

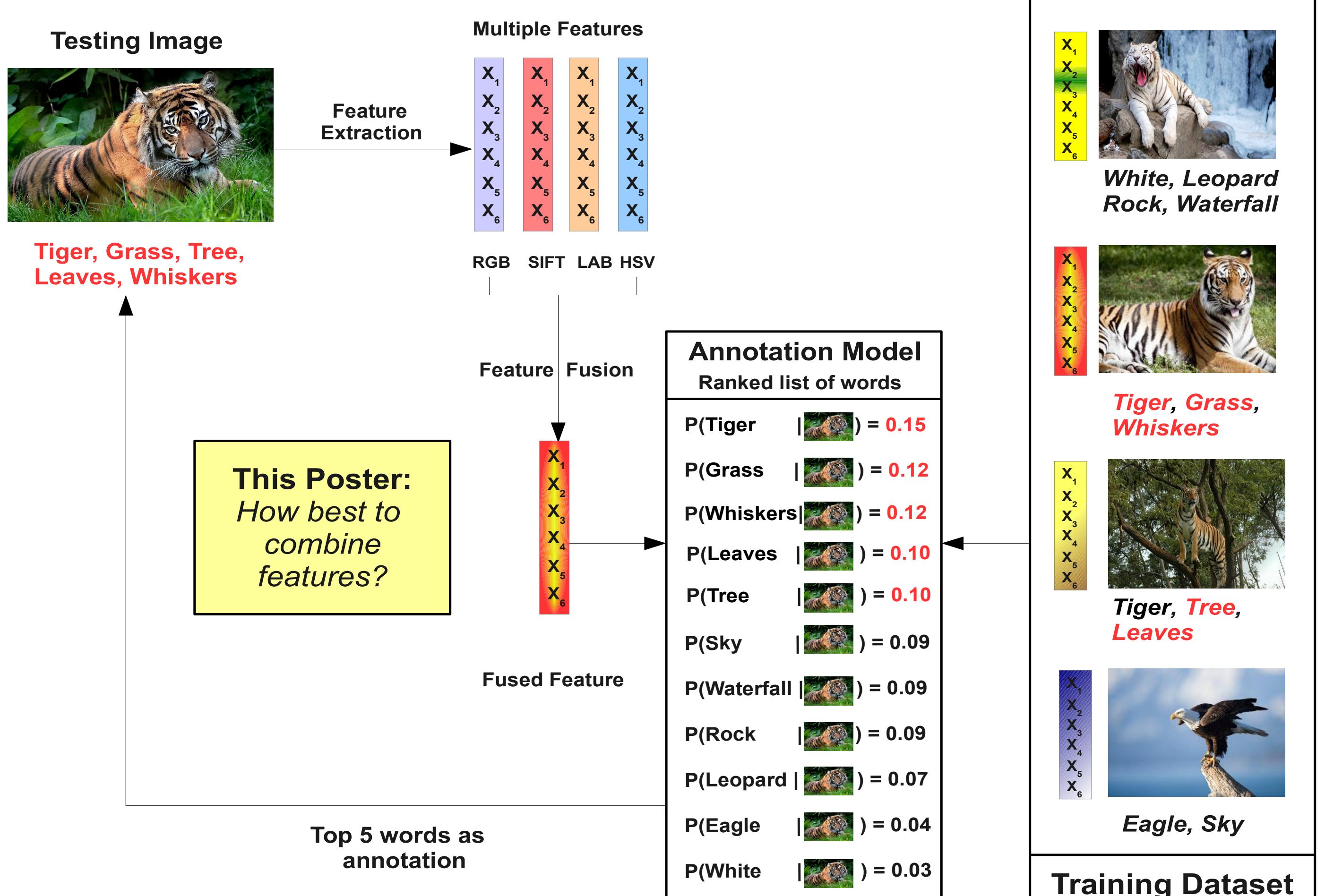


## RESEARCH QUESTION

- How do we exploit multiple features for image annotation?

