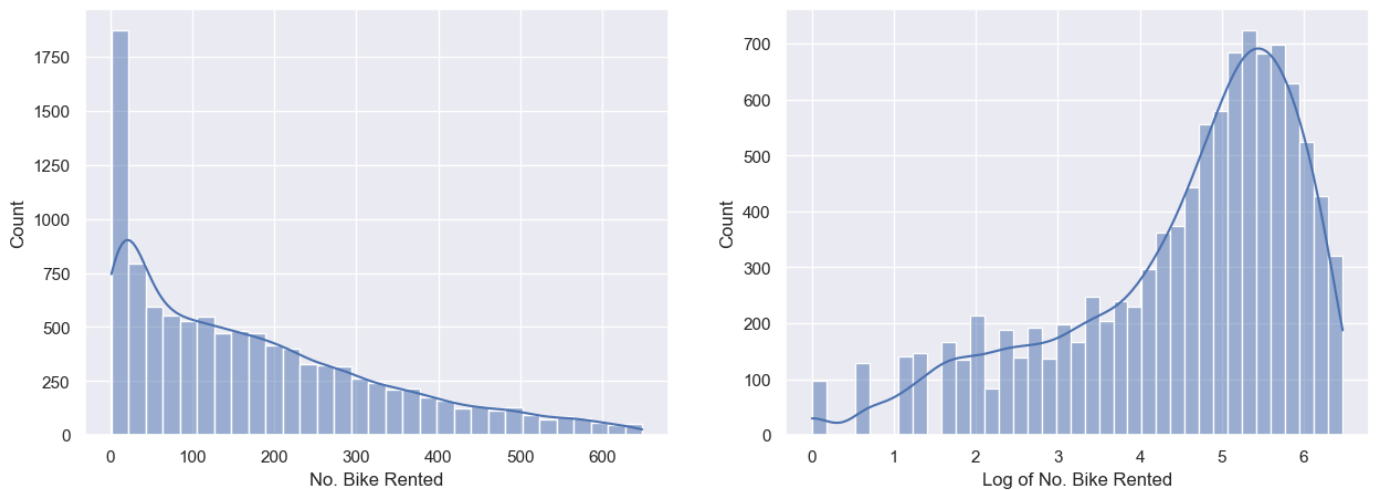


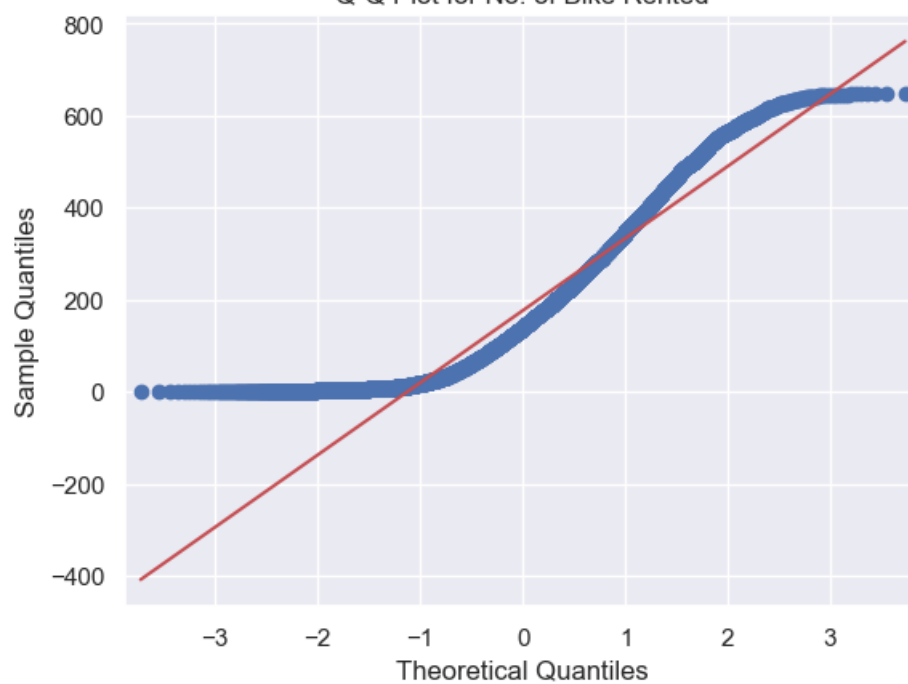
## Validate Target variable's Data is `Gaussian or not`

- Using **Shapiro-will's** Hypothesis Test on 'count' column, p\_value found as **0%**.
- Thus **Data is not Gaussian**.

