

# Template Library of NEW CODE!!<sup>1</sup>

name

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<sup>1</sup><https://github.com/sjtu-NEWCODE/code-library>

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# Chapter 1

## 计算几何

### 1.1 二维基础

```
1 const double INF = 1e60;
2 const double eps = 1e-8;
3 const double pi = acos(-1);
4
5 int sgn(double x) { return x < -eps ? -1 : x > eps; }
6 double Sqr(double x) { return x * x; }
7 double Sqrt(double x) { return x >= 0 ? std::sqrt(x) : 0; }
8
9 struct Vec {
10     double x, y;
11
12     Vec(double _x = 0, double _y = 0): x(_x), y(_y) {}
13
14     Vec operator + (const Vec &oth) const { return Vec(x + oth.x, y + oth.y); }
15     Vec operator - (const Vec &oth) const { return Vec(x - oth.x, y - oth.y); }
16     Vec operator * (double t) const { return Vec(x * t, y * t); }
17     Vec operator / (double t) const { return Vec(x / t, y / t); }
18
19     double len2() const { return Sqr(x) + Sqr(y); }
20     double len() const { return Sqrt(len2()); }
21
22     Vec norm() const { return Vec(x / len(), y / len()); }
23     Vec turn90() const { return Vec(-y, x); }
24     Vec rotate(double rad) const { return Vec(x * cos(rad) - y * sin(rad), x * sin(rad) + y * cos(rad)); }
25 };
26
27 double Dot(Vec a, Vec b) { return a.x * b.x + a.y * b.y; }
28 double Cross(Vec a, Vec b) { return a.x * b.y - a.y * b.x; }
29 double Det(Vec a, Vec b, Vec c) { return Cross(b - a, c - a); }
30
31 double Angle(Vec a, Vec b) { return acos(Dot(a, b) / (a.len() * b.len())); }
32
33 struct Line {
34     Vec a, b;
35     double theta;
36
37     void GetTheta() {
38         theta = atan2(b.y - a.y, b.x - a.x);
39     }
40
41     Line() = default;
42     Line(Vec _a, Vec _b): a(_a), b(_b) {
43         GetTheta();
44     }
45
46     bool operator < (const Line &oth) const {
47         return theta < oth.theta;
48     }
49 }
```

```

49     Vec v() const { return b - a; }
50     double k() const { return !sgn(b.x - a.x) ? INF : (b.y - a.y) / (b.x - a.x); }
51 };
52
53
54 bool OnLine(Vec p, Line l) {
55     return sgn(Cross(l.a - p, l.b - p)) == 0;
56 }
57
58 bool OnSeg(Vec p, Line l) {
59     return OnLine(p, l) && sgn(Dot(l.b - l.a, p - l.a)) >= 0 && sgn(Dot(l.a - l.b, p - l.b)) >= 0;
60 }
61
62 bool Parallel(Line l1, Line l2) {
63     return sgn(Cross(l1.v(), l2.v())) == 0;
64 }
65
66 Vec Intersect(Line l1, Line l2) {
67     double s1 = Det(l1.a, l1.b, l2.a);
68     double s2 = Det(l1.a, l1.b, l2.b);
69     return (l2.a * s2 - l2.b * s1) / (s2 - s1);
70 }
71
72 Vec Project(Vec p, Line l) {
73     return l.a + l.v() * (Dot(p - l.a, l.v())) / l.v().len2();
74 }
75
76 double DistToLine(Vec p, Line l) {
77     return std::abs(Cross(p - l.a, l.v())) / l.v().len();
78 }
79
80 int Dir(Vec p, Line l) {
81     return sgn(Cross(p - l.a, l.v()));
82 }
83
84 bool SegIntersect(Line l1, Line l2) { // Strictly
85     return Dir(l2.a, l1) * Dir(l2.b, l1) < 0 && Dir(l1.a, l2) * Dir(l1.b, l2) < 0;
86 }
87
88 bool InTriangle(Vec p, std::vector<Vec> tri) {
89     if (sgn(Cross(tri[1] - tri[0], tri[2] - tri[0])) < 0)
90         std::reverse(tri.begin(), tri.end());
91     for (int i = 0; i < 3; ++i)
92         if (Dir(p, Line(tri[i], tri[(i + 1) % 3])) == 1)
93             return false;
94     return true;
95 }
96
97 std::vector<Vec> ConvexCut(const std::vector<Vec> &ps, Line l) { // Use the counterclockwise halfplane of
98     ↪ l to cut a convex polygon
99     std::vector<Vec> qs;
100     for (int i = 0; i < (int)ps.size(); ++i) {
101         Vec p1 = ps[i], p2 = ps[(i + 1) % ps.size()];
102         int d1 = sgn(Cross(l.v(), p1 - l.a)), d2 = sgn(Cross(l.v(), p2 - l.a));
103         if (d1 >= 0) qs.push_back(p1);
104         if (d1 * d2 < 0) qs.push_back(Intersect(Line(p1, p2), l));
105     }
106     return qs;
107 }
108
109 struct Cir {
110     Vec o;
111     double r;
112
113     Cir() = default;
114     Cir(Vec _o, double _r): o(_o), r(_r) {}
115
116     Vec PointOnCir(double rad) const { return Vec(o.x + cos(rad) * r, o.y + sin(rad) * r); }
117 };

