Name: Harleen	Gill	
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Important: This exam must be turned in handwritten. It can be on lined paper.

It must be turned in as a single PDF.Image files for each page will not be accepted.

You can download Adobe Scan on your phone to make the PDF.

https://acrobat.adobe.com/us/en/mobile/scanner-app.html

Who did you work with?

b.

c.

d.

Who else did you ask for help?

Name: Harleen Gill

1. The decarboxylation of pyruvic acid occurs via the following reaction:

$$CH_3COCOOH(l) \longrightarrow CH_3CHO(g) + CO_2(g)$$

Given the following thermodynamic data

$$\Delta_f H(25 \text{ C})_{\text{CH},\text{COCOOH}} = -584 \text{ kJ mol}^{-1} \Delta_f G(25 \text{ C})_{\text{CH},\text{COCOOH}} = -463 \text{ kJ mol}^{-1}$$

$$\Delta_f H(25 \text{ C})_{\text{CH},\text{CHO}} = -166 \text{ kJ mol}^{-1} \qquad \Delta_f G(25 \text{ C})_{\text{CH},\text{CHO}} = -133 \text{ kJ mol}^{-1}$$

$$\Delta_f H(25 \text{ C})_{\text{CO}_2} = -394 \text{ kJ mol}^{-1} \qquad \Delta_f G(25 \text{ C})_{\text{CO}_2} = -394 \text{ kJ mol}^{-1}$$

a. Calculate ΔG_{rxm}° . Is this reaction spontaneous under standard state conditions? Justify

your answer.
$$\Delta G_{rxn}^{\circ} = \sum \Delta G_{f}^{\circ} \operatorname{products} - \sum \Delta G_{f}^{\circ} \operatorname{reactants}$$

$$\Delta G_{rxn}^{\circ} = \left(-133 \, \text{KJ/m} + -394 \, \text{KJ/m}\right) - \left(-463 \, \text{KJ/m}\right)$$

$$\Delta G_{rxn}^{\circ} = \left(-527 \, \, \text{KJ/m}\right) - \left(-463 \, \, \text{KJ/m}\right)$$

$$\Delta G_{rxn}^{\circ} = \left[-64 \, \, \text{KJ/m}\right]$$

since AGiran is negative The reaction is spontaneous

b. Calculate the equilibrium constant, K_P , for this reaction at 80.0 K.

$$\begin{array}{l} \mbox{K P = $e^{-\Delta G}^{\circ}/RT$} \\ \mbox{$[n$ K P (T f)$ = $$$} & \frac{-\Delta H}{R} \left(\frac{1}{T2} - \frac{1}{T1} \right) \\ \mbox{In K P (T f)$ = $$} & \frac{-\Delta H}{R} \left(\frac{1}{T2} - \frac{1}{T1} \right) \\ \mbox{In K P (T f)$ = $$} & \frac{64,000}{9.314(298k)} - \frac{24,000\ \mbox{$J/m}}{9.314\ \mbox{$J/m} \mbox{$J/m} \mbox{$K$ P}} \left(\frac{1}{90k} - \frac{1}{298k} \right) \\ \mbox{In K P (T f)$ = $$} & 24,000\ \mbox{$J/m} \mbox$$

c. At the lower temperature, does the reaction favor the reactants or the products?

2. For a pure substance

5) ds = CV dT, constant V

a. Derive the following expression $(a) \left(\frac{\partial}{\partial \tau} \left(\frac{\partial S}{\partial v}\right)_{\tau}\right)_{v} = \left(\frac{\partial}{\partial v} \left(\frac{\partial S}{\partial \tau}\right)_{v}\right)_{\tau}$ $(b) \left(\frac{\partial}{\partial \tau} \left(\frac{\partial S}{\partial v}\right)_{\tau}\right)_{v} = \left(\frac{\partial}{\partial v} \left(\frac{\partial S}{\partial \tau}\right)_{v}\right)_{\tau}$ $(c) \left(\frac{\partial}{\partial \tau} \left(\frac{\partial S}{\partial \tau}\right)_{v}\right)_{\tau} = \frac{\partial}{\partial v} \left(\frac{\partial}{\partial \tau}\right)_{v} = \frac{\partial}{\partial v} \left(\frac{\partial}{\partial v}\right)_{v} = \frac{\partial}{\partial v} \left(\frac{\partial}{\partial v}\right)_$

b. How does the molar entropy change with increasing volume?

