

Bidirectional Transformations - Exercises

As there is no specific requirements regarding implementation, I will be using pseudocode.

Exercise 1

a)

We can get the pair of integers and produce their product:

```
get(n,m) = n*m
```

We can write a put that updates one or both of the numbers in the int pair, that will have the given product:

```
put((n,m), v') =  
    if (v' / n) mod 1 == 0 then (n, (v'/n))  
    else if (v' / m) mod 1 == 0 then ((v'/m), m)  
    else (v', 1)
```

b)

Here we can write a get in both directions, as both sides can be generated from the other.

S: Person entity

V: Person

get: S -> V:

```
get(s) = new Person(s.firstName + " " + s.lastName)
```

S: Person

V: Person entity

get: S -> V:

```
get(s) =  
    new PersonEntity(s.split(" ")[0], s.split(" ")[1])
```

c)

Given a list of items (a, b, b, c) you can't generate a single set of unordered, unique items. This will result in the loss of data as one b would have to be removed.

Therefore, I assume that there is no requirement of a 1-to-1 transformation where a list must be transformed into a single set, but can rather be multiple sets.

With this assumption, we can define a get where we get sets, and generate a list as such:

```

get(sets) = {
    new List list;
    sets.forEach(set -> list.addAllItemsFromSet(set));
    list.sort();
}

```

We can also define a get where we generate unique sets from a list. As there are multiple sets, I return a list of sets:

```

get(list) = {
    new List listOfSets
    new Set set;
    new List listOfDuplicates;
    new List recursiveList;
    for (item i : list) {
        if (!set.contains(i)) {
            set.add(i);
        } else {
            listOfDuplicates.add(i);
        }
    }
    recursiveList = get(listOfDuplicates);
    listOfSets.add(set);
    for (Set s : recursiveList) {
        listOfSets.add(s);
    }
}

```

Exercise 2

I propose an asymmetric lens. You can generate the datamodel based on the classmodel, but not vice versa. This is because operations are not mapped to the datamodel.

```

get(classmodel) -> datamodel
put(classmodel, datamodel) -> classmodel

```

The implementation of get will simply use the mappings defined in the task.

The task states that associations with target PrimType are stored as columns. As an association has a source as well as a target, I assume this means that the source is stored along with the PrimType even though this is not shown in Figure 1. With this assumption, we have all the information needed to reverse the OR-mapping and implement put as this reversed ORM.

Exercise 3

a)

Correctness:

Given an $A1'$ and an $A2$ which are not consistent, the forward restoration $R \rightarrow$ must restore consistency.

I assume that $A1$ and $A2$ are in a consistent state. So when we introduce a change to $A1 \rightarrow A1'$, a restoration to a consistent state involves adding the changes from $A1'$ to $A2$.

Say you have a composer ("Bach", 1658, "German") in $A1'$ and there is no composer in $A2$ with name="Bach" and nationality="German". Then $R \rightarrow$ adds Bach to $A2$. At this stage, all composers in $A1'$ are also in $A2$. Now say that there is a composer in $A2$ which is not in $A1'$. In this case, the changes from the first step have already been added to $A2$. There was also no changes to $A2$ before the restoration. So now, all composers in $A2$, which are not reflected with the same name and nationality in $A1'$ are deleted from $A2$. $A1'$ and $A2$ are consistent \Rightarrow correctness justified.

The same steps can be applied to the backwards restoration $\leftarrow R$. This implies correctness for both restorations.

Hippocraticness:

Given two models $A1$ and $A2$ which are already consistent, $R \rightarrow$ and $\leftarrow R$ should do nothing.

As every step in the restorations which perform any additions or deletions to a model are dependent on there being inconsistencies between the models - no changes are made when the models are consistent \Rightarrow hippocraticness justified.

b)

$R \rightarrow(A1, R \rightarrow(A1', A2)) = A2$.

$R \rightarrow(A1', A2) = A2'$. So the above equation can be rewritten to $R \rightarrow(A1, A2') = A2$.

This describes changing something back to a previous state of consistency. Say we have two models $A1$ and $A2$ which are consistent. If we modify $A1 \rightarrow A1'$ and perform the restoration $R \rightarrow(A1', A2)$, we modify $A2$ to a new consistent state $A2'$. If we preserved the initial state of $A1$ (before we modified it to $A1'$) and perform a new restoration on the now modified $A2'$ - we will essentially revert $A2$ back to the state where it was consistent with the initial $A1$.

This is not satisfied in the composer example. In the restoration in the composer example, a composer may be deleted from $A2$ in order to produce $A2'$. Say the composer ("Joseph", "Haydn", "German") is deleted from $A2$ as part of a restoration. If you try to re-introduce "Haydn" as part of a restoration from an old state, it must be added to $R2'$ as a new composer based on the data ("Haydn", 1732, "German"). This will add the composer ("", "Haydn", "German") to $R2'$. Data has been deleted which cannot be re-added. $R2 \neq R2'$.

Exercise 4

a)

I assume this question asks why the lens is asymmetric. This is because you cannot generate two unique sets X and Y with consistency based on V and $\text{get}(X,Y)$, as $\text{get}(X,Y)$ only states which sets are shared between X and Y , but contains no information about where the not-shared-data should go.

b & c)

I don't know how I am supposed to solve these tasks

Exercise 5

I'm afraid I don't understand the questions here.. I hope someone will publish a solution to this oblig.