



# DeepLPF: Deep Local Parametric Filters for Image Enhancement

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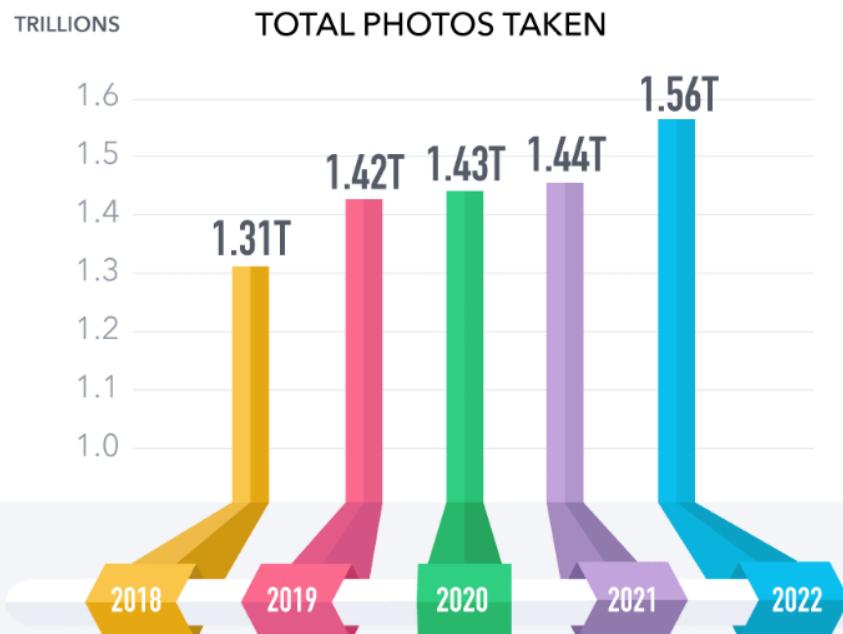
# We're taking a lot of photos...

# 1.4 Trillion

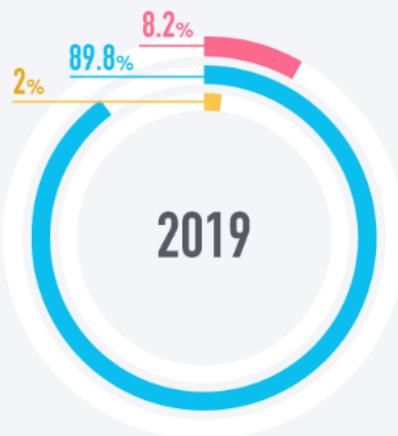
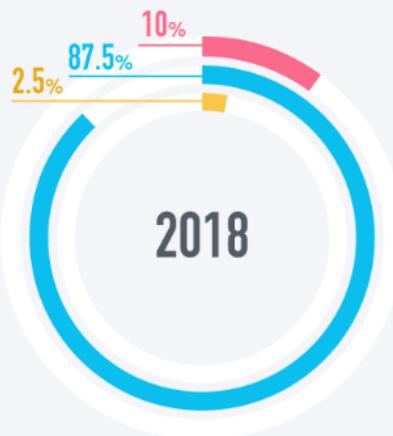
photos will be taken in 2020

Proving the adage 'you'll never have fewer digital pictures than before', the number of photos taken worldwide is expected to grow again in 2020.

**Compound Annual Growth Rate**



# ...on our smartphones



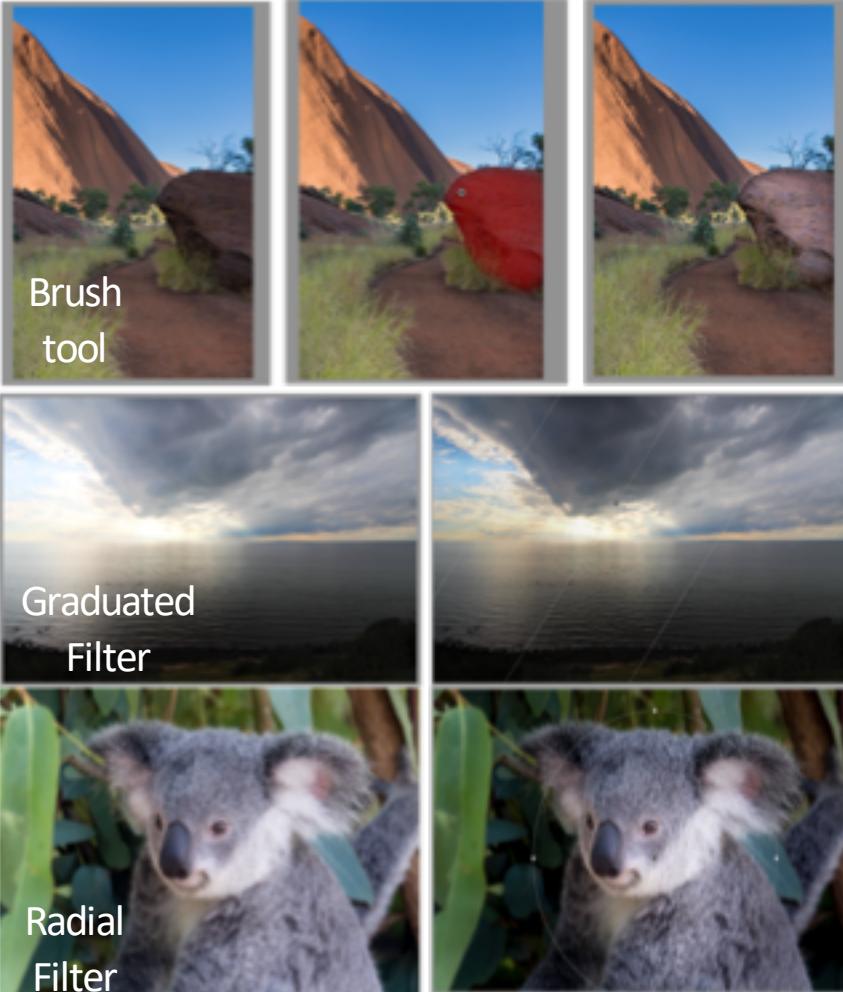
- Digital Cameras
- Mobile Phone
- Tablets

