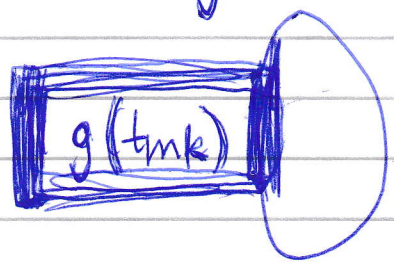
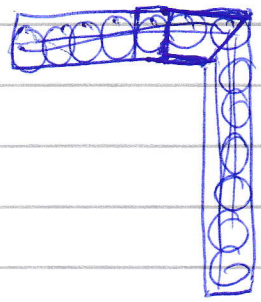
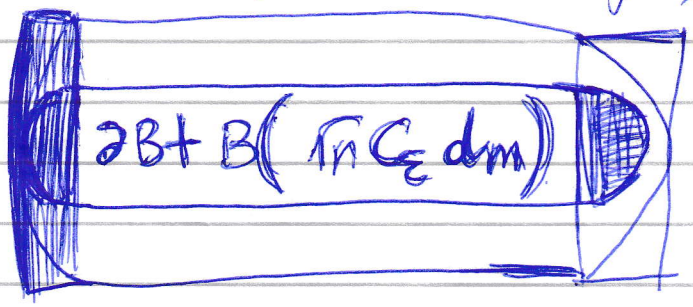
$\| \cdot g(t_{mn})$

Let $A_{mj} = \{ \exists t \in B_{mj} : f(t) = u, \ g(t) \in \partial B \}$

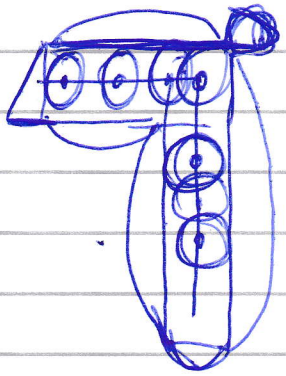




$\cancel{\partial B + B(\sqrt{n}\, C_\varepsilon \, \mathrm{diam}(B_{mj}\, d_m)}$



$\cancel{\int 1[\partial B + B(\sqrt{n}\, C_\varepsilon\, d_m]\ p h(t)\, dt}$



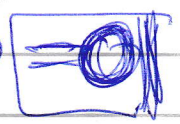
$\int 1[\, f \in B(\sqrt{n}\, C_\varepsilon\, d_m)$

$\boxed{\partial B \cap [-h,h]^n \text{ then okay!}}$

$\cancel{\text{take } \mathbb{P}(\bigcup \partial B}$

$\mathbb{P}(\ f(t) = u,$

as $\partial B = \bigcup \partial B \cap [-h,h]^n$

etc

~~so pb obi~~ countable $\Rightarrow$