PSET1 Julia Code Sneha Kabaria-Copy1

February 5, 2019

```
In [16]: #Import Plotting Packages
         using Pkg; Pkg.add("Plots")
         using Plots
         Pkg.add("PyPlot")
 Resolving package versions...
 Updating `~/.julia/Project.toml`
 [no changes]
 Updating `~/.julia/Manifest.toml`
 [no changes]
 Resolving package versions...
 Updating `~/.julia/Project.toml`
 [no changes]
 Updating `~/.julia/Manifest.toml`
 [no changes]
In [17]: gr()
Out[17]: Plots.GRBackend()
In \lceil 18 \rceil: #PART A and B
In [19]: #Biological Constants
In [20]: \#Closed to open complex = k2 = .024 s-1 (McClure Paper)
         kI = 0.024;
In [21]: # Elongation rate = e_X =42 nts/sec
         # Note for all links, they are too long to be pasted, so they are
         # put onto multiple lines. All are official cited in a separate
         # doc.
         #All citations also included in constants document
         # https://bionumbers.hms.harvard.edu/bionumber.aspx?id=108488&ve
```

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# r=3&trm=elongation+rate+in+E.+coli&org=
         e_X = 42;
         Li = 3075; #nt/qene
         kej = e_X/Lj \#s-1
Out [21]: 0.013658536585365854
In [24]: \#Find\ K_x, j = McClureSlope*kI (see paper), converted to units of [mM]
         McClureSlope = 1.04*10^-3; #mM*s
         K_xj = McClureSlope*kI #mM
Out[24]: 2.496000000000001e-5
In [25]: #RNAP concentration = 30 nM
         \#\ https://bionumbers.hms.harvard.edu/bionumber.aspx?id
         # =100194&ver=8&trm=rnap+e+coli+M&org=
         R_xt=30*10^-6; \#mM
In [26]: #Find the gene concentration
         Gj_initial = 2500; # copies/cell
         Gj_2 = Gj_initial / (6.02*10^23); #mol/cell
         #Bionumbers: volume per cell = 6.7E-10 L/cell
         # https://bionumbers.hms.harvard.edu/bionumber.aspx?id
         # =108815&ver=1&trm=volume+of+e+coli+cell&org=
         G_{j_3} = G_{j_2} / (6.7*10^-16) \#mol/L = M
         Gj = Gj_3*1000 # mM
Out [26]: 3093.3004197832283
In [27]: tau = kej/kI
         #also PART B
Out [27]: 0.5691056910569106
In [28]: rxj = kej*R_xt*(Gj/(tau*K_xj+(tau+1)*Gj))
         #ANSWER TO rxj in PART A
Out[28]: 2.611398956088053e-7
In [29]: #PART C
In [30]: pyplot()
Out[30]: Plots.PyPlotBackend()
In [31]: #Constants
        W1 = 0.26;
         W2 = 300;
         n = 1.5;
         K_c = 0.30;
         #find f(I)
         f(I) = (I^n)/(K_c+(I^n));
         #find u(I)
         u(I) = (W1 + W2*f(I))/(1 + W1 + W2*f(I))
```

```
Out[31]: u (generic function with 1 method)
In [32]: #growth rate, doubling time = 30 min
         grow = 30;
         #dilution is 1/grow, also convert to seconds
         B_{term} = 1/(30*60)
Out [32]: 0.000555555555555556
In [33]: #qlobal half life of mRNA = 5 min
         # https://bionumbers.hms.harvard.edu/bionumber.aspx?id=111927&ver
         # =2@trm=mrna+half+life+e+coli@org=
         halflife = 5;
         #convert to seconds
         halflife2 = 5*60:
         #convert to degradation rate, assuming first order kinetics
         kdeg = .693/halflife2
Out[33]: 0.00231
In [34]: m_j(I) = (rxj*u(I)/(kdeg+B_term)) #units of mM
         #convert to uM for the plot
         m_j_2(I) = m_j(I)*1000
Out[34]: m_j_2 (generic function with 1 method)
In [35]: #lower bound
         a = m_j_2(0.0001)
Out[35]: 0.01886208987347691
In [36]: #upper bound
         b = m_j_2(10)
Out[36]: 0.09082527844974031
In [37]: #Plotted the entire range incrementally
         #(will not plot all at once, possible due to Julia Box limitations)
         plot(m_j_2,0.0001,0.001,xaxis=:log,xlims=(0.0001,10),ylims=(1*10^-2,10*10^-2),
             xlabel = "I (mM)",ylabel="mRNA (uM)")
         plot! (m_j_2, 0.0009, 0.01, xaxis = :log, xlims = (0.0001, 10), ylims = (1*10^-2, 10*10^-2))
         plot! (m_j_2,0.001,1,xaxis=:log,xlims=(0.0001,10),ylims=(1*10^-2,10*10^-2))
         plot! (m_j_2, 0.1, 10, xaxis = :log, xlims = (0.0001, 10), ylims = (1*10^-2, 10*10^-2))
Out[37]:
```

