

1 Divide-and-Conquer for Integer Multiplication

2 Sorting Algorithms

Note: My typset algorithms are *zero-based*– they assume indexing starts at zero, not the case in Matlab.

Bubble Sort: Typset Algorithm. Worst/Average Case = $O(n^2)$, Best Case = $O(n)$

function bubbleSort($a[1, \dots, k]$)

input : An unsorted array, a

output: The sorted array

Iterate through each element i in a , swapping it with the element prior if element $i-1$ is greater than element i

swapped = **true**;

while *swapped* **do**

 swapped = **false**;

for $i \leftarrow 1$ **to** $k-1$ **do**

if $a[i-1] > a[i]$ **then**

 swap: $a[i-1] \leftrightarrow a[i]$;

 swapped = **true**;

end

end

end

Insertion Sort: Typset Algorithm. Worst/Average Case = $O(n^2)$, Best Case = $O(n)$

function insertionSort($a[1, \dots, k]$)

input : An unsorted array, a

output: The sorted array

Incrementally traverse through each element i in a , sliding $a[i]$ left through the sorted array, until it is ranked appropriately

$i = 1$;

while $i < k$ **do**

$j = i$;

while $j > 0$ and $a[j-1] > a[j]$ **do**

 swap: $a[j] \leftrightarrow a[j-1]$;

$j \leftarrow j - 1$;

end

$i \leftarrow i + 1$;

end

Selection Sort: Typset Algorithm. Worst/Average/Best Case = $O(n^2)$

```
function selectionSort( $a[1, \dots, k]$ )  
input : An unsorted array,  $a$   
output: The sorted array  
for  $i \leftarrow 0$  to  $k-1$  do  
    starting with element  $i$ , compare  $i$  against elements ahead  
    tempMin =  $i$ ;  
    for  $j \leftarrow i + 1$  to  $k$  do  
        if  $a[j] < a[\text{tempMin}]$  then  
            tempMin =  $j$ ;  
        end  
    end  
    if tempMin does not equal  $i$  then  
        swap:  $a[i] \leftrightarrow a[\text{tempMin}]$ ;  
    end  
end
```