# E18 Deep Q-Learning (C++/Python)

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# 1 Deep Q-Network (DQN)

We consider tasks in which an agent interacts with an environment  $\mathcal{E}$ , in this case the Atari emulator, in a sequence of actions, observations and rewards. At each time-step the agent selects an action  $a_t$  from the set of legal game actions,  $\mathcal{A} = \{1, ..., K\}$ . The action is passed to the emulator and modifies its internal state and the game score. In general  $\mathcal{E}$  may be stochastic. The emulator's internal state is not observed by the agent, instead it observes an image  $x_t \in \mathbb{R}^d$  from the emulator, which is a vector of raw pixel values representing the current screen. In addition it receives a reward  $r_t$  representing the change in game score. Note that in general the game score may depend on the whole prior sequence of actions and observations; feedback about an action may only be received after many thousands of time-steps have elapsed.

Since the agent only observes images of the current screen, the task is partially observed and many emulator states are perceptually aliased, i.e. it is impossible to fully understand the current situation from only the current screen  $x_t$ . We therefore consider sequences of actions and observations,  $s_t = x_1, a_1, x_2, ..., a_{t-1}, x_t$ , and learn game strategies that depend upon these sequences. All sequences in the emulator are assumed to terminate in a finite number of time-steps. This formalism gives rise to a large but finite Markov decision process (MDP) in which each sequence is a distinct state. As a result, we can apply standard reinforcement learning methods for MDPs, simply by using the complete sequence  $s_t$  as the state representation at time t.

The goal of the agent is to interact with the emulator by selecting actions in a way that maximises future rewards. We make the standard assumption that future rewards are discounted by a factor of  $\gamma$  per time-step, and define the future discounted return at time t as  $R_t = \sum_{t'=t}^T \gamma^{t'-t} r_{t'}$ , where T is the time-step at which the game terminates. We define the optimal action-value function  $Q^*(s, a)$  as the maximum expected return achievable by following any strategy, after seeing some sequence s and then taking some action a,  $Q^*(s, a) = \max_{\pi} \mathbb{E}[R_t|s_t = s, a_t = a, \pi]$ , where  $\pi$  is a policy mapping sequences to actions (or distributions over actions).

The optimal action-value function obeys an important identity known as the *Bellman equation*. This is based on the following intuition: if the optimal value  $Q^*(s', a')$  of the sequence s' at the next time-step was known for all possible actions a', then the optimal strategy is to select the action a' maximising the expected value of  $r + \gamma Q^*(s', a')$ ,

$$Q^*(s,a) = \mathbb{E}_{s'\sim\mathcal{E}}[r + \gamma \max_{a'} Q^*(s',a') \Big| s,a]$$
(1)

The basic idea behind many reinforcement learning algorithms is to estimate the action-value function, by using the Bellman equation as an iterative update,  $Q_{i+1}(s, a) = \mathbb{E}\left[r + \gamma \max_{a'} Q_i(s', a') | s, a\right]$ .

Such value iteration algorithms converge to the optimal action-value function,  $Q_i \to Q^*$  as  $i \to \infty$ . In practice, this basic approach is totally impractical, because the action-value function is estimated separately for each sequence, without any generalisation. Instead, it is common to use a function approximator to estimate the action-value function,  $Q(s, a; \theta) \approx Q^*(s, a)$ . In the reinforcement learning community this is typically a linear function approximator, but sometimes a non-linear function approximator is used instead, such as a neural network. We refer to a neural network function approximator with weights  $\theta$  as a Q-network. A Q-network can be trained by minimising a sequence of loss functions  $L_i(\theta_i)$  that changes at each iteration i,

$$L_i(\theta_i) = \mathbb{E}_{s,a \sim \rho(\cdot)}[(y_i - Q(s,a;\theta_i))^2], \tag{2}$$

where  $y_i = \mathbb{E}_{s' \sim \mathcal{E}}[r + \gamma \max_{a'} Q(s', a'; \theta_{i-1}) | s, a]$  is the target for iteration i and  $\rho(s, a)$  is a probability distribution over sequences s and actions a that we refer to as the behaviour distribution. The parameters from the previous iteration  $\theta_{i-1}$  are held fixed when optimising the loss function  $L_i(\theta_i)$ . Note that the targets depend on the network weights; this is in contrast with the targets used for supervised learning, which are fixed before learning begins. Differentiating the loss function with respect to the weights we arrive at the following gradient,

$$\nabla_{\theta_i} L_i(\theta_i) = \mathbb{E}_{s, a \sim \rho(\cdot); s' \sim \mathcal{E}} \left[ \left( r + \gamma \max_{a'} Q(s', a'; \theta_{i-1}) - Q(s, a; \theta_i) \right) \nabla_{\theta_i} Q(s, a; \theta_i) \right]. \tag{3}$$

