

QQ: don't get induced inner product stuff

or how define on $\alpha \otimes \beta$ defining on the direct sum,

Why is the restriction to $\bigoplus \Lambda^{j,0}$ the usual wedge product?

Where is the tensor stuff used?

For $\gamma \in$

• is commutative on $\bigoplus \Lambda^{j,0} \wedge^{k,0}$

as for $\alpha \in \Lambda^{i,0}$; $\beta \in \Lambda^{j,0}$

$$\langle \alpha, \beta \rangle = (-1)^{j+i} \beta \cdot \alpha = \beta \cdot \alpha.$$

$$\alpha \wedge \beta \quad (\alpha \otimes \beta) \cdot (\alpha' \otimes \beta') \in \Lambda^{n+p, m+q}.$$

$$\text{as } \alpha \wedge \alpha' \in \Lambda^{n+p}, \quad \alpha' \wedge \beta' \in \Lambda^{m+q}$$