# But how to get more out of our photos?

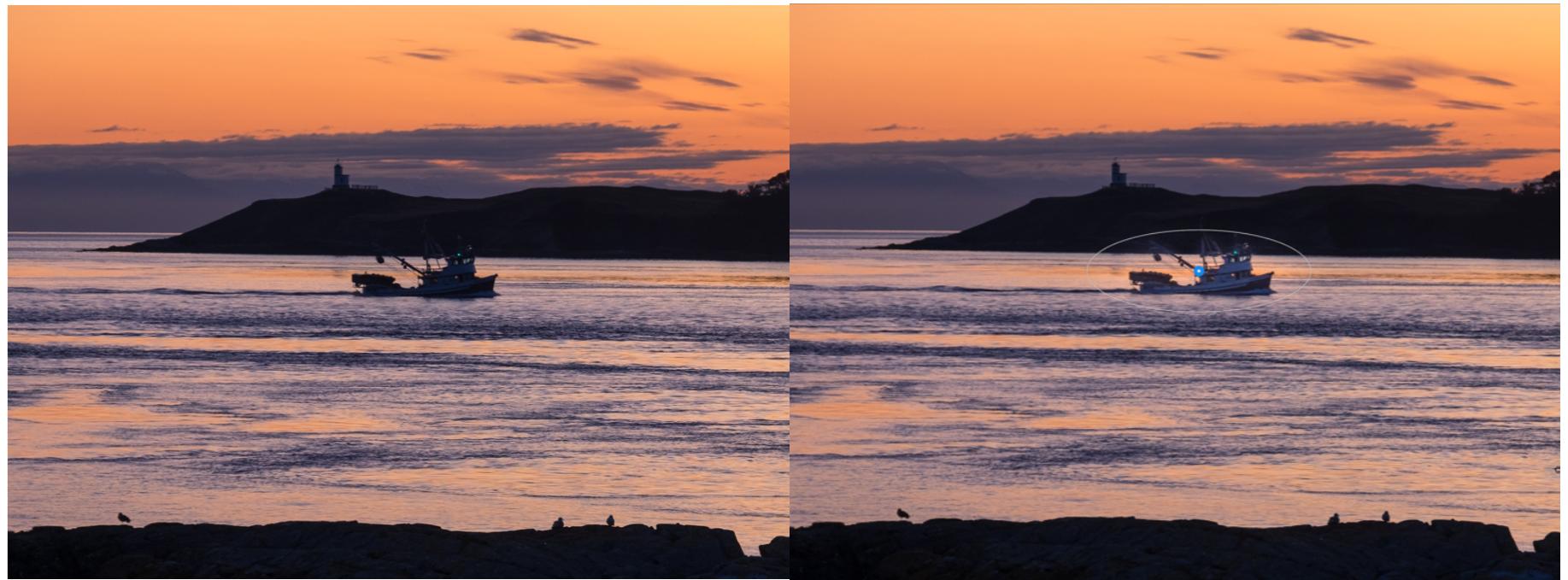


# Image retouching

- Image retouching requires **smooth local adjustments** as well as **global transformations**
- State of the art methods rely on either
  - **global adjustments** : **lacks fine-grained details**
  - **pixel-level enhancements** : **noisy & difficult to interpret**
- Professional artists typically use a combination of global and local enhancement tools to manually enhance images.
- Highly popular (e.g. in Lightroom, Photoshop) **local, parameterized enhancement tools** allow for smooth local adjustments



# Radial filter



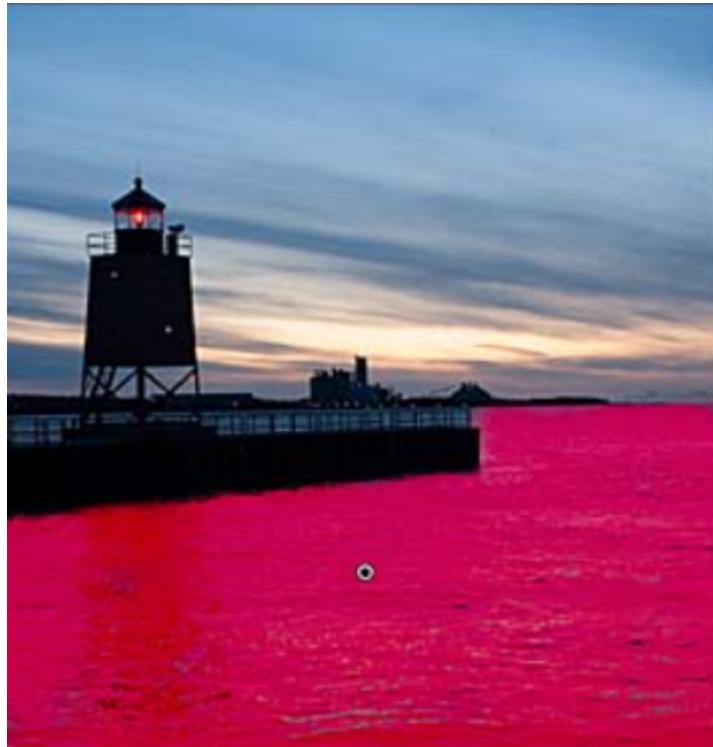
<https://www.naturettl.com/master-the-graduated-radial-filters-in-lightroom/>

