

$$\mathbb{E}N = \mathbb{E} \left[\sum I \right]$$

6.8.1 problems
no assumption necessary theorem of R/H

$$P(m=x) = \frac{1}{x!} (\mathbb{E}m)^x e^{-\mathbb{E}m}$$

$$\mathbb{E}n^{2/D} \approx \frac{2\pi W^2}{W^2 \Gamma(D/2 + 1)^{2/D}}$$

Q: could estimate ①
the ACF, then simulate
draw from it to estimate
 $P(m=i)$
??

where from?

$$n = V_u$$

$$2/D ??$$

maybe in Nasho 1989?

what does
AFNI do
atm??

check Bob Cox
AFNI paper 2 figures
actually it
doesn't
work!!

$$\underline{6.88} \Rightarrow \lim (P(X_n \geq x)) = e^{-x}$$

$$\text{then } X_n \xrightarrow{d} X \sim \exp(1)$$

$$\Rightarrow \mathbb{E}X_n \rightarrow \mathbb{E}X \quad \text{for starters.}$$

$$\mathbb{E}[(2\gamma u^3 V_u)^{1/2}] = 1$$

Q: what
dimens
is 6.8.8 for?

$$\Rightarrow \mathbb{E}V_u^{1/2} = \frac{1}{\sqrt{2} \gamma^{1/2} u^{3/2}} = \frac{\sqrt{2\pi} N=28}{u^{3/2} |\Lambda|^{1/4} \sqrt{}}$$

??