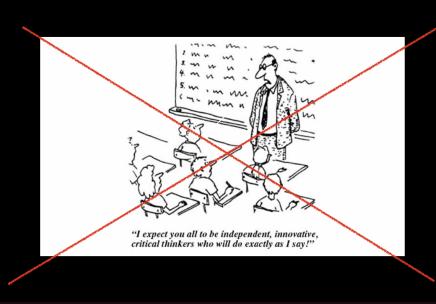
Teaching

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Teacher, Professor?

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I am an educational rockstar

"Intellectually entertain students and make them learn"

"Don't try to teach, try to make the students learn"

"Try to figure things out along with the students"

- Spend the first lecture on motivation
- Why, What and How?
- Numerical Linear Algebra
 - The \$25,000,000,000 Eigenvector: Linear algebra behind google
 - The Smart Money's on Numerical Analysts

Adopt latest technologies in teaching









Finite Precision Computation

Solving recurrence

$$a_{n+1} = 10a_n - 9a_{n-1}$$

with
$$a_0 = a_1 = 2.95$$

Polynomial Approximation

Interpolate/Approximate

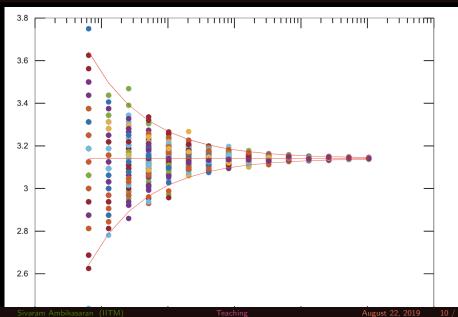
$$f(x)=\frac{1}{1+25x^2}$$

Weierstrass approximation theorem

MonteCarlo to compute π

```
% Computing pi by counting the number of points inside a [-1,1]^2 square that lie inside the unit
circle
N \sin = 200;
min index = 6:
max index = 20;
n index = max index-min index+1;
p =zeros(n index, N sim);
K index = min index:max index:
N = 2.**K index;
N matrix = zeros(n index, N sim);
for k =min index:max index
   N matrix(k-min index+1,:) = N(k-min index+1);
    for j=1:N sim
        x = 2 \cdot rand(N(k-min index+1), 2)-1;
        m = length(find(x(:,1),^2+x(:,2),^2 < 1));
        p(k-min index+1,j) = 4*m/N(k-min index+1);
    end
end
semilogx(N matrix,p,'.')
hold on
c = 4:
semilogx(N,pi+c,/sgrt(N),'r-')
semilogx(N,pi*ones(n index,1),'r-')
semilogx(N,pi-c./sqrt(N),'r-')
```

MonteCarlo to compute π



Summary of teaching philosophy

To heighten the understanding of concepts

- Proofs and more importantly examples/counterexamples
- Application of the theorems/results
- Live computational and mathematical demonstrations
 - · Students appreciate that math and programming can go hand in hand
 - · Both are simple and fun to play around

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 - Students appreciate that math and programming can go hand in hand
 - · Both are simple and fun to play around
- · Will think along with students for the logic to be followed
- Enable them to think on the fly and adapt; contributes to their understanding

These enable students to understand the details as well as to obtain a bird's eye view of the entire landscape.