<https://creativepro.com/gradient-tools-lightroom/>

# Graduated filter



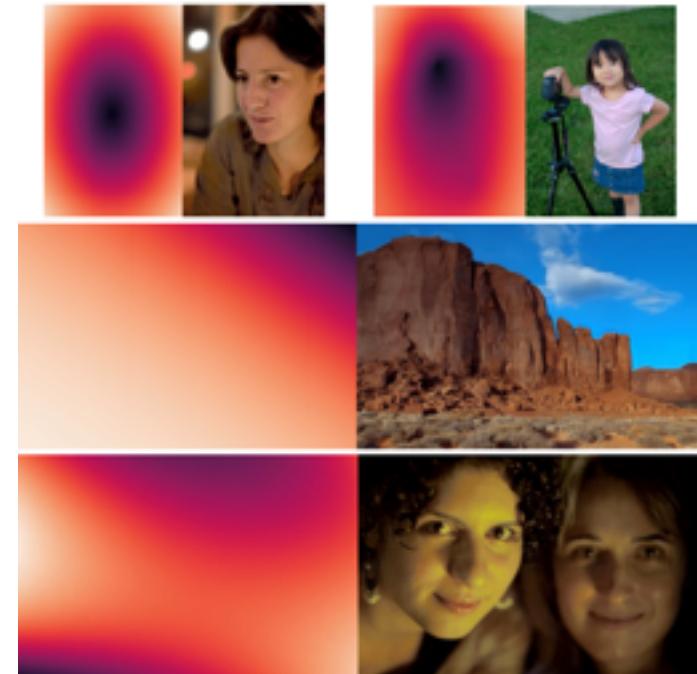
# Brush tool



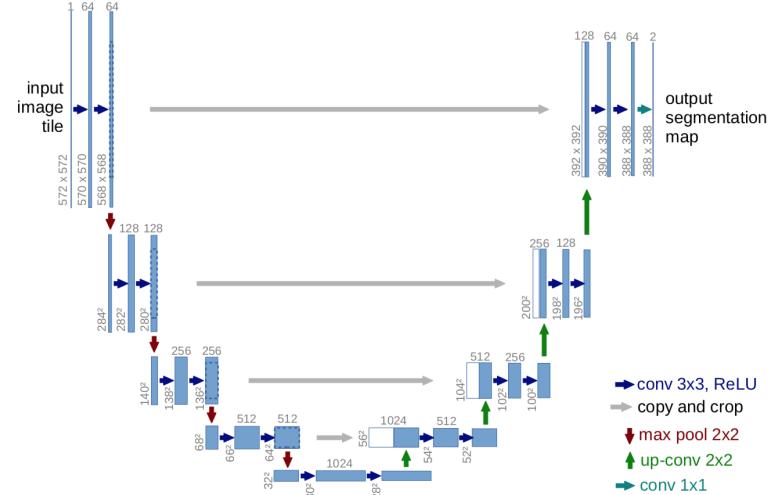
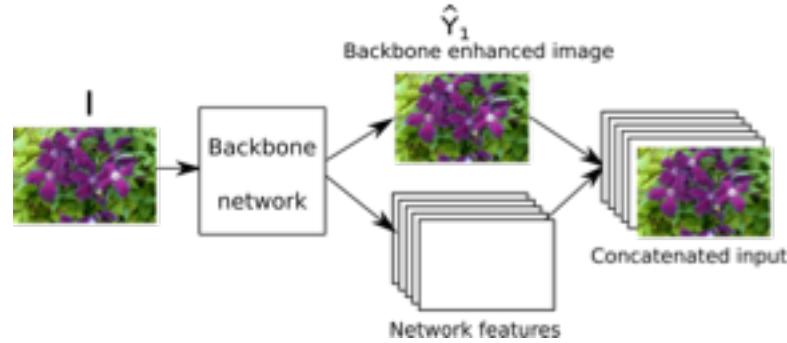
<https://www.adobepress.com/articles/article.asp?p=1844834&seaNum=2>

# Deep Local Parametric Filters (DeepLPF)

- Introduction of **learnable** parametric **Elliptical**, **Graduated**, **Polynomial** image filters to reproduce artist local image retouching practices
- **Automatic** application to a photo
- **DeepLPF** : A novel architecture enabling **regression** of **spatially localized image filter parameters** for the target application of input image enhancement
- **Interpretable & intrinsically regularised filters**
- **Easier human feedback**
- A **plug-and-play** neural block with a filter fusion mechanism enabling the **learning of multiple filters simultaneously**



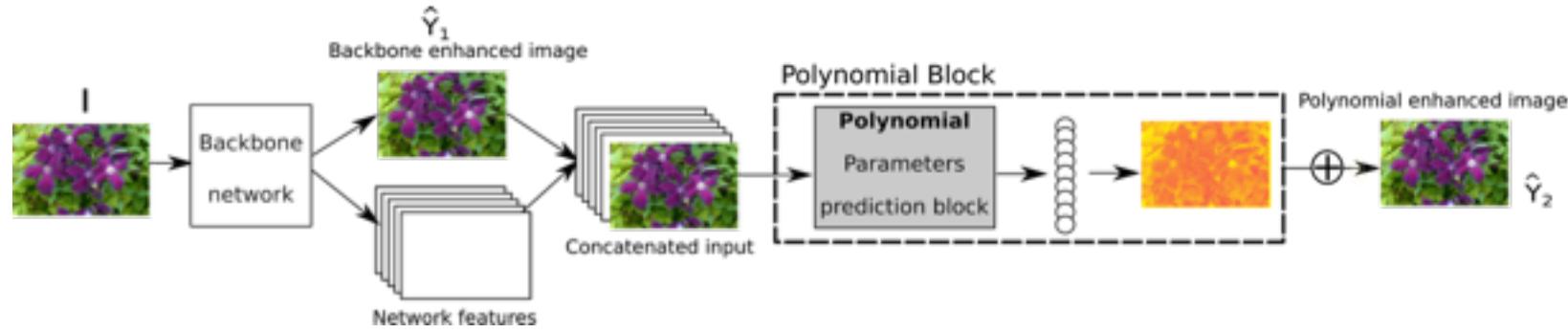
# Method Overview



**Global enhancement:**

Standard backbone feature extractor (e.g. U-Net [1])

