U Wroclaw, Fall 2015 Applied Stats

DISCUSSION/LAB 10: Analysis of variance ANOVA

Factorial experiments

We will use two data sets: mortardata.xls, and dietdata.*.

Mortardata: A research article investigates the effect of age on tensile strength of mortar. Several specimens of various ages were loaded until failure, and the maximum load (in MPa) was recorded for each. The results are in the data set mortardata.*. Does age have an effect on the mean tensile strength of mortar? If the means differ, which do you think differ the most?

Results for: mortardata

One-way ANOVA: 3, 7, 28, 90, 180, 365

Method

Null hypothesis All means are equal Alternative hypothesis At least one mean is

different

Significance level $\alpha = 0.05$

Equal variances were assumed for the analysis.

Factor Information

Factor Levels Values

Factor 6 3, 7, 28, 90, 180, 365

Analysis of Variance

Source DF Adj SS Adj MS F-Value P-Value Factor 5 3.808 0.76161 7.91 0.000 Error 73 7.027 0.09627 Total 78 10.835

Model Summary

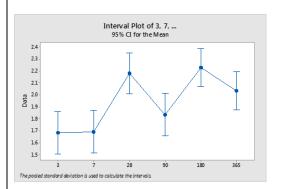
S R-sq R-sq(adj) R-sq(pred) 0.310268 35.14% 30.70% 24.05%

Means

Factor	N	Mean	StDev	95 %	CI
3	12	1.6825	0.2373	(1.5040,	1.8610)
7	12	1.6900	0.2016	(1.5115,	1.8685)
28	13	2.182	0.473	(2.010,	2.353)
90	12	1.8333	0.3227	(1.6548,	2.0118)
180	15	2.2300	0.2806	(2.0703,	2.3897)
365	15	2.0353	0.2713	(1.8757,	2.1950)

Pooled StDev = 0.310268

Interval Plot of 3, 7, ...



Answer:

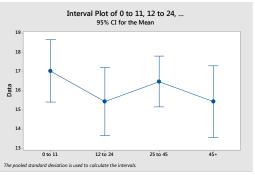
Dietdata.*. Archeologists can determine the diets of ancient civilizations by measuring the ratio of carbon-13 to carbon -12 in bones found at burial sites. Large amounts of carbon-13 suggest a diet rich in grasses such as maize, while small amounts of carbon-13 suggest a diet based on herbaceous plants. A journal article reports ratios, as a difference from a standard in units of parts per thousand, for bones from individuals in several age groups. Are the mean concentration ratios different in different age groups? What does that say about the diet as people aged?

One-way ANOVA: 0 to 11, 12 to 24, 25 to 45, 45+ Method Null hypothesis All means are equal Alternative hypothesis At least one mean is different Significance level $\alpha = 0.05$ Equal variances were assumed for the analysis. Factor Information Factor Levels Values 4 0 to 11, 12 to 24, 25 to 45, 45+ Factor Analysis of Variance Source DF Adj SS Adj MS F-Value P-Value 6.988 0.453 Factor 3 20.96 0.89 Error 45 352.95 7.843 373.91 Total 48 Model Summary R-sq R-sq(adj) R-sq(pred) 2.80058 5.61% 0.00% 0.00% Means Factor N Mean StDev 95% CI 0 to 11 12 17.050 2.266 (15.422, 18.678) 12 to 24 10 15.45 3.64 (13.67, 17.23)

2.633

9 15.444 2.728

Interval Plot of 0 to 11, 12 to 24, ...



Answer and comments.

Pooled StDev = 2.80058

25 to 45 18 16.494

45+

(15.165, 17.824)

(13.564, 17.325)