

# Introduction to Random Effects in glmmTMB

Mollie Brooks

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## This video covers

- concept of random effects
- nested vs crossed
- temporal and spatial options
- where to find details
- an example with random intercepts and an  $AR(1)$  random effect

# Concept of random effects in LMMs and GLMMs

- grouping factor with different levels
- levels are usually sampled randomly from a larger population
- account for correlation / lack of independence
  - avoid pseudoreplication (Hurlbert 1984)
  - e.g. repeated measures of a sampling unit are correlated
  - e.g. locations may be correlated to other locations near them
  - e.g. a patient's physiology this year is correlated to last year

# Formulas

- random intercepts conditional on grouping variable  $+(1|gvar)$
- random slopes and intercepts conditional on grouping variable  $+(x|gvar)$
- right-hand side is the *grouping variable* (always categorical, usually a factor)
- left-hand side is the *varying term* (most often 1 for intercept)
- multiple random effects  $(a|g1) + (b|g2) + \dots$
- terms separated by  $+$  are independent

Many specific formulations can be found on the GLMM FAQ website.

## New conditional model mean

For LMMs:  $\mu = X\beta + Zb$

For GLMMs:  $\mu = g^{-1}(X\beta + Zb)$

... but  $Zb$  is way more complicated than  $X\beta$

$b \sim N(0, \Sigma)$

$b \sim N(0, \sigma_b^2)$  if simple intercept

glmmTMB uses Laplace approximation

# Nested random effects

- `glmmTMB` can handle both nested or crossed
- only relevant with multiple random effects
- nested if each unit of a lower-level factor appears in exactly one higher-level unit
  - e.g. spatial blocks within spatial sites
  - no need to worry about nesting if lower level is labeled uniquely
  - e.g. if each site A, B, ... E contains multiple blocks, then code the blocks uniquely  
e.g. A1, A2, ... B1, B2, ..., E1, E2, ...
  - then the two syntaxes  $(1|a/b)$  (or  $(1|a)+(1|a:b)$ ) and  $(1|a)+(1|b)$  are equivalent

## Crossed random effects

- units of one factor can be measured in multiple units of another factor
- e.g. locations measured in multiple years  $(1|location)+(1|year)$

## Some other random effect covariance structures

- temporal correlation
  - AR(1)
  - Ornstein–Uhlenbeck
  - differences between ou and ar1
    - ou can handle irregular time points
    - ou only allows  $> 0$  correlation between neighboring time points
- spatial correlation
  - exponential
  - Gaussian
  - matern

see covstruct vignette for other options



## Heliconia GLMM example

- inflorescence count depends on plant size and habitat
- repeated annual measures of plots (location) and individuals
- random individuals
- random plots
- random years

see `code_RE.R`

# Recap

- formulas
- RE go into the conditional mean
- introduced nested and crossed
- introduced temporal and spatial options
- an example with random intercepts and AR(1) correlation