

# Discussion of “The Factor Competition Channel of Interest Rate Transmission”

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# Summary of the Paper

- ▷ Premise: interest cuts will increase firms' growth rate.
- ▷ This paper finds that with factor competition, this effect is weaker
  - Why? When interest rate decreases, firms' grow at a faster rate. This increase the demand for factors and the factor prices.
  - An increase in the factor prices will reduce firms' growth rate, all else equal.
- ▷ Additionally, this paper argues that the cash flow duration of the economy is important.
- ▷ When **cash flow duration of the economy is high**:
  - Real estate prices increase relatively more
  - But, the growth rate of other factors (labor) will be lower

# Cash flow duration

- ▷ Duration measures the interest rate sensitivity of bonds
- ▷ For fixed income securities, a higher duration could either imply that they have
  - longer maturity
  - low coupon rate (or zero-coupon bonds)
- ▷ For firms defining duration is tricky because
  - there is no maturity
  - future cash flows uncertain

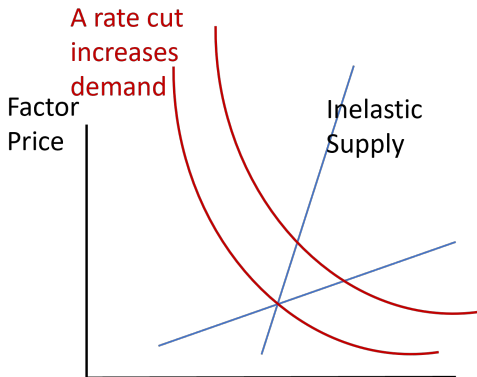
# Cash flow duration

- ▷ Dechow, Sloan, and Soliman (2004) propose measuring equity duration using expected ROE and sales growth

$$\begin{aligned} CF_{t+s} &= E_{t+s} + (BV_{t+s} - BV_{t+s-1}) \\ &= BV_{t+s-1} \left( \frac{E_{t+s}}{BV_{t+s-1}} + \frac{BV_{t+s}}{BV_{t+s-1}} - 1 \right) \end{aligned}$$

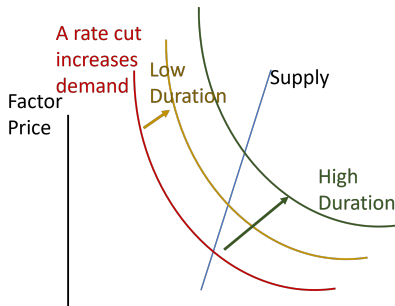
- ▷ Since **high duration firms** are expected to have cash flows realized at a later date, these firms will have
- lower earnings-to-price ratio today
  - higher market-to-book (e.g., Weber 2018)
- ▷ Similar to bond duration, their firm value will be more interest rate sensitive.

# The effect of a rate cut - most baseline case



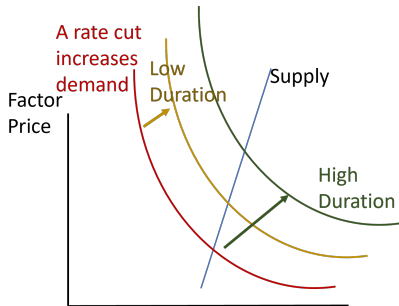
- ▷ Interest rate cut → increase in firm investment → increase in demand for input factors
- ▷ Factor price will increase more if factor is inelastic (i.e., land compared to employment)

# Cash flow duration



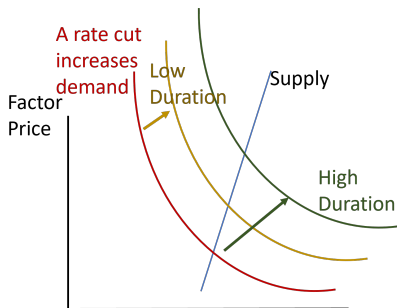
- ▷ Firm Value  $\approx$  PV of production - Investment cost
- ▷ If duration is high:
  - “PV of production” will be more sensitive to interest rate changes
  - $MB \gg MC$  per unit per additional unit of investment
  - Capital demand will increase more.

# Prediction 1: Factor price and interest rate



- ▷ Prediction 1: Factor prices will be more sensitive to changes in interest rate if the duration of the economy is high.