Rather than computing the full expectations in the above gradient, it is often computationally expedient to optimise the loss function by stochastic gradient descent. If the weights are updated after every time-step, and the expectations are replaced by single samples from the behaviour distribution  $\rho$  and the emulator  $\mathcal{E}$  respectively, then we arrive at the familiar Q-learning algorithm.

Note that this algorithm is model-free: it solves the reinforcement learning task directly using samples from the emulator  $\mathcal{E}$ , without explicitly constructing an estimate of  $\mathcal{E}$ . It is also off-policy: it learns about the greedy strategy  $a = \max_a Q(s, a; \theta)$ , while following a behaviour distribution that ensures adequate exploration of the state space. In practice, the behaviour distribution is often selected by an  $\epsilon$ -greedy strategy that follows the greedy strategy with probability  $1 - \epsilon$  and selects a random action with probability  $\epsilon$ .

## Algorithm 1 Deep Q-learning with Experience Replay

```
Initialize replay memory \mathcal{D} to capacity N
```

Initialize action-value function Q with random weights

for episode = 
$$1, M$$
 do

Initialise sequence  $s_1 = \{x_1\}$  and preprocessed sequenced  $\phi_1 = \phi(s_1)$ 

for 
$$t = 1, T$$
 do

With probability  $\epsilon$  select a random action  $a_t$ 

otherwise select  $a_t = \max_a Q^*(\phi(s_t), a; \theta)$ 

Execute action  $a_t$  in emulator and observe reward  $r_t$  and image  $x_{t+1}$ 

Set  $s_{t+1} = s_t, a_t, x_{t+1}$  and preprocess  $\phi_{t+1} = \phi(s_{t+1})$ 

Store transition  $(\phi_t, a_t, r_t, \phi_{t+1})$  in  $\mathcal{D}$ 

Sample random minibatch of transitions  $(\phi_j, a_j, r_j, \phi_{j+1})$  from  $\mathcal{D}$ 

Set 
$$y_j = \begin{cases} r_j & \text{for terminal } \phi_{j+1} \\ r_j + \gamma \max_{a'} Q(\phi_{j+1}, a'; \theta) & \text{for non-terminal } \phi_{j+1} \end{cases}$$
  
Perform a gradient descent step on  $(y_j - Q(\phi_j, a_j; \theta))^2$  according to equation 3

end for

end for

#### Deep Learning Flappy Bird 2

#### Overview

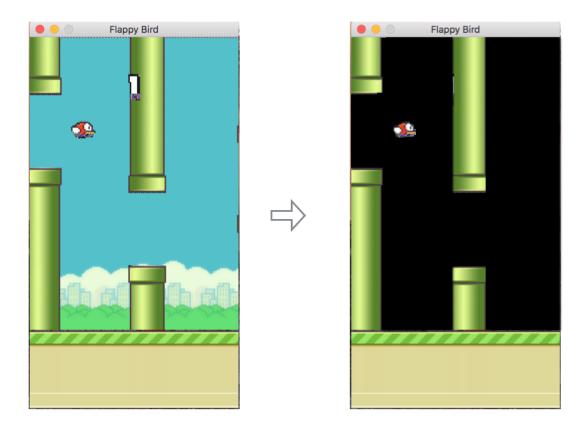
This project (https://github.com/yenchenlin/DeepLearningFlappyBird) follows the description of the Deep Q Learning algorithm described in Playing Atari with Deep Reinforcement Learning and shows that this learning algorithm can be further generalized to the notorious Flappy Bird.

#### **Installation Dependencies:**

- Python 2.7 or 3
- TensorFlow 0.7
- pygame
- OpenCV-Python

## How to Run?

git clone https://github.com/yenchenlin1994/DeepLearningFlappyBird.git cd DeepLearningFlappyBird



python deep\_q\_network.py

# What is Deep Q-Network?

It is a convolutional neural network, trained with a variant of Q-learning, whose input is raw pixels and whose output is a value function estimating future rewards.

