$$F[\mu_h(\tau)\, 1[A]] = \int \longleftrightarrow$$

$$N_0\, 1[A] \leq N_0$$

$$\underbrace{\delta_\varepsilon(f(t))\, 1_B(g(t))\, |\det \nabla f(t)|}_{h(t)}$$

then $\forall t$ $\quad h(t)\, 1[A] \leq h(t)$

---

now, N^ε $\quad A = \{ Y \in$

$E = \{ Y \in A \}$

have

$$F[X\, 1[E]] = \int_x \int_{y \in A} x\, P_{x,y}(x,y)\, dx\, dy$$

$E = Y \in A$