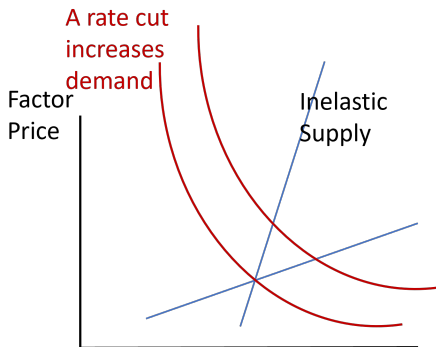
## Prediction 2: Factor competition channel



- ▷ Why? Since factor prices increase more if duration of the economy is high, individual firms in the economy will invest less in response to the rate cut.
- ▷ Firm Value  $\approx$  PV of production - [Investment cost](#)
- ▷ The cost increases relatively more if duration of the economy is high



# Prediction 3: Factor competition channel and supply elasticity



- ▷ The factor competition is weaker if factor supply is elastic
- ▷ This is because factor price will increase less

# Independence assumption in the model

- ▷ The last two predictions strongly relies on the assumption that  $D_i$  is independent of average duration of the economy  $E[D_i]$
- ▷ Equation (4) in the model (Prediction 1):

$$\frac{\partial \log k_i}{\partial r} = -\frac{\partial \log p}{\partial r} - D_i$$

- ▷ Assuming  $D_i$  is independent from  $E[D_i]$ , Equation (10) is derived (Prediction 2):

$$\frac{\partial \log k_i / \partial r}{\partial E[D_i]} = -\frac{\partial \log p / \partial r}{\partial E[D_i]} = \frac{1}{1 + \eta}$$

# Independence assumption

- ▷ Is  $D_i$  independent from  $E[D_i]$ ?
- ▷ Empirically, this translates to whether the zip code duration ( $D_i$ ) is independent from the county level duration ( $E[D_i]$ ).
- ▷ When we set  $D_i = E[D_i] + \epsilon_i$ ,  
where  $\epsilon_i \perp E[D_i] \rightarrow$  we would get

$$\frac{\partial \log k_i / \partial r}{\partial E[D_i]} = - \frac{\partial \log p / \partial r}{\partial E[D_i]} = \frac{1}{1 + \eta} - 1 < 0$$

- ▷ How should we think about GM factory being located next to a Biotech cluster?
- ▷ I would like to see some evidence that supports this assumption.

# Empirical Results

- ▷ Prediction 1: Factor prices will be more sensitive to interest rate if duration of the economy is high

$$\log p_{j,z,c,t} = \beta r_t \times D_{z,t} + \psi_{c,u,t} + \zeta_j + \epsilon_{j,z,c,t},$$

$z$  = zip code,  $c$  = county,  $t$  = year,  $D_{z,t}$  zip code duration

- ▷ Should you include  $r_t$  and  $D_{z,t}$  in the regression?

**Table 2**

The factor competition channel: factor price

*Dependent Variable: Factor (Property) Price*

	(1)	(2)	(3)	(4)
$r =$	Cum. Shock FFR		10Y	
$r \times \text{Zip dur.}$	-0.018** (0.009)		-0.009** (0.004)	
$r \times \text{Zip IR sens.}$		-0.046*** (0.013)		-0.017*** (0.005)
Observations	1,680,778	1,680,778	1,680,778	1,680,778
Adjusted $R^2$	0.838	0.838	0.838	0.838

# Empirical Results

- ▷ Prediction 2: Firms located in high duration economy will invest less in response to the rate cut

$$\Delta E_{i,z,c,t} = \lambda \Delta r_t \times D_{z,t} + \psi_{c,i,t} + \zeta_z + \gamma \Delta E_{i,z,c,t-1} \epsilon_{j,z,c,t},$$

- ▷ Why is the shock  $\Delta r_t$  in this table and  $r_t$  above?

**Table 3**  
The factor competition channel: employment

	(1)	(2)	(3)	(4)
$r =$	Shock FFR		Shock NS	
$\Delta r \times \text{Zip dur.}$	2.407*** (0.384)		2.105*** (0.396)	
$\Delta r \times \text{Zip IR sens.}$		3.021*** (0.541)		3.140*** (0.595)
Observations	9,930,680	9,930,680	9,930,680	9,930,680
Adjusted $R^2$	0.254	0.254	0.254	0.254

# Relatively minor comments

- ▷ Figure 1 includes a graphical presentation of cash flow duration in the US. It is difficult to read. A more concrete examples would be helpful.
  - Is there substantial zip code level variation within a county, where one would expect that they would not exist.
  - Sonoma county? Clark county?
- ▷ Sample period is 1998-2019. These are times when aggregate firm values tend to decrease in response to a rate cut. This paper assumes the opposite.
- ▷ There seems to be several typos in the model. In Eqn. (3), should  $D_i$  be in log terms? If so, what would happen if the log Duration is negative? (if firm is near default) The model implies a sign switch?!

# Conclusion

- ▷ The model has an interesting setting, with a rich set of implications to test
- ▷ Interesting analysis at the ZIP code level
- ▷ Empirical results are consistent with model implications
- ▷ I think there is some potential, but a further clean-up of the paper would be helpful!