

```

Ra = 10;
La = 5;
Ke = 0.02;
Kt = 0.4;

N1 = 44;
N2 = 38;
N3 = 38;
N4 = 24;

J = 0.002;

c1 = 240;
c = c1;
c3 = c1;

k1 = 3500;
k2 = 3500;

t = 0:0.01:5;
va = 100*sin(60*t);
ml = 200*sin(10*t);

s = tf('s')
%syms s

a11 = J*s^2 + c*s + k1 + k2 - k1^2/((N1/N1)^2 *c1*s + k1) - k2^2/((N3/N4)^2*c3*s + k2);

a12 = -(k1*Kt)/((N2/N1)*c1*s + (N2/N1)*k1);

a21 = (Ke*k1*s)/((N2/N1)*c1*s + (N1/N2)*k1);

a22 = La*s + Ra + (Ke*Kt*s)/(c1*s + (N1/N2)^2*k1);

b = -k2/((N3/N4)*c3*s + (N4/N3)*k2);

G = inv([a11/b, a12/b; a21, a22]);
s = tf('s');

G11 = G(1,1)
G12 = G(1,2)

theta = lsim(G11,ml,t) + lsim(G12,va,t);

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omega = diff(theta)/0.01; % Finite difference approx derivative
plot(t(1:length(omega)),omega)
box on
grid on
xlabel('Time [seconds]')
ylabel('Midshaft velocity [rad/s]')
title('Q10.3 Midshaft Velocity')

```

s =

s

Continuous-time transfer function.

G11 =

$$\frac{-4605 s^6 - 3.504e05 s^5 - 1.05e07 s^4 - 1.558e08 s^3 - 1.168e09 s^2 - 3.97e09 s - 4.356e09}{s^9 + 1.201e05 s^8 + 1.333e07 s^7 + 5.778e08 s^6 + 1.269e10 s^5 + 1.512e11 s^4 + 9.59e11 s^3 + 2.894e12 s^2 + 2.976e12 s - 0.0006996}$$

Continuous-time transfer function.

G12 =

$$\frac{-1.264e-13 s^7 - 1.514e-08 s^6 + 675.4 s^5 + 4.412e04 s^4 + 1.088e06 s^3 + 1.248e07 s^2 + 6.558e07 s + 1.274e08}{s^9 + 1.201e05 s^8 + 1.333e07 s^7 + 5.778e08 s^6 + 1.269e10 s^5}$$

$$+ 1.512\text{e}11 \text{ s}^4 + 9.59\text{e}11 \text{ s}^3 + 2.894\text{e}12 \text{ s}^2 + 2.976\text{e}12 \text{ s}$$

$$- 0.003562$$

Continuous-time transfer function.

