

Idea.

Fix

Section 19
Next step: instead 1K naturally ①

$$\sup_{t \in B(h)} \left| X(t/\sqrt{v}) - X(0) - t \nabla X(0) - \frac{1}{2} t^T \frac{\nabla^2 X(0)}{\sqrt{v}} t \right|$$

~~and~~

and parallel
as in p 2.1
An estimate for $\frac{|\nabla^2 X(0)|}{\sqrt{v}}$

$\frac{|X(0)|}{\sqrt{v}} \rightarrow 1$
as $v \rightarrow \infty$

$$\leq \sup_{t \in B(h)} \left| X(t/\sqrt{v}) - X(0) - \frac{1}{2} t^T \frac{\nabla^2 X}{\sqrt{v}} t \right|$$

since $X(0) \geq v$.

just sup
+ (p 2) replace
here!

$$\text{so } P(\sup(u) > \varepsilon) \leq P(\sup(v) > \varepsilon) !$$

so may as well use v for ease
(as don't have to worry about differential
issues for $t/\sqrt{X(0)}$) heureka!

Now,

$\sup_{t \in B(h)} |f|$ is cts and $\forall v$,

$$X(t/\sqrt{v}) - X(0) - \frac{1}{2} t^T \frac{\nabla^2 X(0)}{\sqrt{v}} t$$

$$=_{\text{d}} \varepsilon(t/\sqrt{v}) + K(t/\sqrt{v})$$