```

```

118 bool Intersect(Cir c, Line l, Vec &p1, Vec &p2) {
119     double x = Dot(l.a - c.o, l.b - l.a);
120     double y = (l.b - l.a).len2();
121     double d = Sqr(x) - y * ((l.a - c.o).len2() - Sqr(c.r));
122     if (sgn(d) < 0) return false;
123     d = std::max(d, 0.);
124     Vec p = l.a - (l.v() * (x / y));
125     Vec delta = l.v() * (Sqrt(d) / y);
126     p1 = p + delta; p2 = p - delta;
127     return true;
128 }
129
130 bool Intersect(Cir a, Cir b, Vec &p1, Vec &p2) { // Not suitable for coincident circles
131     double s1 = (a.o - b.o).len();
132     if (sgn(s1 - a.r - b.r) > 0 || sgn(s1 - std::abs(a.r - b.r)) < 0) return false;
133     double s2 = (Sqr(a.r) - Sqr(b.r)) / s1;
134     double aa = (s1 + s2) * 0.5, bb = (s1 - s2) * 0.5;
135     Vec o = (b.o - a.o) * (aa / (aa + bb)) + a.o;
136     Vec delta = (b.o - a.o).norm().turn90() * Sqrt(a.r * a.r - aa * aa);
137     p1 = o + delta; p2 = o - delta;
138     return true;
139 }
140
141 bool Tangent(Cir c, Vec p0, Vec &p1, Vec &p2) { // In clockwise order
142     double x = (p0 - c.o).len2(), d = x - Sqr(c.r);
143     if (sgn(d) <= 0) return false;
144     Vec p = (p0 - c.o) * (Sqr(c.r) / x);
145     Vec delta = ((p0 - c.o) * (-c.r * Sqrt(d) / x)).turn90();
146     p1 = c.o + p + delta; p2 = c.o + p - delta;
147     return true;
148 }
149
150 std::vector<Line> ExTangent(Cir c1, Cir c2) { // External tangent line
151     std::vector<Line> res;
152     if (sgn(c1.r - c2.r) == 0) {
153         Vec dir = c2.o - c1.o;
154         dir = (dir * (c1.r / dir.len())).turn90();
155         res.push_back(Line(c1.o + dir, c2.o + dir));
156         res.push_back(Line(c1.o - dir, c2.o - dir));
157     } else {
158         Vec p = (c1.o * -c2.r + c2.o * c1.r) / (c1.r - c2.r);
159         Vec p1, p2, q1, q2;
160         if (Tangent(c1, p, p1, p2) && Tangent(c2, p, q1, q2)) {
161             res.push_back(Line(p1, q1));
162             res.push_back(Line(p2, q2));
163         }
164     }
165     return res;
166 }
167
168 std::vector<Line> InTangent(Cir c1, Cir c2) { // Internal tangent line
169     std::vector<Line> res;
170     Vec p = (c1.o * c2.r + c2.o * c1.r) / (c1.r + c2.r);
171     Vec p1, p2, q1, q2;
172     if (Tangent(c1, p, p1, p2) && Tangent(c2, p, q1, q2)) {
173         res.push_back(Line(p1, q1));
174         res.push_back(Line(p2, q2));
175     }
176     return res;
177 }
178
179 bool InPoly(Vec p, std::vector<Vec> poly) {
180     int cnt = 0;
181     for (int i = 0; i < (int)poly.size(); ++i) {
182         Vec a = poly[i], b = poly[(i + 1) % poly.size()];
183         if (OnSeg(p, Line(a, b)))
184             return false;
185         int x = sgn(Det(a, p, b));
186         int y = sgn(a.y - p.y);
187         int z = sgn(b.y - p.y);

```

```

188         cnt += (x > 0 && y <= 0 && z > 0);
189         cnt -= (x < 0 && z <= 0 && y > 0);
190     }
191     return cnt;
192 }

