

**MODULE 3: Modelling of System By Simulink**

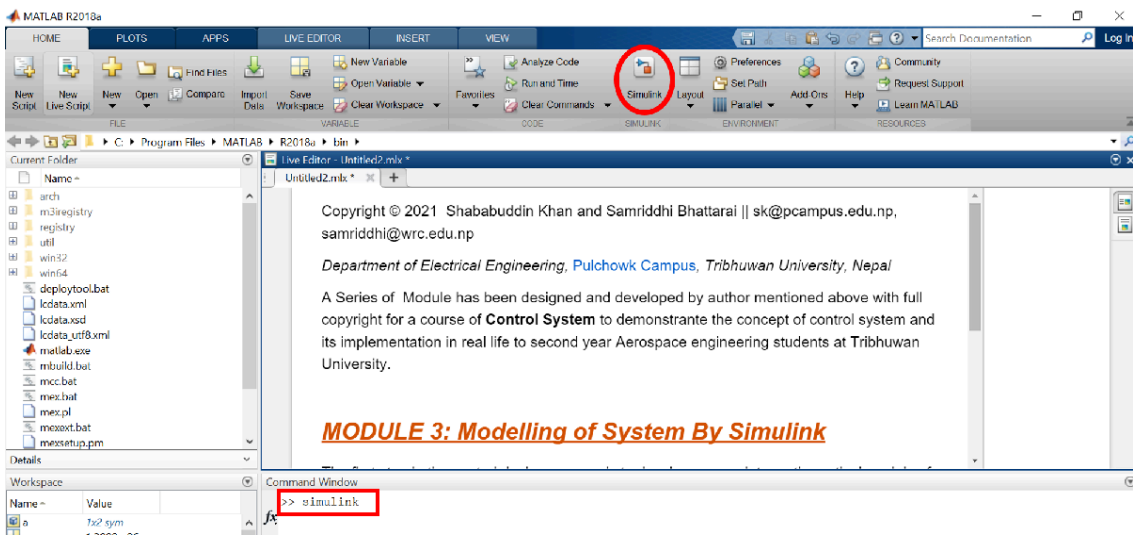
The first step in the control design process is to develop appropriate mathematical models of the system to be controlled. It can be achieved in MATLAB by Simulink.

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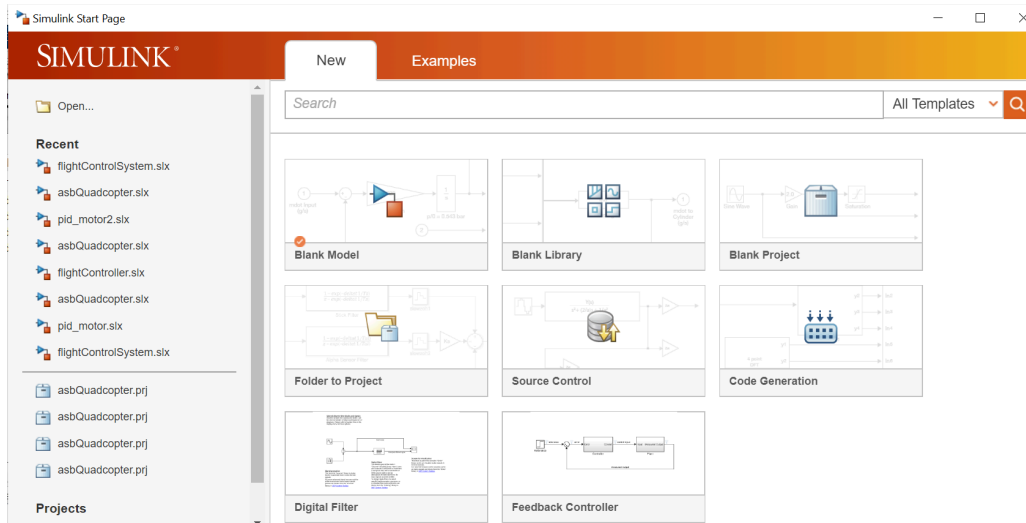
**3.1 Understanding the Environment**