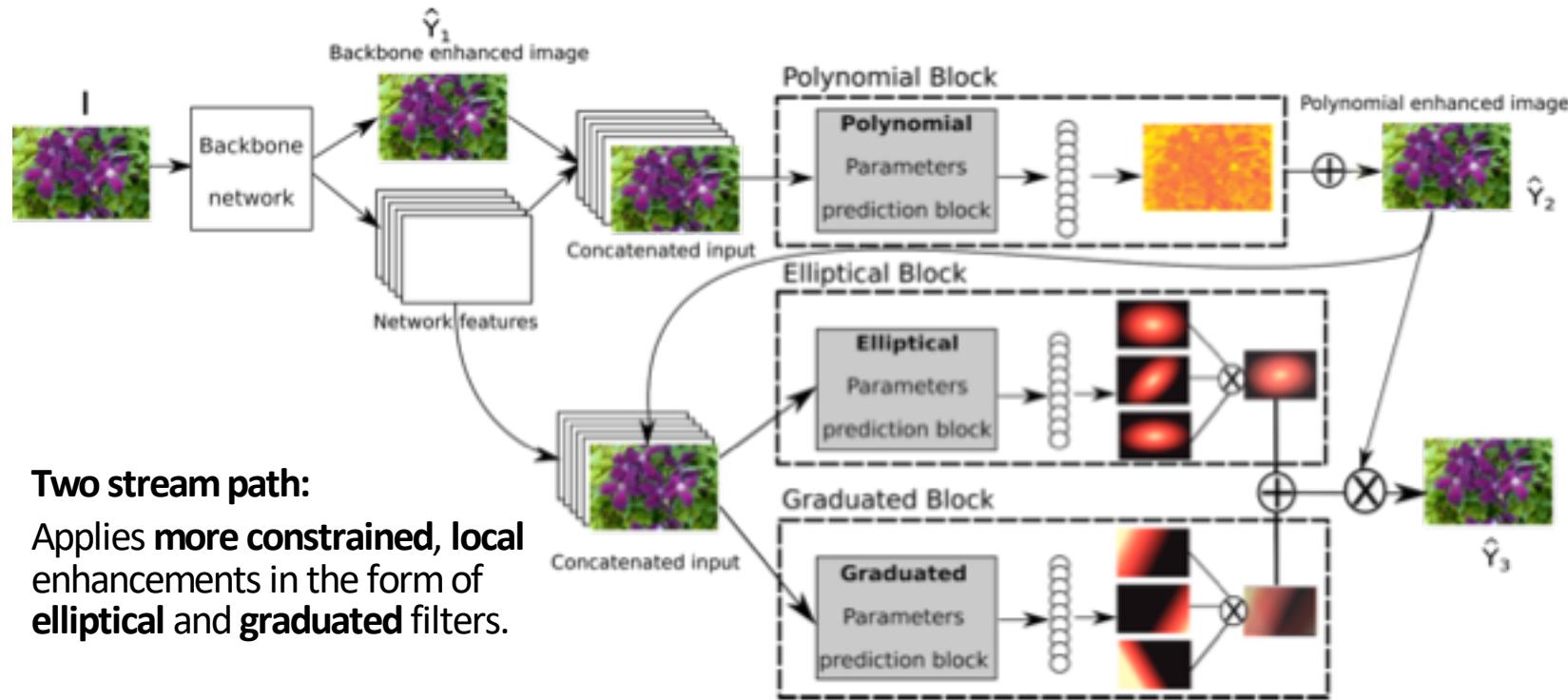
# Method Overview



## Single stream local enhancement path:

Estimates the parameters of a **polynomial filter** subsequently applied to the backbone enhanced image.

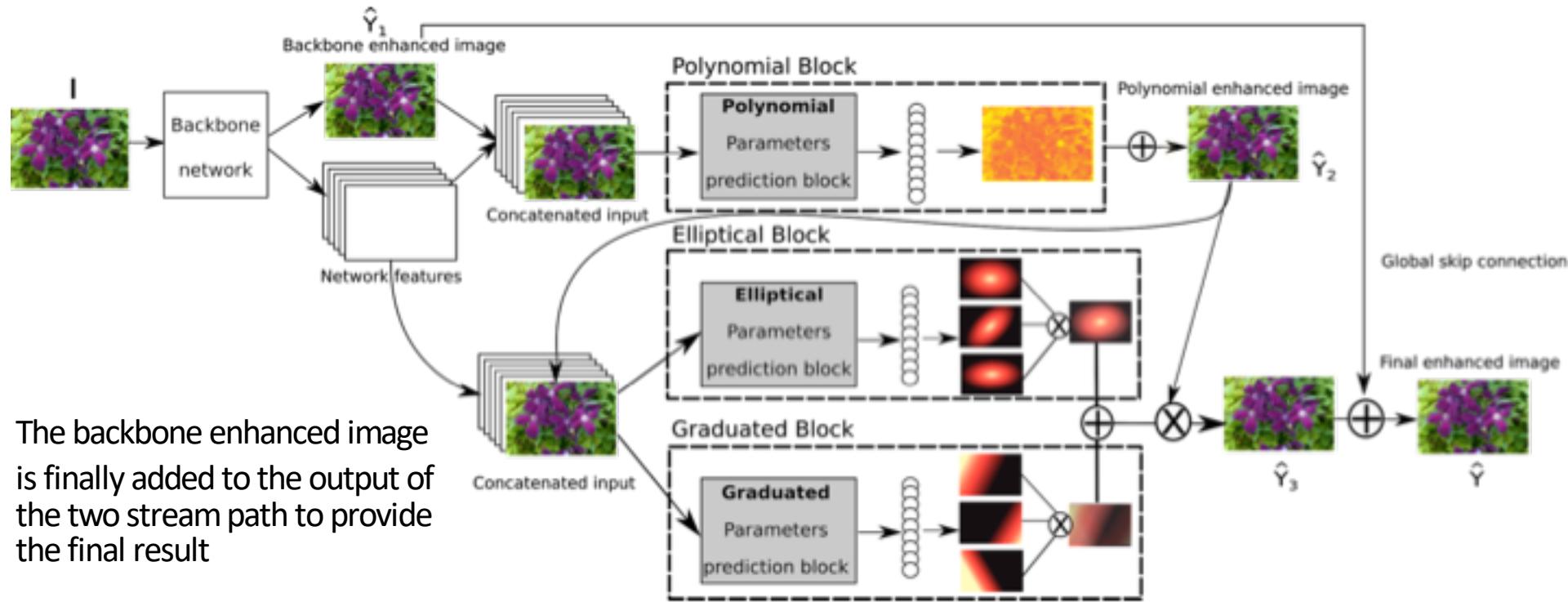
# Method Overview



**Two stream path:**

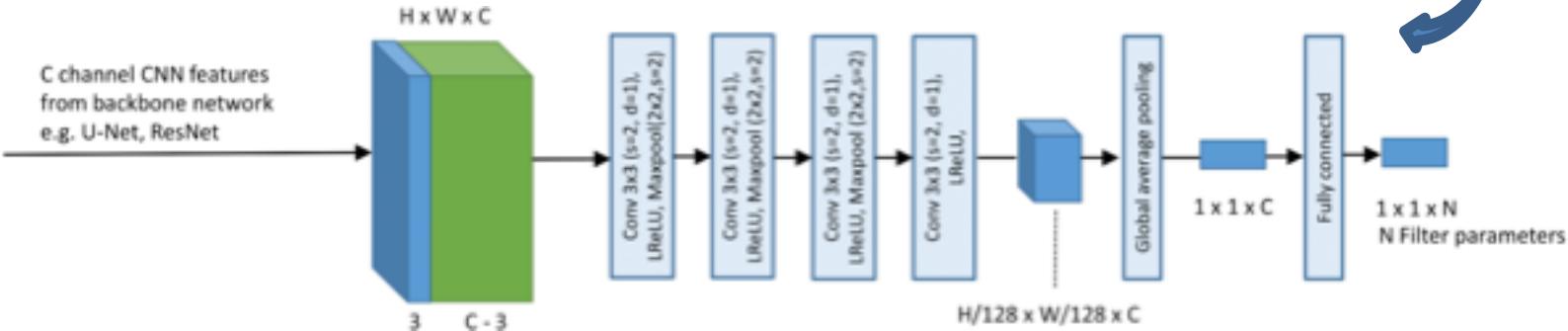
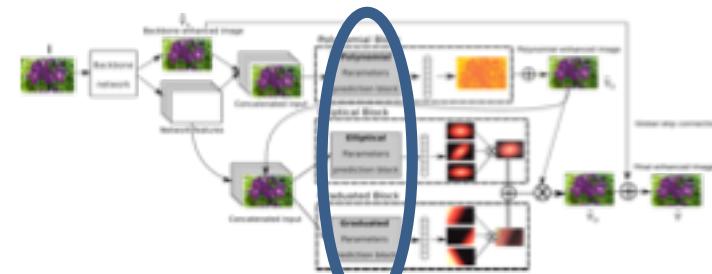
Applies **more constrained, local** enhancements in the form of **elliptical** and **graduated** filters.