For a mixture of substances, n_1, n_2, n_3 ...

d. Pure phosphine is allowed to decomposeaccording to the following reaction.

$$COCl_2(g) \rightleftharpoons CO(g) + Cl_2(g)$$

Assuming ideal gas behavior, and using the Maxwell relationship above, derive an expression for $\left(\frac{\partial \mu_{\text{COCl}_2}}{\partial P}\right)_{T,n_{\text{CO}},n_{\text{Cl}_2}}$ $\left(\frac{\partial \mu_{\text{COCl}_2}}{\partial P}\right)_{T,n_{\text{CO}},n_{\text{Cl}_2}}$ $\left(\frac{\partial \mu_{\text{COCl}_2}}{\partial P}\right)_{T,n_{\text{CO}},n_{\text{Cl}_2}}$ $\left(\frac{\partial \mu_{\text{COCl}_2}}{\partial P}\right)_{T,n_{\text{CO}},n_{\text{Cl}_2}}$ $\left(\frac{\partial \mu_{\text{COCl}_2}}{\partial P}\right)_{T,n_{\text{CO}},n_{\text{Cl}_2}}$ How does the chemical potential change with increasing pressure?

 $\begin{aligned} & \text{Hint: } n = n_{\text{COCl}_2} + n_{\text{CO}} + n_{\text{Cl}_2} \text{,} dn_{\text{COCl}_2} = -dn_{\text{CO}} \text{,} \ dn_{\text{COCl}_2} = -dn_{\text{Cl}_2} \\ & \Rightarrow -\left(\frac{\partial V}{\partial n_{\text{COCl}_2}}\right)_{\text{T,P,ncocl}_2 + n_{\text{Co} + n_{\text{Cl}_2}}} \Rightarrow -\left(\frac{\partial V}{\partial n_{\text{CO}}}\right)_{\text{T,P,ncocl}_2 + n_{\text{Co} + n_{\text{Cl}_2}}} + -\left(\frac{\partial V}{\partial n_{\text{CO}}}\right)_{\text{T,P,ncocl}_2 + n_{\text{Co} + n_{\text{Cl}_2}}} \right)_{\text{T,P,ncocl}_2 + n_{\text{CO} + n_{\text{Cl}_2}}} \end{aligned}$

e. Use your result in part d to derive an expression for $\mu_{COCl_2}(P)$ with respect to some reference pressure, P°

rence pressure,
$$P^{-}$$

$$G(T,P) = G^{\circ}(T) + nRT + n(P|P^{\circ})$$

$$M^{\text{pure}}(T,P_{cocl2}) = M^{\text{mixture}}_{cocl_2}(T,P_{cocl_2}) = M^{\circ}_{cocl_2}(T) + RT + n \frac{P \cos iz}{P^{\circ}}$$

$$M^{\text{mixture}}_{cocl_2}(T,P) = M^{\circ}_{cocl_2}(T) + RT + n \frac{g}{P^{\circ}} + RT + n \times cocl_2$$

3. The following thermodynamic data was measured for a chemical reaction:

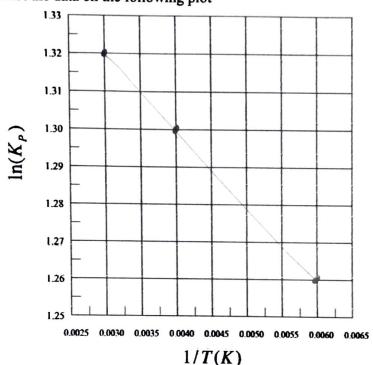
$$\frac{1}{167} = 0.005198$$

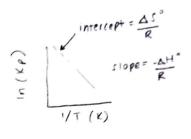
$$\frac{1}{250} = 0.004$$

$$\frac{1}{333} = 0.003$$

T(K)	K _P
167	In 3.53 = 1.26
250	in 3.67 = 1,30
333	10.3.74 = 1.32

a. Plot the data on the following plot





$$\begin{array}{r}
\text{Slope} = \frac{\Delta Y}{\Delta X} \\
= 1.32 \cdot 1.30 \\
0.003 \cdot 0.004 = -20
\end{array}$$

$$y = mx + b$$

 $1.32 = (-20) 0.003 + b$
 $b = 1.38$
 $b = 1.38$

b. Calculate ΔG_r° for this reaction. Is this reaction spontaneous? Justify your answer.

$$\Delta G = -RTINKP$$
 $\Delta G_1 = -8.314 J/mK$
 $(167 K) IN (3.53)$
 $\Delta G_1 = -1,751.234$
 $\Delta G_2 = -8.314 J/mK$
 $(250) IN (3.67)$
 $\Delta G_2 = -2702.448 J/m$

plate
$$\Delta G_r^{\circ}$$
 for this reaction. Is this reaction spontaneous $\Delta G_{3}^{\circ} = -8.314 \text{ J/mk} (333)$ we see $\Delta G_{3}^{\circ} = -RT \ln \text{ keq}$ thus we can write $-RT \ln \text{ keq}$ of $\ln \text{ keq} = -\Delta t \ln \text{ keq}$ of $\ln \text{ keq} = -\Delta t \ln \text{ keq}$ in $\ln \text{ keq} = -\Delta t \ln \text{ keq}$ of $\ln \text{ keq} = -\Delta t \ln \text{ keq}$ of $\ln \text{ keq} = -\Delta t \ln \text{ keq}$ of $\ln \text{ keq} = -20 \ln \text{ keq} = -20 \ln \text{ keq}$ in $\ln \text{ keq} = -20 \ln \text{ keq} =$

$$J/mk$$
 (333)