**3.1.1 Opening Simulink**

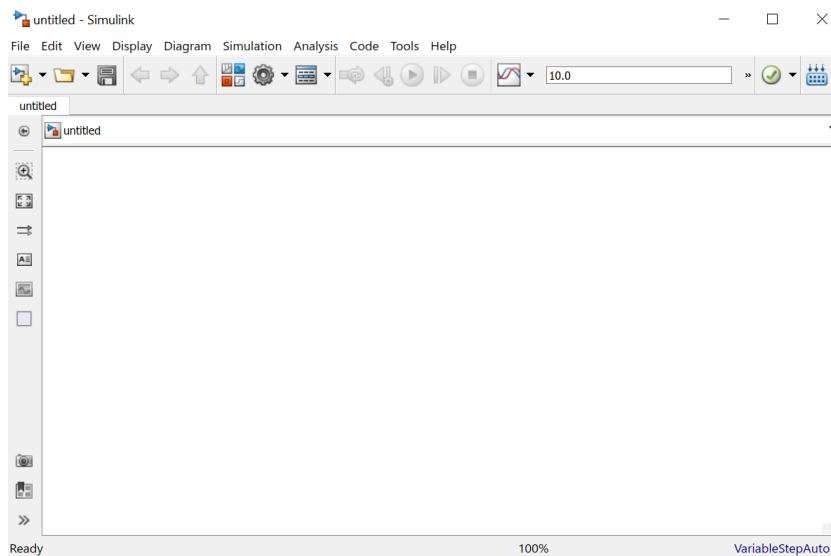


```
% Opening a Simulink by Script
simulink
```

### 3.1.2 Simulink Start Page

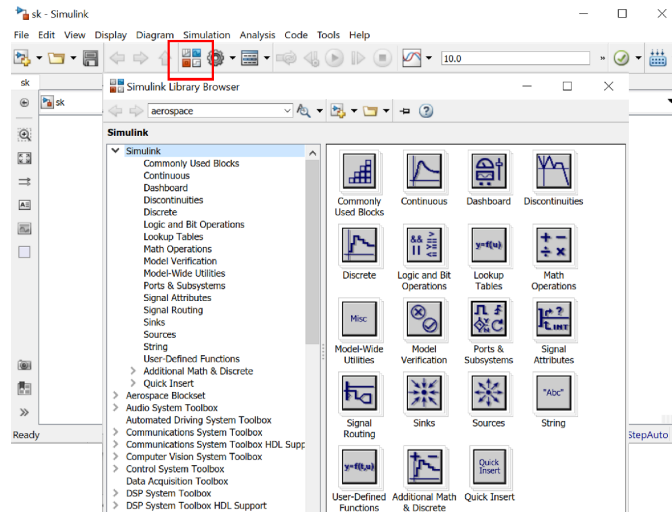


### 3.1.3 Simulink Workplace



```
% Can Create a new simulink file by script
%new_system('sk');
% Open New Created Simulink File By Script
open_system('sk')
```