```

## 1.2 半平面交

```

1 bool HalfPlaneIntersect(std::vector<Line> L, std::vector<Vec> &ch) {
2     std::sort(L.begin(), L.end());
3     int head = 0, tail = 0;
4     Vec *p = new Vec[L.size()];
5     Line *q = new Line[L.size()];
6     q[0] = L[0];
7     for (int i = 1; i < (int)L.size(); i++) {
8         while (head < tail && Dir(p[tail - 1], L[i]) != 1) tail--;
9         while (head < tail && Dir(p[head], L[i]) != 1) head++;
10        q[++tail] = L[i];
11        if (!sgn(Cross(q[tail].b - q[tail].a, q[tail - 1].b - q[tail - 1].a))) {
12            tail--;
13            if (Dir(L[i].a, q[tail]) == 1) q[tail] = L[i];
14        }
15        if (head < tail) p[tail - 1] = Intersect(q[tail - 1], q[tail]);
16    }
17    while (head < tail && Dir(p[tail - 1], q[head]) != 1) tail--;
18    if (tail - head <= 1) return false;
19    p[tail] = Intersect(q[head], q[tail]);
20    for (int i = head; i <= tail; i++) ch.push_back(p[i]);
21    delete[] p; delete[] q;
22    return true;
23 }

```

## 1.3 二维最小圆覆盖

## 1.4 凸包

```

1 std::vector<Vec> ConvexHull(std::vector<Vec> p) {
2     std::sort(p.begin(), p.end());
3     std::vector<Vec> ans, S;
4     for (int i = 0; i < (int)p.size(); ++i) {
5         while (S.size() >= 2 && sgn(Det(S[S.size() - 2], S.back(), p[i])) <= 0)
6             S.pop_back();
7         S.push_back(p[i]);
8     }
9     ans = S;
10    S.clear();
11    for (int i = p.size() - 1; i >= 0; --i) {
12        while (S.size() >= 2 && sgn(Det(S[S.size() - 2], S.back(), p[i])) <= 0)
13            S.pop_back();
14        S.push_back(p[i]);
15    }
16    for (int i = 1; i + 1 < (int)S.size(); ++i)
17        ans.push_back(S[i]);
18    return ans;
19 }

```

## 1.5 凸包游戏

```

1 /*
2     给定凸包,  $\log n$  内完成各种询问, 具体操作有 :

```

```

3   1. 判定一个点是否在凸包内
4   2. 询问凸包外的点到凸包的两个切点
5   3. 询问一个向量关于凸包的切点
6   4. 询问一条直线和凸包的交点
7   INF 为坐标范围，需要定义点类大于号
8   改成实数只需修改 sign 函数，以及把 long long 改为 double 即可
9   构造函数时传入凸包要求无重点，面积非空，以及 pair(x,y) 的最小点放在第一个
10  */
11  const int INF = 1000000000;
12  struct Convex
13  {
14      int n;
15      vector<Point> a, upper, lower;
16      Convex(vector<Point> _a) : a(_a) {
17          n = a.size();
18          int ptr = 0;
19          for(int i = 1; i < n; ++ i) if (a[ptr] < a[i]) ptr = i;
20          for(int i = 0; i <= ptr; ++ i) lower.push_back(a[i]);
21          for(int i = ptr; i < n; ++ i) upper.push_back(a[i]);
22          upper.push_back(a[0]);
23      }
24      int sign(long long x) { return x < 0 ? -1 : x > 0; }
25      pair<long long, int> get_tangent(vector<Point> &convex, Point vec) {
26          int l = 0, r = (int)convex.size() - 2;
27          for( ; l + 1 < r; ) {
28              int mid = (l + r) / 2;
29              if (sign((convex[mid + 1] - convex[mid]).det(vec)) > 0) r = mid;
30              else l = mid;
31          }
32          return max(make_pair(vec.det(convex[r]), r)
33                  , make_pair(vec.det(convex[0]), 0));
34      }
35      void update_tangent(const Point &p, int id, int &i0, int &i1) {
36          if ((a[i0] - p).det(a[id] - p) > 0) i0 = id;
37          if ((a[i1] - p).det(a[id] - p) < 0) i1 = id;
38      }
39      void binary_search(int l, int r, Point p, int &i0, int &i1) {
40          if (l == r) return;
41          update_tangent(p, l % n, i0, i1);
42          int sl = sign((a[l % n] - p).det(a[(l + 1) % n] - p));
43          for( ; l + 1 < r; ) {
44              int mid = (l + r) / 2;
45              int smid = sign((a[mid % n] - p).det(a[(mid + 1) % n] - p));
46              if (smid == sl) l = mid;
47              else r = mid;
48          }
49          update_tangent(p, r % n, i0, i1);
50      }
51      int binary_search(Point u, Point v, int l, int r) {
52          int sl = sign((v - u).det(a[l % n] - u));
53          for( ; l + 1 < r; ) {
54              int mid = (l + r) / 2;
55              int smid = sign((v - u).det(a[mid % n] - u));
56              if (smid == sl) l = mid;
57              else r = mid;
58          }
59          return l % n;
60      }
61      // 判定点是否在凸包内，在边界返回 true
62      bool contain(Point p) {
63          if (p.x < lower[0].x || p.x > lower.back().x) return false;
64          int id = lower_bound(lower.begin(), lower.end()
65                              , Point(p.x, -INF)) - lower.begin();
66          if (lower[id].x == p.x) {
67              if (lower[id].y > p.y) return false;
68          } else if ((lower[id] - p).det(lower[id] - p) < 0) return false;
69          id = lower_bound(upper.begin(), upper.end(), Point(p.x, INF)
70                          , greater<Point>()) - upper.begin();
71          if (upper[id].x == p.x) {
72              if (upper[id].y < p.y) return false;