# Method Overview



# Filter Parameter prediction block

- Each filter block (Polynomial, Graduated, Elliptical) **predicts the parameters of k instances of the corresponding filter type**
- k instances of a same filter type can be obtained by estimating  $k * \text{nb}_{\text{parameters}}$  outputs.

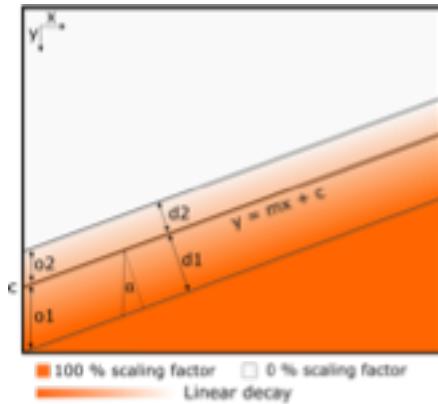


# Filter Parametrisation

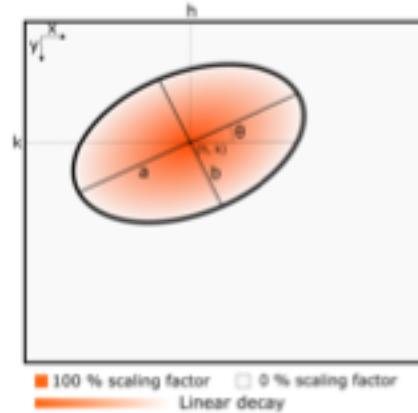
## Graduated and Elliptical filters

- Geometrically regularized heatmaps
- Map each image pixel to **3 scaling factors** (one per RGB channel)
- Applied by simple **multiplication between pixel values and corresponding scalars**
- $k$  instances of each filter type can be predicted per image

Graduated Filter

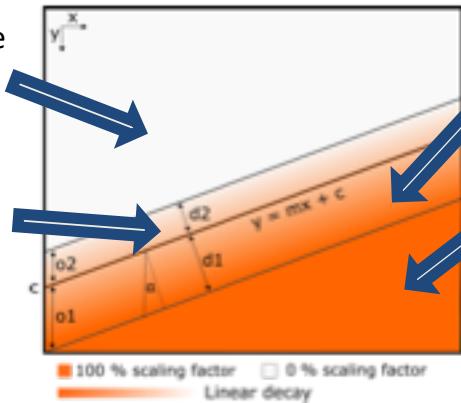


Elliptical Filter



# Filter parametrisation

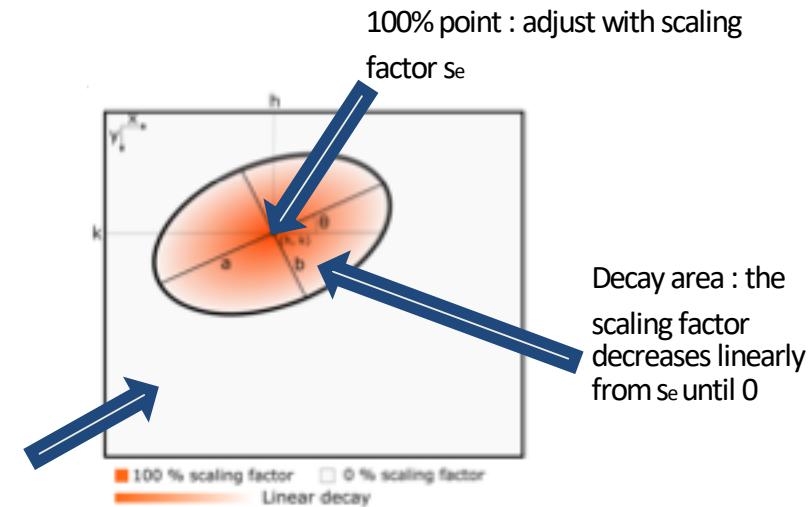
0% area : pixels are not adjusted



100% area : adjust with scaling factor  $s_g$

100-50% area : the applied scaling factor linearly decreases from  $s_g$  to  $s_g / 2$

50-0% area : the scaling factor is further decreased linearly until 0%



100% point : adjust with scaling factor  $s_e$

Decay area : the scaling factor decreases linearly from  $s_e$  until 0

- Parameterized by three parallel lines
- The central line defines the filter location and orientation (+ Offsets  $o_1$  and  $o_2$ )
- Binary parameter  $g_{inv}$  controls the filter inversion with respect to top and bottom lines.
- $s^R_g$ ,  $s^G_g$ ,  $s^B_g$  are the 3 learnt scaling factors

- Defined by an ellipse
- Parameters : center ( $h, k$ ), semi-major axis ( $a$ ), semi-minor axis ( $b$ ) and rotation angle ( $\theta$ )
- $s^R_e$ ,  $s^G_e$ ,  $s^B_e$  are the 3 learnt scaling factors

# Filter parametrisation

## Polynomial filter

- One Polynomial filter estimated per image
- **Emulates a brush tool:** flexible shapes with intrinsic **spatial smoothness**
- Not instantiated as a **heatmap of scaling factors** but as a **polynomial function** mapping the pixel intensity to a new value
- We consider order-p polynomial filters of the forms  $i \cdot (x + y + \gamma)^p$  and  $(x + y + i + \gamma)^p$ , where  $i$  is the image channel intensity at pixel location  $(x, y)$ , and  $\gamma$  is an independent scalar