### 3.1.4 Simulink Library Browser



## 3.2 Modelling of Armature Controlled DC Motor By Simulink Elements

### % Parameters of DC Motor

```
J = 3.2284E-6;
b = 3.5077E-6;
Kt = 0.0274;
Ke = 0.0274;
R = 4;
L = 2.75E-6;
```

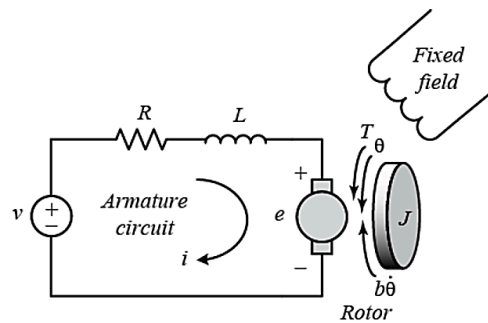


Fig: Equivalent DC Motor

### For Armature Control,

In Electrical Circuit,

$$v = Ri + L \frac{di}{dt} + e$$

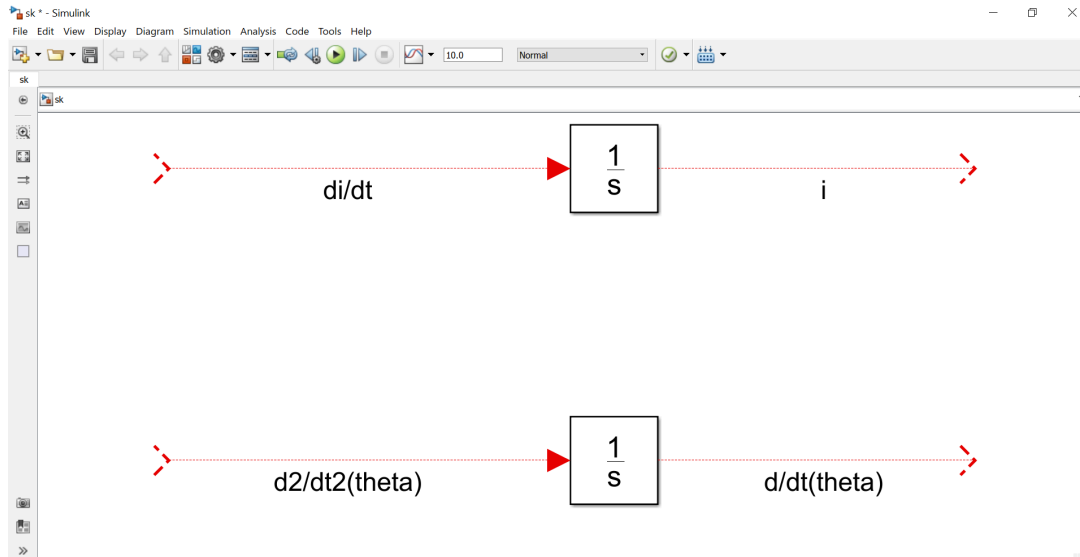
$$\frac{di}{dt} = \frac{1}{L} [v - Ri - e] = \frac{1}{L} \left[ v - Ri - K_e \frac{d\theta}{dt} \right]$$

In Rotational Part,

$$T = J \frac{d^2\theta}{dt^2} + b \frac{d\theta}{dt}$$

$$\frac{d^2\theta}{dt^2} = \frac{1}{J} \left[ T - b \frac{d\theta}{dt} \right] = \frac{1}{J} \left[ K_t i - b \frac{d\theta}{dt} \right]$$

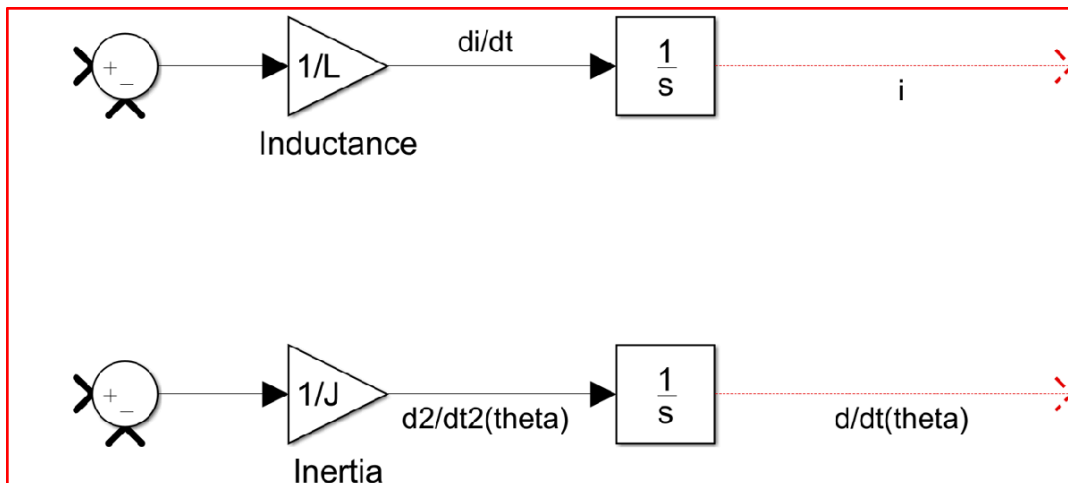
### **Find Input parameters from Output**



