

• for a real gas:

$$M(T, P) = M^{\circ}(T) + RT \ln \frac{f}{P^{\circ}}$$

\*  $f$  = fugacity (effective pressure that a real gas exerts)

•  $G_m^{\text{real}} < G_m^{\text{ideal}} \quad f < P$  (attractive range)

•  $G_m^{\text{real}} > G_m^{\text{ideal}} \quad f > P$  (repulsive range)

• fugacity and pressure related

$$dG_m = V_m dp$$

• after some substitutions, which you get is:

$$\ln f = \ln P + \int_0^P \frac{Z-1}{P'} dP' \quad \text{or} \quad f = P \exp \left[ \int_0^P \left( \frac{Z-1}{P'} \right) dP' \right]$$

or  
~~or~~  $f = \phi(P, T) P$

~  $\phi$  is fugacity coefficient

- under typical lab conditions, fugacity of a gas can be set equal to its partial pressure if  $P, V$ , and  $T$  are not close to their critical values.

## 8.1 What Determines the Relative Stability of the solid, liquid, and Gas Phases?

- diff substances are at diff phases depending on factors such as temp + pressure.

• reminder Gibbs energy,  $G(T, P, n)$

$$M = \left( \frac{\partial G}{\partial n} \right)_{T, P} = \left( \frac{\partial [nG_m]}{\partial n} \right)_{T, P} = G_m$$

changes in  $P$  and  $T$ :

$$\left( \frac{\partial M}{\partial T} \right)_P = -S_m \quad \text{and} \quad \left( \frac{\partial M}{\partial P} \right)_T = V_m$$