```

```

73     } else if ((upper[id - 1] - p).det(upper[id] - p) < 0) return false;
74     return true;
75 }
76 // 求点 p 关于凸包的两个切点, 如果在凸包外则有序返回编号
77 // 共线的多个切点返回任意一个, 否则返回 false
78 bool get_tangent(Point p, int &i0, int &i1) {
79     if (contain(p)) return false;
80     i0 = i1 = 0;
81     int id = lower_bound(lower.begin(), lower.end(), p) - lower.begin();
82     binary_search(0, id, p, i0, i1);
83     binary_search(id, (int)lower.size(), p, i0, i1);
84     id = lower_bound(upper.begin(), upper.end(), p
85         , greater<Point>()) - upper.begin();
86     binary_search((int)lower.size() - 1, (int)lower.size() - 1 + id, p, i0, i1);
87     binary_search((int)lower.size() - 1 + id
88         , (int)lower.size() - 1 + (int)upper.size(), p, i0, i1);
89     return true;
90 }
91 // 求凸包上和向量 vec 叉积最大的点, 返回编号, 共线的多个切点返回任意一个
92 int get_tangent(Point vec) {
93     pair<long long, int> ret = get_tangent(upper, vec);
94     ret.second = (ret.second + (int)lower.size() - 1) % n;
95     ret = max(ret, get_tangent(lower, vec));
96     return ret.second;
97 }
98 // 求凸包和直线 u,v 的交点, 如果无严格相交返回 false.
99 // 如果有则是和 (i,next(i)) 的交点, 两个点无序, 交在点上不确定返回前后两条线段其中之一
100 bool get_intersection(Point u, Point v, int &i0, int &i1) {
101     int p0 = get_tangent(u - v), p1 = get_tangent(v - u);
102     if (sign((v - u).det(a[p0] - u)) * sign((v - u).det(a[p1] - u)) < 0) {
103         if (p0 > p1) swap(p0, p1);
104         i0 = binary_search(u, v, p0, p1);
105         i1 = binary_search(u, v, p1, p0 + n);
106         return true;
107     } else {
108         return false;
109     }
110 }
111 };

```

## 1.6 圆并

```

1 double ans[2001];
2 struct Point {
3     double x, y;
4     Point(){}
5     Point(const double &x, const double &y) : x(x), y(y) {}
6     void scan() {scanf("%lf%lf", &x, &y);}
7     double sqrlen() {return sqr(x) + sqr(y);}
8     double len() {return sqrt(sqrlen());}
9     Point rev() {return Point(y, -x);}
10    void print() {printf("%f %f\n", x, y);}
11    Point zoom(const double &d) {double lambda = d / len(); return Point(lambda * x, lambda * y);}
12 } dvd, a[2001];
13 Point centre[2001];
14 double atan2(const Point &x) {
15     return atan2(x.y, x.x);
16 }
17 Point operator - (const Point &a, const Point &b) {
18     return Point(a.x - b.x, a.y - b.y);
19 }
20 Point operator + (const Point &a, const Point &b) {
21     return Point(a.x + b.x, a.y + b.y);
22 }
23 double operator * (const Point &a, const Point &b) {
24     return a.x * b.y - a.y * b.x;
25 }

