

$$n^{-1/2} \max (a_n(i) - \bar{a}_n)^2$$

$$\frac{1}{n} \sum_{i=1}^n (a_n(i) - \bar{a}_n)^2$$

$$= n^{-1/2} \max (a_n(i) - \bar{a}_n)^2$$

$$\frac{1}{n} \sum_{i=1}^n (a_n(i) - \bar{a}_n)^2$$

converges

when does this change?  
ie group membership.

$x_i = 0 \text{ or } 1$

for

So need  $\frac{1}{n^{1/2}} \max (a_n(i) - \bar{a}_n)^2$

$\rightarrow 0$

Sufficient for  $a_n$  to be binned.

need  $\max |a_n(i) - \bar{a}_n| = o(n^{1/4})$

Sufficient for one of  $b$  or  $a$  to be binned  
& for the other to converge

$\max |a_n(i) - \bar{a}_n| = o(n^{1/2})!$

Q: when does threshold?