For those who are interested in deep reinforcement learning, I highly recommend to read the following post: Demystifying Deep Reinforcement Learning

# Deep Q-Network Algorithm

The pseudo-code for the Deep Q Learning algorithm can be found below:

# Experiments

#### **Environment**

Since deep Q-network is trained on the raw pixel values observed from the game screen at each time step, so removing the background appeared in the original game can make it converge faster.

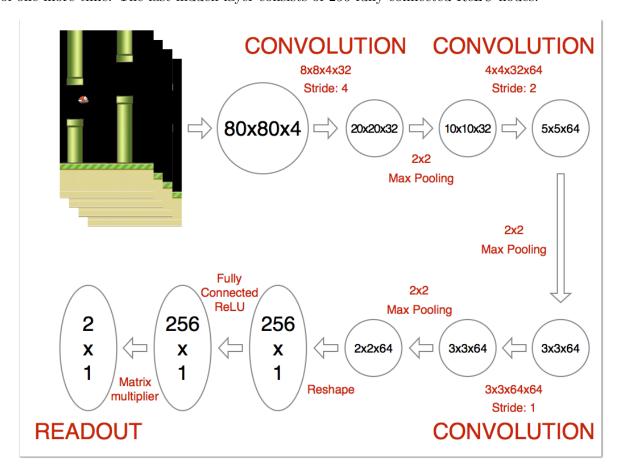
This process can be visualized as the following figure:

#### Network Architecture

I first preprocessed the game screens with following steps:

- 1. Convert image to grayscale
- 2. Resize image to 80x80
- 3. Stack last 4 frames to produce an  $80 \times 80 \times 4$  input array for network

The architecture of the network is shown in the figure below. The first layer convolves the input image with an  $8 \times 8 \times 4 \times 32$  kernel at a stride size of 4. The output is then put through a  $2 \times 2$  max pooling layer. The second layer convolves with a  $4 \times 4 \times 32 \times 64$  kernel at a stride of 2. We then max pool again. The third layer convolves with a  $3 \times 3 \times 64 \times 64$  kernel at a stride of 1. We then max pool one more time. The last hidden layer consists of 256 fully connected ReLU nodes.



The final output layer has the same dimensionality as the number of valid actions which can be performed in the game, where the 0th index always corresponds to doing nothing. The values at this output layer represent the Q function given the input state for each valid action. At each time step, the network performs whichever action corresponds to the highest Q value using a  $\epsilon$  greedy policy.

## Training

At first, I initialize all weight matrices randomly using a normal distribution with a standard deviation of 0.01, then set the replay memory with a max size of 500,00 experiences.

I start training by choosing actions uniformly at random for the first 10,000 time steps, without updating the network weights. This allows the system to populate the replay memory before training begins.

I linearly anneal  $\epsilon$ from 0.1 to 0.0001 over the course of the next 3000,000 frames. The reason why I set it this way is that agent can choose an action every 0.03s (FPS=30) in our game, high  $\epsilon$  will make it **flap** too much and thus keeps itself at the top of the game screen and finally bump the pipe in a clumsy way. This condition will make Q function converge relatively slow since it only start to look other conditions when  $\epsilon$  is low. However, in other games, initialize  $\epsilon$  to 1 is more reasonable.

During training time, at each time step, the network samples minibatches of size 32 from the replay memory to train on, and performs a gradient step on the loss function described above using the Adam optimization algorithm with a learning rate of 0.000001. After annealing finishes, the network continues to train indefinitely, with  $\epsilon$  fixed at 0.001.

## 3 Tasks

- 1. Please implement a DQN to play the Flappy Bird game.
- 2. You can refer to the codes in https://github.com/yenchenlin/DeepLearningFlappyBird
- 3. Please submit a file named E18\_YourNumber.zip, which should include the code files and the result pictures, and send it to ai\_2020@foxmail.com