Properties of No. of Bike Rented



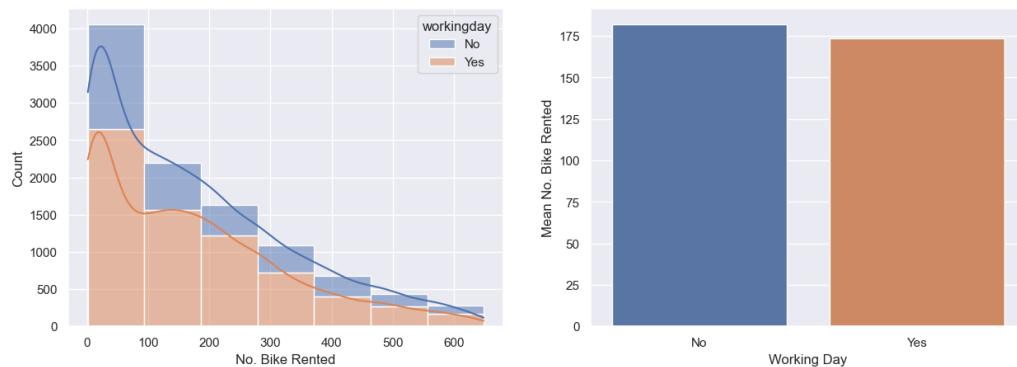
Q-Q Plot for No. of Bike Rented



## Q1. Working Day has effect on number of electric cycles rented?

Working day	Mean rent	No of rent
No	182.189881	3360
Yes	173.568507	6992

Impact of Working day on No. of Bike Rent



Ho -> Working Day has no effect on number of electric cycles rented

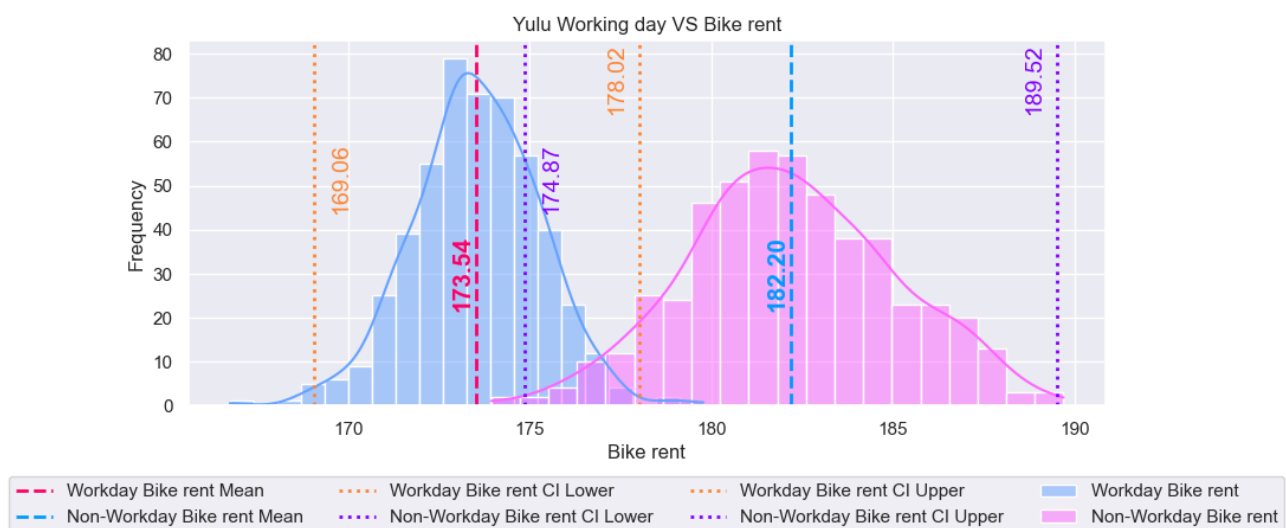
Ha -> Working Day has effect on number of electric cycles rented