```



```

26 Point operator * (const double & a, const Point & b) {
27     return Point(a * b.x, a * b.y);
28 }
29 double operator % (const Point & a, const Point & b) {
30     return a.x * b.x + a.y * b.y;
31 }
32 struct circle {
33     double r; Point o;
34     circle() {}
35     void scan() {
36         o.scan();
37         scanf("%lf", &r);
38     }
39 } cir[2001];
40 struct arc {
41     double theta;
42     int delta;
43     Point p;
44     arc() {}
45     arc(const double & theta, const Point & p, int d) : theta(theta), p(p), delta(d) {}
46 } vec[4444];
47 int nV;
48 inline bool operator < (const arc & a, const arc & b) {
49     return a.theta + eps < b.theta;
50 }
51 int cnt;
52 inline void psh(const double t1, const Point p1, const double t2, const Point p2) {
53     if(t2 + eps < t1)
54         cnt++;
55     vec[nV++] = arc(t1, p1, 1);
56     vec[nV++] = arc(t2, p2, -1);
57 }
58 inline double cub(const double & x) {
59     return x * x * x;
60 }
61 inline void combine(int d, const double & area, const Point & o) {
62     if(sign(area) == 0) return;
63     centre[d] = 1 / (ans[d] + area) * (ans[d] * centre[d] + area * o);
64     ans[d] += area;
65 }
66 bool equal(const double & x, const double & y) {
67     return x + eps > y and y + eps > x;
68 }
69 bool equal(const Point & a, const Point & b) {
70     return equal(a.x, b.x) and equal(a.y, b.y);
71 }
72 bool equal(const circle & a, const circle & b) {
73     return equal(a.o, b.o) and equal(a.r, b.r);
74 }
75 bool f[2001];
76 int main() {
77     //freopen("hdu4895.in", "r", stdin);
78     int n, m, index;
79     while(EOF != scanf("%d%d%d", &m, &n, &index)) {
80         index--;
81         for(int i(0); i < m; i++) {
82             a[i].scan();
83         }
84         for(int i(0); i < n; i++) {
85             cir[i].scan(); //n 个圆
86         }
87         for(int i(0); i < n; i++) { //这一段在去重圆 能加速 删掉不会错
88             f[i] = true;
89             for(int j(0); j < n; j++) if(i != j) {
90                 if(equal(cir[i], cir[j]) and i < j or !equal(cir[i], cir[j]) and cir[i].r < cir[j].r + eps
91                     ↪ and (cir[i].o - cir[j].o).sqrln() < sqr(cir[i].r - cir[j].r) + eps) {
92                     f[i] = false;
93                     break;
94                 }
95             }
96         }
97     }
98 }

```

```

95     }
96     int n1(0);
97     for(int i(0); i < n; i++)
98         if(f[i])
99             cir[n1++] = cir[i];
100     n = n1; //去重圆结束
101     fill(ans, ans + n + 1, 0); //ans[i] 表示被圆覆盖至少 i 次的面积
102     fill(centre, centre + n + 1, Point(0, 0)); //centre[i] 表示上面 ans[i] 部分的重心
103     for(int i(0); i < m; i++)
104         combine(0, a[i] * a[(i + 1) % m] * 0.5, 1. / 3 * (a[i] + a[(i + 1) % m]));
105     for(int i(0); i < n; i++) {
106         dvd = cir[i].o - Point(cir[i].r, 0);
107         nV = 0;
108         vec[nV++] = arc(-pi, dvd, 1);
109         cnt = 0;
110         for(int j(0); j < n; j++) if(j != i) {
111             double d = (cir[j].o - cir[i].o).sqrln();
112             if(d < sqrt(cir[j].r - cir[i].r) + eps) {
113                 if(cir[i].r + i * eps < cir[j].r + j * eps)
114                     psh(-pi, dvd, pi, dvd);
115             } else if(d + eps < sqrt(cir[j].r + cir[i].r)) {
116                 double lambda = 0.5 * (1 + (sqrt(cir[i].r) - sqrt(cir[j].r)) / d);
117                 Point cp(cir[i].o + lambda * (cir[j].o - cir[i].o));
118                 Point nor((cir[j].o - cir[i].o).rev().zoom(sqrt(sqrt(cir[i].r) - (cp -
119                     ⇨ cir[i].o).sqrln())));
120                 Point frm(cp + nor);
121                 Point to(cp - nor);
122                 psh(atan2(frm - cir[i].o), frm, atan2(to - cir[i].o), to);
123             }
124         }
125         sort(vec + 1, vec + nV);
126         vec[nV++] = arc(pi, dvd, -1);
127         for(int j = 0; j + 1 < nV; j++) {
128             cnt += vec[j].delta;
129             //if(cnt == 1) { //如果只算 ans[1] 和 centre[1], 可以加这个 if 加速.
130             double theta(vec[j + 1].theta - vec[j].theta);
131             double area(sqrt(cir[i].r) * theta * 0.5);
132             combine(cnt, area, cir[i].o + 1. / area / 3 * cub(cir[i].r) * Point(sin(vec[j +
133                 ⇨ 1].theta) - sin(vec[j].theta), cos(vec[j].theta) - cos(vec[j + 1].theta)));
134             combine(cnt, -sqrt(cir[i].r) * sin(theta) * 0.5, 1. / 3 * (cir[i].o + vec[j].p + vec[j
135                 ⇨ + 1].p));
136             combine(cnt, vec[j].p * vec[j + 1].p * 0.5, 1. / 3 * (vec[j].p + vec[j + 1].p));
137             //}
138         }
139     } //板子部分结束 下面是题目
140     combine(0, -ans[1], centre[1]);
141     for(int i = 0; i < m; i++) {
142         if(i != index)
143             (a[index] - Point((a[i] - a[index]) * (centre[0] - a[index]), (a[i] - a[index]) %
144                 ⇨ (centre[0] - a[index])).zoom((a[i] - a[index]).len()))).print();
145         else
146             a[i].print();
147     }
148 }
149 fclose(stdin);
150 return 0;
151 }