#### 4 Codes and Results

#### 4.1 codes

Please refer to the zipped code.

```
#!/usr/bin/env python

from __future__ import print_function

import tensorflow as tf

import cv2

import sys

sys.path.append("game/")

import wrapped_flappy_bird as game

import random
```

```
import numpy as np
   from collections import deque
11
   GAME = 'bird' # the name of the game being played for log files
   ACTIONS = 2 # number of valid actions
14
   GAMMA = 0.99 # decay rate of past observations
   OBSERVE = 100000. # timesteps to observe before training
16
   EXPLORE = 2000000. # frames over which to anneal epsilon
17
   FINAL_EPSILON = 0.0001 # final value of epsilon
18
   INITIAL\_EPSILON = 0.0001 \# starting value of epsilon
19
   REPLAYMEMORY = 50000 \# number of previous transitions to remember
   {\rm BATCH} \, = \, 32 \, \ \# \, \, size \, \  \, of \, \, minibatch
   FRAME\_PER\_ACTION = 1
22
23
   def weight_variable(shape):
24
        initial = tf.truncated_normal(shape, stddev = 0.01)
25
        return tf. Variable (initial)
26
27
   def bias_variable(shape):
28
        initial = tf.constant(0.01, shape = shape)
29
        return tf. Variable (initial)
30
31
   def conv2d(x, W, stride):
        return tf.nn.conv2d(x, W, strides = [1, stride, stride, 1], padding = "SAME")
33
   def \max_{pool_{-}2x2(x):}
35
        return tf.nn.max\_pool(x, ksize = [1, 2, 2, 1], strides = [1, 2, 2, 1], padding = "
36
           SAME")
37
   def createNetwork():
38
        # network weights
39
        W_{conv1} = weight_{variable}([8, 8, 4, 32])
        b_conv1 = bias_variable([32])
41
42
        W_{conv2} = weight_{variable}([4, 4, 32, 64])
43
        b_conv2 = bias_variable([64])
44
45
        W_{conv3} = weight_{variable}([3, 3, 64, 64])
46
        b_{conv3} = bias_{variable}([64])
47
48
        W_{fc1} = weight\_variable([1600, 512])
49
```

```
b_fc1 = bias_variable([512])
50
51
       W_fc2 = weight\_variable([512, ACTIONS])
       b_fc2 = bias_variable ([ACTIONS])
       # input layer
       s = tf.placeholder("float", [None, 80, 80, 4])
56
       # hidden layers
58
       h\_conv1 = tf.nn.relu(conv2d(s, W\_conv1, 4) + b\_conv1)
       h_pool1 = max_pool_2x2(h_conv1)
       h\_conv2 = tf.nn.relu(conv2d(h\_pool1, W\_conv2, 2) + b\_conv2)
62
       \#h_pool2 = max_pool_2x2(h_conv2)
63
64
       h_{conv3} = tf.nn.relu(conv2d(h_{conv2}, W_{conv3}, 1) + b_{conv3})
65
       \#h_pool3 = max_pool_2x2(h_conv3)
66
       \#h_{-pool3}-flat = tf.reshape(h_{-pool3}, [-1, 256])
       h_conv3_flat = tf.reshape(h_conv3, [-1, 1600])
69
70
       h_fc1 = tf.nn.relu(tf.matmul(h_conv3_flat, W_fc1) + b_fc1)
71
72
       # readout layer
73
       readout = tf.matmul(h_fc1, W_fc2) + b_fc2
       return s, readout, h_fc1
76
77
   def trainNetwork(s, readout, h_fc1, sess):
78
       # define the cost function
79
       a = tf.placeholder("float", [None, ACTIONS])
80
       y = tf.placeholder("float", [None])
       readout_action = tf.reduce_sum(tf.multiply(readout, a), reduction_indices=1)
       cost = tf.reduce_mean(tf.square(y - readout_action))
83
       train_step = tf.train.AdamOptimizer(1e-6).minimize(cost)
84
85
       # open up a game state to communicate with emulator
86
       game_state = game.GameState()
       # store the previous observations in replay memory
       D = deque()
90
```

```
91
        # printing
92
         a_file = open("logs_" + GAME + "/readout.txt", 'w')
         h_file = open("logs_" + GAME + "/hidden.txt", 'w')
95
        \# get the first state by doing nothing and preprocess the image to 80x80x4
96
        do_nothing = np.zeros(ACTIONS)
97
        do_nothing[0] = 1
98
        x_t, r_0, terminal = game_state.frame_step(do_nothing)
99
        x_t = cv2.cvtColor(cv2.resize(x_t, (80, 80)), cv2.COLOR_BGR2GRAY)
100
        \operatorname{ret}, x_{-t} = \operatorname{cv2}. threshold (x_{-t}, 1, 255, \operatorname{cv2}. THRESH_BINARY)
         s_t = np.stack((x_t, x_t, x_t, x_t, x_t), axis=2)
103
        # saving and loading networks
104
        saver = tf.train.Saver()
        sess.run(tf.initialize_all_variables())
106
        checkpoint = tf.train.get_checkpoint_state("saved_networks")
107
         if checkpoint and checkpoint.model_checkpoint_path:
             saver.restore(sess, checkpoint.model_checkpoint_path)
             print("Successfully_loaded:", checkpoint.model_checkpoint_path)
110
        else:
             print("Could_not_find_old_network_weights")
113
        # start training
114
         epsilon = INITIAL_EPSILON
        t = 0
        while "flappy_bird" != "angry_bird":
117
             # choose an action epsilon greedily
118
             readout_t = readout.eval(feed_dict={s : [s_t]})[0]
             a_t = np.zeros([ACTIONS])
120
             action_index = 0
             if t % FRAME_PER_ACTION == 0:
                  if random.random() <= epsilon:</pre>
123
                      print ("--
                                       ---Random_Action---
124
                      action_index = random.randrange(ACTIONS)
                      a_t [random.randrange(ACTIONS)] = 1
                      action_index = np.argmax(readout_t)
128
                      a_t[action_index] = 1
129
             else:
                  a_{-}t[0] = 1 \# do \ nothing
131
```

```
# scale down epsilon
133
             {f if} epsilon > FINAL_EPSILON and t > OBSERVE:
134
                 epsilon -= (INITIAL_EPSILON - FINAL_EPSILON) / EXPLORE
136
            # run the selected action and observe next state and reward
137
             x_t1_colored, r_t, terminal = game_state.frame_step(a_t)
138
             x_t1 = cv2.cvtColor(cv2.resize(x_t1_colored, (80, 80)), cv2.COLOR.BGR2GRAY)
             ret, x_t = cv2.threshold(x_t 1, 1, 255, cv2.THRESH_BINARY)
140
             x_t1 = np.reshape(x_t1, (80, 80, 1))
141
            \#s_{-}t1 = np.append(x_{-}t1, s_{-}t), axis = 2
             s_t1 = np.append(x_t1, s_t[:, :, :3], axis=2)
144
            # store the transition in D
145
            D.append((s_t, a_t, r_t, s_{t1}, terminal))
146
             if len(D) > REPLAY MEMORY:
147
                 D. popleft ()
148
            # only train if done observing
             if t > OBSERVE:
                 # sample a minibatch to train on
                 minibatch = random.sample(D, BATCH)
153
154
                 # get the batch variables
                 s_{j}-batch = [d[0] for d in minibatch]
                 a_batch = [d[1] \text{ for } d \text{ in minibatch}]
                 r_batch = [d[2]  for d in minibatch]
158
                 s_j1_batch = [d[3] \text{ for } d \text{ in minibatch}]
159
                 y_batch = []
161
                 readout_j1_batch = readout.eval(feed_dict = {s : s_j1_batch})
                 for i in range(0, len(minibatch)):
                     terminal = minibatch[i][4]
164
                     # if terminal, only equals reward
165
                     if terminal:
166
                          y_batch.append(r_batch[i])
167
168
                          y_batch.append(r_batch[i] + GAMMA * np.max(readout_j1_batch[i]))
169
                 # perform gradient step
                 train_step.run(feed_dict = {
172
```

```
y: y_batch,
173
                       a : a_batch,
174
                       s : s_j_batch
175
                  )
176
177
             # update the old values
178
              s_t = s_t 1
179
              t += 1
180
181
             # save progress every 10000 iterations
182
             if t \% 10000 == 0:
                  saver.save(sess, 'saved_networks/' + GAME + '-dqn', global_step = t)
185
             \# print info
186
              \mathtt{state} \; = \; ""
187
              if t \le OBSERVE:
188
                  state = "observe"
189
              \mbox{\bf elif} \ t \ > \mbox{OBSERVE and} \ t \ <= \mbox{OBSERVE} + \mbox{EXPLORE} :
                  state = "explore"
191
              else:
192
                  state = "train"
193
194
             print("TIMESTEP", t, "/_STATE", state, \
195
                  "/LEPSILON", epsilon, "/LACTION", action_index, "/LREWARD", r_t , \
196
                  "/\_QMAX\_\%e" \% np.max(readout_t))
197
             # write info to files
              , , ,
199
              if t \% 10000 \le 100:
200
                  a_{file}. write(",".join([str(x) for x in readout_t]) + '\n')
201
                  h_{-}file.write(",".join(|str(x)|for x in h_{-}fc1.eval(feed_dict={s:|s_t|}))
202
                       [0]]) + ' (n')
                  cv2.imwrite("logs\_tetris/frame" + str(t) + ".png", x_t1)
203
204
205
    def playGame():
206
         sess = tf.InteractiveSession()
207
         s, readout, h_fc1 = createNetwork()
208
         trainNetwork(s, readout, h_fc1, sess)
209
    def main():
         playGame()
212
```

```
213
214 if __name__ == "__main__":
215 main()
```