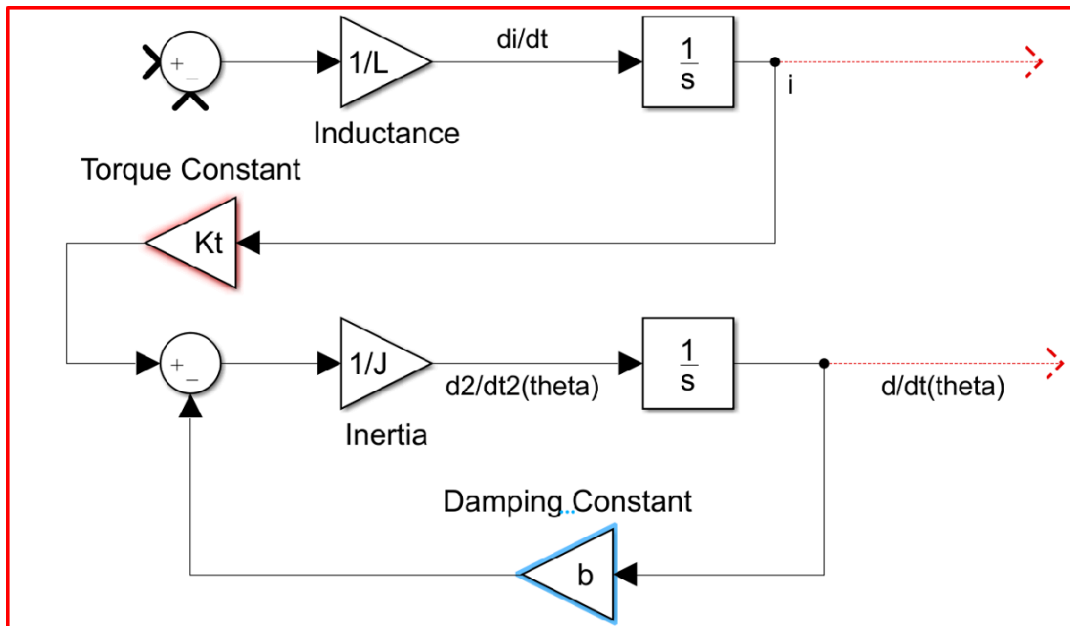
### **Proceed Stepwise to get the output**

$$\frac{di}{dt} = \frac{1}{L} \left[ v - R i - K_e \frac{d\theta}{dt} \right]$$

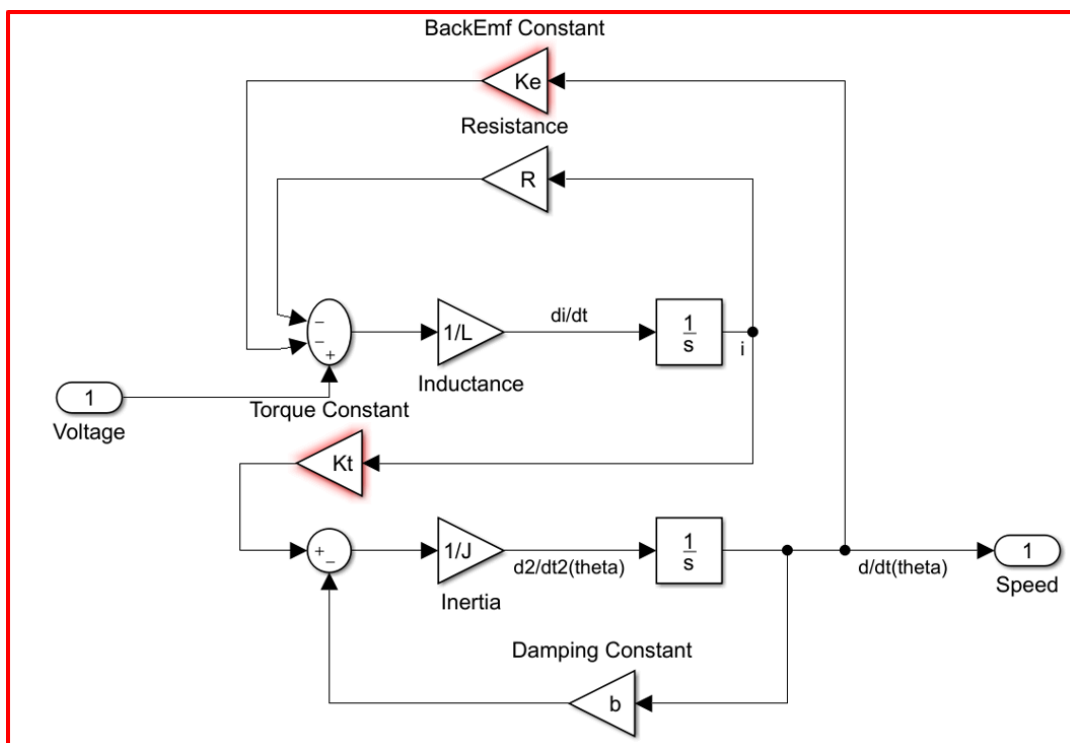
$$\frac{d^2\theta}{dt^2} = \frac{1}{J} \left[ K_t i - b \frac{d\theta}{dt} \right]$$



