

Parameter defaults

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Predation kernel

log-normal kernel

- **beta** = 30 for Multispecies and **beta** = 100 for Trait and Community.
- **sigma** = 2.0 for Multispecies and Community and **sigma** = 1.3 for Trait

NEW: still need to discuss, but ideally the same for all types of model

Ken: I would say:

- **beta** = 400. This follows the analysis in Andersen (2019, p. 26 and figure 2.6).
- **sigma** = 1.0 for following Ursin et al (1973). For the trait-based and community models we can increase to **sigma** = 1.3 to represent that each size or trait-group represent a range of species with various values of **beta**.

Search volume

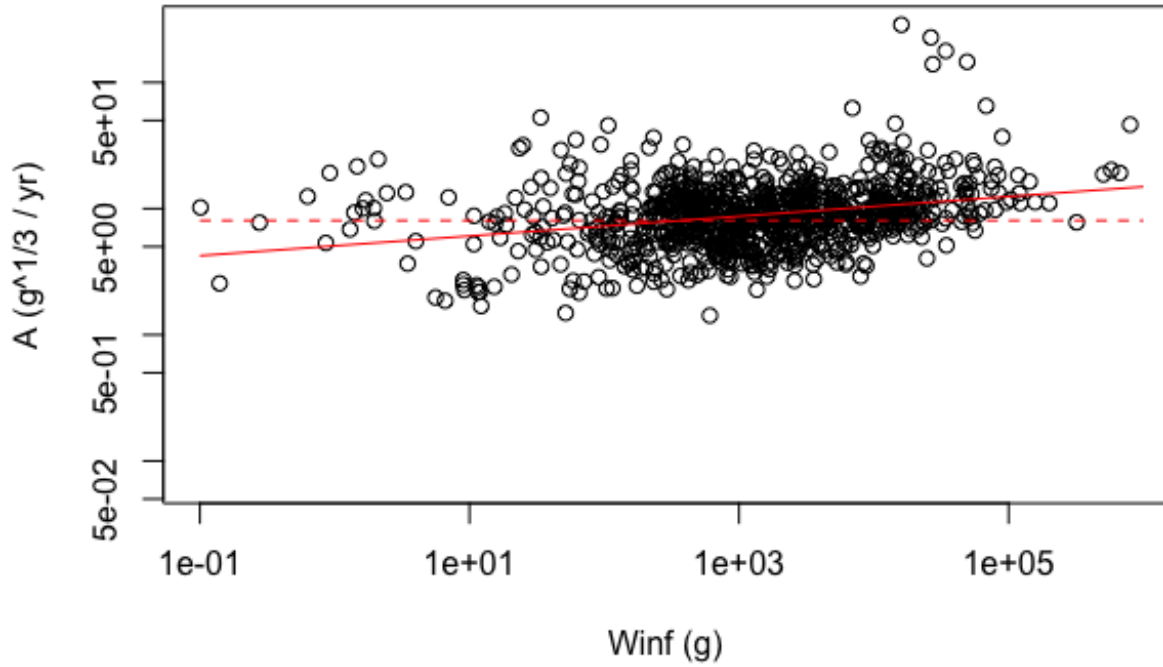
- **q** = **lambda** - 2 + **n** **NEW: if no lambda is specified, then q = 0.8** See discussion in Andersen (2019; p.22-23 and Fig. 2.4),
- **gamma** is determined from **f0** = 0.6, **h**, **kappa**, **lambda** and the predation kernel so that if the prey abundance was described by the power law $\kappa w^{-\lambda}$ then the encounter rate would lead to the feeding level **f0**.

Maximum intake rate

- **n** = 2/3
- **h** for **n**=2/3. **h** represents the factor of the maximum consumption rate. It can be calculated from the growth rate coefficient **A** as:

$$h = \frac{A}{\alpha(f_0 - f_c)}$$

(eq. 3.31), where **alpha**=0.6 is the assimilation efficiency and **f0**=0.6 and **fc**=0.2. We can find the growth coefficient from von Bertalanffy growth parameters (eq.3.9): $A = 3c^{1/3}KL_{\infty}$ where **c** is the coefficient in the length-mass relation $c \approx 0.01$ g/cm. An analysis of von Bertalanffy growth from fish base (only used bony fish and estimates where $|t_0| < 1$) gives:



The fit is (red line): $A = \exp(1.62)W_{\infty}^{0.078}$. The geometric mean (dashed red) is $A \approx 8 \text{ g}^{1/3}/\text{yr}$. Using the geometric mean gives:

$$h \approx 33 \text{ g}^{1/3}/\text{yr}$$

- In multispecies model h is determined so that with feeding level $f_0 = 0.6$ and under the assumption $p = n$ the species reaches maturity size w_{mat} at the age predicted by the von Bertalanffy growth curve parameters k_{vb} and $t_0 = 0$. The calculation uses w_{min} , w_{inf} , n , $b = 3$, $fc = 0.2$.
- trait: $h = 40$ **NEW value from Ken**
- community: $h = 10$

Metabolic rate

- p
 - trait: $p = n$, $n = 2/3$
 - multispecies $p = 0.7$ **NEW: $p = 2/3$**
 - NEW: issue warning about poor default when user chooses p different from n .**
- $k = 0$
- ks determined from fc , α , h , n , p
 - trait: set so that $fc = 0.25$ **NEW: $fc = 0.2$**
 - multispecies: set so that $fc = 0.2$ at w_{mat} .
 - community: $ks = 0$