# 4.2 Results

We can see that as timestamp goes, the Q-max value is learned by the Deep Q-learning network

# 5 My thoughts

Really love AI class!!And ant to express my appreciation to Professor Liu and TAs, i've learned a lot from the class.

```
$ Terminal 1
                                        × ≡ flappy_bird_utils.py
                                                                                       × ≡ deep_q_network.py
TIMESTEP 33916 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.274990e+01
TIMESTEP 33917 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.281599e+01
TIMESTEP 33918 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.282452e+01 TIMESTEP 33919 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.286469e+01
TIMESTEP 33920 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.288235e+01
TIMESTEP 33921 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.289927e+01 TIMESTEP 33922 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.297952e+01
TIMESTEP 33923 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.298609e+01
TIMESTEP 33924 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.300108e+01 TIMESTEP 33925 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 1 / Q_MAX 1.301326e+01
TIMESTEP 33926 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.223188e+01
TIMESTEP 33927 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.223087e+01 TIMESTEP 33928 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.218016e+01
TIMESTEP 33929 / STATE observe / EPSILON 0.0001 / ACTION 1 / REWARD 0.1 / Q_MAX 1.202799e+01
TIMESTEP 33930 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.203396e+01 TIMESTEP 33931 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.209951e+01
TIMESTEP 33932 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.208404e+01
TIMESTEP 33933 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.216837e+01 TIMESTEP 33934 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.220324e+01
TIMESTEP 33935 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.229572e+01
TIMESTEP 33936 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.234391e+01 TIMESTEP 33937 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.241644e+01
TIMESTEP 33938 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.249834e+01
TIMESTEP 33939 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.255964e+01 TIMESTEP 33940 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.248807e+01
TIMESTEP 33941 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.247700e+01
TIMESTEP 33942 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.244181e+01
TIMESTEP 33943 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.243928e+01
```

# W\_fc1 = weight\_variable([512, 512]) b\_fc1 = bias\_variable([512])

```
TIMESTEP 81 / STATE observe / EPSTLON U. UUUT / ACTION 1 / REWARD U. 1 / Q_MAX 1. 23859Ue+UI
TIMESTEP 82 / STATE observe / EPSILON 0.0001 / ACTION 1 / REWARD 0.1 / Q_MAX 1.239981e+01
TIMESTEP 83 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.238207e+01
TIMESTEP 84 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.242960e+01
TIMESTEP 85 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.247684e+01
TIMESTEP 86 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.261878e+01
TIMESTEP 87 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.266801e+01
TIMESTEP 88 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.273139e+01
TIMESTEP 89 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.275315e+01
TIMESTEP 90 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.274447e+01
TIMESTEP 91 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.281631e+01
TIMESTEP 92 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.288359e+01
TIMESTEP 93 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.296543e+01
TIMESTEP 94 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.294433e+01
TIMESTEP 95 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.302133e+01
TIMESTEP 96 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 1 / Q_MAX 1.300711e+01
TIMESTEP 97 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.221562e+01
TIMESTEP 98 / STATE observe / EPSILON 0.0001 / ACTION 0 / REWARD 0.1 / Q_MAX 1.202766e+01
TIMESTEP 99 / STATE observe / EPSILON 0.0001 / ACTION 1 / REWARD 0.1 / Q_MAX 1.201666e+01
TIMESTEP 100 / STATE observe / EPSILON 0.0001 / ACTION 1 / REWARD 0.1 / Q_MAX 1.220995e+01
```