Samples size = 500

Significance\_level = 0.1 = 1%

```
ttest_ind(rent_on_wd, rent_on_non_wd)
```

p\_value = 0.887%



### Insights

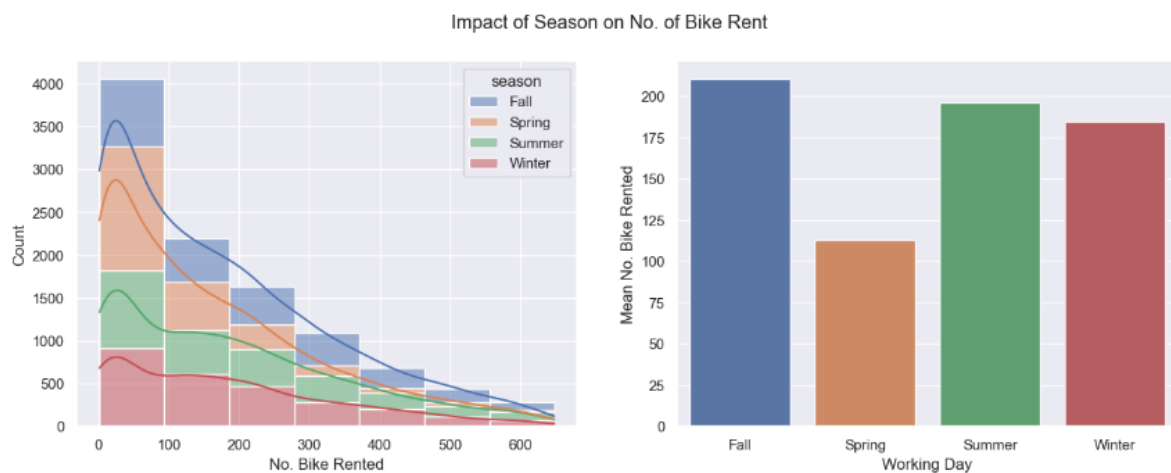
Using T-Test p\_value found that **0.887%**.

- With Confidence interval of **99%** & Sample Size of **500**
  - Mean Bike rent on Working day is **173.48** with a Intervals of (168.92 - 178.04).
  - Mean Bike rent on Non-Working day is **182.21** with a Intervals of (175.20 - 189.22).
  - As  $0.887\% < 1\%$  Thus Rejecting Ho & Accept Ha.

As per T-Test we can Conclude "**Working Day has effect on number of electric cycles rented**".

## Q2. No. of cycles rented similar or different in different seasons?

Season	Mean rent	No of rent
Fall	210.633564	2598
Spring	112.774308	2530
Summer	195.945328	2579
Winter	184.446503	2645