```

## 1.7 最远点对

```

1 point conv[100000];
2 int totco, n;
3 //凸包
4 void convex( point p[], int n ){
5     sort( p, p+n, cmp );
6     conv[0]=p[0]; conv[1]=p[1]; totco=2;
7     for ( int i=2; i<n; i++){

```

```

8         while ( totco>1 && (conv[totco-1]-conv[totco-2])/(p[i]-conv[totco-2])<=0 ) totco--;
9         conv[totco++]=p[i];
10    }
11    int limit=totco;
12    for ( int i=n-1; i>=0; i-- ){
13        while ( totco>limit && (conv[totco-1]-conv[totco-2])/(p[i]-conv[totco-2])<=0 ) totco--;
14        conv[totco++]=p[i];
15    }
16 }
17 point pp[100000];
18 int main(){
19     scanf("%d", &n);
20     for ( int i=0; i<n; i++ )
21         scanf("%d %d", &pp[i].x, &pp[i].y);
22     convex( pp, n );
23     n=totco;
24     for ( int i=0; i<n; i++ ) pp[i]=conv[i];
25     n--;
26     int ans=0;
27     for ( int i=0; i<n; i++ )
28         pp[n+i]=pp[i];
29     int now=1;
30     for ( int i=0; i<n; i++ ){
31         point tt=point( pp[i+1]-pp[i] );
32         while ( now<2*n-2 && tt/(pp[now+1]-pp[now])>0 ) now++;
33         if ( dist( pp[i], pp[now] )>ans ) ans=dist( pp[i], pp[now] );
34         if ( dist( pp[i+1], pp[now] )>ans ) ans=dist( pp[i+1], pp[now] );
35     }
36     printf("%d\n", ans);
37 }

```

## 1.8 根轴

# Chapter 2

## 字符串

### 2.1 manacher

```
1 #include<iostream>
2 #include<cstring>
3 using namespace std;
4 char Mana[202020];
5 int cher[202020];
6 int Manacher(char *S)
7 {
8     int len=strlen(S),id=0,mx=0,ret=0;
9     Mana[0]='$';
10    Mana[1]='#';
11    for(int i=0;i<len;i++)
12    {
13        Mana[2*i+2]=S[i];
14        Mana[2*i+3]='#';
15    }
16    Mana[2*len+2]=0;
17    for(int i=1;i<=2*len+1;i++)
18    {
19        if(i<mx)
20            cher[i]=min(cher[2*id-i],mx-i);
21        else
22            cher[i]=0;
23        while(Mana[i+cher[i]+1]==Mana[i-cher[i]-1])
24            cher[i]++;
25        if(cher[i]>mx)
26        {
27            mx=cher[i]+i;
28            id=i;
29        }
30        ret=max(ret,cher[i]);
31    }
32    return ret;
33 }
34 char S[101010];
35 int main()
36 {
37     ios::sync_with_stdio(false);
38     cin.tie(0);
39     cout.tie(0);
40     cin>>S;
41     cout<<Manacher(S)<<endl;
42     return 0;
43 }
```

### 2.2 后缀数组

```
1 const int maxl=1e5+1e4+5;
2 const int maxn=maxl*2;
```

```
3 int
4   ↳ a[maxn],x[maxn],y[maxn],c[maxn],sa[maxn],rank[maxn],height[
5 void calc_sa(int n){
6     int m=alphabet,k=1;
7     memset(c,0,sizeof(*c)*(m+1));
8     for(int i=1;i<=n;i++)c[x[i]=a[i]]++;
9     for(int i=1;i<=m;i++)c[i]+=c[i-1];
10    for(int i=1;i<=n;i++)sa[c[x[i]]--]=i;
11    for(;k<=n;k<=1){
12        int tot=k;
13        for(int i=n-k+1;i<=n;i++)y[i-n+k]=i;
14        for(int i=1;i<=n;i++)
15            if(sa[i]>k)y[++tot]=sa[i]-k;
16        memset(c,0,sizeof(*c)*(m+1));
17        for(int i=1;i<=n;i++)c[x[i]]++;
18        for(int i=1;i<=m;i++)c[i]+=c[i-1];
19        for(int i=n;i>=1;i--)sa[c[x[y[i]]]--]=y[i];
20        for(int i=1;i<=n;i++)y[i]=x[i];
21        tot=1;x[sa[1]]=1;
22        for(int i=2;i<=n;i++){
23            if(max(sa[i],sa[i-1])+k>n||y[sa[i]]!=y[sa[i-1]]||
24                ++tot;
25            x[sa[i]]=tot;
26        }
27        if(tot==n)break;else m=tot;
28    }
29 void calc_height(int n){
30     for(int i=1;i<=n;i++)rank[sa[i]]=i;
31     for(int i=1;i<=n;i++){
32         height[rank[i]]=max(0,height[rank[i-1]]-1);
33         if(rank[i]==1)continue;
34         int j=sa[rank[i]-1];
35         while(max(i,j)+height[rank[i]]<=n&&a[i+height[rank[i]]]
36             ++height[rank[i]];
37     }
38 }
```

