

so ~~det~~ ρ can just use

$$\det \begin{pmatrix} 1 & \rho \\ \rho & 1 \end{pmatrix}$$

as

C_{tL}, C_{SS} converge
to C_{toto} !

and $C_{toto} > 0$

$$= \begin{pmatrix} I & I+B & I+C \\ I+B^T & I & I+D \\ I+C^T & I+D^T & I \end{pmatrix}$$

$$\text{2nd term} = -(\cancel{I+B}) \left((I+B^T) - (I+D)(I+C^T) \right)$$

$$= -(I+B)(B^T - D - C)$$

$$= -B^T + D + C$$

$$\text{3rd term} = (I+C) \left((\cancel{I+B^T})(I+D^T) - I(I+C^T) \right)$$

$$= (I+C)(\cancel{I+B^T} + D^T - C^T - I + \dots)$$

$$= B^T + D^T - C^T$$

all cancel!