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C#####
C                                                                    #
C          SUBROUTINE PROGRAM                                      #
C          VERSION 1.0 (12/07/2009)                               #
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C          SHANGHAI, CHINA                                       #
C-----#
C          computes the velocity in the vertical direction        #
C                                                                    #
C#####

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Subroutine WREAL
Include './Include/OCERM_INF'
!$OMP PARALLEL DEFAULT(SHARED) PRIVATE(I, J, K, FXH, FYH, FXE, FYE)
!$OMP DO

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Do I = 1, IJM
  If (CCM(I) .EQ. 1.0) Then
    FXH = 0.0
    FYH = 0.0
    FXE = 0.0
    FYE = 0.0

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$$\int_{cv} \vec{\omega} h \, dv = \int_{cs} h \vec{n} \, ds$$

$$= h \Delta l \cos \Delta \theta$$

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    Do J = 1, CELL_POLYGEN(I)
      FXH = FXH +
&          HS(CELL_SIDE(I, J, 1)) *
&          CELL_CUV(I, J, 7) * CELL_CUV(I, J, 6)

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$$h \Delta l \sin \Delta \theta$$



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      FYH = FYH +
&          HS(CELL_SIDE(I, J, 1)) *
&          CELL_CUV(I, J, 8) * CELL_CUV(I, J, 6)
      If (CFM(CELL_SIDE(I, J, 1)) .EQ. 1.0) Then

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        FXE = FXE +
&          WIX(I, J) * (ELF(CELL_SIDE(I, J, 2)) - ELF(I))
        FYE = FYE +
&          WIY(I, J) * (ELF(CELL_SIDE(I, J, 2)) - ELF(I))

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$$\int_{cv} \vec{\omega} \eta \, dv = \int_{cs} \eta \vec{n} \, ds$$

$$= \eta_f n_x \Delta b$$

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      Endif

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    Enddo

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  Do K = 1, KBM

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$$WR(I, K) = \frac{(W(I, K) + W(I, K+1))}{2} +$$

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&           $\frac{ZZ(K) * (U(I, K) / (HC(I) + ELF(I)) * \frac{u}{D} \frac{\partial h}{\partial x} +$ 
&           $\frac{FXH}{AREA(I)} +$ 
&           $\frac{V(I, K) / (HC(I) + ELF(I)) * \frac{v}{D} \frac{\partial h}{\partial y} +$ 
&           $\frac{FYH}{AREA(I)} +$ 

```

$q_z(w)$

q_0

$$\frac{u}{D} \frac{\partial h}{\partial x}$$

$$\frac{v}{D} \frac{\partial h}{\partial y}$$

$\frac{u}{D} \frac{\partial \eta}{\partial x} , \frac{v}{D} \frac{\partial \eta}{\partial y}$

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&          (1. + ZZ(K)) * (U(I,K) / (HC(I)+ELF(I)) * FXE +
&          V(I,K) / (HC(I)+ELF(I)) * FYE +
&          (ELF(I) - EL(I)) / DTI)  $\frac{\partial \eta}{\partial t}$ 
C      &      + DHT / DTI
C      QZ(I,K) = WR(I,K) * (HC(I) + ELF(I))

      Enddo
    Endif
  Enddo
!$OMP END DO
!$OMP END PARALLEL
C-----C

Return
End

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$h(x,y) \quad \eta(x,y,t)$
 $\uparrow \quad \nearrow$

$\star \quad \delta = \frac{z-\eta}{D} , \quad D = -h-\eta$

$$q_\delta = \frac{1}{D} q_z - u \left[\frac{\delta}{D} \frac{\partial h}{\partial x} + \frac{(H_0)}{D} \frac{\partial \eta}{\partial x} \right] - v \left[\frac{\delta}{D} \frac{\partial h}{\partial y} + \frac{(H_0)}{D} \frac{\partial \eta}{\partial y} \right] - \frac{\delta}{D} \frac{\partial \eta}{\partial t}$$

↓

$$\int_{cv} q_z dv = q_z A \Delta \delta$$

↓

$$\int_{cv} \frac{\partial \eta}{\partial t} dv = \frac{\Delta \eta}{\Delta t} A \Delta \delta$$