

Rajiv Gandhi Institute of Petroleum Technology



Quiz-1

Course Inorganic & Physical Chemistry
 Course Code CY111
 Full Marks 40
 Date & Time 09/Feb/2022, 10:15 AM- 11:00 AM

1A- to- 1J : MCQ, each question carries 1.5 marks each, one wrong answer carries 3 marks.

1A. The concept that all microscopic physical entities have both wave & particle properties is called wave-particle:

- (a) Singularity (b) Triality (c) Infinality (d) Nullility (e) Intellectuality

1B. The expectation value of operator Q for a wave function is often written as:

- (a) Q (b) $\langle Q \rangle$ (c) $\rangle Q \langle$ (d) $\langle f(Q) \rangle$ (e) $f(Q)$

1C. The energy operator for 1 particle in one dimension in quantum mechanics,

$$H = -\frac{\hbar^2}{2m} \frac{\partial^2}{\partial x^2} + V(x)$$

is called the:

- (a) Lagrangian (b) Delhinian (c) Hamiltonian (d) Laplacian (e) Uponium

1D. In the probabilistic interpretation of wave function ψ , the $|\psi|^2$ is:

- (a) probability amplitude (b) probability density (c) negative probability (d) 1.00 (e) 0.00

1E. The probability of finding a particle in differential region dx is:

- (a) $\psi(x,t) dx$ (b) $\psi(x,t)^* dx$ (c) $\psi(x,t)^* / \psi(x,t) dx$ (d) $\psi(x,t)^2 dx$ (e) $\psi(x,t)^* \times \psi(x,t) dx$

1F. A physical requirement on wave functions is that they should be:

- (a) reliable (b) friable (c) certifiable (d) normalizable (e) retrieable

1G. It describes a fundamental limitation on the accuracy with which we can know position and momentum simultaneously.”

- (a) Tarkovsky's doubtful thesis (b) Rublev's ambiguous postulate (c) Kelvin's nebulous zeroth law (d) Schrödinger's wild hypothesis (e) Heisenberg's uncertainty principle

1H. The momentum operator in one-dimension is:

(a)	(b)	(c)	(d)	(e)
$\hbar \frac{\partial}{\partial x}$	$\frac{\hbar}{i} \frac{\partial}{\partial x}$	$\frac{i}{\hbar} \frac{\partial}{\partial x}$	$\frac{i}{\hbar} \frac{\partial}{\partial t}$	$\hbar \frac{\partial}{\partial t}$

1I. The time-independent Schrödinger equation from the full Schrödinger equation by:

(a) colloquialism	(b) solution for eigen functions	(c) separation of the x and y variables	(d) separation of the space and time variables	(e) expansion
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1J. The full Schrödinger equation in compact form is:

(a)	(b)	(c)	(d)	(e)
$H\Psi = \hbar \frac{\partial \Psi}{\partial t}$	$H\Psi = i \frac{\partial \Psi}{\partial t}$	$H\Psi = i\hbar \frac{\partial \Psi}{\partial t}$	$H^{-1}\Psi = i\hbar \frac{\partial \Psi}{\partial t}$	$H\Psi = i\hbar \frac{\partial \Psi}{\partial x}$

2. Explain “Ultraviolet Catastrophe” in Black Body Radiation?

Marks: 2

3. If an electron in a hydrogen atom is confined to a region of size 53 picometer (pm) from the nucleus, what is the indeterminacy in its momentum and velocity?

Marks: 4

4. Write down the QM operator for momentum (p) and energy (E)

Marks: 3 (1+2)

5. What are the conditions for acceptability of wave functions?

Explain the

validity of the function using graph

$$\frac{1}{x} \sin x$$

Marks: 4 (2+2)

6. What is Born Interpretation on Probability density of Wave function ?

Marks: 3

7. Calculate the wavelength of light absorbed to bring out the transition from $n = 1$ and $n = 2$ for an electron in a one dimensional box of length of 1.0 nm.

Marks: 4

8. In one dimensional box, calculate the expectation value for momentum $\langle P_x \rangle$ and explain its value.

Marks: 5 (2+2)