nd pass: [6, 8, 2, 1, 1, 9, 4]
	 After the 3rd pass: [2, 6, 8, 1, 1, 9, 4]

What will the list look like after the 4th pass?

- [1, 1, 2, 6, 8, 9, 4]
- [1, 6, 8, 2, 1, 9, 4]
- [1, 2, 6, 8, 1, 9, 4]

1 point

10。

In **bubble sort**, on the first pass through the list, which item gets moved to the far right?

- The largest item.
- The item that was originally at the second-last index.
- The item that was originally at index 0.
- The smallest item.
- An odd number.

1 point

Here is the code for function insert with docstring and comments $\texttt{Week 3 Exercise}_{\texttt{d}}$:

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```
1 def insert(L, i):
2    value = L[i]
3
4    j = i
5    while j != 0 and L[j - 1] > value:
6         L[j] = L[j - 1]
7         j = j - 1
8
9    L[j] = value
```

In the following list, there is an \boldsymbol{x} at index $\boldsymbol{5}$. In this question, you will choose a value for that variable.

```
1 L = [[2, 5, 6, 7, 8, x, 4]]
```

The first 5 items are sorted.

If we call insert(L, 5), that unknown value will be inserted into the sorted section, growing the sorted section by 1 item. Select a value for x that would be moved all the way to index 0 in the list.

- 1
- () з
- \bigcirc 9
- **4**

1 point

Here is the code for function insert with docstring and comments $\texttt{Week 3 Exercise}_{\texttt{d}}$:

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In the following list, there is an \boldsymbol{x} at index $\boldsymbol{5}$. In this question, you will choose a value for that variable.

```
1 L = [[2, 5, 6, 7, 8, x, 4]]
```

The first 5 items are sorted.

If we call insert(L, 5), that unknown value will be inserted into the sorted section, growing the sorted section by 1 item. Select the value for \mathbf{x} that would not move.

- 3
- () 4
- ()
- 9

1 point

Here is the code for function **insert** with docstring and comments Week 3 Exercised:

测验, 18 个问题

```
1 def insert(L, i):
2    value = L[i]
3
4    j = i
5    while j != 0 and L[j - 1] > value:
6         L[j] = L[j - 1]
7         j = j - 1
8
9    L[j] = value
```

In general, function call <code>insert(L, i)</code> might move the item at index <code>i</code> all the way to index <code>0</code> in the list (if that item is smaller than everything in the sorted section); it might not move it at all (if that item is larger than everything in the sorted section); or it might be moved partway (if that item is neither smaller nor larger than everything in the sorted section).

The while loop can be terminated for one of two reasons: j == 0 or $L[j-1] \le value$. In which situation does the loop terminate because j == 0?

- When the item at index i is smaller than everything in the sorted section.
- When the item at index **i** is larger than everything in the sorted section.
- When the item at index i is neither smaller nor larger than everything in the sorted section.

1 point

Here is the code for function **insert**:

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```
1 def insert(L, i):
2    value = L[i]
3
4    j = i
5    while j != 0 and L[j - 1] > value:
6         L[j] = L[j - 1]
7         j = j - 1
8
9    L[j] = value
```

For function call insert(L, i), in the worst case, the item at index i is moved all the way to index 0. Variable j starts off at i and is decreased by 1 on each iteration of the while loop until it reaches 0.

In this worst-case situation, how many times is the body of the while loop executed?

- 2 * i
- () i+1
- (i 1

1 point

Here is the code for function insertion_sort:

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```
1 def insertion_sort(L):
2   for i in range(len(L)):
3     insert(L, i)
```

This question is about the *worst-case* running time for this code. (The worst case for insertion sort happens when a list is sorted in reverse, from largest to smallest.)

- On the first iteration of this loop, i refers to 0, so insert (L, 0) is called, and the while loop in function insert iterates 0 times.
- On the second iteration, insert(L, 1) is called, and the while loop in function insert iterates 1 time.
- On the last iteration, insert(L, len(L) 1) is called, and the while loop in function insert iterates len(L) 1 times.

In total, how many times is the body of the while loop in function **insert** executed during one call on function **insertion_sort**?

1 point

In the worst case, on a call on function ${\tt insertion_sort(L)}$, the total ${\tt Week 3 Exercise}$ of times the loop body in function ${\tt insert}$ is executed is this:

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```
1 0 + 1 + 2 + 3 + ... + (len(L) - 3) + (len(L) - 2) + (len(L) - 1)
```

The 0 doesn't affect the sum, so we can simplify to this:

```
1 1 + 2 + 3 + ... + (len(L) - 3) + (len(L) - 2) + (len(L) - 1)
```

We can add the first and last items together, and the second and secondlast items together, and so on:

Every line in the equation adds up to len(L).

Roughly how many lines in the equation are there, and what is the total number of times the loop body is executed?

(Hint: work this out using a smaller example, such as a length **9** list, and then generalize.)

Number of lines: len(L) / 2

Total number of times the loop body is executed: len(L) * len(L) / 2

Number of lines: len(L) / 10

Total number of times the loop body is executed: len(L) * len(L) / 10

Number of lines: len(L)

Total number of times the loop body is executed: len(L) * len(L)

1 point

Week 3 上3 测验, 18 个问题	Quadratic in the length of list L .
	$igcup$ Linear in the length of list ${f L}$.
	$igcup$ The running time is not proportional to the length of list ${f L}$.
	1 point 18. For a call on function insertion_sort(L), in the best case (where list L is already sorted), how many times is the body of the while loop in function insert executed?
	10 * len(L)
	• 0
	len(L)
	<pre>len(L) * len(L) / 2</pre>
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