1) Write a program to implement S-algorithm to find the general hypothesis

```
table = [
['sunny', 'warm', 'normal', 'strong', 'warm', 'same', 'yes'],
['sunny', 'warm', 'high', 'strong', 'warm', 'change', 'no'],
['rainy', 'cold', 'high', 'strong', 'warm', 'change', 'no'],
['sunny', 'warm', 'high', 'strong', 'cool', 'change', 'yes']
]

hypo = ["phi" for i in range (len(table[0])-1)]

for i in table:
    if(i==table[0]):
        hypo=table[0]
    if(i[-1]=='yes'):
        for j in range (len(i)-1):
            if(i[j]!=hypo[j]):
                  hypo[j]='?'
print(hypo)

['sunny', 'warm', '?', 'strong', '?', '?', 'yes']
```

2) Write a program to implement candidate elimination algorithm

```
table = [
['sunny', 'warm', 'normal', 'strong', 'warm', 'same', 'yes'],
['sunny', 'warm', 'high', 'strong', 'warm', 'change', 'no'],
['rainy', 'cold', 'high', 'strong', 'cool', 'change', 'yes']
['sunny', 'warm', 'high', 'strong', 'cool', 'change', 'yes']
]

x=[]
y=[]

for i in table:
    x.append(i[:len(table[0])-1])
    y.append(i[-1])
print("concept : ",x)
print("target : ",y,end="\n\n")

gen_hypo=[["?" for i in range (len(x[0]))] for i in range (len(x[0]))]
print("most general hypothesis : ",gen_hypo)
```

```
spe_hypo=["phi" for i in range (len(x[0]))]
print("most specific hypothesis : ",spe hypo,end="\n\n")
spe_hypo=x[0]
for i,h in enumerate(x):
  if(y[i]=='yes'):
   for j in range (len(h)):
      if(spe_hypo[j]!=h[j]):
        spe_hypo[j]='?'
       gen_hypo[j][j]='?'
 else:
   for j in range (len(h)):
      if(spe hypo[j]!=h[j]):
       gen_hypo[j][j]=spe_hypo[j]
     else:
       gen_hypo[j][j]='?'
i=0
while (i < (len(gen_hypo))):</pre>
  if(gen hypo[i]==['?' for j in range (len(table[0])-1)]):
    gen_hypo.pop(i)
  else:
   i+=1
print("final specific boundry : ",spe_hypo)
print("final general : ",gen_hypo)
     concept : [['sunny', 'warm', 'normal', 'strong', 'warm', 'same'], ['sunny',
    target : ['yes', 'yes', 'no', 'yes']
    most general hypothesis : [['?', '?', '?', '?', '?'], ['?', '?', '?',
    most specific hypothesis : ['phi', 'phi', 'phi', 'phi', 'phi']
    final specific boundry : ['sunny', 'warm', '?', 'strong', '?', '?']
    final general : [['sunny', '?', '?', '?', '?'], ['?', 'warm', '?', '?'
```

3) Implement decision-tree algorithm

```
import pandas as pd
from sklearn import tree
from sklearn.tree import DecisionTreeClassifier
```

```
table = [
['sunny', 'warm', 'normal', 'strong', 'warm', 'same', 'yes'],
['sunny', 'warm', 'high', 'strong', 'warm', 'same', 'yes'],
['rainy', 'cold', 'high', 'strong', 'warm', 'change', 'no'],
['sunny', 'warm', 'high', 'strong', 'cool', 'change', 'yes']
df = pd.DataFrame(table, columns =[i for i in range(len(table[0]))])
dd = {'sunny':0,'rainy':1}
df[0]=df[0].map(dd)
dd = {'warm':0,'cold':1}
df[1]=df[1].map(dd)
dd = { 'normal':0, 'high':1}
df[2]=df[2].map(dd)
dd = {'strong':0}
df[3]=df[3].map(dd)
dd = {'warm':0,'cool':1}
df[4]=df[4].map(dd)
dd = {'same':0,'change':1}
df[5]=df[5].map(dd)
dd = {'yes':1,'no':0}
df[6]=df[6].map(dd)
features=[i for i in range(len(table[0])-1)]
X = df[features]
y = df[6]
dtree = DecisionTreeClassifier()
dtree = dtree.fit(X, y)
tree.plot_tree(dtree, feature_names=features)
```

import matplotlib.pyplot as plt

```
| Text(0.5, 0.75, '0 <= 0.5\ngini = 0.375\nsamples = 4\nvalue = [1, 3]')
| Text(0.25, 0.25, 'gini = 0.0\nsamples = 3\nvalue = [0, 3]'),
| Text(0.75, 0.25, 'gini = 0.0\nsamples = 1\nvalue = [1, 0]')]

| O <= 0.5
| gini = 0.375
| samples = 4
| value = [1, 3]

| gini = 0.0
| samples = 3
| value = [0, 3] | value = [1, 0]
| value = [1, 0]
```