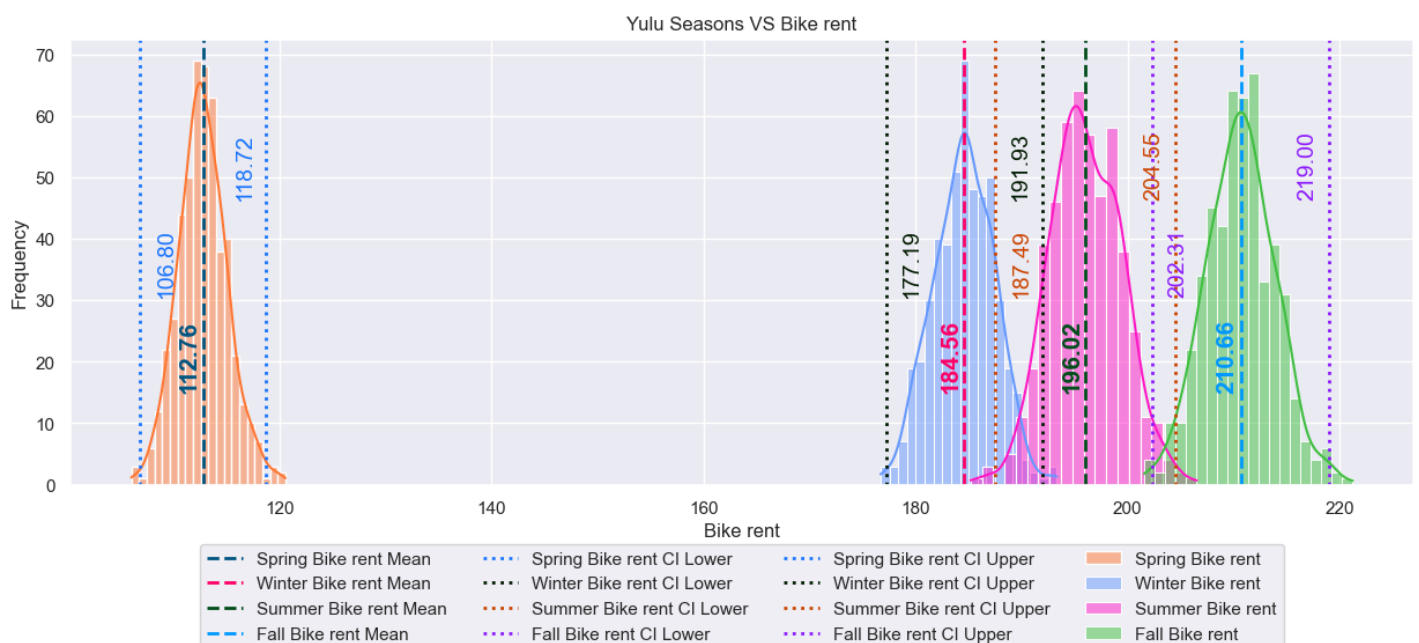


Ho -> No. of Bike rented are Similar in different seasons

Ha -> No. of Bike rented are different in different seasons

Samples size = 500

Significance\_level = 0.1 = 1%



## Using ANOVA Test

```
f_oneway(on_summer, rent_on_fall, rent_on_winter, rent_on_spring)
p_value = 0%
```

## Using Kruskal Test

```
f_kruskal(on_summer, rent_on_fall, rent_on_winter, rent_on_spring)
p_value = 0%
```

## Using Levene Test

```
f_kruskal(on_summer, rent_on_fall, rent_on_winter, rent_on_spring)
p_value = 0%
```

## Insights

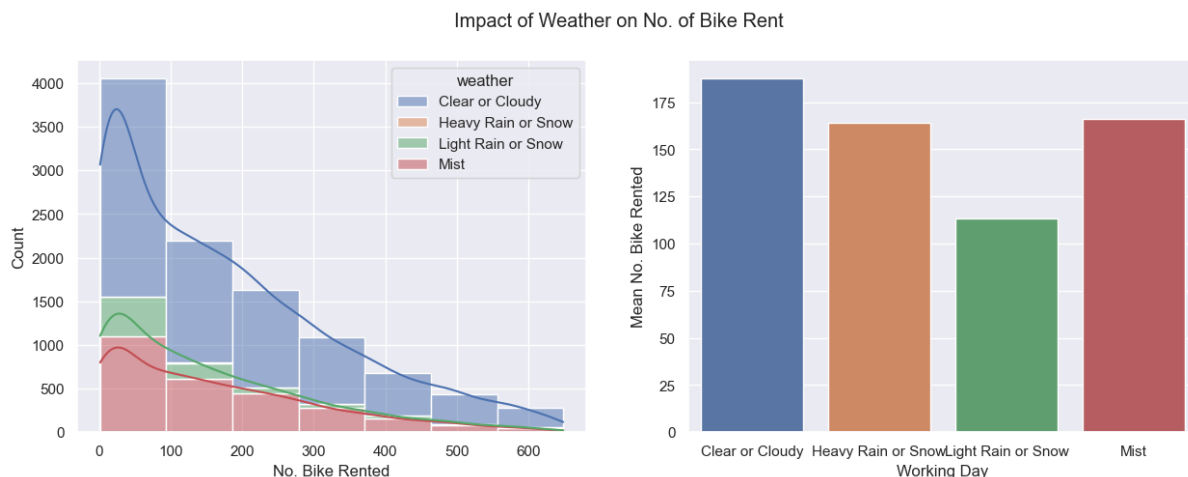
Using ANOVA, Kruskal & Levene Test p\_value found that **0.0%**.

- With Confidence interval of **99%** & Sample Size of **500**
  - Mean Bike rent on Spring Season is **112.87** with a Intervals of (106.51 - 119.23).
  - Mean Bike rent on Winter Season is **184.68** with a Intervals of (176.95 - 192.40).
  - Mean Bike rent on Summer Season is **195.84** with a Intervals of (186.98 - 204.69).
  - Mean Bike rent on Fall Season is **210.84** with a Intervals of (202.32 - 219.37).
  - As  $0.0\% < 1\%$  Thus Rejecting  $H_0$  & Accept  $H_a$ .

As per Anova Test we can Conclude "**No. of Bike rented are different in different seasons**".