# Cubic-10 and Cubic-20

## Polynomial filter

- After experiments, we find a **cubic polynomial** ( $p = 3$ ) to offer both **expressive** image adjustments yet only a **limited set of parameters**
- We explore **two variants** of the cubic filter, **cubic-10 and cubic-20**

$$\begin{aligned} i'(x, y) &= f(x, y, i) \\ &= i * (Ax^3 + Bx^2y + Cx^2 + D + \\ &\quad + Dxy^2 + Exy + Fx + Gy^3 + Hy^2 \\ &\quad + Iy + J) \end{aligned}$$

Cubic-10

$$\begin{aligned} i'(x, y) &= f(x, y, i) \\ &= Ax^3 + Bx^2y + Cx^2i + Dx^2 + Exy^2 \\ &\quad + Fxyi + Gxy + Hxi^2 + Ixi + Jx \\ &\quad + Ky^3 + Ly^2i + My^2 + Nyi^2 + Oyi \\ &\quad + Py + Qi^3 + Ri^2 + Si + T \end{aligned}$$

Cubic-20

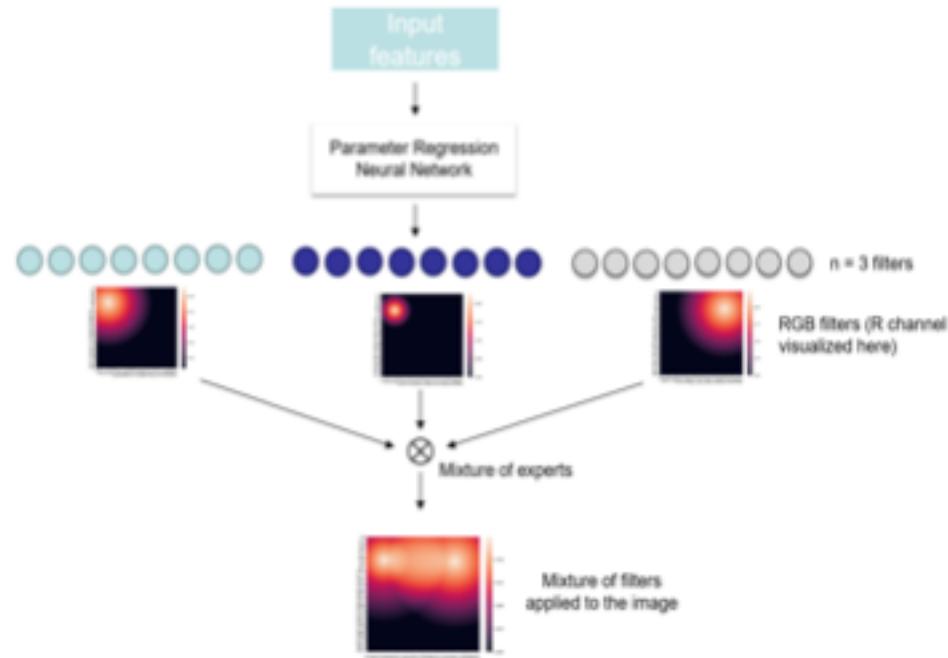
# Parameter summary

## Parameters describing the three filter types

Filter	# Parameters	Parameters
Graduated s R	G=8	$s^R_g$ , $s^G_g$ , $s^B_g$ , m, c, o1, o2, $g^{inv}$
Elliptical	E=8	$s^R_e$ , $s^G_e$ , $s^B_e$ , h, k, $\theta$ , a, b
Cubic-10	P=30	{A · · · J} per colour channel
Cubic-20	P=60	{A · · · T} per colour channel

# Fusing multiple filter instances

- Multiple instances of the **same filter type** :  
**Element-wise multiplication** resulting in a final heatmap
- Fusion of graduated and elliptical heatmaps :  
**Simple addition**



# Loss Function

- Chrominance and luminance information split into two separate loss terms
- Focus on both local (MS-SSIM) and global enhancement (L1) operations during training

Given N image pairs  $\{(Y_i, \hat{Y}_i)\}_{i=1\dots N}$ , where  $Y_i$  is the reference image and  $\hat{Y}_i$  is the predicted image, we define the DeepLPF training loss function as:

$$\mathcal{L} = \sum_{i=1}^N \left\{ \omega_{\text{lab}} \underbrace{\| \text{Lab}(\hat{Y}_i) - \text{Lab}(Y_i) \|_1}_{\text{Local enhancement}} + \omega_{\text{ms-ssim}} \underbrace{\text{MS-SSIM}(L(\hat{Y}_i), L(Y_i))}_{\text{Global enhancement}} \right\}$$

- $\text{Lab}(\cdot)$  : CIELab Lab channels of the input image
- $L(\cdot)$  : L channel of the image in CIELab colour space
- MS-SSIM : Multi-Scale Structural Similarity [26]

# Experiments

## Datasets

- **MIT-Adobe-5K dataset [2]:**
  - 5000 images captured using various DSLR cameras.
  - Each captured image is subsequently (independently) retouched by five human artists.
  - The image retouching of Artist C is used to define image enhancement ground truth.
  - **MIT-Adobe-5K-DPE [3]:** Subset used by DeepPhotoEnhancer (DPE) [3] with their dataset pre-processing procedure.
  - **MIT-Adobe-5K-UPE [4]:** Pre-processing following the protocol of DeepUPE [4].
- **See-in-the-dark (SID) [5]:**
  - 5094 image pairs, captured by a Fuji camera
  - Inputs are short-exposure images in raw format and the ground truth targets are long-exposure RGB images.
  - Both indoor and outdoor environments