## INTRODUCTION

- **Problem:** Assigning one or more keywords to describe an image.
- **Probabilistic generative modelling approach:**
  - Compute the conditional probability of word given image  $P(w|I)$ .
  - Take the 5 words with highest  $P(w|I)$  as the image annotation.



- **Advantages:**
  - Permits image search based on natural language keywords.

## CONTINUOUS RELEVANCE MODEL (CRM): LAVRENKO ET AL. '03

- $P(w, f)$ : joint expectation of words  $w$  and image features  $f$  defined by images  $J$  in the training set  $T$ :

$$P(w, f) = \sum_{J \in T} P(J) \prod_{i=1}^K P(w_i|J) \prod_{i=1}^M P(\vec{f}_i|J) \quad (1)$$

- $P(w_i|J)$  is modelled using a Dirichlet prior:

$$P(w_i|J) = \frac{\mu p_v + N_{v,J}}{\mu + \sum_{v'} N_{v',J}} \quad (2)$$

- $N_{v,J}$ : number of times the word  $v$  appears in annotation of training image  $J$ ,  $p_v$ : relative frequency of word  $v$ ,  $\mu$ : smoothing parameter.

- $P(\vec{f}_i|J)$  is modelled with a kernel-based density estimator:

$$P(\vec{f}_i|J) = \frac{1}{R} \sum_{j=1}^R P(\vec{f}_i|\vec{f}_j) \quad (3)$$

- Each region  $j = 1 \dots R$  instantiates a Gaussian kernel, bandwidth  $\beta$ :

$$P(\vec{f}_i|\vec{f}_j) = \frac{1}{\sqrt{2d\pi^d}\beta} \exp \left\{ -\frac{\|\vec{f}_i - \vec{f}_j\|^2}{\beta} \right\} \quad (4)$$

## SPARSE KERNEL LEARNING CRM (SKL-CRM)

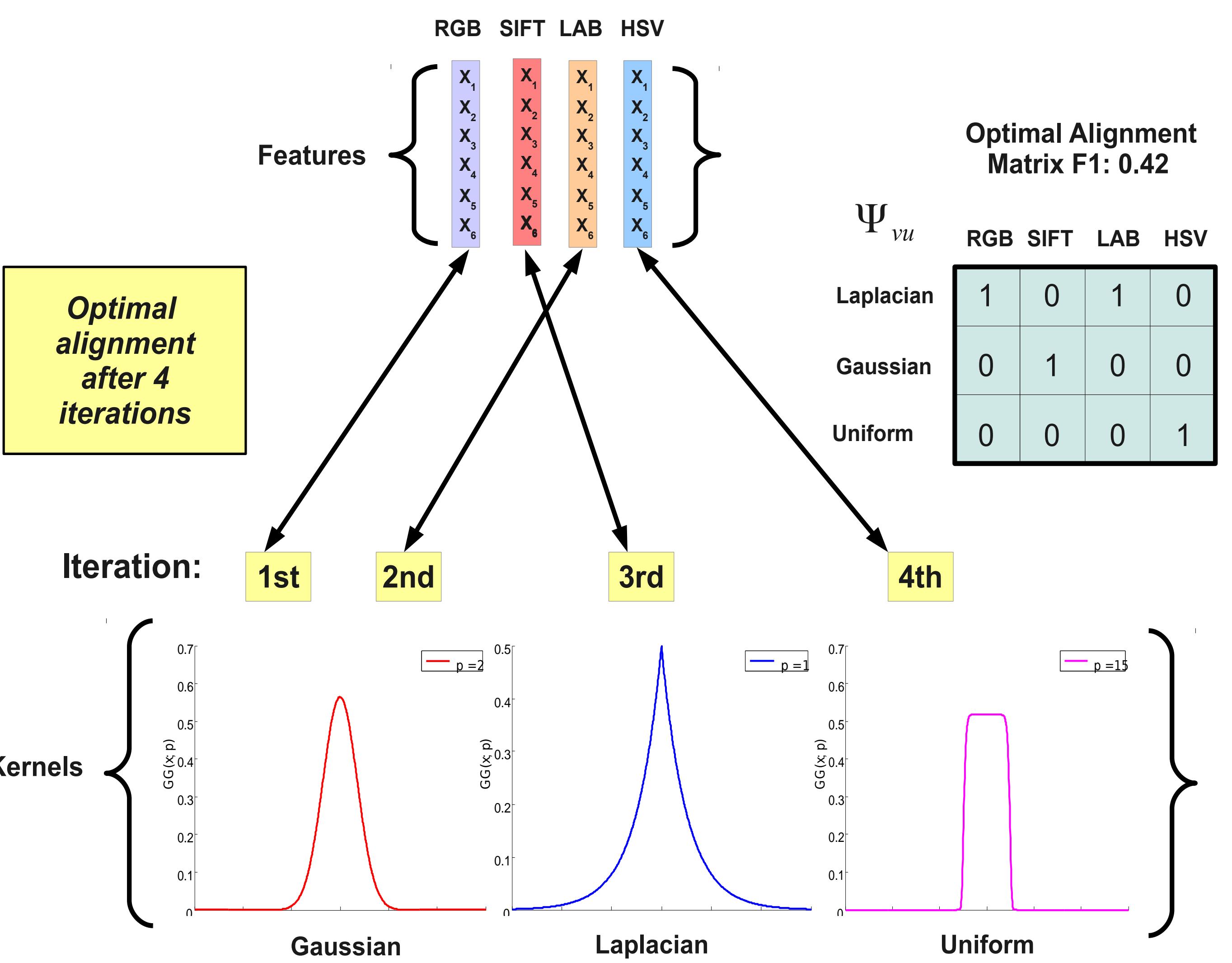
- Extend the CRM to  $M$  feature types (e.g. SIFT, HSV, RGB ...):