## Q3. No. of cycles rented similar or different in different weather?

Weather	Mean rent	No of rent
Clear or Cloudy	187.822607	6821
Heavy Rain or Snow	164.000000	1
Light Rain or Snow	113.562108	797
Mist	166.095134	2733



**Ho -> No. of Bike rented are Similar in different weather**

**Ha -> No. of Bike rented are different in different weather**

**Samples size = 500**

**Significance\_level = 0.1 = 1%**

### Using ANOVA Test

```
f_oneway(rent_on_clear_cloudy, rent_on_heavy_rain_snow,  
rent_on_light_rain_snow, rent_on_mist)
```

p\_value = 0%

### Using Kruskal Test

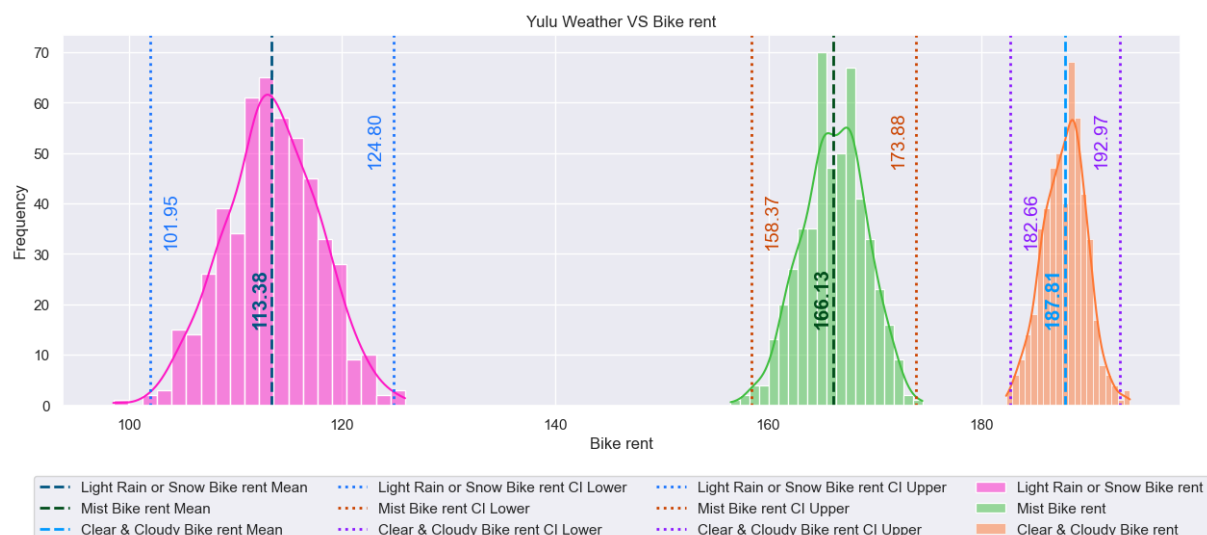
```
f_kruskal(rent_on_clear_cloudy, rent_on_heavy_rain_snow,  
rent_on_light_rain_snow, rent_on_mist)
```

p\_value = 0%

### Using Levene Test

```
f_kruskal(rent_on_clear_cloudy, rent_on_heavy_rain_snow,  
rent_on_light_rain_snow, rent_on_mist)
```