### 2.3 后缀自动机

```
1 #include<iostream>
2 #include<cstring>
3 using namespace std;
4 const int MaxPoint=1010101;
5 struct Suffix_AutoMachine{
6     int
7     ↳ son[MaxPoint][27],pre[MaxPoint],step[MaxPoint],right[
8     int NewNode(int stp)
9     {
10        num++;
11        memset(son[num],0,sizeof(son[num]));
```

## 2.4 广义后缀自动机

```

11     pre[num]=0;
12     step[num]=stp;
13     return num;
14 }
15 Suffix_AutoMachine()
16 {
17     num=0;
18     root=last=NewNode(0);
19 }
20 void push_back(int ch)
21 {
22     int np=NewNode(step[last]+1);
23     right[np]=1;
24     step[np]=step[last]+1;
25     int p=last;
26     while(p&&!son[p][ch])
27     {
28         son[p][ch]=np;
29         p=pre[p];
30     }
31     if(!p)
32         pre[np]=root;
33     else
34     {
35         int q=son[p][ch];
36         if(step[q]==step[p]+1)
37             pre[np]=q;
38         else
39         {
40             int nq=NewNode(step[p]+1);
41             memcpy(son[nq],son[q],sizeof(son[q]));
42             step[nq]=step[p]+1;
43             pre[nq]=pre[q];
44             pre[q]=pre[np]=nq;
45             while(p&&son[p][ch]==q)
46             {
47                 son[p][ch]=nq;
48                 p=pre[p];
49             }
50         }
51     }
52     last=np;
53 }
54 };
55 /*
56 int arr[1010101];
57 bool Step_Cmp(int x,int y)
58 {
59     return S.step[x]<S.step[y];
60 }
61 void Get_Right()
62 {
63     for(int i=1;i<=S.num;i++)
64         arr[i]=i;
65     sort(arr+1,arr+S.num+1,Step_Cmp);
66     for(int i=S.num;i>=2;i--)
67         S.right[S.pre[arr[i]]]+=S.right[arr[i]];
68 }
69 */
70 int main()
71 {
72     return 0;
73 }

```

```

1  #include <bits/stdc++.h>
2
3  const int MAXL = 1e5 + 5;
4
5  namespace GSAM {
6      struct Node *pool_pointer;
7      struct Node {
8          Node *to[26], *parent;
9          int step;
10
11          Node(int STEP = 0): step(STEP) {
12              memset(to, 0, sizeof to);
13              parent = 0;
14          }
15
16          void *operator new (size_t) {
17              return pool_pointer++;
18          }
19      } pool[MAXL << 1], *root;
20
21      void init() {
22          pool_pointer = pool;
23          root = new Node();
24      }
25
26      Node *Extend(Node *np, char ch) {
27          static Node *last, *q, *nq;
28
29          int x = ch - 'a';
30
31          if (np->to[x]) {
32              last = np;
33              q = last->to[x];
34              if (q->step == last->step + 1) np = q;
35              else {
36                  nq = new Node(last->step + 1);
37                  memcpy(nq->to, q->to, sizeof
38                      ↳ q->to);
39                  nq->parent = q->parent;
40                  q->parent = np->parent = nq;
41                  for (; last && last->to[x] == q;
42                      ↳ last = last->parent)
43                      last->to[x] = nq;
44
45                  np = nq;
46              }
47          } else {
48              last = np; np = new Node(last->step +
49                  ↳ 1);
50              for (; last && !last->to[x]; last =
51                  ↳ last->parent)
52                  last->to[x] = np;
53              if (!last) np->parent = last;
54              else {
55                  q = last->to[x];
56                  if (q->step == last->step + 1)
57                      ↳ np->parent = q;
58                  else {
59                      nq = new Node(last->step + 1);
60                      memcpy(nq->to, q->to, sizeof
61                          ↳ q->to);
62                      nq->parent = q->parent;
63                      q->parent = np->parent = nq;
64                      for (; last && last->to[x] ==
65                          ↳ q; last = last->parent)
66                          last->to[x] = nq;