4) The probability that it is Friday and that a student is absent is 3 %. Since there are 5 school days in a week, the probability that it is Friday is 20 %. What is the probability that a student is absent given that today is Friday? Apply Baye's rule in python to get the result. (Ans: 15%)

```
def bayes (AandB,B):
    return AandB/B

#P(Friday ^ Absent)=3%
PofFandAb = 0.03

#P(Friday)=20%
PofF=0.2

#P(Absent/Friday)=?

#according to baye's rule P(A/B)=p(A^B)/p(B)

# => P(Absent/Friday)=P(Friday ^ Absent)/P(Friday)

PofAbgivenF = bayes(PofFandAb,PofF)

print(PofAbgivenF)
```

5) Extract the data from database using python

```
with open("/content/enj.csv","r") as file:
   lines=file.readlines()

data=[]
for line in lines:
   data.append(line.strip().split(","))

for row in data[1:]:
   print(row)

   ['sunny', 'warm', 'normal', 'strong', 'warm', 'same', 'yes']
   ['sunny', 'warm', 'high', 'strong', 'warm', 'same', 'yes']
   ['rainy', 'cold', 'high', 'strong', 'warm', 'change', 'no']
   ['sunny', 'warm', 'high', 'strong', 'cool', 'change', 'yes']
```

6) Implement k-nearest neighbors classification using python

```
class knn:
 def __init__(self,k):
   self.k=k
  def fit(self,x,y):
    self.x=x
    self.y=y
  def predict(self,x_test):
   pred=[]
   for i in x_test:
     distances=[]
     for j in self.x:
       temp=[]
       temp.append(self.x.index(j))
       dist= ((j[0]-i[0])**2+(j[1]-i[1])**2)**0.5
       temp.append(dist)
        distances.append(temp)
      distances.sort(key=lambda x : x[1])
      c0=0
      c1=0
      for i in range (self.k):
        if(self.y[distances[i][0]]==0):
```

```
else:
    c1+=1
    if(c0>c1):
        pred.append(0)
    else:
        pred.append(1)
    return pred

x_train = [[1,1],[3,4],[0,0],[5,5],[7,8]]
y_train = [0,1,0,1,1]

x_test=[[1,2],[6,6],[0,1],[8,7]]

knn=knn(3)
knn.fit(x_train,y_train)
print(knn.predict(x_test))
```

```
[0, 1, 0, 1]
```

7) Given the following data, which specify classifications for nine combinations of VAR1 and VAR2 predict a classification for a case where VAR1=0.906 and VAR2=0.606,using the result of k-means clustering with 3 means (i.e., 3 centroids)

- VAR1 VAR2 CLASS
- 1.713 1.586 0
- 0.180 1.786 1
- 0.353 1.240 1
- 0.940 1.566 0
- 1.486 0.759 1
- 1.266 1.106 0
- 1.540 0.419 1
- 0.459 1.799 1
- 0.773 0.186 1

```
import copy
# import matplotlib.pyplot as plt
# import numpy as np

class kmeans:

  def dist(self,a,b):
    return (((a[0]-b[0])**2+(a[1]-b[1])**2)**0.5)
```

```
def init (self,k):
  self.k=k
def fit(self,x,y):
  self.x=x
  self.y=y
  self.tp cent=x[:self.k]
  self.gps=[[x[i]] for i in range (3)]
def assigner(self,p):
  for i in p:
    min=float('inf')
    minidx=0
    for j in self.tp_cent:
      if(min>self.dist(i,j)):
        min=self.dist(i,j)
        minidx=self.x.index(j)
    self.gps[minidx].append(i)
def new_centroids(self):
  for i in self.gps:
    ncent=[[]]
    x co=0
    y_co=0
    for j in range(1,len(i)):
      x_co+=i[j][0]
      y_co+=i[j][1]
    ncent[0].append(x_co/(len(i)-1))
    ncent[0].append(y_co/(len(i)-1))
    self.gps[self.gps.index(i)]=ncent
def predict(self,x_test):
  prev_gps=[]
  while(prev_gps!=self.gps):
    prev_gps=copy.deepcopy(self.gps)
    self.assigner(self.x)
    self.new centroids()
  self.assigner(x_test+self.x)
  c0=0
  c1 = 0
  print(self.gps[0][0])
  print(self.gps[1][0])
  print(self.gps[2][0])
  for i in self.gps:
    if i.count(x_test[0])!=0:
      for j in range (2,len(i)):
        if(self.y[self.x.index(i[j])]==0):
```

```
else:
           c1+=1
      # i=np.array(i)
      # plt.scatter(i[:,0],i[:,1])
    if(c0>c1):
     return 0
    else:
      return 1
data = [
[1.713, 1.586, 0],
[0.180, 1.786, 1],
[0.353, 1.240, 1],
[0.940, 1.566, 0],
[1.486, 0.759, 1],
[1.266, 1.106, 0],
[1.540, 0.419, 1],
[0.459, 1.799, 1],
[0.773, 0.186, 1]
x train=[]
y_train=[]
for i in data:
  x train.append(i[:2])
  y_train.append(i[-1])
kmeans=kmeans(3)
kmeans.fit(x_train,y_train)
x_test=[[0.906,0.606]]
print(kmeans.predict(x_test))
# x_train= np.array(x_train)
# plt.scatter(0.906,0.606,color="g")
# [1.407, 1.152],
     [0.394, 1.590],
     [1.275, 0.454]
#
     [1.50125, 0.96750000000000001]
     [0.3195, 1.7925]
     1
```