We see $\Delta G = -RT \ln keq$

Thus we can write $-RT \ln keq = \Delta H^{\circ} - T\Delta S^{\circ}$

or $\ln keq = -\frac{\Delta H^{\circ}}{RT} + \frac{\Delta S^{\circ}}{R}$
 $2701.884J/m$
 $In kf = -20 + 1.38$
 $e^{\circ} \ln kf = e^{\circ} - 18.62$
 $\Delta G^{\circ} = -RT \ln kf$
 $= 9.314(250) \ln (8.193810.9)$
 $\Delta G^{\circ} = 98, 701.640$ J

c. Is this reaction enthalpically or entropically driven. Justify your answer.

$$S10Pe = -\Delta H^{\circ}$$
 R
 $\Delta G < O Sportant$
 $\Delta H > O$
 $\Delta H > O$
 $\Delta H > O$
 $\Delta S > O$
 $\Delta H = 166.28$
 $\Delta H = 166.28$

$$\Delta G < O$$
 spontaneous

 $\Delta H > O$
 $\Delta H > O$
 $\Delta S > O$

1.38 = ΔS

1 3.314

 $\Delta S = 11.473$

entropically favorable

Short Answers:

- 4. What is the second law of thermodynamics?

 There is a quantity (entropy) mat can never decrease over time in an isolated system. Entropy always increases or stays constant (equilibrium) for an isolated system. $\Delta s \ge 0$ for any process in an isolated system.
- 5. What is the third law of thermodynamics? Explain how this makes entropy different than energy or enthalpy. The entropy of a pure perfectly crystalline substance is zero at kalvin [s=kin(w)]. This proves that when entropy (measure of random activity) is zero then it is in equilibrium/order-where enthalpy is a measure of the overall amount of energy.

6. Why can't we build a perpetual motion machine?

A perpetual motion machine violates the 1st and 2nd laws of thermodynamics.

1st Iaw) It produces mechanical work without any energy being in put - which violates conservation of energy 2nd Iaw) It converts mermal energy into mech. work - with no heat being rejected. This violates me rule of production of entropy, must entropy in a system must always increase.

- 7. Why is Gibb's free energy usually more useful to chemists than Helmholtz energy?

 Gibb's free energy is straight forward when manipulating variables such as pressure and temperature (not entropy or volume), Most importantly, volume change is negligible. Helm Holtz is more useful when dealing with mechanical systems.
- 8. Give the mathematical definition of chemical potential. Explain why it is called a potential. Include at least one drawing. $\left(\frac{2G}{2n}\right)_{1}$, ρ_{1} , ρ_{2} , ρ_{3} = G = \mathcal{M}_{1} $\rightarrow \mathcal{M}_{2}$

9. Is the mixing of different types of molecules in an ideal gas spontaneous? Justify your answer using mathematical expressions for the chemical potential.

The chem potential is the enange of free energy with respect to the # of molecules added. When a molecule is added in an ideal gas it will not react with it, therefore the # of molecules intrake and entropy increases because of an increase in farticules, them potential is investely proportional to the # of molecules added \rightarrow them potential decreases as the # of particles increase. Also A change = entropy \rightarrow more spontaneous. Meaning mixing non ideal gas is spontaneous \rightarrow du = $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n \end{pmatrix}$ T, P, $n \rightarrow$ $\begin{pmatrix} 2G \\ 2n$

10. For a given chemical reaction involving only gasses at equilibrium, if ΔG_{ran}>0, will there be more product formed or more reactant. Justify your answer using one or more equations.

File energy of the πατηθη is positive → not spontaneous → no product formed chem

DGran = -RT in Keq Keq = Product -> Keq 20

AGran > O Keq 20

Forms more reactants than products

more reactants produced.

Extra Credit (5 pts)

Write your favorite equation from this semester and briefly explain the insight into chemistry that it provides.

Favorite equation: Hess's equation (AHreaction = ZAH fiproducts) - ZAH ficeactants)

Insight:

This equation is a relationship in physical chemistry in named after Germain Hess, a switzerland-born Russian chemist and physician who published it in 1840. The law states that the total enthalpy change during the complete course of a chemical reaction is the same whether the reaction is made in one step or in several steps. Hess's law is now understood as an expression of the principle of conservation of energy, also expressed in the first law of themodynamics, and the fact that the enthalpy of a chemical process is independent of the path taken from the initial to the final state.