$$\frac{d^2\theta}{dt^2} = \frac{1}{J} \left[ K_t i - b \frac{d\theta}{dt} \right]$$



$$\frac{di}{dt} = \frac{1}{L} \left[ v - R i - K_e \frac{d\theta}{dt} \right]$$



**Select all the intermediate element and make subsystem**

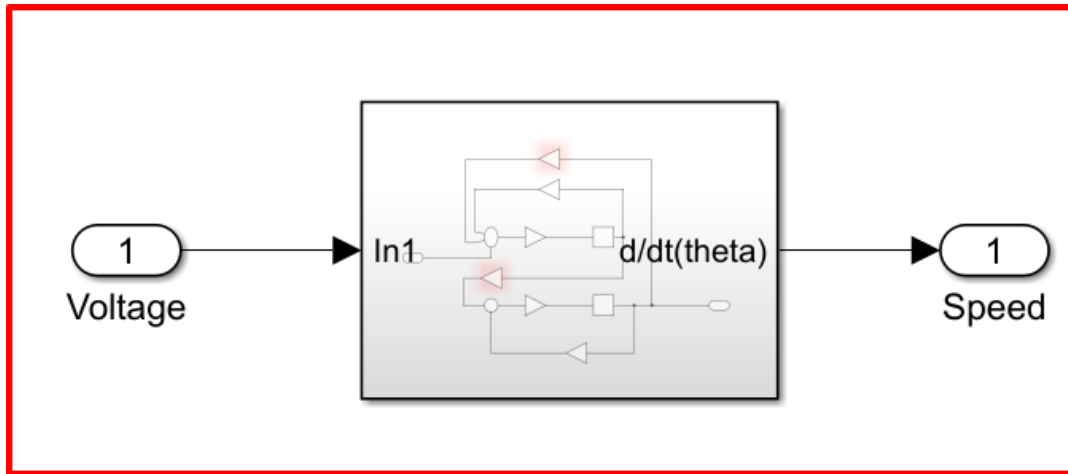


Fig: Model of Speed Control of DC Motor in Simulink

### 3.3 Modelling of Armature Controlled DC Motor By Simulink Transfer System Block

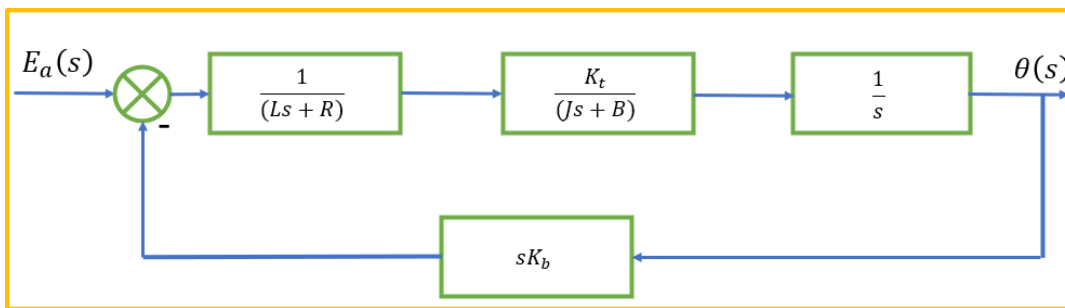


Fig: Mathematical Model of Armature Control of DC Motor [Position Control]