```

```

60         }
61     }
62 }
63
64     return np;
65 }
66 }
67
68 int main() {
69
70     return 0;
71 }
72

```

## 2.5 回文自动机

```

1 //Tsinsen A1280 最长双回文串
2 #include<iostream>
3 #include<cstring>
4 using namespace std;
5
6 const int maxn = 100005; // n(空间复杂度 o(n*ALP)),
    ↪ 实际开 n 即可
7 const int ALP = 26;
8
9 struct PAM{ // 每个节点代表一个回文串
10 int next[maxn][ALP]; // next 指针, 参照 Trie 树
11 int fail[maxn]; // fail 失配后后缀链接
12 int cnt[maxn]; // 此回文串出现个数
13 int num[maxn];
14 int len[maxn]; // 回文串长度
15 int s[maxn]; // 存放添加的字符
16 int last; // 指向上一个字符所在的节点, 方便下一次 add
17 int n; // 已添加字符个数
18 int p; // 节点个数
19
20 int newnode(int w)
21 { // 初始化节点, w= 长度
22     for(int i=0;i<ALP;i++)
23         next[p][i] = 0;
24     cnt[p] = 0;
25     num[p] = 0;
26     len[p] = w;
27     return p++;
28 }
29 void init()
30 {
31     p = 0;
32     newnode(0);
33     newnode(-1);
34     last = 0;
35     n = 0;
36     s[n] = -1; // 开头放一个字符集中没有的字符, 减少特判
37     fail[0] = 1;
38 }
39 int get_fail(int x)
40 { // 和 KMP 一样, 失配后找一个尽量最长的
41     while(s[n-len[x]-1] != s[n]) x = fail[x];
42     return x;
43 }
44 int add(int c)
45 {
46     c -= 'a';
47     s[++n] = c;
48     int cur = get_fail(last);
49     if(!next[cur][c])
50 {

```

```

51     int now = newnode(len[cur]+2);
52     fail[now] = next[get_fail(fail[cur])][c];
53     next[cur][c] = now;
54     num[now] = num[fail[now]] + 1;
55 }
56 last = next[cur][c];
57 cnt[last]++;
58 return len[last];
59 }
60 void count()
61 {
62     // 最后统计一遍每个节点出现个数
63     // 父亲累加儿子的 cnt, 类似 SAM 中 parent 树
64     // 满足 parent 拓扑关系
65     for(int i=p-1;i>=0;i--)
66         cnt[fail[i]] += cnt[i];
67 }
68 }pam;
69 char S[101010];
70 int l[101010],r[101010];
71 int main()
72 {
73     cin>>S;
74     int len=strlen(S);
75     pam.init();
76     for(int i=0;i<len;i++)
77         l[i]=pam.add(S[i]);
78     pam.init();
79     for(int i=len-1;i>=0;i--)
80         r[i]=pam.add(S[i]);
81     pam.init();
82     int ans=0;
83     for(int i=0;i<len-1;i++)
84         ans=max(ans,l[i]+r[i+1]);
85     cout<<ans<<endl;
86     return 0;
87 }

```

## 2.6 Lyndon Word Decomposition

### NewMeta

```

1 // 把串 s 划分成 lyndon words, s1, s2, s3, ..., sk
2 // 每个串都严格小于他们的每个后缀, 且串大小不增
3 // 如果求每个前缀的最小后缀, 取最后一次 k 经过这个前缀
    ↪ 的右边界时的信息更新
4 // 如果求每个前缀的最大后缀, 更改大小于号, 并且取第一
    ↪ 次 k 经过这个前缀的信息更新
5 void lynDecomp() {
6     vector<string> ss;
7     for (int i = 0; i < n; ) {
8         int j = i, k = i + 1; // mnsuf[i] = i;
9         for (; k < n && s[k] >= s[j]; k++) {
10             if (s[k] == s[j]) j++; // mnsuf[k] =
                ↪ mnsuf[j] + k - j;
11             else j = i; // mnsuf[k] = i;
12         }
13         for (; i <= j; i += k - j)
14             ↪ ss.push_back(s.substr(i, k - j));
15     }

```

## 2.7 EXKMP NewMeta

```
1 // 如果想求一个字符串相对另外一个字符串的最长公共前
   ↳ 缀，可以把他们拼接起来从而求得
2 void exkmp(char *s, int *a, int n) {
3     a[0] = n; int p = 0, r = 0;
4     for (int i = 1; i < n; ++i) {
5         a[i] = (r > i) ? min(r - i, a[i - p]) : 0;
6         while (i + a[i] < n && s[i + a[i]] ==
   ↳ s[a[i]]) ++a[i];
7         if (r < i + a[i]) r = i + a[i], p = i;
8     }}
```