p\_value = 0%



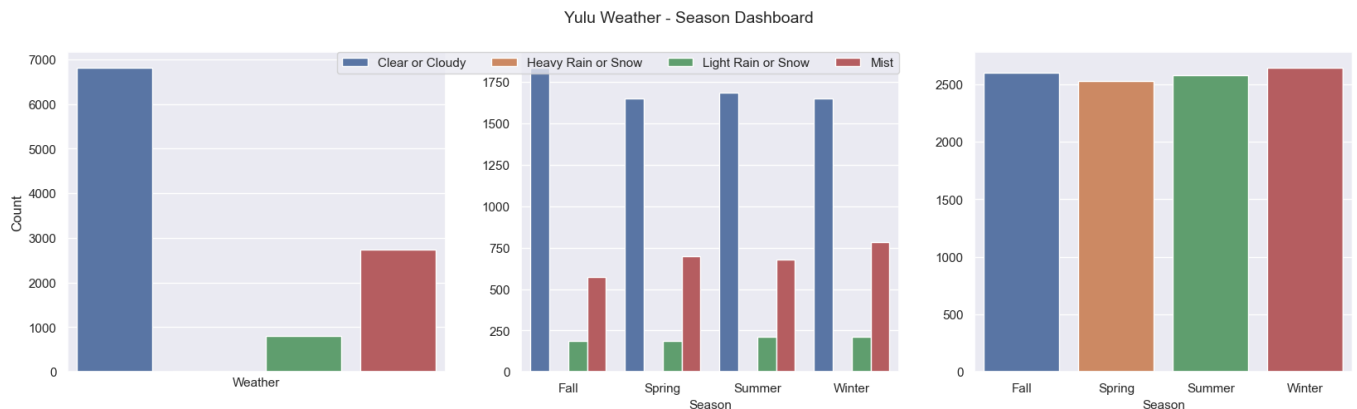
### Insights

Using ANOVA, Kruskal & Levene Test p\_value found that **0.0%**.

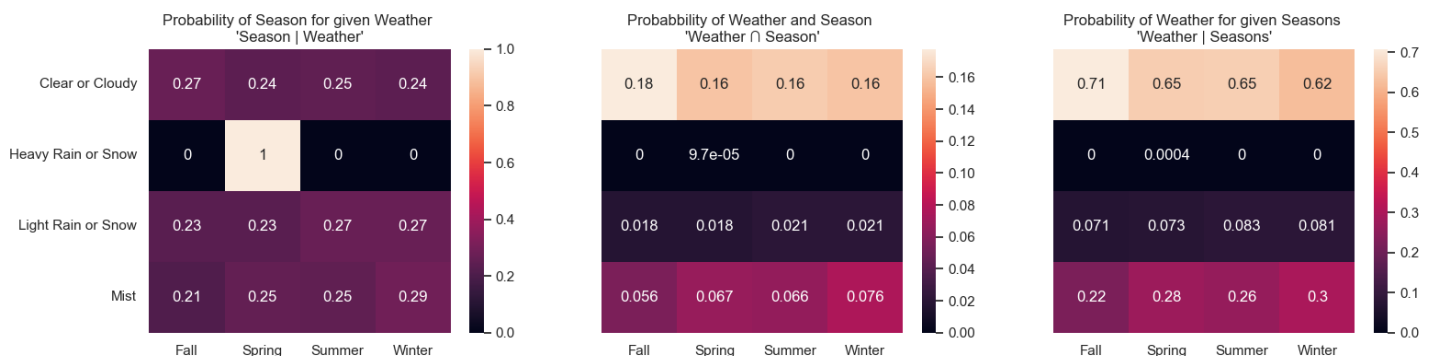
- With Confidence interval of **99%** & Sample Size of **500**
  - Mean Bike rent on 'Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scattered clouds' Weather is **113.18** with a Intervals of (102.31 - 124.04).
  - Mean Bike rent on 'Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist' Weather is **166.20** with a Intervals of (158.78 - 173.61).
  - Mean Bike rent on 'Clear, Few clouds, partly cloudy, partly cloudy' Weather is **187.83** with a Intervals of (182.51 - 193.14).
  - As only 1 record available for 'Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog' Weather, we are not going to consider this for Confidence Interval.
  - As  $0.0\% < 1\%$  Thus Rejecting Ho & Accept Ha.

As per Anova Test we can Conclude "**No. of Bike rented are different in different weather**".

## Q4. Weather is dependent on season?



Weather	Clear or Cloudy	Heavy Rain or Snow	Light Rain or Snow	Mist	All
Season					
Fall	1838	0	185	575	2598
Spring	1648	1	185	696	2530
Summer	1687	0	213	679	2579
Winter	1648	0	214	783	2645
All	6821	1	797	2733	10352



Ho -> Weather is Independent of Season.

Ha -> Weather is Dependent on Season.

Samples size = 500

Significance\_level = 0.1 = 1%

### Using ChiSqured Test

```
chi2_contingency(pd.crosstab(df_yulu['season'], df_yulu['weather']))
```

p\_value = 0%

## Insights

Using Chi-Square Test p\_value found that **0.0%**.

- With Confidence interval of **99%** & Sample Size of **500**
  - As  $0\% < 1\%$  Thus Rejecting  $H_0$  & Accept  $H_a$ .

As per Chi-Square Test we can Conclude "**Weather is Dependent on Season**".

- This is also absorbed from Heat Map & Probability plot
- As, Co-Relation Co-efficient for each Weather are mostly equal, except "Heavy Rain or Snow".