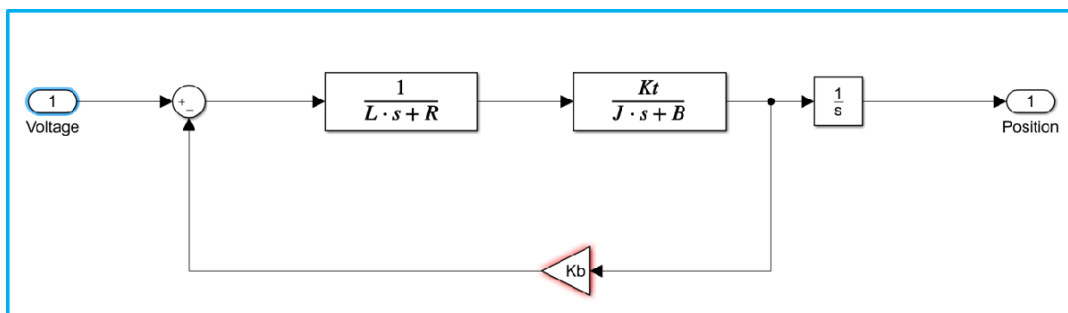


Fig: Simulink Model of Position Control of DC Motor

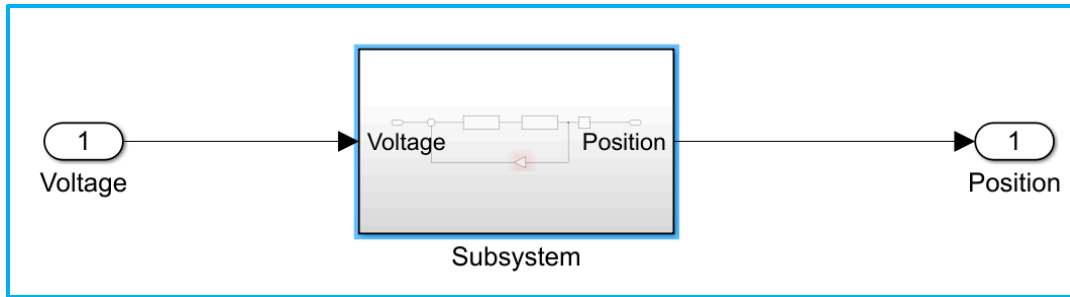


Fig: Subsystem of Simulink Model of Position Control of DC Motor

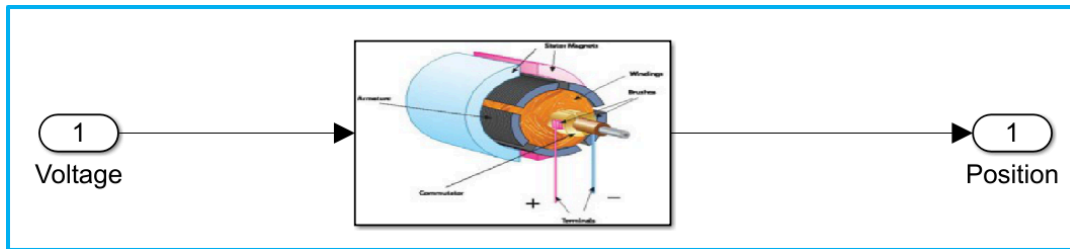


Fig: Adding an Icon to the Subsystem

Fig: Parameters Input to the system by Masking

## References

1. Mathworks.inc
2. <https://ctms.engine.umich.edu/CTMS/index.php?aux=Home>
3. Bakshi, Uday A., and Varsha U. Bakshi. *Control system engineering*. Technical Publications, 2020.
4. Nise, Norman S. "Control system engineering, John Wiley & Sons." Inc, New York(2011).