External mortality

- Multispecies: scales with `w_inf`
 - `z0pre` = 0.6
 - `z0exp` = `n` - 1
- Trait: proportional to predation mortality
 - `ext_mort_prop` = 0
- Community: `z0` = 0.1

Reproduction

- `w_mat` = `w_inf` / `eta` with multispecies `eta` = 0.25, trait `eta` = $10^{(-0.6)} \sim 0.25$.
- `w_mat25` = `w_mat` * $3^{(-0.1)}$ (corresponds to `U` = 10)
NEW: `w_mat25` = `w_mat` * $3^{(-0.2)}$ (corresponds to `U` = 5)
- `m` = 1
- `w_min` = 0.001
- `erepro` = 1 **NEW: erepro = 0.01 (thus slightly higher than 0.0066)? Increase for some species if needed but issue warning.**
- `R_max` chosen to achieve desired biomass.

Fishing

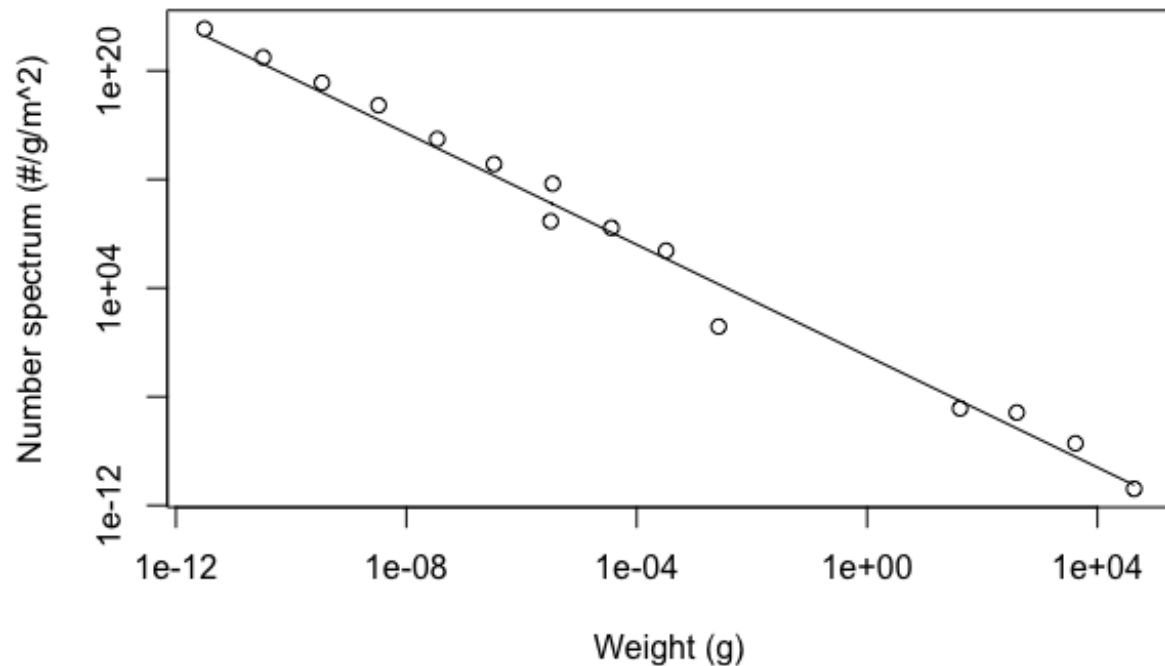
single `knife_edge` gear, catching all species,

- `catchability` = 1
- `knife_edge_size`
 - Multispecies: `knife_edge_size` = `w_mat`
 - Trait and community: `knife_edge_size` = 1000

Resource

- `r_pp`
 - Multispecies `r_pp` = 10 **NEW: r_pp = 4**
 - Trait `r_pp` = 0.1 **NEW: determined by new parameter `resource_level` = 1/2**
 - Community: `r_pp` = 10
- `kappa`
 - Multispecies `kappa` = $1e+11$ **NEW: Use value per m^2 , same as Trait**
 - Trait `kappa` = 0.005
 - Community = 1000

Ken: In the absence of other information we use a “per area” specification of the resource spectrum. Below is the abundance spectrum as observed on the Scotian shelf from Boudreau and Dickie (1992):



The fit is made with $\kappa = 0.1 \text{ g}^{\{1.05\}}$ (assuming that $q=0.8$ and $n=3/4$; for $n=2/3$ the value is similar but different units: $\kappa = 0.1 \text{ g}^{\{1.14\}}$)

- $\lambda = 2.05$ **NEW:** $\lambda = q + 2 - n$ if the user specified a q (and this q is the same for all species), otherwise $\lambda = 2.05$

Other

- α
 - Multispecies: $\alpha = 0.6$
 - Trait: $\alpha = 0.4$
 - Community: $\alpha = 0.2$

NEW: still need to discuss, but ideally the same for all types of model

Ken: Suggest to use $\alpha=0.6$ for trait-based and multi-species models (Andersen (2019, p.50)).

Ken: For the community model α does not represent the assimilation efficiency, but the it represents the average growth efficiency (see Andersen et al (2009), RPSLB (209) 109-114, section “average growth efficiency”). The average growth efficiency depends upon the physiological parameters and the predator-prey interaction parameters in a rather complex way. A value of 0.2 for $\beta=400$ is reasonable (figure 4b).