$$P(I|J) = \prod_{i=1}^M \sum_{j=1}^R \exp \left\{ -\frac{1}{\beta} \sum_{u,v} \Psi_{u,v} k^v(\vec{f}_i^u, \vec{f}_j^u) \right\} \quad (5)$$

- SKL-CRM learns  $\Psi_{u,v}$ : an alignment matrix mapping kernel  $k^v$  (e.g. Gaussian) to a feature type  $u$  (e.g. SIFT)

## GREEDY KERNEL-FEATURE ALIGNMENT ALGORITHM

- Greedily solve for the kernel-feature alignment matrix  $\Psi_{u,v}$
- At each iteration add the kernel-feature that maximises  $F_1$



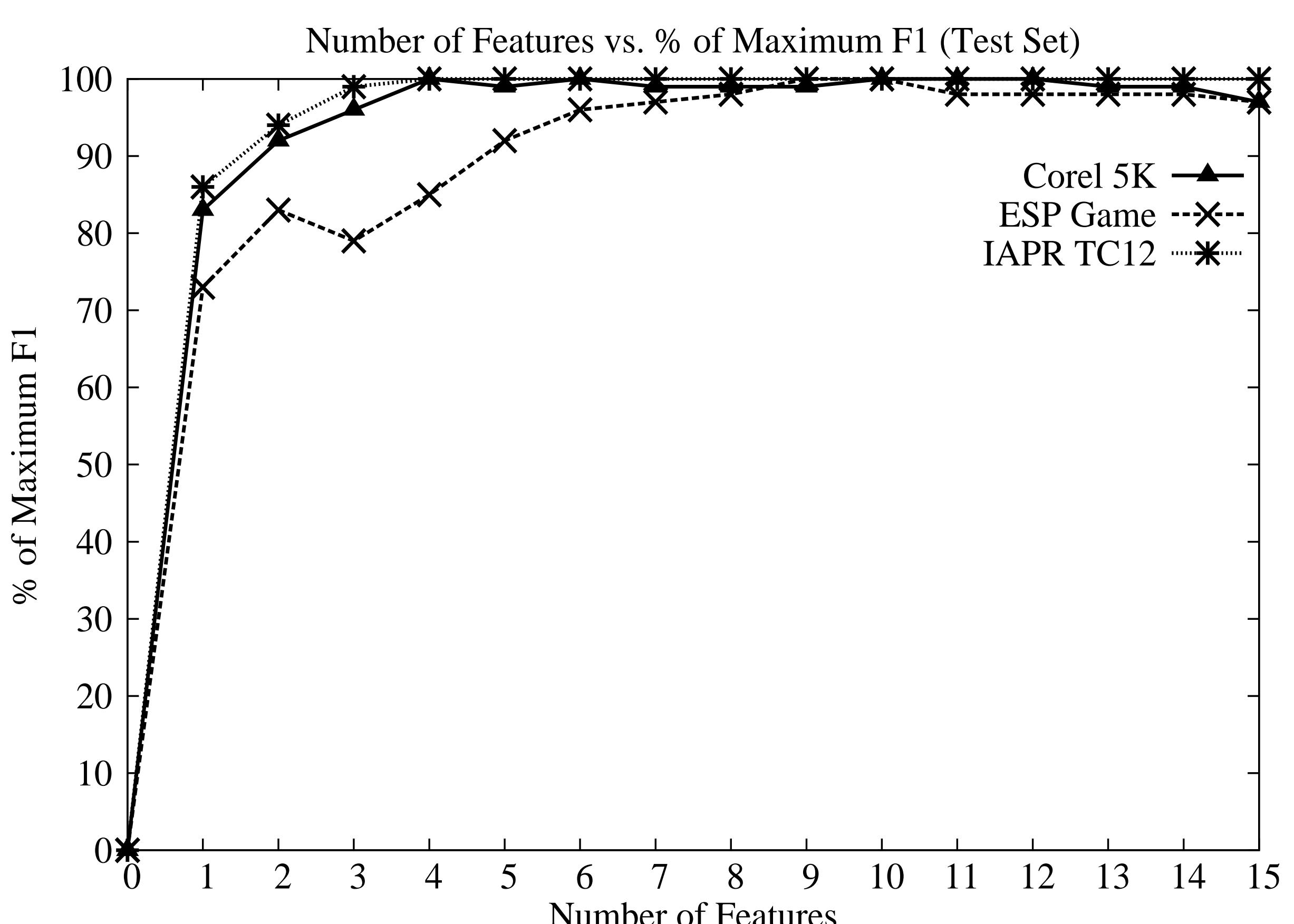
- SKL-CRM aligns to the generalised Gaussian,  $\chi^2$ , Hellinger and Multinomial kernels

## QUANTITATIVE RESULTS

- Mean per word precision (P), recall (R), Number of words > 0 (N+) and  $F_1$  measure:

Dataset	Corel 5K				IAPR TC12				ESP Game			
	R	P	$F_1$	N+	R	P	$F_1$	N+	P	R	$F_1$	N+
CRM	19	16	17	107	—	—	—	—	—	—	—	—
JEC	32	27	29	139	29	28	28	250	25	22	23	224
RF-opt	40	29	34	157	31	44	36	253	26	41	32	235
GS	42	33	37	160	29	32	30	252	—	—	—	—
KSVM-VT	42	32	36	179	29	47	36	268	32	33	33	259
Tagprop	42	33	37	160	35	46	40	266	27	39	32	239
SKL-CRM	46	39	42	184	32	47	38	274	26	41	32	248

- Rapid convergence to a sparse subset of the available features:



## SUMMARY OF KEY FINDINGS

- Better to choose kernels based on the data than opt for default assignment advocated in literature.
- Only a small number of carefully chosen features are required for the best annotation performance.
- See our ICMR'14 paper for further information and results.