

## Normalization (Min-Max Scaling)

- **What it does:** Rescales data to a fixed range, usually **[0,1]** (or sometimes [-1,1]).

$$x' = \frac{x - x_{\min}}{x_{\max} - x_{\min}}$$

- **When to use:**

1. **When features have different scales but you want them bounded.**

- Example: Age (0–100) vs. Salary (0–100,000). Without normalization, salary dominates distance-based models.

2. **For algorithms that rely on distance or magnitude, like:**

- **KNN (K-Nearest Neighbors)**
- **K-Means Clustering**
- **Neural Networks (faster convergence with normalized inputs)**

3. **When features are not normally distributed** but bounded scaling helps.

## Standardization (Z-score Scaling)

- **What it does:** Centers data around **0 mean** and rescales to **unit variance**.

$$x' = \frac{x - \mu}{\sigma}$$

- **When to use:**

1. **When data follows (or approximately follows) a normal distribution.**

2. **For algorithms that assume normality of data** or rely on variance:

- **Linear Regression**
- **Logistic Regression**
- **SVM (Support Vector Machines)**
- **PCA (Principal Component Analysis)**

3. **When features can take on any range (no fixed boundary).**

## Rule of Thumb

- Use **Normalization** when the distribution is *unknown* and you need everything in a fixed range (especially for distance-based ML).
- Use **Standardization** when the algorithm assumes Gaussian distribution or cares about variance.

👉 Think of it like this:

- **Normalization is like resizing different pictures to fit inside the same  $1 \times 1$  box.**
  - **Standardization is like shifting and stretching them so their “center” is the same, and their spread is comparable.**
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