c0+=1

```
##shortcut gpt##shortcut gpt##
##shortcut gpt##shortcut gpt##
##shortcut gpt##shortcut gpt##
import math
# Function to calculate Euclidean distance between two points
def euclidean_distance(a, b):
                       return (((a[0]-b[0])**2+(a[1]-b[1])**2)**0.5)
# Function to predict the classification for a given case
def predict_classification(data, centroids, new_case):
                      min distance = float('inf')
                      predicted class = None
                      for i, centroid in enumerate(centroids):
                                            distance = euclidean_distance(new_case, centroid)
                                            if distance < min distance:</pre>
                                                                 min_distance = distance
                                                                 predicted_class = data[i][2] # Retrieve the class label from the data
                      return predicted_class
# Given data
data = [
                      [1.713, 1.586, 0],
                      [0.180, 1.786, 1],
                      [0.353, 1.240, 1],
                      [0.940, 1.566, 0],
                      [1.486, 0.759, 1],
                      [1.266, 1.106, 0],
                      [1.540, 0.419, 1],
                      [0.459, 1.799, 1],
                      [0.773, 0.186, 1]
1
# Centroids obtained from k-means clustering (3 means)
centroids = [
                      [1.407, 1.152],
                      [0.394, 1.590],
                      [1.275, 0.454]
]
# New case to predict
new_case = [0.906, 0.606]
# Predict the classification for the new case
predicted_classification = predict_classification(data, centroids, new_case)
print("Predicted classification:", predicted_classification)
```