# Experiments

## Evaluation metrics

- **PSNR & SSIM** : Standard metrics measuring the quality of the performed enhancement compared to the ground-truth image
- **LPIPS [10]** : Computes the distance between the features extracted from the enhanced image and ground truth using a backbone neural network. High-level metric correlated to human perception
- **Number of neural weights involved** : Accounts for the model efficiency

$$\text{MSE} = \frac{1}{n} \sum_{i=1}^n (\hat{Y}_i - Y_i)^2$$

$$l(x, y) = \frac{2\mu_x\mu_y + c_1}{\mu_x^2 + \mu_y^2 + c_1}$$

$$c(x, y) = \frac{2\sigma_x\sigma_y + c_2}{\sigma_x^2 + \sigma_y^2 + c_2}$$

$$\text{SSIM}(x, y) = [l(x, y)^\alpha \cdot c(x, y)^\beta \cdot s(x, y)^\gamma]$$

$$PSNR = 20 \cdot \log_{10} \left( \frac{MAX_I}{\sqrt{MSE}} \right)$$

$$s(x, y) = \frac{\sigma_{xy} + c_3}{\sigma_x\sigma_y + c_3}$$

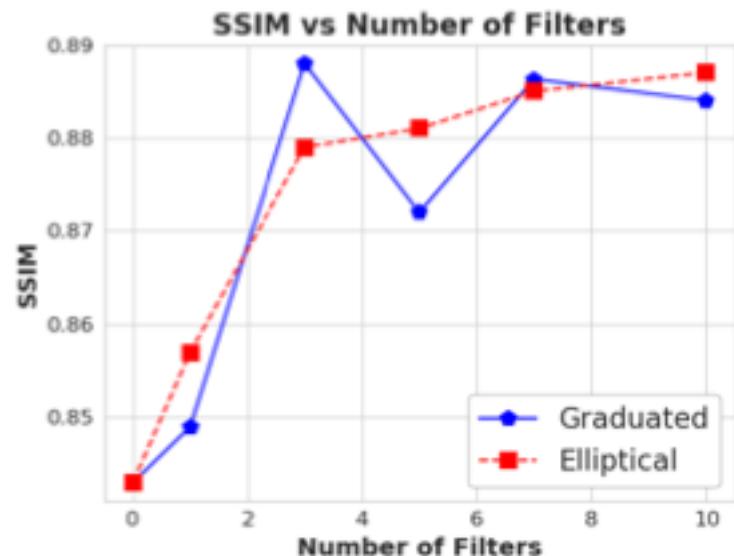
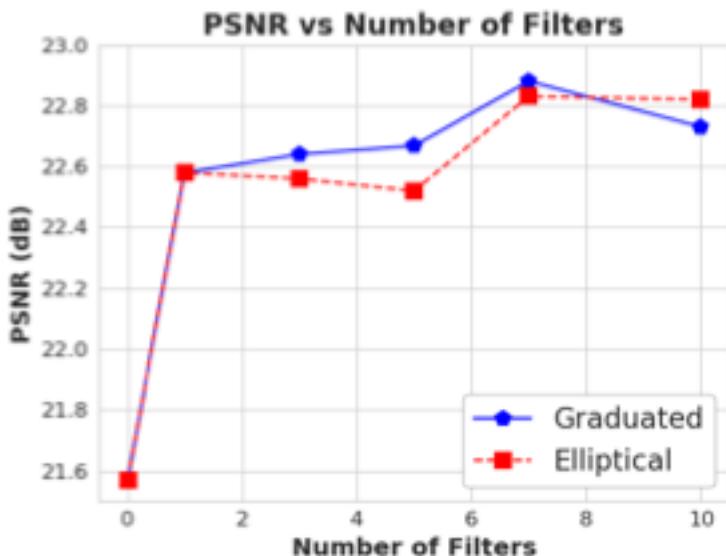
# Quantitative results

## Ablation Study on the MIT Adobe-5K-DPE dataset

Architecture	PSNR $\uparrow$	SSIM $\uparrow$	LPIPS $\downarrow$	# Weights
U-Net	21.57	0.843	0.601	1.3 M
U-Net+Elliptical	22.56	0.879	-	1.5 M
U-Net+Graduated	22.64	0.888	-	1.5 M
U-Net+Elliptical+Graduated	22.88	0.886	-	1.6 M
U-Net+Cubic-10	22.69	0.871	-	1.5 M
U-Net+Cubic-20	23.44	0.886	-	1.5 M
U-Net+Cubic-20+Elliptical+Graduated	<b>23.93</b>	<b>0.903</b>	<b>0.582</b>	1.8 M

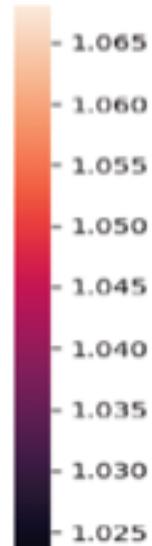
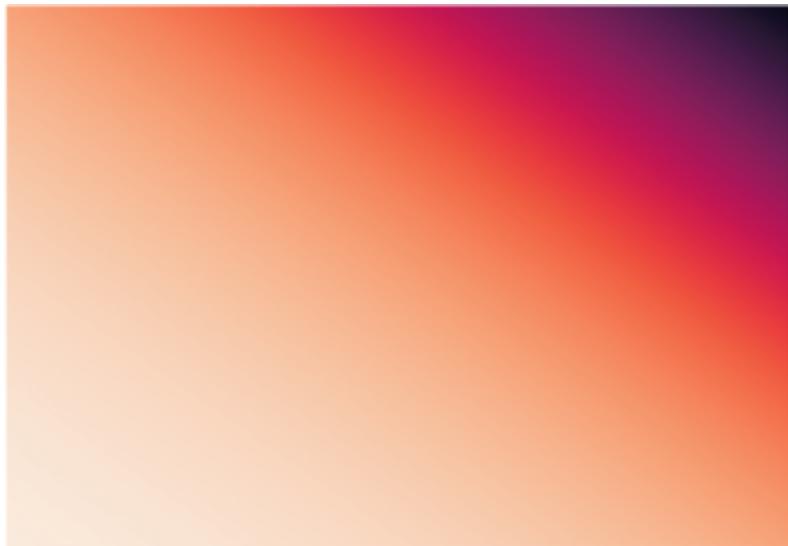
# Quantitative results