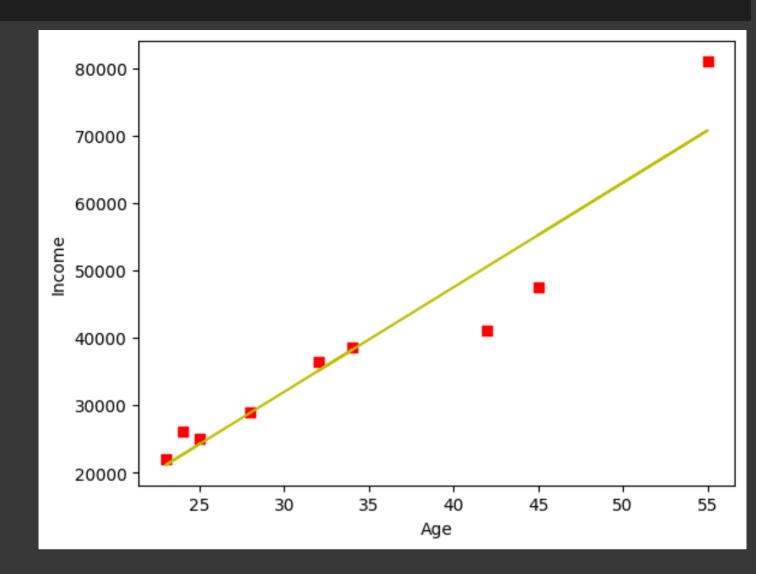
8) The following training examples map descriptions of individuals onto high, medium and low credit-worthiness. medium skiing design single twenties no -> highRisk high golf trading married forties yes -> lowRisk low speedway transport married thirties yes -> medRisk medium football banking single thirties yes -> lowRisk high flying media married fifties yes -> highRisk low football security single twenties no -> medRisk medium golf media single thirties yes -> medRisk medium golf transport married forties yes -> lowRisk high skiing banking single thirties yes -> highRisk low golf unemployed married forties yes -> highRisk Input attributes are (from left to right) income, recreation, job, status, age-group, home-owner. Find the unconditional probability of golf' and the conditional probability of single' given `medRisk' in the dataset?

```
train data = [
['medium', 'skiing', 'design', 'single', 'twenties', 'no', 'highRisk'],
['high', 'golf', 'trading', 'married', 'forties', 'yes', 'lowRisk'],
['low', 'speedway', 'transport', 'married', 'thirties', 'yes', 'medRisk'],
['medium', 'football', 'banking', 'single', 'thirties', 'yes', 'lowRisk'],
['high', 'flying', 'media', 'married', 'fifties', 'yes', 'highRisk'],
['low', 'football', 'security', 'single', 'twenties', 'no', 'medRisk'],
['medium', 'golf', 'media', 'single', 'thirties', 'yes', 'medRisk'],
['medium', 'golf', 'transport', 'married', 'forties', 'yes', 'lowRisk'],
['high', 'skiing', 'banking', 'single', 'thirties', 'yes', 'highRisk'],
['low', 'golf', 'unemployed', 'married', 'forties', 'yes', 'highRisk']
size data=len(train data)
nGolf = sum(1 for ex in train data if ex[1]=='golf')
print("unconditional probability of golf : ")
print(nGolf/size_data)
nSingleMed = sum(1 \text{ for ex in train data if } ex[3]=='single' \text{ and } ex[-1]=='medRisk')
nMed = sum(1 for ex in train_data if ex[-1]=='medRisk')
print("conditional probability ofsingle given medRisk")
print(nSingleMed/nMed)
```

9) Implement linear regression using python.

```
import numpy as np
import matplotlib.pyplot as plt
training_data=[
   [25,25000],
  [23,22000],
   [24,26000],
  [28,29000],
   [34,38600],
  [32,36500],
   [42,41000],
  [55,81000],
   [45,47500]
1
size = len(training_data)
training data=np.array(training data)
age=training_data[:,0]
income=training_data[:,1]
mean_age=np.mean(age)
mean_income=np.mean(income)
cd_ageincome=np.sum(age*income)-size*mean_age*mean_income
cd_ageage=np.sum(age*age)-size*mean_age*mean_age
b1=cd_ageincome/cd_ageage
b0=mean_income-b1*mean_age
plt.scatter(age,income,color="r",marker="s")
response_vec = b0+b1*age
plt.plot(age,response_vec,color="y")
plt.xlabel('Age')
plt.ylabel('Income')
```

plt.show()



10) Implement Naïve Bayes theorem to classify the English text

```
training_data = [
["I love this car", "positive"],
["This view is amazing", "positive"],
["I feel great", "positive"],
["I'm not happy with the product", "negative"],
["This is a terrible place", "negative"],
["I don't like this movie", "negative"],
["I hate things", "negative"]
]

vocabulary=set()

for data in training_data:
    sentence=data[0]
    words=sentence.split()
    vocabulary.update(words)

class_probabilities={}
```

```
11=0
12 = 0
total data=len(training data)
for data in training data:
  if(data[1]=="positive"):
    11+=1
  else:
    12+=1
class probabilities["positive"]=11/total data
class_probabilities["negative"]=12/total_data
word counts={}
for data in training data:
  sentence=data[0]
 words=sentence.split()
 label=data[1]
  if(label not in word counts):
    word counts[label]={}
 for word in words:
    if word in word counts[label]:
      word counts[label][word]+=1
    else:
      word counts[label][word]=1
word probabilities={}
for label in word counts:
  word probabilities[label]={}
  total words=sum(word counts[label].values())
  for word in vocabulary:
    if word in word counts[label]:
      word_probabilities[label][word]=word_counts[label][word]/total_words
    else:
      word probabilities[label][word]=0.0
def predict(text):
  text probability={}
 words=text.split()
  for label in class probabilities:
    score=0
    text_probability[label]=class_probabilities[label]
    for word in words:
      if word in vocabulary:
        score+=word probabilities[label][word]
    text probability[label]*=score
  if(text_probability["positive"]>text_probability["negative"]):
      return "positive"
  else:
    return "negative"
```

print(predict("I hate cars")) negative ✓ 0s completed at 8:47 PM