## Ablation Study on the MIT Adobe-5K-DPE dataset



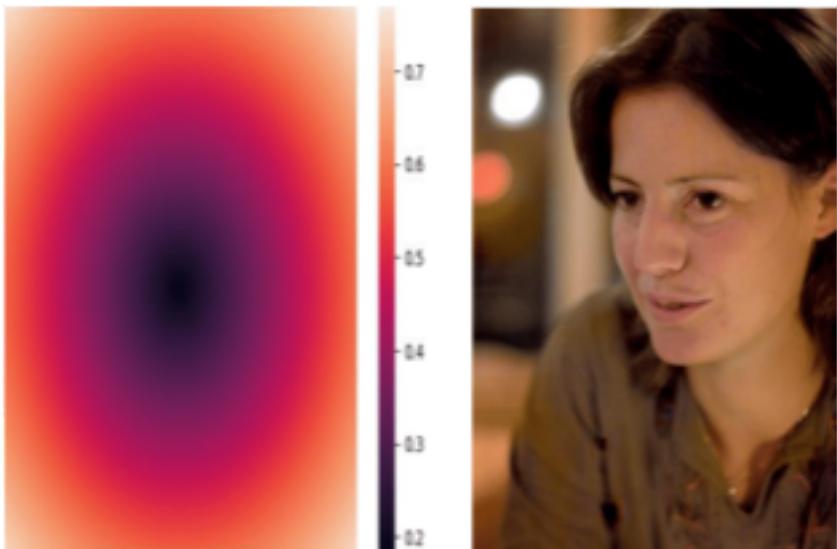
# Qualitative results: predicted filters

Graduated filter

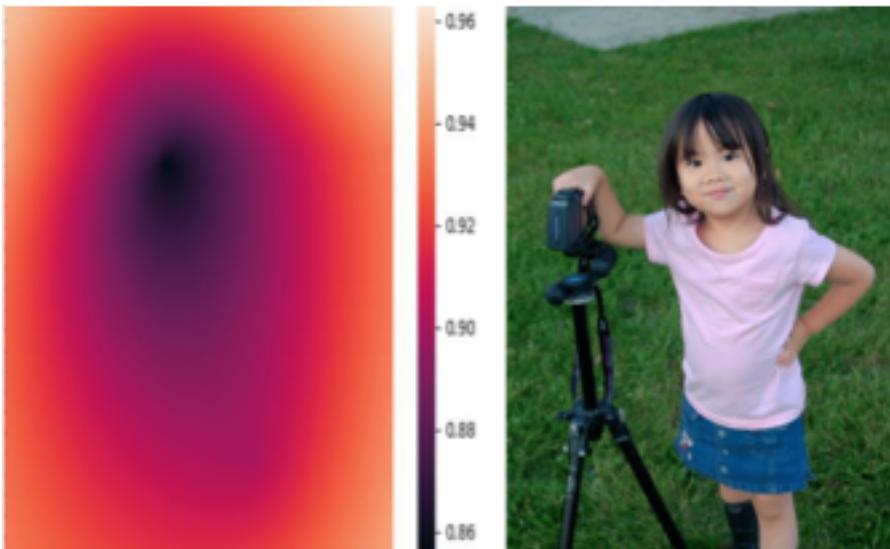


# Qualitative results: predicted filters

Elliptical filter



Mixture of Elliptical filters



# Qualitative results: predicted filters

Cubic (Polynomial) filter



# Quantitative results

## Comparison to State of the Art

Architecture	PSNR $\uparrow$	SSIM $\uparrow$	LPIPS $\downarrow$	# Weights
MIT-Adobe-5K-DPE dataset [3]				
DeepLPF	<b>23.93</b>	<b>0.903</b>	<b>0.582</b>	<b>1.8 M</b>
DPE [3]	23.80	0.900	0.587	3.3 M
MIT-Adobe-5K-UPE dataset [4]				
DeepLPF	<b>24.48</b>	0.887	<b>0.103</b>	<b>800K</b>
DPE [3]	22.15	0.850	–	3.3 M
DeepUPE [4]	23.04	<b>0.893</b>	0.158	1.0 M
SID dataset [5]				
DeepLPF	<b>26.82</b>	<b>0.702</b>	<b>0.564</b>	<b>2.0 M</b>
U-Net [5]	26.61	0.680	0.586	7.8 M

# Qualitative Results - MIT Adobe-5K-DPE dataset

Input



DPE [3]



DeepLPF

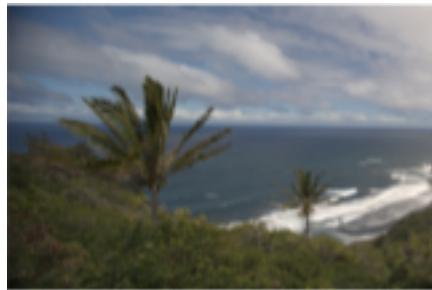


Ground Truth



# Qualitative Results - MIT Adobe-5K-DPE dataset

Input



DPE [3]



Ground Truth



DeepLPF



CLHE [6]



DPED (iphone7) [7]



NPEA [8]

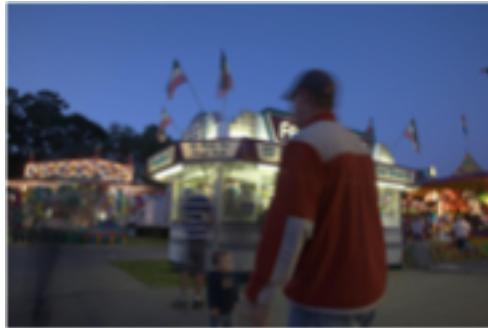


FLLF [9]



# Qualitative Results - MIT Adobe-5K-UPE dataset

Input



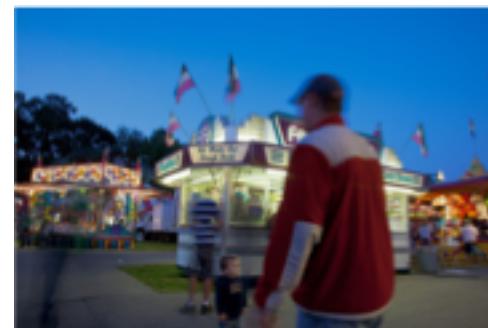
DeepUPE [4]



DeepLPF



Ground Truth



# Qualitative results – SID dataset

Input



DeepLPF



SID (U-Net) [5]



Ground Truth



# Summary

- DeepLPF : A **novel neural architecture** regressing the parameters of new **learnable filters** to be applied to an input image in order to retouch it
- Our filters emulate famous professional retouching tools and belong to 3 categories :
  - **Elliptical** filters : equivalent to the Radial filters in e.g. Lightroom or Photoshop
  - **Graduated** filters : emulating the professional tool with the same name
  - **Polynomial** filter : a regularized and locally smooth version of the brush tool
- Learnable parameterized filters allow
  - **intrinsic regularization** due to their expression
  - **interpretable** adjustments
- Our **filter fusion mechanism** allows to combine several instances of the same filter type and filters belonging to diverse categories in a given image
- We achieve state-of-the-art performance on 3 challenging benchmarks with a few amount of neural weights

# References

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